# An investigation of storage and communication codes for an electronic library 

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# An investigation of storage and communication codes for an electronic library 

Alsulaiman, Mansour, Ph.D.<br>Iowa State University, 1987

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# An investigation of storage and communication codes for an electronic library 

by

Mansour Alsulaiman

A Dissertation Submitted to the<br>Graduate Faculty in Partial Fulfillment of the Requirements for the Degree of DOCTOR OF PHILOSOPHY

Department: Electrical Engineering and Computer Engineering Major: Computer Engineering

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## 1. INTRODUCTION

### 1.1. Statement of the Problem

The library plays an important role in the academic community and the community at large. With advancement in electronic technology, it is desirable to use this technology in order to make the library more accessible to its users. It is desirable to have a library system where the user can dial up the library and access its information. The data sent should be a complete duplicate of the data in the library and not part of it. This research tries to look at one aspect of this system, namely, at the methods of compressing these data for storage and transmission.

### 1.2. Features and Assumptions of the Solution

The receiver in this electronic library system is assumed to originate his connection from a microcomputer. The microcomputer was chosen, instead of a dump terminal, because it provides the following necessary services to the system:
a) The receiver has a processing power which is needed to decompress the received data.
b) The receiver has storage facility. This allows the sender to send more than one page to a receiver. The receiver will work on the received data till he needs more data. This decreases the load that the sender has to manage and allows the system to service more receivers than if the receiver has to ask for the data page by page.
c) The display is of electronic form and not mechanical. Hence, the display time will be very fast. In addition

> to that, it will be negligible compared to the decompression time. Other forms such as facsimile are greatly affected by the mechanical requirements of the receiver.

In addition to the above services, the microcomputer is widely available. Hence, it is the best choice as the receiver in the electronic library system.

The microcomputer chosen for this research is the IBM PC, and its compatibles. Chapter 3 contains a description of some features of this class of microcomputers related to this thesis. The investigation carried out with this class of computers can be extended to other computers.

Since the sender is a big library system, we can assume that it is more powerful than the receiver. Hence, the compression time, that we get by simulating the compression algorithms in the microcomputer, will not be a decision factor in choosing the algorithm, unless, of course, all other factors are the same.

### 1.3. Thesis Organization

Chapter 2 is a review of some compression algorithms used in facsimile transmission and "Lempel and Ziv" compression algorithm. From the methods we reviewed for facsimile transmission, we chose two methods that will be investigated in Chapter 4. Chapter 3 has a description of some features of the computer this research was carried on, some implementation considerations or difficulties, and some characteristics of the data the system needs to store and/or transmit. Chapters $4,5,6,7$, and 8 investigate the use of some compression al-
gorithms to compress the computer screen. These algorithms are:
a) Two methods used for compressing documents in facsimile transmission. These methods are investigated in Chapter 4. This investigation showed the need for another class of algorithms. The new algorithms should be able to detect more redundancy in the data than the two algorithms we investigated. The next chapters contain an investigation of these new algorithms.
b) Lempel, Ziv, and Welch compression algorithms is investigated in Chapter 5.
c) Variations of the Lempel and Ziv algorithm are investigated in Chapters 5, 6, and 7. These variations try to improve both the algorithm itself and the form of using it, and match these improvements to the data to be compressed.

Chapter 8 presents a general analysis of the previous methods.
Finally, Chapter 9 presents the conclusion of these investigations.

## 2. LITERATURE REVIEW

### 2.1. Review of Facsimile Transmission

An investigation of the type of data that the library possesses showed that text and graphics represent most of the data (refer to Chapter 3). Facsimile transmission is used to transmit such data; hence, it is desirable to look at the research in this field and benefit from it in solving the problem proposed in Chapter 1.

Facsimile transmission has been used since 1843 [1]. Facsimile machines consisted of electrical and mechanical systems and did not use any data compression techniques. Only in the beginning of the 1970 s did some machines use a form of compression. In this review of a modern facsimile machine, we are interested only in the compression techniques it used and not in its actual structure. For an excellent source of facsimile history, development, and detailed implementation refer to [1].

The following is a review of the research in facsimile transmission. As is customary in the field, the name will be shortened to facsimile. Sometimes, it will be abbreviated to FAX in this thesis. In this review, we look at the literature in a chronological order. We will not look at all of the available literature, but we will present what we think is a representation of the available literature from the points of view of the content of the literature and the directions of the research in facsimile.

As an example of second generation facsimile machines, we look at
the system described in reference [2]. The points in this paper related to this review are the following:

1) Although there were studies made on redundancy techniques, none of them was widely accepted. The reason was the unavailability, at that time, of economical methods to implement them. Advances in digital techniques and development of integrated circuits made implementing these techniques economically feasible.
2) The coding method used was to send the code of the runlength of white picture elements (pels) and send the black pels pel by pel.
3) For the high rate it was transmitting at, $50 \mathrm{Kbits} / \mathrm{s}$, it took 20 microseconds to transmit a bit of information. This time was long enough for the recorder to guarantee sufficient exposure time for each black pel. Sending runlength of the black pels would not give enough time for the recorder to expose the black pels it should record. So, the advantage of fast transmission rate was compensated by the time increase due to sending each black pel alone. This also decreased the compression factor.
4) The paper reported a compression factor equal to 5. It also reported that other methods, that did not use this high transmission rate but used a Huffman code, had a compression factor equal to 5.7 .
5) It took an average of 7 s to transmit an A 4 size ( 8.5 x 11 in) page.
6) The paper used a variable scan rate that depended on the content of the scan line. This means when the scanner reached a black pel, it would remain 19 microseconds so the next scan would be 20 microseconds from the beginning of this scan. When it reached a white pel, it would scan normally till it reached a black pel, then it would send the run-length of the white pels.

Reference [3] gave some techniques for using the correlation between pels from line to line. It did this by ordering, in a buffer, pels or error prediction of current line based on information from current line and/or previous line. After all current line is processed,
the content of the buffer is run-length coded.
The buffer filling was tried using the following methods:

1) Each pel in line $i+1$ is put to the left (right) of the buffer if the same pel in the previous line is white (black).
2) Each pel in line $i+1$ is predicted to be the same as the pel in line i. The error in prediction is ordered as in method 1 , i.e., if the same pel in line $i$ is white (black), the error prediction is put to the left (right) of the buffer.
3) Each pel in line $i+1$ is predicted depending on its state. The state of a pel was defined as the three pels in line $i$ nearest to the pel plus the pel to its left in line i+l. The prediction error is put to the left (right) if the prediction is good (bad). The ordered buffer is then sent as run-length codes. A prediction is classified as a good one if its probability is bigger than a threshold (0.8); otherwise, it is a bad one (note that a probability is defined to be at least 0.5).

These methods gave a compression factor that is $30-50 \%$ better than the one of a one dimensional run-length coding. It was also shown to be $10-18 \%$ better than the compression factor of another ordering technique suggested by Preuss (refer to discussion of reference [4]).

Reference [5] is a continuation of the work in [3] done by the same authors. It used the ordering technique that depends on the state of the pel as described in the discussion of [3]. It had the following enhancements:

1) It used 7 previous pels instead of 4.
2) The threshold of a good prediction was raised from 0.8 to 0.9 .
3) The statistics of the prediction were averaged from the 8 standard documents suggested by the International Telegraph and Telephone Consultative Committee, known as CCITT.
4) The first sequence of 00...01 in the buffer would not be sent.
5) Each line was ordered from either left-to-right (forward) or right-to-left (reverse) depending on which direction gave better result, i.e., needed less bits.

The method was tried on all the 8 CCITT documents and an average of 41\% decrease in the transmission time compared to the transmission time obtained using the modified Huffman code was reported.

Reference [ 6 ] is an invited paper by Huang which reviewed some of the coding methods available at its time. The paper gave three heuristic concepts used in facsimile coding. They are the following:

1) Skipping white: Only the black elements will be sent and the rest of the document is assumed to be white.
2) Transmitting only boundary points: It is perhaps fair to say that the majority of the current efficient coding schemes are based directly or indirectly on this concept. Examples of how this is done are sending the address of the boundary points, counter tracking these points, and approximating boundaries by piecewise linear or polynomial curves. Later, the paper gave more practical examples.
3) Pattern recognition.

Some mathematical models were given, corresponding entropies were derived, and numerical examples of their values were given. The white block skipping scheme was shown in one and two dimensions. It was also shown how to make it adaptive. Run-length coding was discussed and a mathematical model and experimental results were given. Two forms of predictive differential quantization were also given. Preuss code was presented as another form of an extension of run-length coding. Besides, the paper noted the following general trends:

1) For low resolution, 100 pels per inch (ppi), one dimensional coding techniques were usually preferred because of the ease of implementation and because they gave compression factor comparable to the one of the two dimensional coding.
2) For high resolution, greater than 200 ppi , two dimensional coding techniques may give considerably higher compression factor and be preferred in spite of their implementation complexity.

Reference [4] was an attempt to compare some of the codes submitted to CCITT for standardization of group 3 facsimile machines. It looked at some one and two dimensional coding techniques.

The one dimensional techniques were all run-length coding techniques. They differed according to the code assigned for the runs. One of these techniques that used the Modified Huffman (MH) code would be the one dimensional standard recomended by CCITT.

The two dimensional codes were:

1) The Kalle-Infotec code: It works on a pair of consecutive lines that are segmented into black and white runs. The runs for both lines together are coded with an adaptive run-length code which changes its word length between 2 and 8 bits according to the local statistics of the document.
2) The Kokusai Denshin Denwa code: It is similar in principal to the EDIC code that we will discuss later.
3) Preuss code: Sometimes, it is referred to as the TUH (Technical University of Hannover). In this code, each pel is predicted from the nearest 3 pels in the previous line and the pel to its left in the current line. These 4 pels form a state for that pel. For each pel, the code uses its state to predict its value. A value of 0 or 1 is inserted in its place in the current line depending on the prediction error. For each state ( 16 states) the run length between its prediction errors is coded using a truncated Huffman table. Each state has its own table which is constructed from statistics of type written text.

Among the two dimensional techniques, the TUH had the biggest compression factor specially for documents filled with a lot of text. The three one dimensional methods had almost the same compression factor, but MH had the biggest one.

Two dimensional techniques yielded a considerable gain (average $=$ 16\%) over one dimensional techniques only for high resolution. For low resolution, the difference between one dimensional and two dimensional techniques was minimal specially for text documents.

Reference [7] discussed the features and design of a display processor that can output both text and graphics to a display at the same time. The processor consisted of two data paths that operated in parallel. The data from both paths were logically ORed together and output to the display.

The first path was the character generator that changed the text information from code (ASCII code and/or control code) to a bit map representation of the characters. The text format was variable so different sizes could be output. This meant that text could have subscript, superscript, invert, and other formats. The second path was the FAX generator that took compressed data of an image, decompressed it, and then sent it to the display so it could be superimposed on the output of character generator.

The display resolution was 120 pels/in horizontally and 96 lines/in vertically. The images to be superimposed were assumed to have large empty areas (i.e., white color) and tended to have large numbers of
horizontal and vertical lines. The resolution of the scanner was the same as the one of the screen. The main goals were to have a fast method of decompression that could decode the compressed data without using any image buffer to store the complete picture, and the decoding method should be simple to be implemented. This was done by decoding the screen part by part from top to bottom then restarting this process again. The compression/decompression method used was a combination of block coding (refer to discussion of [8] below), simple run-length coding, and very simple prediction. Since this method was not designed to give an optimum compression factor, this review will not discuss it fur thermore.

Reference [9] described the Edge Difference Coding (EDIC) technique. This technique looks at the current and previous line from left to right looking for the next two color changing pels, and then defines a state out of the following three states:

1) State S1: One transition pel is in the current line and the other one is in the previous line.
2) State S2: Both transition pels occur in the preceding line.
3) State S3: Both transition pels occur in the current line.

The states are then coded as follows:

1) State S1: A code for the distance between the two pels would be sent.
2) State S2: A code to signal that this state had happened would be sent.
3) State S3: For each of the two transition pels, a code of the run length that ended before it would be sent.

Reference [10] is a short review of facsimile development and its current state from the point of view of speed, technologies used, and specific machines. It covers both analog and digital facsimile. One example of analog facsimile decreased transmission time by bandwidth reduction. Another analog facsimile decreased transmission time by scanning faster, on the sender and receiver, over white areas. No redundancy reduction algorithm was presented.

Reference [11] discusses a system that uses a method called Combined Symbol Matching (CSM) for facsimile compression. The system works in the following two stages:

1) Symbol Matching: In this stage, the system tries to find the basic symbols, e.g., alphanmeric characters, of the document. It scans for symbols till it finds one. Then, it will compare the found symbol with the library of symbols the system encountered before. The comparison uses some symbol features as a preliminary screening before it performs the bit map comparison. If a match is found, the symbol number in the library will be sent with its relative location from the previous symbol. If no match is found, the symbol with its features and bit map will be added to the library and its bit map, width, height, and location will be sent to the receiver. Any symbol that is sent is replaced by white space. After all symbols are processed, the next step starts.
2) Residue Coding: By residue, it is meant the document without the symbols sent in stage 1 . This residue is coded by a two dimensional run-length ceding and sent to the receiver.

The compression factor found by this method for compressing the CCITT documents (resolution was $200 \times 200$ lines/in $=8 \times 8$ pels/mm)
is a 2 to 3 times READ's (Relative Element Address Designate) compression
factor for document 5 and about the same for document 2 . A pattern recog-
nition was tried and resulted in compression factor greater than 250
for compressing a business letter.

We would like to make note of the following points:

1) There were some overhead bits sent whether symbols were matched or not. No matching has higher overhead.
2) The paper allowed for small error in matching the symbols. When it tried exact matching, a decrease of $50 \%$ in the compression factor was reported.
3) The code was asynchronous. For each matched symbol, some overhead (e.g., shift up or down, distance to previous block) was needed to be sent, whereas for each non-matched symbol its size and its distance to the previous symbol were sent. For each line, the location of the first pel on the line and a flag to indicate if there was a symbol or not would be sent. These overheads complicate the coding and decrease the compression factor.

Reference [12] is an invited paper that gives an overview of digital
facsimile coding techniques in Japan. The author classified the two
dimensional information preserving codes into line by line coding and
simultaneous coding of $n$ lines. For simultaneous coding, he gave the
following three examples:

1) Mode Run Length Coding: It examines $n$ lines at the same time. For each horizontal pel location, a state is defined depending upon the corresponding pels in the $n$ lines. The code sent is the run-length code of the state with a variable length code for state to state transition.
2) Coding by Zig-Zag Scanning: The pels are read in a zig-zag way (i.e., we jump from reading a pel in line ito reading another pel in line $i+1$, then we go back and read a new pel in line $i$, and so forth). A simple run length coding of the encountered bits does not work well. One technique to solve this problem is to predict the pel based on the three pels read before it. Then, the runs of correct and erroneous predictions are run length coded by a suitable code for each of them.
3) Cascade Division Coding: This is almost similar to the block coding in [8].

The author mentioned that recent trend had recognized line by line coding as the most favorable approach for two dimensional coding. He then gave the following examples of line by line coding:

1) Two Dimensional Prediction Coding: It is one of the earliest proposals. Other coding methods such as Preuss' or the one iri [4] had this method as a step within many steps. So, we will not discuss it.
2) Relative Address Coding (RAC): It has the same general principals of PDQ and EDIC. The author suggested that although PDQ was known first, RAC was one of the landmarks in the history of facsimile. He attributed this to the fact that PDQ was not described as a practical coding scheme and no comparison with simultaneous coding scheme was available. But RAC was the first method to present the fact that line-by-line coding could, indeed, give better compression factor than simultaneous coding. It works by sending the code that specifies the positions of the changing elements in each line. The position of each changing element is sent by sending the code of the shortest following two distances: the distance between the current changing element and the previous one in the same line, or the distance between the current element and the nearest one in the line before it.
3) Edge Difference Coding (EDIC): It was explained in our discussion of [9].
4) Coding by Rearranging Picture Elements: This is divided into microscopic and macroscopic rearrangements. The method by Mounts et al. [5] is similar to but more advanced than the microscopic method the author reviewed. The macroscopic rearrangement is done by finding the size of the characters and then arranging the characters of each line at its left. The arranged image is then coded by microscopic coding.
5) Coding by Classified Pel (CP) Station: The basic idea is similar to Preuss' method; hence, we will not discuss it.
6) Relative Element Address Designate (READ) Coding: It combines features of RAC and EDIC. A modification of it,
called Modified READ (MREAD), was accepted by CCITT as the standard code for two dimensional coding (refer to discussion of [13]).

Reference [13] describes the CCITT standard for one and two dimensional coding of documents for facsimile transmission. This standard has been drafted by Study Group XIV of CCITT as recommendation T. 4 for what is called Group 3 facsimile machines. The elements of this standard that are important to us are the following:

1) Resolution: Each scan line on an A4 size document is divided into 1728 pels. The normal vertical resolution is 3.85 lines/mm. A higher vertical resolution of 7.7 lines/mm is available as an option.
2) Timing: Due to mechanical limitation of some machines (specially in the recorder part), a minimum transmission time is assured for each line so that the sender and the receiver can be synchronized together.
3) The one dimensional code: It was decided to use a runlength coding technique. Huffman coding was chosen because of its good compression factor. The paper reported that an experiment showed that the error recovery of Huffman code was comparable to other codes. Instead of coding the length from 0 to 1728, it was decided to limit the size of the table by using make-up words. Hence, this table was named the modified Huffman table.
4) The two dimensional code: Several proposals were submitted. The committee chose READ (suggested by Japan) and added some modifications to it. Hence, the code is called the modified READ (MREAD). The committee found the compression factor of READ to be the same as the one of other proposals. But READ was chosen because it has been implemented in a large number of commercial machines (Japan depends a lot on facsimile, refer to [12]).

Then the paper also discussed the error recovery of both the one and two dimensional standards. This error recovery will not be discussed in this review. It also gave some simulation results of one and two
dimensional standards applied to the CCITT documents.
Reference [14] derived the entropy of RAC method, a scheme based on non-Markovian grammar. It gave numerical examples to prove the correctness of this derivation and the wrongfulness of another method, presented by other authors, which used 2nd order Markovian model. The error in the numerical values was an order of magnitude.

Reference [15] is a modification of Preuss' method. In this method, after predicting the new line from the old one and finding the prediction errors for each state, the length to be coded is the length from the state first correct prediction, in a sequence consisting of the same states, to the current state error in this sequence.

Reference [8] has many good points besides its coding method. So, we will present its steps in the following:

1) It used a set of masks to remove notches and pinholes from the scanner output. The notches are mostly caused by the presence of imperfections in the scanning process. Removing these nothces improves the coding efficiency and, to a certain extent, improves image quality.
2) For every single black pel between two or more whites, another one is inserted before it. This is necessary so that no loss of information will occur after the next step.
3) The image is subsampled in horizontal and vertical directions by taking every other pel in these two directions. Hence, resolution is reduced by a factor of 4.
4) The picture is divided into blocks of certain size called Initial Picture Block (IPB). If the IPB is not either all white or all black it is divided into 4 subpictures blocks (SPB) and a code of the division is sent. Each SPB is tested to check if it is all white or all black, if no further division is made. When an all white or an all black SPB is found, a code for it is sent. The division con-
tinues (if no all white or all black is found) till an SPB of size 4, called basic picture block (BPB), is reached. The BPBs are Huffman coded according to the position of the black pels among its 4 pels.
5) The received data are used to construct the subsampled data which are interpolated to get the original data. Three methods of interpolation were used, namely, bilinear, replication, and B-spline. Subjective tests were made and led to the conclusion that bilinear was almost the best of the three methods. An average of $20 \%$ decrease in quality was noticed in these tests.
6) Due to the interpolation, some extra points might be generated. Some restoration matrices were used with two of the interpolation methods to get rid of these points.

The CCITT documents were scanned and compressed. The compression factors were compared with the ones of the MH (in original and subsampled form) code and found to be better. But, if we compare the ratio of its compression factor to the one of the MH subsampled, it is found to be almost the same as between MREAD and MH (neither MREAD nor MH in this case is subsampled). So, no big gain in compression factor was due to the coding method itself, except maybe for document 2 . The following three IPB sizes were used: $8 \times 8,16 \times 16$, and $32 \times 32$ pels. Bigger sizes were not used and the paper suggested that no further substantial increase in compression factor could be achieved in this way. The compression factor generally increased with the size increase of IPB. This is maybe due to the extra overhead bits needed in coding smaller IPB sizes.

Reference [16] is an example of progressive image transmission technique. It transmits defined pieces of the image till the whole image is transmitted. The benefit is that most of the details can be seen
faster and we may stop at a stage before sending the whole data and still get a good image. It transmits in 7 stages as follows:

1) Every line numbered a multiple of 16 is transmitted with $1 / 4$ th of the horizontal resolution.
2) Another line out of 16 is transmitted at the same horizontal resolution. Each of these lines will be in the middle of two previously transmitted lines (i.e., in stage 1 we transmitted lines $1,16,32, \ldots$ and in stage 2 we transmitted lines $8,24,40, \ldots$ ).
3) One of 8 lines is transmitted. These lines (numbered $4,12,20, \ldots$ ) are in the middle of lines transmitted in stage 1 and stage 2 . So, after stage 3 , every fourth line is received at $1 / 4$ th of the horizontal resolution.
4) The horizontal resolution of transmitted lines is doubled. So, every fourth line is received at half resolution.
5) One out of 4 lines (e.g., lines $2,6,10,14, \ldots$ ) is transmitted at half resolution.
6) The horizontal resolution for previously transmitted lines is doubled. So, at the end of this stage, all lines are with full resolution. These lines are the even lines.
7) The odd numbered lines are transmitted at full horizontal resolution.

The lines sent at each stage are coded using CCITT code (both one dimensional and two dimensional). Note, that for half horizontal resolution, each element is replaced by two pels on the screen.

The paper suggested that stage 5 could be considered as the last stage for screen display since it requires 864 pels/line and 1188 lines/page which is the resolution limit of high resolution monitors.

Reference [17] is another progressive transmission technique. It has four stages. The image is sampled at $1 / 4$ th of both the horizontal
and vertical resolutions. These samples are coded by one dinensional code and the codes are sent to the receiver that interpolates the missing pels. In the next three stages, run length codes of the prediction errors of the remaining pels are transmitted. The prediction used previously transmitted pels as the reference for prediction.

Reference [18] presented an experimental system of facsimile communication using packet switched data network (PDSN). Facsimile is usually sent by telephone over public switched telephone network (PSTN). The paper gave the communication protocols and the needed processors for the experimental system. It also used the facsimile standard of group 3 machines.

Reference [19] described features of an apparatus for fast documents transmission over a $1.536 \mathrm{Mbits} / \mathrm{s}$ satellite link without redundacy reduction. It presented new techniques for recording a system and its control procedure.

Reference [20] presented error sensitivity of both the one and two dimensional facsimile coding standards. As expected, it was found that two dimensional coding was more affected by errors than the one dimensional coding. The paper discussed ways to stop the error effect from spreading throughout the page.

Reference [21] described a facsimile compression system that uses a symbol matching technique. It used the same principal as in [11] with some modifications and presented more details of both the symbol matching and the features extraction. It had two more features to be ex-
tracted than the features in [11]. It reported that these two features offered higher degree of symbol identification. The paper also showed that same signal modification techniques, applied before the two dimensional coding, resulted in a typical $14 \%$ improvement over regular two dimensional coding.

Reference [22] used a symbol matching technique similar to the one in [11] and [21]. It was more enhanced, more optimized, and did not have residue coding. The main advantages of this new technique are the following:

1) It matches not only symbols but also nonsymbol patterns. A nonsymbol pattern was defined as a pattern of certain size and window, and that has a black pel in it which is connected to other black pels outside the pattern. An example of this is parts of vertical and horizontal lines. the symbol is defined as a pattern that has connected black pels, is totally surrounded by white pels, and fits inside a window. This allows the method to efficiently code graphics. So, all black data are coded and no residue is left. This, of course, implies a white background.
2) The symbols in a line are stored and arranged in a buffer before sending them to the receiver. This resulted in efficient coding. Example of this efficiency is that it arranges the same symbols after each other and does the following: the code of a repeated symbol (i.e., its library number) is sent first for its first occurrence. Then, for the coming consecutive occurrences of this symbol, we send a shorter code ( 3 bits) that signals the receiver that the library number is the same as before.
3) It used a better criterion for symbol matching.
4) The bit map was compressed by the CCITT two dimensional code before sending it.
5) The coding of the data was more optimized and used variable length code for control information.
6) The library management was better and the library size was bigger.
7) The compression factor ratio to the one of CCITT two dimensional code was often doubled and it reached 4.5. Compared to CSM, it was 20-80\% bigger.
8) For CSM and this method, the compression factor doubled between two versions of the same document that differed in resolution.
9) By using mixed custom and programmed logic, it was able to send a document in one to two seconds at a $64 \mathrm{kbits} / \mathrm{s}$ rate.

Note that the paper reported wrong matches (e.g., between 0 and 0 , i and 1).

Reference [23] describes algorithms used in the design of Image View Facility (IVF), a system/370 based software that permits the display and fast manipulation of binary images. This software allows images to be rotated, scaled (so it can be displayed at different resolutions), and compressed. The compression algorithm is a slight modification to MREAD. It modifies MREAD by dropping the end of the line sequence, not inserting any fill bits, and using an end of the document sequence. The paper reported an increase of the compression factor by 15 to $35 \%$ when these modifications were added to the case of not using them. The images to be compressed had the same horizontal resolution as CCITT standard, but the vertical resolution was slightly different (1100 and 2200 lines/page for low and high resolution, respectively). The decompression time was found to be 3 to 10 times faster than the authors anticipated.

From the above review, we come to the following conclusions:

1) Line-by-line techniques are the best among the techniques that do not have any. symbol matching capabjility. Practically, there is no difference between the line-byline techniques, so MREAD can be chosen because it is the standard.
2) Line-by-line techniques, even though called two dimensional coding, are a limited form of two dimensional coding because first, these methods use no memory to remember the content of more than one reference line. Second, the coding line uses only a small part of the information available in the reference line.

### 2.2. Review of the Lempel and Ziv Algorithm

The investigation in Chapter 4 will show that the compression methods used in facsimile, except those that use pattern recognition or symbol matching techniques have two problems. First, they do not give the same compression factor they give in facsimile machines. Second, they are limited in the amount of redundancy they can recognize. Therefore, a new type of algorithms should be investigated. The universal coding algorithms are such algorithms. From these universal coding algorithms, we chose the Lempel and Ziv algorithm which we will review in the rest of this chapter. For a review of universal coding, refer to [24]-[31].

The Lempel and Ziv method for data compression looks at the data as a string of symbols. This string is a collection of smaller strings (substrings) of symbols (substrings may overlap). These substrings are generated from previously encountered substrings and some symbols. While this method scans the string, it builds a table of these sub-
strings and sends a code of the current substring. By finding the best substrings to represent the original string, we get a total size of the sent codes that is smaller than the size of the original string; hence, the data are compressed.

In the following review, we will look at papers that dealt with the Lempel and Ziv method, including papers by the authors themselves. For the sake of following the method development, we look at the papers in their chronological order.

The following abbreviations will be used: $L Z=$ Lempel and Ziv LZ method (or theorem) $=$ The Lempel and Ziv method (or theorem).

LZW method (or theorem) $=$ The Lempel, Ziv, and Welch method (or theorem). It is a modification and clearer representation of Lempel and Ziv's method done by Welch. This method is the one we will be using later.
$L^{x}{ }_{\perp}=$ The smallest integer bigger than x .
In [32], Ziv proposed two forms of the probability of the block
coding error. He then proved the existence of a universal constant code for which the error probability (using both forms) goes to zero as the code length goes to infinity.

An algorithm for coding was given in [32]. It works as follows:

- The message is divided into blocks of $n$ letters each.
- Each block is divided into $n / k$ vectors (k-grams).
- Each vector (gram) is translated into a code which is a (k|_ $\log _{2} L \quad ل$ ) vector, where $L$ is the size of the source alphabet.
- The code word of a block consists of $n R$ binary letters (bits), where $R$ is the coding rate.
- The code is divided into two parts:
a) a list of the distinct vectors in the $n$ letters.
b) a sequence of codes for the ( $n / k$ ) vectors where each code is an address for a word in the list of distinct words in part a above.

It was shown that the probability of an encoding error can be made small for output rates which are not larger than those of the optimal codes that do depend on the statistics of the source.

In [33], Lempel and Ziv looked at the complexity of finite sequences. They proposed linking the complexity of sequences to a gradual build up of new patterns along each sequence from a finite alphabet. Works before this tried to define the complexity of the sequence by linking it to an algorithm by which the sequence is supposed to be generated. This definition of the complexity is not offered as a new absolute measure of complexity, which the authors believe nonexistent. Rather, it evaluates the complexity from the point of view of a simple learning machine which, as it scans an n-digit sequence ( $S=s_{1} s_{2} s_{3} \ldots s_{n}$ ) from the left to the right, adds a new word to its memory every time it discovers a substring of consecutive digits not previously encountered. The size of the vocabulary and the rate at which new words are encountered along $S$ serve as basic
ingredients in the proposed complexity evaluation.
The proposed measure is defined and put to test against a wellestablished test case, namely, the de Bruijn sequences. Under this measure, it was shown that most sequences are complex. However, it was also shown that this measure was not very weak, by showing that it discarded ergodic sources with normalized entropy less than one.

The paper laid down some definitions of sequences build up and sequences parsing. The "reproduction" and the "production" of is sequence from its parts were defined.

The complexity of $S$ was defined as follows. Any nonnull sequence $S$ can be parsed into its history as in $H(S)=S\left(1, h_{1}\right) S\left(h_{1}+1, h_{2}\right) \ldots$ $S\left(h_{m-1}+1, h_{m}\right)$. These $m$ strings are called the components of $H(S)$. A component $H_{i}(S)$ and the corresponding production step, $S\left(1, h_{i-1}\right) \Longrightarrow$ $S\left(1, h_{i}\right)$ are called exhaustive if $S\left(1, h_{i-1}\right) \rightarrow S\left(1, h_{i}\right)$, where $\Longrightarrow$, $\rightarrow$, and $\rightarrow$ mean produce, reproduce, and do not reproduce, respective1y. A history is called exhaustive if all of its components except the last one, are exhaustive. Every nonnull sequence has an exhaustive history.

Let's now define the following terms:
$c_{H}(S)=$ The number of components in a history $H(S)$ of $S$.
$c(S)=$ The proposed measure of complexity of the sequence $S$ $=\min \left\{c_{H}(S)\right\}$.
$\begin{aligned} c_{E}(S)= & \text { The number of components in the exhaustive history } \\ & \text { of } S .\end{aligned}$ of S .

It was proved that $c(S)=c_{E}(S)$. An upper bound for $c(S)$ was given in terms of $n$ and $\alpha$, where $n$ is the code length and $\alpha$ the size of the input alphabet. It was shown that for almost all strings $S, c(S)$ was close to this upper bound.

The main idea from this paper that will be used in the following papers is the way strings can be built and their proposed complexity measure.

Using the concept of string copying procedures introduced in [33] for building sequences from the parsing of its individual substrings with minimum number of steps, [34] introduced an algorithm for compressing the sequence without prior knowledge of its statistics. The effect of source statistics on the code manifests in building the string from previously encountered strings.

The encoding algorithm proposed by [34] can be explained as follows:

- Let $A$ be a finite alphabet of $\alpha$ symbols and $S$ a sequence of letters from the alphabet ( $\mathrm{A} S=\mathrm{s}_{1} \mathrm{~s}_{2} \ldots \ldots . \mathrm{s}_{1}(\mathrm{~s})$, where $I(s)=$ length of $s)$.
$-S(i, j)=s_{i} s_{i+1} \ldots s_{j}$.
- For each $j$, such that $0 \leq j \leq \ell(s), S(1, j)$ is called a prefix of $S$; $S(1, j)$ is a proper prefix of $x$ if $j \leq \ell(s)$.
- For $S(1, j)$ and $i$, where $i \leq j$, let $L(i)$ denote the largest nonnegative $\ell$, where $\ell \leq \ell(s)-j$, such that $S(i, i+\ell-1)=$ $S(j+1, j+\ell)$. $p$ is the position within $S(1, j)$ for which
$L(p)=\max \{\ell(i)\} ; \operatorname{maximization}$ is over $i$, where $i$ is in the range $[1, j]$.
- The substring $S(j+1, \ell+L(p))$ of $S$ is called the reproducible extension of $S(1, j)$ into $S$ and the integer $p$ is called the pointer of the reproduction. So, although S(1, j) may reproduce, i.e., by copying, different extensions bigger than $S(1, j)$, we choose the longest extension to be the reproducible one.
- The encoding is done by parsing $S$ into $S=s_{1} s_{2} s_{3} \ldots$, where $s_{2}$ is the reproducible extension of $s_{1}$ into $S$ and $s_{3}$ the reproducible extension of $s_{I} s_{2}$ into $S$, and so on. Each $s_{i}$ is assigned a code $c_{i}\left(c_{i}\right.$ has a fixed length).
- To get a bounded delay encoding, a buffer of finite length n is used to hold the last encountered symbols. The parsing is modified by limiting $\ell\left(s_{i}\right)$ to a maximum value of $L_{s}$. The parsing is done now by finding the reproducible extension of $B\left(n-L_{s}\right)$ into $B$, where $B$ is the buffer content. The encoding proceeds as follows:

1) Initialize the buffer to ( $n-L_{s}$ ) zeros (the left side of the buffer) followed by the first $L_{s}$ symbols of the input string $S$ (reading $S$ from left to right). This content of $B$ is $B_{1}$.
2) Having determined $B_{i}$, look for the reproducible extension E of $B_{i}\left(1, n-L_{s}\right)$ into $B_{i}(1, n-1)$. From E, get $s_{i}=E . s$
where $s$ is the symbol next to $E$ in $B_{i}$. For $B_{i}$, let $\ell_{i}=$ $\ell(E)+1$.
3) Let $p_{i}$ be the reproduction pointer used to determine $s_{i}$, then the code word $c_{i}$ for $s_{i}$ is given by $c_{i}=c_{i 1} c_{i 2} c_{i 3}$ where:
$c_{i 1}=\left(p_{i}-1\right)$, so $\ell\left(c_{i 1}\right)=L_{-} \log _{2}(n-L)$ ل.
$c_{12}=\left(\ell_{i}-1\right)$, so $\ell\left(c_{i 2}\right)=L_{-} \log _{2} L_{s} ل$.
$c_{i 1}$ and $c_{i 2}$ are in radix a representation.
$c_{i 3}=$ last symbol of $s_{i}$ (i.e., $c_{i 3}=B_{i}\left(n-L_{s}+\ell_{i}\right)$.
Send out the code $c_{i}$.
4) Shift (to the left) out of the buffer the symbols occupying the first left $\ell_{i}$ positions while feeding in the next $\ell_{i}$ symbols from the source.
5) Go to step 2 and continue till all the string $S$ is encoded. Decoding is done by reversing the encoding process, it works as follows:
6) Use a buffer of length ( $n-L_{s}$ ), initializing it to zeros. This is $B_{1}$.
7) From $c_{i 1}$ and $c_{i 2}$ determine $p_{i}$ and $\ell_{i}$.
8) Store the content of $B_{i}\left(p_{i}\right)$.
9) Shift to the left $B_{i}$ one time. Put the stored $B_{i}\left(p_{i}\right)$ in $B_{i}\left(n-L_{s}\right)$.
10) Continue the storing, the shifting, and the filling for $\ell_{i}-1$ times.
11) Shift $B_{i}$ to the left one more time and then fill $B_{i}\left(n-L_{s}\right)$ with the symbol $s$ which comes from ${ }^{1}{ }_{13}$.
12) $S_{i}$ is now in $B_{i}\left(n-L_{s}-\ell_{i}, n-L_{s}\right)$ which is the $\ell_{i}$ far right positions of $\mathrm{B}_{\mathrm{i}}$.
13) Go to step 2 and continue till all the $c_{i}{ }^{\prime} s$ are decoded. Reference [34] derived bounds for block-to-variable and variable-to-block coding designed to match a specific source. Then, it derived the bound for this universal coding and showed that it uniformly approached the lower bounds for the two coding methods.

Reference [35] defined the finite state encoder and decoder and restricted the discussion to this class of machines. This machine has a memory and encoder (or decoder) delay time. Two examples of this class were given, one of them was a block encoder. The block encoder was the one that was used in the rest of the paper.

For faithful coding, under constant coding and decoding rate, the paper defined the quantity $h(u)$ and showed that it played a role analogous to that of the entropy, although no statistical information was used to get $h(u)$. The analogy came from finding that, using the coding method introduced in [32], the coder input did not equal the decoder output if $h(u)>\log _{2} \beta$, where $\beta$ is the size of the output alphabet. $h(u)$ is defined as a measure of the complexity of the sequence:

$$
\begin{aligned}
& h(u)=\lim _{\ell \rightarrow \infty} h_{\ell}(u) \text {, where } h_{\ell}(u) \text { is given by } \\
& \log _{2} \ell h_{\ell}(u)=\begin{array}{l}
\text { number of distinct } \ell \text { vectors in an in- } \\
\text { finitive sequence } u .
\end{array}
\end{aligned}
$$

From $h(u)$, the source complexity $H(u)$ was derived. It was also shown that the entropy of a source equaled its complexity, $H(u)$, for an ergodic source, and the expected value of the complexity for a stationary source.

It was also shown that a normalized version of the Lempel-Ziv complexity, defined in [33], was a lower bound on $H(u)$.

Reference [36] took the concept of universal coding introduced in [34] and applied it to variable rate coding. The way it parses a string is the same, but the way it codes individual parameters is different. The paper also defined the compression ratio of a finite state encoder in terms of the block length, the code length, and the size of the source symbols. From the compression ratio, the minimax $\rho(X)$ is defined as the finite state compressibility of a sequence $x$ (as block length goes to infinity and number of states goes to infinity).

Reference [36] also showed that $\rho(x)$ had a lower bound in terms of the normalized Lempel-Ziv complexity (defined in [33]). $\rho(x)$ also has a role analogous to that of the entropy (as did the quantity $H($.$) defined$ in [35]).

Reference [37] showed that there existed an asymptotically optimal universal coding scheme (the encoder is assumed to be an information lossless finite state encoder, wheih is defined in the paper) under: which the compression ratio of a string $x$ tended in the limit to the compressibility $\rho(x)$ for every string $x$.

A direct application of LZ method, as presented in [33], needs
calculations of $O\left(n^{2}\right)$, where $n$ is the string length. To overcome this problem, [37] used an algorithm of tree construction due to McCreight. The parsing of the string is done by building a compact tree which is linear in $n$. Then, McCreight algorithm makes it possible to construct this tree in a time linear in $n$, i.e. $O(n)$.

Using this method and a universal presentation of integers yielded a universal linear variable-to-variable encoding scheme. The compression ratio of this scheme was shown to be optimal for ergodic sources as the length of the input string goes to infinity.

Reference [38] looked at the LZ algorithm as an example of data compression via textual substitutions or macro coding. It classified macro coding into two classes, namely, external and internal macro schemes. Each class is divided into subclasses. LZ method falls under the subclass called original pointer macro coding in the internal macro scheme class (an original pointer is defined as a pointer that points to a substring of the original string).

Reference [38] then related the performance of the LZ method to other classes showing that the worst case performance of LZ did not compare favorably with other schemes. It also mentioned that $L Z$ was asymptotically optimal for ergodic sources as the source length tended to infinity, but for individual finite strings it could be far from optimal.

Reference [39] showed that for parsing strings, the greedy dissectors, such as $L Z$, were optimal for some classes of strings but not for others.

Reference [40] showed that $L Z$ method could be represented by an incomplete parsing tree. It then showed that the working of LZ could be explained by an equivalent symbolwise model. This representation gave more insight on the work of LZ and why it compresses the strings.

In [41], Welch gave a modification of $L Z$ method and showed more clearly how to use it. We delay discussing it to a later chapter to avoid repetition.

Reference [42] looked at three compression schemes, namely, LZ method, arithmetic coding, and Huffman coding. It gave some bounds for each of them and did some simulation to compare them. The simulation gave better results than the bounds did. It also gave the following interesting results:

1) For the data that occupy a small size memory (less than 1 KB ), it is recommended to use the arithmetic coding. For the data that occupy a medium size memory (few $K B$ ), the Huffman code is the best. For the data that occupy a big size memory (tens of $K B$ ), the LZ coding (which it called universal coding) is better than the other two.
2) The cross point between the algorithms, as memory varies, depends on the source entropy. For instance, if memory equals lKB the cross point between the arithmetic and the Huffman coding is at entropy equal to 0.19. This means that for a data of size 1 KB , Huffman coding is better for entropies bigger than 0.19 .

Reference [43] gave a modified LZ coding which finds out the basic building blocks (words or sentences) of the language and synchronizes itself on these blocks. It achieves this by searching for a new string match then letting this match be the extension of the string method in the last previous search. The memory requirement is the same as in
the LZW algorithm but it requires complex programming to solve some special cases.

A simulation result showed that this algorithm compression factor was slightly less than the one of LZW for an English text and a Fortran source code and bigger for a pseudo random sequence. An interesting note, which [43] did not mention, is that this algorithm gave better results as the entropy increases (the best result was for the pseudo random sequence). Using a variable coding for the output improved the compression slightly (6\%).

Reference [43] showed that for the basic LZ the binary representation is better than the one byte representation because the new symbol is smaller in the first case (one bit vs. 8 bits). This problem can be solved by including the new symbol as first symbol of new string (as in LZW).

It also showed that choosing the basic building blocks (i.e., 4, 8, 16 bits) as the symbols was better than the others (e.g., 3 bit symbols).

In [44], Lempel and Ziv tried to extend their universal code to picture compression. They did this by using one of the color filling algorithms to scan within subblocks of the picture. The intuition about this is that this way of scanning the picture will produce for each block a string that is more suitable to the compression than the string of a normal scan. The order of moving from a subblock to another also tries to exploit this more by avoiding the move to a subblock that is far in the picture but next in order in a normal scan. It does this by moving
forward then backward (or upward then downward) instead of moving forward from one end to another then retracing to a lower block to start a new block.

Our intuition is that this method may not be suitable to our specific goal because of the following reasons:

1) It works on square pictures; but our way of dividing the picture into blocks according to their class of content, will mostly produce rectangular blocks instead of squares.
2) It is suitable for blocks of colors, but for graphics or complex colors we think it will not work much better than normal scanning will.

Due to time limitations, this method will not be checked.

## 3. CREATION OF THE IMAGE DATA BASE

3.1. Classification of the Library Informational Material

A survey was done to get an idea about the type of information contained in typical library materials. The subject of this survey was selected magazines that are thought to be representative of the other magazines in the library. The magazines were chosen because they will be more used in the electronic library than other materials like books. Besides that, magazines contain more colors and photos. Hence, they occupy more memory in storage and take longer transmission time.

The results of the survey are shown in Table 3.1. Under each class of data in this table, column " $b$ " represents the percentage of the size of this class to the size of the whole document. For all classes except "text" and "space" classes, column "a" is the percentage of pages containing that class to the total pages of the whole document. Column "a" in "text" is the percentage of pages containing text only to the pages of the whole document. It is meaningless to have a column " $a$ " in the class "space" because all pages contain some amount of space.

The average of each column in Table 3.1 was calculated. It showed that text represented $57 \%$ of the data and space represented $13.5 \%$ of the data. Black and white photos, colored photos, and graphs classes represented no more than $10 \%$ each. The percentage of pages containing only textual data represented an average of $33 \%$ of the total pages in each document.

Table 3.1. Results of the library data survey

| Periodical | \% text |  | $\frac{\% \text { space }}{b}$ | $\% \mathrm{~b} / \mathrm{w}$ photos |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  | a | b |  | a | b |
| Polymer Science | 30.00 | 57.00 | 20.00 | 1.20 | 0.30 |
| Bios | 62.00 | 66.00 | 9.20 | 18.80 | 11.30 |
| The American Biology Teacher | 29.00 | 62.00 | 11.00 | 30.80 | 7.50 |
| Mechanical Engineering | 14.30 | 44.30 | 10.70 | 30.00 | 9.80 |
| Business Review | 19.60 | 63.80 | 17.30 | 27.00 | 7.60 |
| Welding Journal | 3.70 | 40.40 | 9.70 | 38.20 | 11.30 |
| Ergonomics | 55.80 | 70.70 | 16.20 | 0.96 | 0.50 |
| Aerospace | 0.00 | 40.70 | 13.50 | 15.00 | 0.70 |
| Sight and Sound | 1.30 | 57.20 | 5.70 | 80.00 | 24.90 |
| Nebraska Farmer | 0.00 | 28.50 | 13.70 | 57.30 | 17.80 |
| Political |  |  |  |  |  |
| Methodology | 79.00 | 64.00 | 26.00 | 0.00 | 0.00 |
| National Journal | 29.00 | 68.00 | 14.00 | 54.00 | 14.00 |
| Higher Education | 79.00 | 77.00 | 8.90 | 0.00 | 0.00 |
| International |  |  |  |  |  |
| Journal of Computer And Information |  |  |  |  |  |
| Science | 59.00 | 65.00 | 14.00 | 0.00 | 0.00 |
| AVERAGE | 32.98 | 57.47 | 13.56 | 25.23 | 7.55 |


| \% color photos |  | \% graphs |  | \% tables |  | $\frac{\text { Sum }}{\text { b }}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| a | b | a | b | a | b |  |
| 2.50 | 2.50 | 61.00 | 16.60 | 5.80 | 0.66 | 97.06 |
| 5.00 | 5.00 | 12.50 | 6.70 | 3.80 | 1.00 | 99.20 |
| 11.80 | 7.90 | 57.00 | 10.00 | 1.50 | 0.30 | 98.70 |
| 41.40 | 26.00 | 35.00 | 8.50 | 0.00 | 0.00 | 99.30 |
| 2.20 | 2.20 | 43.00 | 6.00 | 3.30 | 0.70 | 97.60 |
| 39.70 | 23.80 | 69.90 | 12.30 | 6.60 | 1.60 | 99.10 |
| 1.90 | 1.60 | 31.70 | 6.40 | 13.50 | 3.40 | 98.80 |
| 100.00 | 45.00 | 20.00 | 0.70 | 0.00 | 0.00 | 100.60 |
| 1.30 | 1.20 | 73.80 | 11.10 | 0.00 | 0.00 | 100.10 |
| 41.20 | 23.00 | 90.00 | 16.90 | 0.00 | 0.00 | 99.90 |
| 0.00 | 0.00 | 6.00 | 5.00 | 15.00 | 9.00 | 104.00 |
| 2.00 | 0.40 | 0.00 | 0.00 | 6.00 | 1.00 | 97.40 |
| 0.00 | 0.00 | 7.00 | 4.00 | 9.70 | 6.00 | 95.90 |
| 0.00 | 0.00 | 25.00 | 12.00 | 11.00 | 5.00 | 96.00 |
| 17.79 | 9.90 | 37.99 | 8.30 | 5.44 | 2.05 | 98.83 |

What is meant by the class "space" is the space that separates different types of blocks in each page of each magazine. For example, the space between lines and the space in graphs are not counted as space in our classification.

### 3.2. Device Description

The IBM PC class of computers has many resolutions that depend on the graphics board used. The most common boards are:
a) The Color Graphics Adapter (CGA).
b) The Enhanced Graphics Adapter (EGA).

The CGA has many modes of resolution. Some of these modes are for text only and some are for graphics and text. Since we need to display graphics, we chose the graphics modes. From these graphics modes, the mode with the highest number of displayed pels is mode 6 which can display 640 pels/line $\times 200$ lines/screen $\times 2$ colors/pel, where the two colors are black and white.

The EGA has the same modes of the CGA and more. The highest resolution it can display is 640 pels/line $\times 350$ lines/screen $\times 16$ colors/pel.

At the time this research started, the CGA was widely available while the EGA was at its second year and starting to be popular. This fact plus the fact that the investigation we did in section 3.1 showed that most of the library documents consisted of text and graphics, led us to choose the CGA at the start. The goal was to investigate applying the compression algorithms in the CGA with the text and graphics
screens. Then, based on the result we get from this investigation, we will investigate the modification of the algorithms in the EGA. Due to time limitations, this research will not investigate the algorithms in the EGA; furthermore, in a library system we envision that the data will be sent in CGA mode 6 unless colors or photos are needed. This is due to the following reasons:

1. The CGA resolution is adequate and the size of the screen data is $1 / 7$ th of the size of the EGA screen.
2. If more than two colors are needed, the system can send these data in EGA mode after signaling the receiver of the change in resolution.
3. Although the EGA can display more text lines per page than the CGA, the quality of the text is good only if it displayed the same number of lines ( 25 text lines/page).

In the following part of the thesis, the resolution of the IBM PC is assumed to be CGA mode 6 unless otherwise specified. The compression and decompression times were measured on an IBM PC AT ( 6 MHz ). Note that the maximum resolution of the new class of IBM machines (PS/2) is 640 x $480 \times 256$.

### 3.3. Procedures of the Research

The aim of this research is to experiment with the compression algorithms presented in the next chapters at the resolution described in the previous section. The following points will be examined in the research:

1. The compression factors calculated at this resolution using the different algorithms.
2. The class of images for which each algorithm works the best among the other algorithms.
3. The effect on the compression factor of dividing the screen into small blocks then compressing each block alone.
4. For the low resolution of the PC display, the effect on the compression factor in case of changing the method, its code, or both.

A very important point that should be kept in mind is the fact that, in the regular screen format, the background of the computer screen is black and the foreground is white. In regular papers, the reverse is true. Throughout this thesis, we will use the regular screen format unless otherwise specified.
3.4. Creation of the Image Data Base

The resolution of the IBM PC is a lot smaller than the CCITT low resolution (1728 x 1128). There are no standard images generated in this resolution available. To overcome this unavailability, we had to build our own image data base that represents the type of data we usually find in a library and that needs to be transmitted. The following guidelines were used in designing the data base:
a. We tried to match the screen size to the actual size of the data to be transmitted by letting each screen take what is equivalent to 25 lines in an A4 size paper. So, a paper with graphics that are equal in height to 50 lines will require two screens to represent it. Note that the text we generate will also differ from the text in a regular paper due to the fact that the spacing between lines is zero in CGA mode 6. In fact, in the graphics screen, each character takes $8 \times 8$ pels block and these blocks have no spacing between them. However, this does not mean that the charac-
ters will be connected to each other because in each character block the bottom or the upper line is empty.
b) For the horizontal resolution, we limited the part we took from the documents to the equivalent of 80 characters/line of text because this is the limit of the PC screen.
c) The CCITT standard documents do not represent very well the data we want to transmit. So, we created many other samples to be tested.

Appendix $A$ contains a copy of this image data base.

### 3.5. Classification of the Image Data Base

To help us investigate the compression algorithms applicability in the screen and the best way to use them, images for the following classes of screens were generated:

1. Screens that imitate CCITT documents $1,2,4,5,6$, and 8.
2. Screens that are full of graphics data.
3. Screens that are full of text.
4. Screens that are mixed of both text and graphics and sent as whole screens.
5. Screens that have one or more blocks of graphics.
6. Screens that can be considered as blocks of text and graphics and sent as blocks.
7. Screens that are not typical.
8. Screens to test power or limitations of the methods.

By having this extensive data base, we hope it will be a good test for the compression algorithms. From now on, each class will be assigned a group number according to its order above.

### 3.6. Results to be Analyzed

The images in the data bases were compressed then decompressed. The results of compressing each screen are:
a. Compression factor $=$ original size/compressed size.
b. Compression time.
c. Decompression time.

The results of compressing the imitations of the CCITT documents were compared to published results of compressing these documents using CCITT standard techniques at facsimile resolution. To make the comparison more meaningful, the compression factor of compressing each document and not its parts was used in the comparison. This compression factor was normalized by dividing it by the compression factor of document no. 1.

### 3.7. Implementation Considerations

The following points are some general remarks about the code we wrote to simulate the algorithms:

1. The byte switching that the 8088 family uses makes accessing the screen buffer confusing if we want to access it as words. The reason of accessing words instead of bytes is to speed up the program execution.
2. An earlier version of the program for the one dimensional facsimile techniques translated the bits of the current line into a string where each pel is represented by a byte and the program was written to use this feature. Then the program was changed to its current form where the pels are accessed as bits in a word. Although the words and bits form is more complex, it gave about $40 \%$ decrease in compression time. This is due to the fact that the time spent in converting bits to string was a waste in the string version.
3. Writing the code in an optimized manner makes a big difference in both the size and speed of the final executable code. An optimization of the code resulted in 45\% increase in speed of compression.
4. At early stages of the development, a big consideration was given to code optimization. Starting from the coding of the two dimensional technique, the big emphasis in optimizing was relaxed because it needed a lot of trials in order to find the most optimum form. This does not mean that the code was not optimized from that point on. It only means that we no longer try different formats of the code.
5. Most of the code was written in C language, but part of it was written in assembly language under the following conditions:
a) This part of the code is executed a lot of times or it has a lot of looping. So, writing it in assembly language increases the speed of execution.
b) The assembly language provides some commands that enhances the program, and no corresponding powerful commands are available in C language. Examples of these commands are the string instructions of the assembly language which provide a speed that cannot be reached in $C$ because these string instructions are implemented by the hardware.

## 4. FACSIMILE CODING

### 4.1. Introduction

In this chapter, we will look at the use of the CCITT standard one- and two-dimensional facsimile compression techniques for compressing images in the data base described in section 3.4. The two standards were chosen because of the following reasons:

1. They are from the best (each in its dimension) techniques discussed in the literature.
2. By using them, we may provide the ability to connect the computer to facsimile machines.
3. A chip that has these two standards built in it was introduced. So, building a hardware system that uses these two standards is feasible.
4. To the best of our knowledge, no report of using these two coding techniques has been done for the same resolution we are working at.

The CCITT coding techniques have some features that are unnecessary to us, so we decided to drop these extra features. This resulted in our code not being exactly the CCITT code. In the following sections, we will describe the actual implementation of the codes and then give the corresponding results.

### 4.2. One Dimensional Compression Technique

For each line, this technique reads the runs of black and white, looks up the code of each run from the modified Huffman table, and then sends the code to the receiver or puts it in the compression buffer. This process is then repeated for each line till all lines are coded.

The steps of the compression algorithm are the following:

1. Initialize lines counter.

Start on the first line.
2. Read first pel ( $\mathrm{pe} 1_{0}$ ) in the line.

If (pel ${ }_{0}$ is white)
\{insert the code of a black run of length zero in the compression buffer\}.

Set color to the color of $\mathrm{pel}_{0}$.
pels counter $=1$.
3. While (the color does not change and end of line is not reached)
\{increment the pels counter\}.
4. Put the code of the run of the current color in the compressed buffer.
5. If (the line ended)
\{if there are more lines\}
\{"start on next line" GO TO 2\}
else
\{"the screen ended" GO TO 6\}
else
\{"the color changed within a line" GO TO 3\}.
6. END.

The steps of decompression algorithms are the following:

1. Initialize lines counter.

Start on the first line.
2. Initialize indexes of the compression and decompression buffers.
3. Read the compression buffer from left to right starting at its index and find the first bits to match a code for a black run.
4. Put the run corresponding to the matched code in the decompression buffer and adjust its index.

Increment the index of the compression buffer by the length of the matched code.
5. If (decompressed data filled a line)

GO TO ENDLINE.
6. Read the compression buffer from left to right starting at its index and find the first bits to match a code for a white run.
7. Put the run corresponding to the matched code in the decompression buffer and adjust its index.

Increment the index of the compression buffer by the length of the matched code.
8. If (decompressed data filled a line)

GO TO ENDLINE.
9. GO TO 3.
10. "ENDLINE": Decrement lines counter.

If there are more lines GO TO 2.
11. END.

For more details of the code, refer to Appendix B. This implementation of the code has the following differences with the CCITT standard for one-dimensional coding:

1. No minimum scan line time is assumed. Hence, no fill bits are used.
2. End of line code is not used. The compressor sends the size of the block at the beginning of the data, then the decompressor uses these data to step from line to line.
3. The screen has horizontal resolution of 640 pels. Hence, the run of 640 pels was used as a terminating word not as a make-up one. Without this, it will be necessary to send the code of a run equal to zero pels after the code for a run equal to 640 pels is sent.

The differences 1 and 2 above arose because the CCITT version of these points allows the compressor and the decompressor to synchronize and/or allows for mechanical limitations. These limitations are not present in the electronic library system. Hence, they will be disregarded. The end of line code is used in the two CCITT standards to correct the data if necessary. We assume that the communication software performs the error correction or that the communication channel is error free. Hence, no code for error correction is inserted.

The results of applying the one dimensional coding technique to the image data base are presented in Tables 4.1-4.8.

### 4.3. Two Dimensional Compression Technique

The CCITT two dimensional coding technique, titled MREAD, was used. The general concept of MREAD is that the changing elements in the coding line and the reference line take one out of three states. The code sent is optimized for these states. MREAD has the same concept we described in our review of [9]. For a complete description of MREAD, refer to [13]. In the following discussion, we will use terms and notations defined in [13].

Table 4.1. Results of compressing images in Group 1 using the CCITT one dimensional compression technique

| Image | x1 | y1 | x 2 | y2 | Comprs. factor | Theort. comprs. factor | $\frac{\text { C.F. }^{\mathrm{a}}}{\text { T.C.F. }}$ | $\begin{aligned} & \text { Comprs. } \\ & \text { time } \\ & (1 / 100 \text { th } s) \end{aligned}$ | $\begin{gathered} \text { Dcmprs. } \\ \text { time } \\ (1 / 100 t h \mathrm{~s}) \end{gathered}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| docla | 0 | 0 | 639 | 199 | 8.03 | 9.27 | 0.87 | 214 | 99 |
| doclb | 0 | 0 | 639 | 199 | 3.47 | 4.49 | 0.77 | 280 | 242 |
| doclc | 0 | 0 | 639 | 199 | 15.15 | 20.62 | 0.73 | 192 | 50 |
| doc2a | 0 | 0 | 639 | 199 | 9.00 | 12.74 | 0.71 | 203 | 77 |
| doc2b | 0 | 0 | 639 | 199 | 8.12 | 10.91 | 0.74 | 209 | 83 |
| doc2c | 0 | 0 | 639 | 199 | 12.67 | 16.34 | 0.78 | 198 | 61 |
| doc4a | 0 | 0 | 639 | 199 | 1.96 | 2.56 | 0.77 | 368 | 428 |
| doc4b | 0 | 0 | 639 | 199 | 1.67 | 2.15 | 0.78 | 395 | 500 |
| doc4c | 0 | 0 | 639 | 87 | 1.74 | 2.24 | 0.78 | 170 | 214 |
| doc5la | 3 | 0 | 514 | 199 | 3.80 | 4.45 | 0.85 | 209 | 165 |
| doc51b | 0 | 0 | 511 | 199 | 5.52 | 6.61 | 0.84 | 187 | 110 |
| doc5lc | 0 | 0 | 511 | 114 | 9.49 | 16.72 | 0.57 | 93 | 33 |
| doc5ra | 0 | 0 | 479 | 199 | 2.46 | 2.93 | 0.84 | 237 | 247 |
| doc5rb | 0 | 0 | 479 | 199 | 6.19 | 8.13 | 0.76 | 165 | 88 |
| doc5rc | 0 | 0 | 479 | 114 | 2.86 | 3.53 | 0.81 | 126 | 121 |
| doc6a | 0 | 0 | 639 | 199 | 4.77 | 7.01 | 0.68 | 231 | 149 |
| doc6b | 0 | 0 | 639 | 199 | 6.83 | 13.15 | 0.52 | 214 | 104 |
| doc8 | 0 | 0 | 639 | 199 | 5.61 | 9.64 | 0.58 | 203 | 93 |
| AVERAGE |  |  |  |  | 6.07 | 8.53 | 0.74 | 216 | 159 |

[^0]Table 4.2. Results of compressing images in Group 2 using the CCITT one dimensional compression technique

| Image | x1 | yl | x2 | y2 | Comprs. factor | Theort. comprs. factor | $\frac{\text { C.F. }}{\text { T.C.F. }}$ | $\begin{gathered} \text { Comprs. } \\ \text { time } \\ (1 / 100 \text { th } \mathrm{s}) \end{gathered}$ | $\begin{gathered} \text { Dcmprs. } \\ \text { time } \\ (1 / 100 \text { th } s) \end{gathered}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| frnch3a | 0 | 0 | 639 | 199 | 5.23 | 7.34 | 0.71 | 220 | 127 |
| flowchrt | 0 | 0 | 639 | 199 | 4.18 | 5.39 | 0.78 | 247 | 176 |
| electrc | 0 | 0 | 639 | 199 | 2.05 | 3.44 | 0.60 | 318 | 352 |
| ordrfrm | 0 | 0 | 639 | 199 | 4.13 | 5.37 | 0.77 | 258 | 192 |
| frnchla | 0 | 0 | 639 | 199 | 5.90 | 7.92 | 0.74 | 231 | 132 |
| doc2a | 0 | 0 | 639 | 199 | 9.00 | 20.74 | 0.43 | 204 | 77 |
| doc2b | 0 | 0 | 639 | 199 | 8.12 | 10.91 | 0.74 | 208 | 88 |
| AVERAGE |  |  |  |  | 5.52 | 8.73 | 0.68 | 241 | 163 |

Table 4.3. Results of compressing images in Group 3 using the CCITT one dimensional compression technique

| Image | x1 | y1 | x2 | y2 | Comprs. factor | Theort. comprs. factor | $\frac{\text { C.F. }}{\text { T.C.F. }}$ | $\begin{gathered} \text { Comprs. } \\ \text { time } \\ (1 / 100 \text { th } s) \end{gathered}$ | $\begin{aligned} & \text { Dcomprs. } \\ & \text { time } \\ & (1 / 100 \text { th s) } \end{aligned}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| romtxt | 0 | 0 | 639 | 199 | 1.46 | 1.91 | 0.76 | 434 | 582 |
| frnch2a | 0 | 0 | 639 | 199 | 2.07 | 2.66 | 0.78 | 351 | 401 |
| pagel | 0 | 0 | 639 | 199 | 3.19 | 4.04 | 0.79 | 291 | 258 |
| docl-2 | 0 | 0 | 639 | 199 | 3.38 | 4.43 | 0.76 | 280 | 248 |
| cprog | 0 | 0 | 639 | 199 | 5.56 | 7.22 | 0.77 | 236 | 149 |
| doclb | 0 | 0 | 639 | 199 | 3.47 | 4.49 | 0.77 | 280 | 242 |
| doc4a |  | 0 | 639 | 199 | 1.96 | 2.56 | 0.77 | 362 | 428 |
| doc4b | 0 | 0 | 639 | 199 | 1.67 | 2.15 | 0.78 | 396 | 500 |
| AVERAGE |  |  |  |  | 2.84 | 3.68 | 0.77 | 329 | 351 |

Table 4.4. Results of compressing images in Group 4 using the CCITT one dimensional compression technique

| Image | x1 | y1 | x2 | y2 | Comprs. factor | Theort. comprs. factor | $\frac{\text { C.F. }}{\text { T.C.F. }}$ | $\begin{gathered} \text { Comprs. } \\ \text { time } \\ (1 / 100 \text { th } s) \end{gathered}$ | $\begin{gathered} \text { Dcmprs. } \\ \text { time } \\ (1 / 100 \text { th s) } \end{gathered}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| pdraw3 | 0 | 0 | 639 | 199 | 4.09 | 4.84 | 0.85 | 253 | 192 |
| scriencel | 0 | 0 | 639 | 199 | 3.58 | 4.12 | 0.87 | 263 | 214 |
| science2 | 0 | 0 | 639 | 199 | 2.69 | 3.21 | 0.84 | 308 | 297 |
| doc51a | 0 | 0 | 514 | 199 | 3.80 | 4.45 | 0.85 | 209 | 165 |
| average |  |  |  |  | 3.54 | 4.16 | 0.85 | 258 | 217 |

Table 4.5. Results of compressing images in Group 5 using the CCITT one dimensional compression technique

| Image | x1 | yl | x2 | y2 | Comprs. factor | Theort. comprs. factor | $\frac{\text { C.F. }}{\text { T.C.F. }}$ | $\begin{gathered} \text { Comprs. } \\ \text { time } \\ (1 / 100 \text { th } \mathrm{s}) \end{gathered}$ | $\begin{gathered} \text { Dcmprs. } \\ \text { time } \\ (1 / 100 \text { th s) } \end{gathered}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| opampl | 160 | 0 | 639 | 158 | 5.80 | 7.31 | 0.79 | 231 | 71 |
| opamp2 | 0 | 0 | 639 | 190 | 5.35 | 6.47 | 0.83 | 225 | 137 |
| ecll | 72 | 7 | 551 | 166 | 8.88 | 12.51 | 0.71 | 121 | 44 |
| ecl2 | 0 | 7 | 607 | 190 | 8.09 | 10.84 | 0.75 | 181 | 77 |
| netwrk | 16 | 9 | 623 | 187 | 5.10 | 7.58 | 0.67 | 192 | 121 |
| tablel | 0 | 13 | 639 | 147 | 3.17 | 3.80 | 0.83 | 181 | 159 |
| usal | 56 | 24 | 519 | 164 | 10.43 | 17.24 | 0.60 | 99 | 33 |
| doc51a | 36 | 48 | 483 | 115 | 5.79 | 9.06 | 0.64 | 55 | 27 |
| doc5rb | 28 | 43 | 475 | 169 | 5.31 | 7.19 | 0.74 | 105 | 61 |
| lotssin | 88 | 22 | 631 | 165 | 3.00 | 5.08 | 0.59 | 171 | 160 |
| frnch3b | 0 | 0 | 639 | 71 | 5.40 | 7.96 | 0.68 | 77 | 44 |
| barchrt | 30 | 10 | 333 | 145 | 4.50 | 6.77 | 0.66 | 71 | 44 |
| barchrt | 30 | 10 | 237 | 60 | 2.45 | 5.48 | 0.45 | 22 | 22 |
| barchrt | 32 | 68 | 335 | 145 | 5.57 | 9.70 | 0.57 | 38 | 27 |
| test2 | 120 | 15 | 455 | 120 | 5.08 | 6.79 | 0.75 | 60 | 38 |
| test3 | 120 | 15 | 455 | 120 | 4.54 | 5.33 | 0.85 | 66 | 43 |
| test4 | 120 | 15 | 455 | 120 | 4.05 | 4.72 | 0.86 | 66 | 49 |
| test5 | 120 | 15 | 487 | 120 | 3.95 | 4.41 | 0.90 | 77 | 60 |
| diagl | 70 | 26 | 453 | 120 | 5.83 | 7.92 | 0.74 | 66 | 33 |
| diag2 | 42 | 42 | 393 | 108 | 7.03 | 9.20 | 0.76 | 38 | 17 |
| diag3 | 210 | 18 | 449 | 131 | 1.07 | 4.02 | 0.27 | 99 | 138 |
| diag4 | 108 | 14 | 443 | 88 | 5.03 | 6.13 | 0.82 | 44 | 28 |
| diag5 | 68 | 5 | 467 | 102 | 7.44 | 16.89 | 0.44 | 60 | 28 |
| diag5s | 208 | 28 | 479 | 98 | 5.46 | 11.85 | 0.46 | 33 | 17 |
| diag6 | 40 | 9 | 279 | 76 | 5.03 | 10.84 | 0.46 | 33 | 22 |
| diag6 | 22 | 109 | 405 | 141 | 6.35 | 15.21 | 0.42 | 22 | 11 |
| diag6 | 22 | 9 | 405 | 141 | 8.29 | 19.13 | 0.43 | 82 | 33 |
| netwrk2 | 136 | 62 | 391 | 136 | 2.88 | 5.30 | 0.54 | 38 | 33 |
| pdrawl | 0 | 70 | 287 | 150 | 4.09 | 4.91 | 0.83 | 44 | 33 |
| usa2 | 202 | 26 | 329 | 61 | 3.27 | 3.94 | 0.83 | 11 | 11 |
| usa2 | 164 | 92 | 403 | 162 | 5.38 | 7.46 | 0.72 | 33 | 16 |
| doc51b | 24 | 19 | 471 | 51 | 7.62 | 17.35 | 0.44 | 22 | 11 |
| science3 | 0 | 80 | 127 | 196 | 2.94 | 3.46 | 0.85 | 32 | 33 |
| science3 | 456 | 12 | 535 | 66 | 2.29 | 2.90 | 0.79 | 11 | 11 |
| AVERAGE |  |  |  |  | 5.19 | 8.38 | 0.67 | 80 | 50 |

Table 4.6. Results of compressing images in Group 6 using the CCITT one dimensional compression technique

| Image | x1 | y1 | x2 | y2 | Comprs. factor | $\begin{gathered} \text { Cmprs. } \\ \text { time } \\ (1 / 100 \text { th } \mathrm{s}) \end{gathered}$ | Dcmprs. time $(1 / 100$ th $s)$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| pdrawl.pic | 0 | 0 | 559 | 150 | 3.96 | 170 | 132 |
| pdraw2.pic | 0 | 0 | 575 | 152 | 3.36 | 186 | 159 |
| pdraw3.pic | 0 | 0 | 575 | 191 | 3.56 | 230 | 192 |
| pdraw3.pic | 16 | 0 | 559 | 39 | 1.48 | 72 | 99 |
| pdraw3.pic | 0 | 70 | 287 | 150 | 4.09 | 50 | 33 |
| pdraw3.pic | 380 | 77 | 571 | 152 | 2.66 | 33 | 33 |
| pdraw3.pic | 48 | 160 | 575 | 191 | 3.65 | 33 | 33 |
| pdraw3.pic | 0 | 0 | 639 | 199 | 4.09 | 258 | 192 |
| Compression factor using 4 blocks |  |  |  |  | 3.36 |  |  |

Table 4.7. Results of compressing images in Group 7 using the CCITT one dimensional compression technique

| Image | x1 | yl | x2 | y2 | Comprs. factor | Theort. comprs. factor | $\frac{\text { C.F. }}{\text { T.C.F. }}$ | $\begin{aligned} & \text { Comprs. } \\ & \text { time } \\ & (1 / 100 \text { th } \mathrm{s}) \end{aligned}$ | Demprs. time $(1 / 100 t h \mathrm{~s})$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| bignames | 0 | 0 | 639 | 199 | 1.38 | 2.10 | 0.66 | 429 | 566 |
| sun | 0 | 0 | 639 | 199 | 2.62 | 3.68 | 0.71 | 297 | 291 |
| hazard | 0 | 0 | 639 | 199 | 2.38 | 3.44 | 0.69 | 307 | 324 |
| manscl | 0 | 0 | 639 | 199 | 1.96 | 2.62 | 0.75 | 340 | 390 |
| mansc2 | 0 | 0 | 639 | 199 | 2.74 | 3.48 | 0.79 | 285 | 275 |
| fig2 | 0 | 0 | 639 | 199 | 1.41 | 6.31 | 0.22 | 346 | 439 |
| fig4 | 0 | 0 | 639 | 199 | 2.86 | 6.76 | 0.42 | 275 | 247 |
| fig6 | 0 | 0 | 639 | 199 | 3.43 | 4.85 | 0.71 | 263 | 214 |
| fig7 | 0 | 0 | 639 | 199 | 5.04 | 7.71 | 0.65 | 231 | 143 |
| fig8 | 0 | 0 | 639 | 199 | 3.10 | 4.50 | 0.69 | 275 | 242 |
| AVERAGE |  |  |  |  | 2.69 | 4.55 | 0.63 | 305 | 313 |

Table 4.8. Results of compressing images in Group 8 using the CCITT one dimensional compression technique

| Image | $x 1$ | yl | x2 |  | Comprs. factor | Theort. comprs. factor | $\frac{\text { C.F. }}{\text { T.C.F. }}$ | $\begin{aligned} & \text { Comprs. } \\ & \text { time } \\ & (1 / 100 \text { th } s \end{aligned}$ | $\begin{gathered} \text { Dcmprs. } \\ \text { time } \\ (1 / 100 \text { th }) \end{gathered}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| blok3 | 0 | 0 | 639 | 199 | 27.22 | 134.12 | 0.20 | 176 | 22 |
| blok6 | 0 | 0 | 639 | 199 | 4.63 | 16.11 | 0.29 | 225 | 143 |
| boxes | 0 | 0 | 639 | 199 | 12.12 | 51.39 | 0.24 | 192 | 61 |
| lines | 0 | 0 | 639 | 199 | 7.27 | 48.38 | 0.15 | 214 | 104 |
| testI | 120 | 15 | 455 | 120 | 10.91 | 56.29 | 0.19 | 54 | 17 |
| usamap | 72 | 28 | 551 | 164 | (Comprs | . factor | < 1, | not applicab |  |
| AVERAGE |  |  |  |  | 12.43 | 61.26 | 0.21 | 172 | 69 |

Reference [13] gave details and a flowchart of the compression and we provided details of the process of decompression in the flowchart in Figure 4.1.

### 4.4. MREAD Implementation and Results

The code for MREAD is presented in Appendix C. A close look at the code combined with our experience while debugging the program suggests that the code matching part might be improved in speed if we write the matching in a tree-like form, i.e., using IF() THEN \{\} ELSE \{\} and nesting these conditions. Such a code was tried and gave an average of 9\% decrease in decompress time.

MREAD suggested using $k=2$ to help in recovering from errors which decrease the compression factor. If no error recovery is needed, $k=$ $\infty$ can be used. This will give higher compression factor. To get $k=\infty$, it is only necessary to let KFACTOR be 201 in the programs listed in Appendix $C$.

MREAD was modified by the modification described for the one dimensional coding technique in section 2 . Note that although MREAD has minimum scan line time specification, it has no fill bits.

The results of compressing the data base images for the case of $k=2$ and $k=\infty$ are given in Tables 4.9-4.16 and Tables 4.17-4.24, respectively. The times are obtained by using a tree-like code.

Figure 4.1. Flow diagram of the decompression process using the CCITT two dimensional compression technique


Table 4.9. Results of compressing images in Group 1 using the CCITT two dimensional compression technique with $k=2$

| Image | x1 | yl | x2 | y2 | Comprs. factor | $\begin{gathered} \text { Comprs. } \\ \text { time } \\ (1 / 100 \text { th } \mathrm{s}) \end{gathered}$ | $\begin{gathered} \text { Dcmprs. } \\ \text { time } \\ (1 / 100 t h \mathrm{~s}) \end{gathered}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| docla | 0 | 0 | 639 | 199 | 8.71 | 286 | 165 |
| doclb | 0 | 0 | 639 | 199 | 3.41 | 400 | 325 |
| doclc | 0 | 0 | 639 | 199 | 17.21 | 248 | 104 |
| doc2a | 0 | 0 | 639 | 199 | 11.04 | 258 | 126 |
| doc 2 b | 0 | 0 | 639 | 199 | 9.98 | 264 | 138 |
| doc2c | 0 | 0 | 639 | 199 | 15.27 | 248 | 110 |
| doc4a | 0 | 0 | 639 | 199 | 1.89 | 544 | 522 |
| doc4b | 0 | 0 | 639 | 199 | 1.60 | 598 | 604 |
| doc4c | 0 | 0 | 639 | 87 | 1.67 | 259 | 258 |
| doc5la | 3 | 0 | 514 | 199 | 3.96 | 291 | 220 |
| doc51b | 0 | 0 | 511 | 199 | 6.33 | 247 | 154 |
| doc5lc | 0 | 0 | 511 | 114 | 12.70 | 120 | 55 |
| doc5ra | 0 | 0 | 479 | 199 | 2.45 | 346 | 307 |
| doc5rb | 0 | 0 | 479 | 199 | 7.67 | 220 | 127 |
| doc5re | 0 | 0 | 479 | 114 | 2.87 | 181 | 154 |
| doc6a | 0 | 0 | 639 | 199 | 6.39 | 308 | 181 |
| doc6b | 0 | 0 | 639 | 199 | 9.62 | 274 | 143 |
| doc8 | 0 | 0 | 639 | 199 | 9.14 | 259 | 132 |
| AVERAGE |  |  |  |  | 7.33 | 297 | 213 |

Table 4.10. Results of compressing images in Group 2 using the CCITT two dimensional compression technique with $k=2$

| Image | x1 | y1 | x2 | y2 | Comprs. factor | $\begin{gathered} \text { Comprs } \\ \text { time } \\ (1 / 100 \mathrm{th} \text { s }) \end{gathered}$ | $\begin{gathered} \text { Dcmprs } \\ \text { time } \\ (1 / 100 \text { th } \mathrm{s}) \end{gathered}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| frnch3a | 0 | 0 | 639 | 199 | 7.29 | 297 | 176 |
| flowchrt | 0 | 0 | 639 | 199 | 4.75 | 335 | 231 |
| electrc | 0 | 0 | 639 | 199 | 2.04 | 478 | 445 |
| ordrfrm | 0 | 0 | 639 | 199 | 4.29 | 362 | 269 |
| frnchla | 0 | 0 | 639 | 199 | 6.36 | 313 | 198 |
| doc2a | 0 | 0 | 639 | 199 | 11.04 | 258 | 126 |
| doc 2 b | 0 | 0 | 639 | 199 | 9.98 | 264 | 137 |
| AVERAGE |  |  |  |  | 6.54 | 330 | 226 |

Table 4.11. Results of compressing images in Group 3 using the CCITT two dimensional compression technique with $k=2$

| Image | x1 | yl | x2 | y2 | Comprs. factor | $\begin{gathered} \text { Comprs. } \\ \text { time } \\ (1 / 100 \text { th s) } \end{gathered}$ | $\begin{gathered} \text { Dcmprs. } \\ \text { time } \\ (1 / 100 \text { th } \mathrm{s}) \end{gathered}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| remtxt | 0 | 0 | 639 | 199 | 1.38 | 670 | 698 |
| frnch2a | 0 | 0 | 639 | 199 | 2.01 | 533 | 505 |
| pagel | 0 | 0 | 639 | 199 | 3.11 | 407 | 335 |
| doc1-2 | 0 | 0 | 639 | 199 | 3.25 | 400 | 324 |
| cprog | 0 | 0 | 639 | 199 | 5.42 | 324 | 220 |
| doclb | 0 | 0 | 639 | 199 | 3.41 | 401 | 324 |
| doc4a | 0 | 0 | 639 | 199 | 1.89 | 544 | 527 |
| doc4b | 0 | 0 | 639 | 199 | 1.60 | 599 | 604 |
| AVERAGE |  |  |  |  | 2.76 | 485 | 442 |

Table 4.12. Results of compressing images in Group 4 using the CCITT two dimensional compression technique with $k=2$

| Image | x1 | yl | x2 | y2 | Comprs. factor | $\begin{gathered} \text { Comprs. } \\ \text { time } \\ (1 / 100 \text { th } s) \end{gathered}$ | $\begin{gathered} \text { Demprs. } \\ \text { time } \\ (1 / 100 \text { th } \mathrm{s}) \end{gathered}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| pdraw3 | 0 | 0 | 639 | 199 | 4.32 | 352 | 258 |
| sciencel | 0 | 0 | 639 | 199 | 3.87 | 379 | 280 |
| science2 | 0 | 0 | 639 | 199 | 2.63 | 445 | 384 |
| doc5la | 3 | 0 | 514 | 199 | 3.96 | 292 | 214 |
| AVERAGE |  |  |  |  | 3.70 | 367 | 284 |

Table 4.13. Results of compressing images in Group 5 using the CCITT two dimensional compression technique with $k=2$

| Image | x1 | y1 | x2 | y2 | Comprs. factor | Comprs. time $(1 / 100$ th $s)$ | $\begin{gathered} \text { Dcmprs. } \\ \text { time } \\ (1 / 100 \text { th } \mathrm{s}) \end{gathered}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| opampl | 160 | 0 | 639 | 158 | 7.12 | 170 | 99 |
| opamp2 | 0 | 0 | 639 | 190 | 5.95 | 297 | 187 |
| ec11 | 72 | 7 | 551 | 166 | 11.45 | 153 | 71 |
| ec12 | 0 | 7 | 607 | 190 | 9.87 | 236 | 121 |
| netwrk | 16 | 9 | 623 | 187 | 6.79 | 264 | 159 |
| tablel | 0 | 13 | 639 | 147 | 3.95 | 258 | 198 |
| usal | 56 | 24 | 519 | 164 | 11.90 | 126 | 55 |
| doc5la | 36 | 48 | 483 | 115 | 7.06 | 65 | 38 |
| doc5rb | 28 | 43 | 475 | 169 | 6.94 | 137 | 82 |
| lotssin | 88 | 22 | 631 | 165 | 3.55 | 241 | 187 |
| usamap | 72 | 28 | 551 | 164 | 0.63 | 747 | 851 |
| frnch3b | 0 | 0 | 639 | 71 | 7.60 | 104 | 60 |
| barchrt | 30 | 10 | 333 | 145 | 6.47 | 99 | 60 |
| barchrt | 30 | 10 | 237 | 60 | 4.11 | 33 | 22 |
| barchrt | 32 | 68 | 335 | 145 | 6.85 | 55 | 33 |
| testl | 120 | 15 | 455 | 120 | 18.01 | 72 | 27 |
| test2 | 120 | 15 | 455 | 120 | 5.79 | 83 | 49 |
| test3 | 120 | 15 | 455 | 120 | 5.02 | 88 | 55 |
| test4 | 120 | 15 | 455 | 120 | 4.41 | 94 | 60 |
| test5 | 120 | 15 | 487 | 120 | 4.24 | 104 | 72 |
| diag1 | 70 | 26 | 453 | 120 | 7.16 | 83 | 50 |
| diag2 | 42 | 42 | 393 | 108 | 7.79 | 49 | 22 |
| diag3 | 210 | 18 | 449 | 131 | 1.26 | 153 | 154 |
| diag 4 | 108 | 14 | 443 | 88 | 5.63 | 60 | 38 |
| diag5 | 68 | 5 | 467 | 102 | 10.80 | 83 | 39 |
| diag5s | 208 | 28 | 479 | 98 | 7.69 | 44 | 28 |
| diag6 | 40 | 9 | 279 | 76 | 7.45 | 38 | 22 |
| diag6 | 22 | 109 | 405 | 141 | 9.38 | 28 | 16 |
| diag6 | 22 | 9 | 405 | 141 | 12.69 | 105 | 50 |
| netwrk2 | 136 | 62 | 391 | 136 | 3.81 | 55 | 44 |
| pdrawl | 0 | 70 | 287 | 150 | 4.58 | 60 | 44 |
| usa2 | 202 | 26 | 329 | 61 | 3.68 | 11 | 5 |
| usa2 | 164 | 92 | 403 | 162 | 6.07 | 39 | 22 |
| doc51b | 24 | 19 | 471 | 51 | 11.20 | 27 | 11 |
| science3 | 0 | 80 | 127 | 196 | 3.20 | 49 | 38 |
| science3 | 456 | 12 | 535 | 66 | 2.33 | 16 | 17 |
| AVERAGE |  |  |  |  | 6.58 | 120 | 86 |

Table 4.14. Results of compressing images in Group 6 using the CCITT two dimensional compression technique with $k=2$

| Image | x 1 | y 1 | x 2 | y 2 | Comprs. <br> factor | Comprs. <br> time <br> $(1 / 100 \mathrm{th} s)$ | Dcmprs. <br> time <br> $(1 / 100 \mathrm{th} \mathrm{s})$ |
| :--- | ---: | ---: | ---: | ---: | ---: | ---: | ---: |
| pdraw1 | 0 | 0 | 559 | 150 | 4.01 | 236 |  |
| pdraw2 | 0 | 0 | 575 | 152 | 3.55 | 258 | 176 |
| pdraw3 | 0 | 0 | 575 | 191 | 3.76 | 324 | 203 |
| pdraw3 | 16 | 0 | 559 | 39 | 1.41 | 110 | 247 |
| pdraw3 | 0 | 70 | 287 | 150 | 4.58 | 61 | 116 |
| pdraw3 | 380 | 77 | 571 | 152 | 3.56 | 44 | 39 |
| pdraw3 | 48 | 160 | 575 | 191 | 3.70 | 50 | 32 |
| pdraw3 | 0 | 0 | 639 | 199 | 4.32 | 352 | 39 |

Compression factor using 4 blocks

Table 4.15. Results of compressing images in Group 7 using the CCITT two dimensional compression technique with $k=2$

| Image | xl | y 1 | x 2 | y 2 | Comprs. <br> factor | Comprs. <br> time <br> $(1 / 100 \mathrm{th}$ | Dcmprs $)$ <br> time <br> $(1 / 100 \mathrm{th} \mathrm{s})$ |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| bignames | 0 | 0 | 639 | 199 | 1.48 | 659 | 670 |
| sun | 0 | 0 | 639 | 199 | 2.89 | 423 | 352 |
| hazard | 0 | 0 | 639 | 199 | 2.46 | 439 | 379 |
| mansc1 | 0 | 0 | 539 | 199 | 2.10 | 517 | 472 |
| mansc2 | 0 | 0 | 639 | 199 | 3.10 | 417 | 340 |
| fig2 | 0 | 0 | 639 | 199 | 1.77 | 538 | 495 |
| fig4 | 0 | 0 | 639 | 199 | 4.02 | 379 | 280 |
| fig6 | 0 | 0 | 639 | 199 | 3.87 | 357 | 263 |
| fig7 | 0 | 0 | 639 | 199 | 5.57 | 302 | 186 |
| fig8 | 0 | 0 | 639 | 199 | 3.47 | 379 | 291 |
|  |  |  |  |  | 3.07 | 441 | 373 |
| AVERAGE |  |  |  |  |  |  |  |

Table 4.16. Results of compressing images in Group 8 using the CCITT two dimensional compression technique with $k=2$

| Image | x 1 | y 1 | x 2 | y 2 | Comprs. <br> factor | Comprs. <br> time <br> $(1 / 100 \mathrm{th} \mathrm{s})$ | Dcmprs. <br> time <br> $(1 / 100 \mathrm{th} \mathrm{s})$ |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| blok3 | 0 | 0 | 639 | 199 | 43.17 | 225 |  |
| blok6 | 0 | 0 | 639 | 199 | 7.78 | 302 | 177 |
| boxes | 0 | 0 | 639 | 199 | 20.55 | 248 | 104 |
| lines | 0 | 0 | 639 | 199 | 11.76 | 280 | 148 |
| AVERAGE |  |  |  |  | 20.82 | 264 | 126 |

Table 4.17. Results of compressing images in Group 1 using the CCITT two dimensional compression technique with $k=\infty$

| Image | x1 | yl | x2 | y2 | Comprs. factor | Theort. comprs. factor | $\frac{\text { C.F. }}{\text { T.C.F. }}$ | $\begin{gathered} \text { Comprs. } \\ \text { time } \\ (1 / 100 \text { th } \mathrm{s}) \end{gathered}$ | $\begin{gathered} \text { Dcmprs. } \\ \text { time } \\ (1 / 100 t h \mathrm{~s}) \end{gathered}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| docla | 0 | 0 | 639 | 199 | 9.57 | 10.36 | 0.92 | 346 | 247 |
| doc1b | 0 | 0 | 639 | 199 | 3.40 | 3.88 | 0.88 | 511 | 439 |
| docle | 0 | 0 | 639 | 199 | 19.54 | 26.55 | 0.74 | 286 | 176 |
| doc2a | 0 | 0 | 639 | 199 | 14.30 | 18.96 | 0.75 | 302 | 193 |
| doc2b | 0 | 0 | 639 | 199 | 12.75 | 17.57 | 0.73 | 308 | 203 |
| doc2c | 0 | 0 | 639 | 199 | 18.83 | 27.37 | 0.69 | 280 | 176 |
| doc4a | 0 | 0 | 639 | 199 | 1.87 | 2.09 | 0.89 | 730 | 693 |
| doc4b | 0 | 0 | 639 | 199 | 1.56 | 1.69 | 0.92 | 808 | 786 |
| doc 4 c | 0 | 0 | 639 | 87 | 1.64 | 1.80 | 0.91 | 346 | 335 |
| doc51a | 3 | 0 | 514 | 199 | 4.23 | 5.28 | 0.80 | 368 | 297 |
| doc51b | 0 | 0 | 511 | 199 | 7.60 | 10.18 | 0.75 | 297 | 220 |
| doc51c | 0 | 0 | 511 | 114 | 18.81 | 35.12 | 0.54 | 137 | 88 |
| doc5ra | 0 | 0 | 479 | 199 | 2.50 | 2.79 | 0.90 | 450 | 401 |
| doc5rb | 0 | 0 | 479 | 199 | 10.10 | 13.79 | 0.73 | 258 | 186 |
| doc5re | 0 | 0 | 479 | 114 | 2.90 | 3.36 | 0.86 | 236 | 209 |
| doc6a | 0 | 0 | 639 | 199 | 9.57 | 13.06 | 0.73 | 368 | 264 |
| doc6b | 0 | 0 | 639 | 199 | 16.10 | 25.71 | 0.63 | 318 | 214 |
| doc8 | 0 | 0 | 639 | 199 | 22.99 | 32.69 | 0.70 | 308 | 197 |
| AVERAGE |  |  |  |  | 9.90 | 14.01 | 0.78 | 370 | 296 |

Table 4.18. Results of compressing images in Group 2 using the CCITT two dimensional compression technique with $k=\infty$

| Image |  | yl | x 2 | y2 | Comprs. factor | Theort. comprs. factor | $\frac{\text { C.F. }}{\text { T.C.F. }}$ | $\begin{gathered} \text { Comprs. } \\ \text { time } \\ (1 / 100 \text { th } \mathrm{s}) \end{gathered}$ | $\begin{gathered} \text { Dcmprs. } \\ \text { time } \\ (1 / 100 \text { th }) \end{gathered}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| frnch3a | 0 | 0 | 639 | 199 | 12.05 | 14.70 | 0.82 | 357 | 253 |
| flowchrt | 0 | 0 | 639 | 199 | 5.56 | 6.39 | 0.87 | 412 | 330 |
| electrc | 0 | 0 | 639 | 199 | 2.04 | 3.66 | 0.56 | 631 | 599 |
| ordrfrm | 0 | 0 | 639 | 199 | 4.77 | 5.74 | 0.83 | 467 | 385 |
| frnchla | 0 | 0 | 639 | 199 | 7.16 | 9.41 | 0.76 | 385 | 286 |
| doc2a | 0 | 0 | 639 | 199 | 14.30 | 19.81 | 0.72 | 296 | 192 |
| doc 2 b | 0 | 0 | 639 | 199 | 12.75 | 18.33 | 0.70 | 313 | 209 |
| AVERAGE |  |  |  |  | 8.38 | 11.00 | 0.75 | 409 | 322 |

Table 4.19. Results of compressing images in Group 3 using the CCITT two dimensional compression technique with $k=\infty$

| Image |  | yl | x2 | y2 | Comprs. factor | Theort. comprs. factor | $\frac{\text { C.F. }}{\text { T.C.F. }}$ | $\begin{aligned} & \text { Comprs. } \\ & \text { time } \\ & (1 / 100 \text { th }) \end{aligned}$ | $\begin{gathered} \text { Dcmprs. } \\ \text { time } \\ (1 / 100 \text { th }) \end{gathered}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| romtxt | 0 | 0 | 639 | 199 | 1.40 | 1.57 | 0.89 | 900 | 890 |
| frnch2a | 0 | 0 | 639 | 199 | 1.96 | 2.11 | 0.93 | 698 | 660 |
| pagel | 0 | 0 | 639 | 199 | 3.25 | 3.85 | 0.84 | 528 | 456 |
| docl-2 | 0 | 0 | 639 | 199 | 3.36 | 4.13 | 0.81 | 517 | 445 |
| cprog | 0 | 0 | 639 | 199 | 5.68 | 7.49 | 0.76 | 406 | 319 |
| doclb | 0 | 0 | 639 | 199 | 3.40 | 4.26 | 0.80 | 511 | 440 |
| doc4a | 0 | 0 | 639 | 199 | 1.87 | 2.14 | 0.87 | 725 | 692 |
| doc4b | 0 | 0 | 639 | 199 | 1.56 | 1.70 | 0.92 | 807 | 785 |
| AVERAGE |  |  |  |  | 2.81 | 3.41 | 0.85 | 637 | 586 |

Table 4.20. Results of compressing images in Group 4 using the CCITT two dimensional compression technique with $k=\infty$

| Image | x1 | yl | x2 | y2 | Comprs. factor | Theort. comprs. factor | $\frac{\text { C.F. }}{\text { T.C.F. }}$ | $\begin{gathered} \text { Comprs. } \\ \text { time } \\ (1 / 100 t h \mathrm{~s}) \end{gathered}$ | Demprs time $(1 / 100$ th s$)$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| pdraw3 | 0 | 0 | 639 | 199 | 4.84 | 5.31 | 0.91 | 439 | 352 |
| sciencel | 0 | 0 | 639 | 199 | 4.19 | 4.85 | 0.86 | 467 | 390 |
| science2 | 0 | 0 | 639 | 199 | 2.61 | 2.99 | 0.87 | 582 | 522 |
| doc5la | 0 | 0 | 514 | 199 | 4.23 | 5.10 | 0.83 | 363 | 297 |
| AVERAGE |  |  |  |  | 3.97 | 4.56 | 0.87 | 463 | 390 |

Table 4.21. Results of compressing images in Group 5 using the CCITT two dimensional compression technique with $k=\infty$

| Image | xl | yl | x2 |  | Comprs. factor | Theort. comprs. factor | $\frac{\text { C.F. }}{\text { T.C.F. }}$ | $\begin{aligned} & \text { Comprs. } \\ & \text { time } \\ & (1 / 100 \text { th s) } \end{aligned}$ | $\begin{gathered} \text { Dcmprs. } \\ \text { time } \\ (1 / 100 \text { th }) \end{gathered}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |


|  |  |  |  |  |  |  |  |  |  |
| :--- | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: |
| opamp1 | 160 | 0 | 639 | 158 | 9.07 | 10.08 | 0.90 | 204 | 143 |
| opamp2 | 0 | 0 | 639 | 190 | 6.85 | 7.66 | 0.89 | 357 | 269 |
| ec11 | 72 | 7 | 551 | 166 | 15.82 | 22.10 | 0.72 | 181 | 115 |
| ec12 | 0 | 7 | 607 | 190 | 12.51 | 15.99 | 0.78 | 275 | 182 |
| netwrk | 16 | 9 | 623 | 187 | 9.87 | 13.51 | 0.73 | 313 | 226 |
| tablel | 0 | 13 | 639 | 147 | 5.21 | 6.31 | 0.83 | 324 | 264 |
| usal | 56 | 24 | 519 | 164 | 13.40 | 24.20 | 0.55 | 148 | 94 |
| doc5rb | 36 | 48 | 483 | 115 | 9.16 | 12.21 | 0.75 | 88 | 60 |
| doc5rb | 28 | 43 | 475 | 169 | 9.81 | 13.40 | 0.73 | 165 | 115 |
| lotssin | 88 | 22 | 631 | 165 | 4.38 | 7.17 | 0.61 | 302 | 247 |
| frnch3b | 0 | 0 | 639 | 71 | 12.42 | 20.48 | 0.61 | 126 | 88 |
| barchrt | 30 | 10 | 333 | 145 | 11.38 | 18.10 | 0.63 | 116 | 83 |
| barchrt | 30 | 10 | 237 | 60 | 12.01 | 68.63 | 0.17 | 38 | 28 |
| barchrt | 32 | 68 | 335 | 145 | 8.88 | 13.69 | 0.65 | 66 | 49 |
| test2 | 120 | 15 | 455 | 120 | 6.75 | 8.21 | 0.82 | 94 | 71 |
| test3 | 120 | 15 | 455 | 120 | 5.59 | 7.10 | 0.79 | 104 | 77 |
| test4 | 120 | 15 | 455 | 120 | 4.86 | 6.18 | 0.79 | 110 | 88 |
| test5 | 120 | 15 | 487 | 120 | 4.56 | 5.67 | 0.80 | 126 | 99 |
| diag1 | 70 | 26 | 453 | 120 | 8.99 | 13.08 | 0.69 | 99 | 71 |
| diag2 | 42 | 42 | 393 | 108 | 9.07 | 15.00 | 0.60 | 60 | 38 |
| diag3 | 210 | 18 | 449 | 131 | 1.52 | 4.27 | 0.36 | 204 | 192 |
| diag4 | 108 | 14 | 443 | 88 | 6.32 | 8.22 | 0.77 | 71 | 50 |
| diag5 | 68 | 5 | 467 | 102 | 18.46 | 28.90 | 0.64 | 99 | 66 |
| diag5s | 208 | 28 | 479 | 98 | 12.76 | 18.15 | 0.70 | 55 | 38 |
| diag6 | 40 | 9 | 279 | 76 | 13.88 | 21.61 | 0.64 | 44 | 33 |
| diag6 | 22 | 109 | 405 | 141 | 17.70 | 41.35 | 0.43 | 33 | 16 |
| diag6 | 22 | 9 | 405 | 141 | 26.19 | 45.54 | 0.58 | 120 | 77 |
| netwrk2 | 136 | 62 | 391 | 136 | 5.78 | 8.43 | 0.69 | 66 | 49 |
| pdrawl | 0 | 70 | 287 | 150 | 5.34 | 6.16 | 0.87 | 71 | 55 |
| usa2 | 202 | 26 | 329 | 61 | 3.94 | 4.80 | 0.82 | 11 | 11 |
| usa2 | 164 | 92 | 403 | 162 | 7.35 | 9.78 | 0.75 | 50 | 33 |
| doc51b | 24 | 19 | 471 | 51 | 20.82 | 52.41 | 0.40 | 38 | 22 |
| science3 | 0 | 80 | 127 | 196 | 3.40 | 4.36 | 0.78 | 60 | 50 |
| science3 | 456 | 12 | 535 | 66 | 2.43 | 3.02 | 0.80 | 22 | 16 |
|  |  |  |  |  |  |  |  |  |  |
| AVERAGE |  |  |  |  | 9.60 | 16.64 | 0.68 | 125 | 92 |
|  |  |  |  |  |  |  |  |  |  |

Table 4.22. Results of compressing images in Group 6 using the CCITT two dimensional compression technique with $k=\infty$

| Image | x1 | yl | x2 | y2 | Comprs. factor | $\begin{gathered} \text { Comprs. } \\ \text { time } \\ (1 / 100 t h \mathrm{~s}) \end{gathered}$ | $\begin{gathered} \text { Dcmprs. } \\ \text { time } \\ (1 / 100 \text { th } s) \end{gathered}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| pdrawl | 0 | 0 | 559 | 150 | 4.34 | 297 | 242 |
| pdraw2 | 0 | 0 | 575 | 152 | 3.99 | 330 | 275 |
| pdraw3 | 0 | 0 | 575 | 191 | 4.19 | 401 | 335 |
| pdraw3 | 16 | 0 | 559 | 39 | 1.45 | 148 | 148 |
| pdraw3 | 0 | 70 | 287 | 150 | 5.34 | 72 | 55 |
| pdraw3 | 380 | 77 | 571 | 152 | 5.47 | 60 | 44 |
| pdraw3 | 48 | 160 | 575 | 191 | 3.94 | 66 | 504 |
| pdraw3 | 0 | 0 | 639 | 199 | 4.84 | 439 | 352 |

Compression factor using 4 blocks 4.18

Table 4.23. Results of compressing images in Group 7 using the CCITT two dimensional compression technique with $k=\infty$

| Image |  | yl | x2 | y2 | Comprs. factor | Theort. comprs. factor | $\frac{\text { C.F. }}{\text { T.C.F. }}$ | $\begin{gathered} \text { Comprs. } \\ \text { time } \\ (1 / 100 \mathrm{th} s) \end{gathered}$ | $\begin{gathered} \text { Dcmprs. } \\ \text { time } \\ (1 / 100 t h \quad s) \end{gathered}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| bignames | 0 | 0 | 639 | 199 | 1.59 | 1.81 | 0.88 | 873 | 851 |
| sun | 0 | 0 | 639 |  | 3.20 | 4.46 | 0.72 | 527 | 456 |
| hazard | 0 | 0 | 639 | 199 | 2.53 | 3.43 | 0.74 | 560 | 494 |
| manscl | 0 | 0 | 639 | 199 | 2.28 | 2.79 | 0.82 | 665 | 610 |
| mansc2 | 0 | 0 | 639 | 199 | 3.61 | 4.69 | 0.77 | 533 | 456 |
| fig2 | 0 | 0 | 639 | 199 | 2.40 | 4.35 | 0.55 | 686 | 637 |
| fig4 | 0 | 0 | 639 | 199 | 6.78 | 12.23 | 0.55 | 466 | 368 |
| fig6 | 0 | 0 | 639 | 199 | 4.34 | 6.76 | 0.64 | 445 | 357 |
| fig7 | 0 | 0 | 639 | 199 | 6.29 | 10.75 | 0.59 | 363 | 269 |
| fig8 | 0 | 0 | 639 | 199 | 3.94 | 6.30 | 0.63 | 466 | 384 |
| AVERAGE |  |  |  |  | 3.70 | 5.76 | 0.69 | 558 | 488 |

Table 4.24. Results of compressing images in Group 8 using the CCITT two dimensional compression technique with $k=\infty$

| Image |  | y1 | x2 | y2 | Comprs. factor | Theort. comprs. factor | $\frac{\text { C.F. }}{\text { T.C.F. }}$ | Comprs. time (1/100th $s)$ | $\begin{gathered} \text { Dcmprs. } \\ \text { time } \\ (1 / 100 \mathrm{th} \mathrm{~s}) \end{gathered}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| blok3 | 0 | 0 | 639 | 199 | 109.03 | 359.73 | 0.30 | 252 | 138 |
| blok6 | 0 | 0 | 639 | 199 | 24.54 | 142.33 | 0.17 | 363 | 247 |
| boxes | 0 | 0 | 639 | 199 | 69.57 | 813.68 | 0.09 | 280 | 171 |
| lines | 0 | 0 | 639 | 199 | 32.07 | 191.23 | 0.17 | 324 | 214 |
| testl | 120 | 15 | 455 | 120 | 49.60 | 99.19 | 0.50 | 77 | 44 |
| usamap |  | 28 | 551 |  | 1.56 | 7.13 | 0.22 | 1011 | 962 |
| AVERAGE |  |  |  |  | 47.73 | 268.88 | 0.24 | 385 | 296 |

## 4:5. Entropy Calculation of the One <br> Dimensional Model

The one dimensional coding can be represented as a first order Markov chain as in Figure 4.2. The per pel entropy $h_{W B}$ is given in [6] as follows:

$$
\begin{equation*}
h_{W B}=P_{W} \frac{H_{W}}{r_{W}}+P_{B} \frac{H_{B}}{r_{B}} \tag{4.1}
\end{equation*}
$$

where:

$$
\begin{align*}
P_{W} & =\text { probability of white pels } \\
P_{B} & =\text { probability of black pels } \\
H_{W} & =\text { white run-length entropy } \\
& =-\sum_{i=0}^{N} P_{w i} \cdot \log _{2} P_{w i}  \tag{4.2}\\
H_{B} & =\text { black run-length entropy } \\
& =-\sum_{i=0}^{N} P_{b i} \cdot \log _{2} P_{b i} \tag{4.3}
\end{align*}
$$

$$
P_{w i}=\text { probability of run-length of } i \text { white pels }
$$

$$
p_{b i}=\text { probability of run-lengths of } i \text { black pels }
$$

$$
\begin{equation*}
r_{\mathrm{W}}=\text { average white run-length in pels }=\Sigma i \cdot p_{\mathrm{wi}} \tag{4.4}
\end{equation*}
$$

$$
\begin{equation*}
r_{B}=\text { average black run-length in pels }=\Sigma i \cdot p_{b i} \tag{4.5}
\end{equation*}
$$

Note that:

$$
\begin{align*}
& P_{W}+P_{B}=1  \tag{4.6}\\
& \Sigma p_{W i}=1 \tag{4.7}
\end{align*}
$$



Figure 4.2. A first order Markov model for the CCITT one dimensional coding technique

$$
\begin{equation*}
\Sigma p_{b i}=1 \tag{4.8}
\end{equation*}
$$

To get $p_{W}$ and $P_{B}$, we solve the matrix question:

$$
\left[\begin{array}{ll}
P_{W} & P_{B}
\end{array}\right]\left[\begin{array}{ll}
P_{w w} & P_{w b}  \tag{4.9}\\
P_{b w} & P_{b b}
\end{array}\right]=\left[\begin{array}{l}
P_{W} \\
P_{B}
\end{array}\right]
$$

Then, we get the following equations:

$$
\begin{align*}
& P_{W}=\frac{P_{w b}}{P_{w b}+p_{b w}}  \tag{4.10}\\
& P_{B}=\frac{p_{b w}}{p_{w b}+p_{b w}} \tag{4.11}
\end{align*}
$$

Substituting from (4.10) and (4.11) in (4.1), we get

$$
\begin{equation*}
h_{W B}=\frac{H_{W}+H_{B}}{P_{W}+P_{B}} \tag{4.12}
\end{equation*}
$$

The maximum theoretical compression factor $Q_{\max }$ is defined as

$$
\begin{equation*}
Q_{\max }=\frac{1}{h_{W B}}=\frac{r_{W}+r_{B}}{H_{W}+H_{B}} \tag{4.13}
\end{equation*}
$$

Reference [12] applied CCITT one dimensional coding technique to the 8 CCITT documents and gave the result of $r_{W}, r_{B}, H_{W}, H_{B}, Q_{\max }$, and actual compression factor in Table IV of the reference.

The result of calculating the $Q_{\text {max }}$ of the data base is included in Tables 4.1-4.8.

Figures 4.3-4.11 show the distribution of the frequency of the run-lengths for a sample of images from the data base. Runs greater than 63 were broken into two runs as described by the standard.

### 4.6. Entropy Calculation of the Two <br> Dimensional Model

Reference [13] did not calculate the entropy for the 8 CCITT documents. Reference [9], which has the same principles of using three states, did. Besides, the compression factors in [9] are comparable to those of MREAD. So, we will calculate the entropy and $Q_{\text {max }}$ using a modified version of the model given in [9]. The model we will use is valid only for the case of $k=\infty$.

We assume that each of the three states is independent of the other states. Hence, the entropy per pel $H_{p e l}$ is given by

$$
\begin{equation*}
H_{p e l}=\frac{H_{S}}{B_{S}}=\frac{1}{B_{S}} \sum_{j=1}^{3} P\left(S_{j}\right) H_{j} \tag{4.14}
\end{equation*}
$$

where

$$
\begin{aligned}
& H_{s}=\text { average entropy per state } \\
& B_{s}=\text { average numier of pels per state } \\
& H_{j}=\text { entropy of state } S_{j} .
\end{aligned}
$$

The entropies of the three states are given by

$$
\begin{align*}
& \mathrm{H}_{1}=-\log \mathrm{P}\left(\mathrm{~S}_{1}\right)+\mathrm{H}_{\mathrm{d}}  \tag{4.15}\\
& \mathrm{H}_{2}=-\log \mathrm{P}\left(\mathrm{~S}_{2}\right)  \tag{4.16}\\
& \mathrm{H}_{3}=-\log \mathrm{P}\left(\mathrm{~S}_{3}\right)+\mathrm{H}_{11}+\mathrm{H}_{12} \tag{4.17}
\end{align*}
$$



Figure 4.3. Frequency distribution of image "doc2a"


Figure 4.4. Frequency distribution of image "doc2b"

(a) White run-length distribution

(b) Black run-length distribution

Figure 4.5. Frequency distribution of image "doc2c"


Figure 4.6. Frequency distribution of image "doc6a"


Figure 4.7. Frequency distribution of image "doc6b"


Figure 4.8. Frequency distribution of image "ecll"


Figure 4.9. Frequency distribution of image "lotssin"


Figure 4.10. Frequency distribution of image "doc4a"


Figure 4.11. Frequency distribution of image "pagel"
where
$\begin{aligned} & H_{d}= \text { entropy of the edge difference } d(d=b 1-a l) \text { in the } \\ &\left.\quad \text { vertical mode (state } S_{1}\right)\end{aligned}$
$=-\sum_{d=-3}^{3} P(d) \cdot \log _{2} P(d)$
$H_{1 i}=$ entropy of the $i$ run ( $i=1$ or 2 ) in the horizontal
$=-\sum_{\ell_{i k=0}}^{73} P\left(\ell_{i k}\right) \cdot \log _{2} P\left(\ell_{i k}\right)$
$P(d)=$ the probability that (bl - al) is equal to $d$ where $d$ is an integer varying between -3 and 3
$P\left(\ell_{i}\right)=$ the probability that the $i$ run ( $i=1$ or 2 ) is equal to $\ell_{i}$ in the horizontal mode.

The average number of pels per state $B_{S}$ is given by

$$
\begin{equation*}
B_{s}=P\left(S_{1}\right) r_{a 0 a 1}+P\left(S_{2}\right) r_{a 0 b 2}+P\left(S_{3}\right)\left(r_{1}+r_{2}\right) \tag{4.20}
\end{equation*}
$$

where

$$
\begin{align*}
& r_{a 0 a 1}=\text { average of absolute value of a0al, a0al }=a 1-a 0 \\
& 640 \\
& =\sum_{a 0 a 1=1} P(a 0 a 1) \cdot a 0 a 1  \tag{4.21}\\
& r_{a 0 b 2}=\text { average value of pass mode distance a0b2 } \\
& =\sum_{a 0 b 2=2}^{640} \mathrm{P}(\mathrm{aOb2}) \cdot \mathrm{a} 0 \mathrm{~b} 2  \tag{4.22}\\
& r_{1}=\text { average length of first run in the horizontal mode } \\
& =\sum_{\ell_{1}=1}^{640} \mathrm{P}\left(\ell_{1}\right) \cdot \ell_{1} \tag{4.23}
\end{align*}
$$

$r_{2}=$ average length of second run in the horizontal mode

$$
\begin{equation*}
=\sum_{\ell_{2}}^{640} P\left(\ell_{2}\right) \cdot \ell_{2} \tag{4.24}
\end{equation*}
$$

The theoretical compression factor $Q_{\text {max }}$ is calculated from the entropy per pel $H_{p e l}$ by the following formula:

$$
\begin{equation*}
Q_{\max }=\frac{1}{H_{\text {pel }}} \tag{4.25}
\end{equation*}
$$

Tables 4.17-4.24 include the theoretical compression factor, using the two dimensional model, for the images in the data base. Figures 4.12-4.21 show the distribution of the frequency of the run-lengths, in the horizontal mode, for a sample of images from the data base. Runs greater than 63 were broken into two runs as described by the standard. The figures also show the distribution of the vertical distance $d$.

### 4.7. Analysis of the Results

Looking at the results, we concluded the following points:

1) The two dimensional ( $k=\infty$ ) coding technique gave better compression factor than the one dimensional coding technique except for the case of screens or blocks full of text. The ratio of the two dimensional compression factor to the one dimensional compression factor depended on the class of image to be compressed. In Table 4.25, the first three columns contain the compression factor averages of the pictures of each group calculated using one dimensional, two dimensional $(k=2)$, and two dimensional $(k=\infty)$ techniques. This table shows that the ratio of the compression factors of the two dimensional ( $k=\infty$ ) to

(a) White run-length distribution (b) Black run-length distribution
(c) Vertical displacement (V.D.) distribution

Figure 4.12. Frequency distribution of image "doc2a"

(a) White run-length distribution (b) Black run-length distribution
(c) Vertical displacement (V.D.) distribution

Figure 4.13. Frequency distribution of image "doc2b"

(a) White run-length distribution (b) Black run-length distribution
(c) Vertical displacement (V.D.) distribution

Figure 4.14. Frequency distribution of image "doc2c"

(a) White run-1ength distribution (b) Black run-length distribution
(c) Vertical displacement (V.D.) distribution

Figure 4.15. Frequency distribution of image "doc6a"

(a) White run-length distribution (b) Black run-length distribution
(c) Vertical displacement (V.D.) distribution

Figure 4.16. Frequency distribution of image "doc6b"

(a) White run-length distribution (b) Black run-length distribution
(c) Vertical displacement (V.D.) distribution

Figure 4.17. Frequency distribution of image "ecll"

(a) White run-length distribution (b) Black run-length distribution
(c) Vertical displacement (V.D.) distribution

Figure 4.18. Frequency distribution of image "lotssin"

(a) White run-length distribution (b) Black run-length distribution
(c) Vertical displacement (V.D.) distribution

Figure 4.19. Frequency distribution of image "doc4a"

(a) White run-length distribution (b) Black run-length distribution
(c) Vertical displacement (V.D.) distribution

Figure 4.20. Frequency distribution of image "pagel"

(a) White run-length distribution (b) Black run-length distribution
(c) Vertical displacement (V.D.) distribution

Figure 4.21. Frequency distribution of image "usamap"

Table 4.25. Compression factors averages of each group of the image data base using each technique

| Group \# | $1 D^{\mathrm{a}}$ | $2 \mathrm{~K}^{\mathrm{b}}$ | $\mathrm{FK}^{\mathrm{c}}$ | $2 \mathrm{~K} / 1 \mathrm{D}$ | $\mathrm{FK} / 1 \mathrm{D}$ |
| :--- | :--- | :--- | :--- | :--- | :--- |
| Group 1 | 6.07 | 7.33 | 9.90 | 1.21 | 1.63 |
| Group 2 | 5.52 | 6.54 | 8.38 | 1.18 | 1.52 |
| Group 3 | 2.85 | 2.76 | 2.81 | 0.97 | 0.99 |
| Group 4 | 3.54 | 3.70 | 3.97 | 1.05 | 1.12 |
| Group 5 6 | 5.19 | 6.58 | 9.60 | 1.27 | 1.85 |
| Group 6 | 2.69 | 3.07 | 3.70 | 1.14 | 1.38 |

$a_{1 D}=$ compression factor using the CCITT one dimensional compression technique.
$b_{2 K}=$ compression factor using the CCITT two dimensional compression technique with $k=2$.
$C_{F K}=$ compression factor using the CCITT two dimensional compression technique with $k=\infty$.
the one dimensional technique has an average of 1.41 with minimum and maximum equal to 0.99 and 1.85 , respectively. The 0.99 ratio is for screens full of text and is the only ratio that is less than 1 . The 1.85 ratio is for group 5 which consists of sample blocks of graphics.
2) In Table 4.25 , it is shown that for screens full of graphics (group 2), the ratio of the average compression factor of the two dimensional, $k=2$, to the average compression factor of the one dimensional is 1.18. This ratio is 1.52 for the case of two dimensional, $k=\infty$. This result shows that two dimensional technique with $k=\infty$ is the best choice for screens full of graphics.
3) From Table 4.25, it is clear that, for screens full of text (group 3), there is no significant difference between two dimensional and one dimensional compression factors. The average compression factor of the group using one dimensional technique is 2.85 .
4) For screens that are a mixture of graphics and text blocks (group 4), Table 4.25 shows that the two dimensional compression factor is higher than one dimensional compression factor and the ratio of the average of the two dimensional to the average of the one dimensional compression factor is 1.05 and 1.12 for $k=2$ and $k=\infty$, respectively. The one dimensional compression factor was found to have an average of 3.54.
5) In Table 4.25, it is shown that for blocks of graphics (group 5), the ratio of the average compression factor of the two dimensional technique, $k=2$, to the average compression factor of the one dimen-
sional technique is 1.27 . This ratio is 1.85 for the case of two dimensional technique, $k=\infty$. This result shows that the two dimensional technique with $k=\infty$ is the best choice for graphics blocks.
6) Screen pdraw 3 contains 4 blocks. We compressed each of the 4 blocks separately and a big block containing all of these 4 blocks. The following two compression factors were calculated:
i) Compression factor of the big block $=$ original size of the big block/size of the compressed block.
11) Compression factor using the 4 small blocks to represent the big block = original size of the big block/

4
$\Sigma$ (size of the compressed block i).
$i=1$
Comparing the compression factors in i) and ii), we found that in ii) it is very slightly bigger than in i) using the one dimensional technique and almost the same when we used the two dimensional technique ( $k=\infty$ ). Hence, it may be concluded from this example that dividing a big block into smaller blocks and compressing them individually will not give a better compression factor than in the case of compressing the big block as a whole. Besides, the division into smaller blocks will add more complexity and a small overhead of bytes that represents the sizes of the small blocks.
7) Table 4.26 contains the compression factors using the one dimensional and two dimensional $(k=\infty)$ techniques taken from [13] for some CCITT standard documents. These values are normalized with reference to the compression factor of docl and included in the table. Table 4.27 contains similar values deduced from Tables 4.1 and 4.17. It

Table 4.26. Compression factors of the CCITT documents according to Reference [13]

| $\begin{gathered} \text { Document } \\ \# \end{gathered}$ | $1 D^{\text {a }}$ |  | $2 \mathrm{D}^{\text {b }}$ |  |  |  |  |  | $\frac{\text { Low }}{1 D}$ | $\frac{\text { High }}{1 D}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | Lowc |  |  | High ${ }^{\text {d }}$ |  |  |  |  |
|  | C.F. | $\begin{aligned} & \text { Norm. } \\ & \text { C.F. } \end{aligned}$ | Size | C.F. | Norm. C.F. | Size | C.F. | Norm. C.F. |  |  |
| 1 | 15.160 | 1.000 | 130684 | 15.709 | 1.000 | 175704 | 23.367 | 1.000 | 1.036 | 1.541 |
| 2 | 16.670 | 1.100 | 106851 | 19.212 | 1.223 | 117304 | 35.001 | 1.498 | 1.153 | 2.100 |
| 4 | 4.911 | 0.324 | 408261 | 5.028 | 0.320 | 585074 | 7.017 | 0.300 | 1.024 | 1.429 |
| 5 | 7.927 | 0.523 | 226285 | 9.072 | 0.578 | 288655 | 14.224 | 0.609 | 1.144 | 1.794 |
| 6 | 10.780 | 0.711 | 150572 | 13.634 | 0.868 | 164085 | 25.022 | 1.071 | 1.265 | 2.321 |
| AVERAGE | 11.090 | 0.732 | 204531 | 12.531 | 0.798 | 266164 | 20.926 | 0.896 | 1.124 | 1.837 |

```
\({ }^{a}{ }_{1 D}=\) the CCITT one dimensional compression technique.
\(\mathrm{b}_{2 \mathrm{D}}=\) the CCITT two dimensional compression technique with \(\mathrm{k}=\infty\).
\(c_{\text {Low }}=\) document compressed in low resolution.
\(\mathrm{d}_{\text {High }}=\) document compressed in high resolution.
\({ }^{\text {e }}\) Norm. C.F. \(=\) normalized compression factor .
```

Table 4.27. Compression factors of the CCITT documents using the CCITT one and two dimensional compression techniques

| $\underset{\#}{\text { Document }}$ | $1 D^{\text {a }}$ |  | $2 D^{\text {b }}$ |  | $\frac{\text { 2DC.F. }}{1 D C . F .}$ |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  | C.F. | Norm. C.F.C | C.F. | Norm. C.F. |  |
| 1 | 6.267 | 1.000 | 6.670 | 1.000 | 1.064 |
| 2 | 9.579 | 1.528 | 14.891 | 2.233 | 1.555 |
| 4 | 1.782 | 0.284 | 1.680 | 0.252 | 0.943 |
| 5 | 4.070 | 0.649 | 4.741 | 0.711 | 1.165 |
| 6 | 5.617 | 0.896 | 12.004 | 1.800 | 2.137 |

${ }^{a_{1 D}}=$ the CCITT one dimensional compression technique.
$\mathrm{b}_{2 \mathrm{D}}=$ the CCITT two dimensional compression technique.
${ }^{\text {C }}$ Norm. C.F. $=$ normalized compression factor.
was found that the ratios of two dimensional/one dimensional compression factors in the low resolution case in Table 4.26 were close to those in Table 4.27 except for doc2 and doc6. For the high resolution case, the only ratios that were close to each other in the two tables were those of doc6. This may be interpreted by noticing that low resolution mode was just enough to show the textural material in documents docl, doc4, and doc5 which are documents that contain a lot of text. Similarly, the resolution of the screen was just enough to represent textual material in images docl, doc4, and doc5.
8) To investigate the possibility of using a modified Huffman table with codes that are suitable to the screen statistics, frequency graphs for each image were generated. The coordinates of the horizontal axis in these figures represent the run-lengths while the coordinates of the vertical axis represent the number of times this run-length was used in compressing the picture. Runs greater than 63 were broken into two runs as described by the standard. From these graphs, we got the following remarks and conclusions:
a) Distribution of white runs has almost the same form in all the images. It has a concentration of small runs mostly located in the region between run 1 and run 6. The maximum run frequency occurs in run 1 for some of the images, specially graphics screens, and in run 2 for some other images, specially screens that have a lot of text. Since this maximum is not fixed, we might try to change the code so that, for the maximum frequency run, it varies with the image. We will show later that no big difference in compression factor can result from this change.
b) Frequency of the black runs is more distributed and varies from image to image with no fixed form. So, making vari-
able code as suggested for the white runs in a) is not suitable. The frequency is also concentrated on small runs to the extent that the standard one dimensional code is efficient enough and no clear benefit can be seen from changing it.
Run length 1 has one of the highest frequencies, but the CCITT code assigns a code of length 6 while other less important frequencies are assigned a code of length 4. So, an improvement in the code may be found by assigning less bits to run-length 1.
c) Figures 4.3-4.5 show the distribution of the frequency for pictures doc $2 a$, doc $2 b$, and doc $2 c$ which represent graphics screens. Their distribution agrees with a) and b) above. Similar comments are applicable to doc6a, doc6b, and any graphics screen in groups 2, 5, and 7. Figures 4.6-4.9 show the frequency distribution for some graphics screens.
d) Figures 4.10 and 4.11 show the frequency distribution for pictures doc4a and pagel which represent screens full of text (group 3). The distribution of white is as explained in a) while the distribution of black is as in b) but more condensed than in graphics screens and more concentrated on small runs. To show that changing the code does not result in a big increase in the compression factor, we give the following example:
Table 4.3 shows that the compression factor of image doc4a is 1.96 which corresponds to a compressed image of size 8163 bytes. Figure 4.10 shows that white run-length 2 has a frequency equal to 5905. The modified Huffman table assigns a code of length 2 bits to this run. If a new code assigns 1 bit to this run (without going in details of this new code), the compressed buffer will decrease by 738 ( $=5905 / 8$ ) bytes. Hence, the new compressed size will be 2.15 ( $=16000 /(8163-738)$ ). This represents $8 \%$ increase in the compression factor. Note that this calculation assumed that a code of length 1 bit was possible and neglected the negative effects of changing other codes in the table. In spite of that, the increase in compression factor is only $8 \%$.
e) A calculation similar to the one in d) was done for doc6a, which is a sample of graphics screen, and showed $6 \%$ increase in the compression factor if the code was changed. Hence, we reached the same conclusion we got in d).
9) Comparing the compression factor of the two dimensional $(k=$ $\infty$ ) coding technique with the theoretical compression factor of the one dimensional technique, we found that the former one was higher than the latter one except for documents containing a lot of text. So, two dimensional technique is the best choice.
10) Tables $4.1-4.8$ show that, using the one dimensional technique, the average ratio of the real compression factor to the theoretical one is slightly low (0.68) for graphics screens and almost acceptable (0.77) for screens full of text. This result may be explained by two reasons. First, the code was optimized for the frequency of the runs in textual materials, but not for the frequency in graphics materials where it is hard to predict this frequency. Second, the model is not accurate for graphics screens because it assumed that black and white runs were independent of each other.
11) Tables 4.18-4.19 show that, using the two dimensional technique, the average ratio of the real compression factor to the theoretical one is 0.75 for graphics screens and 0.85 for screens full of text. A1though the different variables that were used in calculating these compression factors were examined, no clear interpretation can justify why the model worked better in the case of screens full of text than in the case of graphics screens. The code of the first and second runs in the horizontal mode should not be considered as a part of the interpretation, as was the code for the runs in the one dimensional case, because the probability of the horizontal mode is almost the same in the two groups.
12) The average probabilities of the vertical, pass, and horizontal modes were found to be $0.75,0.1$, and 0.15 , respectively. These are different from the values reported in [9] where the probability of the vertical mode was almost 0.9. This shows that the distributions of black and white pels in the computer screen are different than the same distributions in regular papers such as the CCITT standard documents.
13) The vertical mode was dominated by $V(0)$. This fact and the result of the previous point indicate that the two dimensional technique worked as designed and to its limit.
14) The compression factor of the image usamap using the one dimensional technique was found to be less than 1 . It was found to be 1.56 when using the two dimensional technique. The fact that these compression factors are low, even though the image usamap contains a lot of redundancy, indicates that these two techniques are not efficient for certain classes of images. Some examples of these classes are images that contain some repeated similar blocks or cross hatching. To overcome the deficiency found when the compression factor is less than 1 , the standard techniques allow for uncompressed mode.

### 4.8. Conclusion

From the above analysis, we conclude that the CCITT standard two dimensional coding technique have better compression factor than the one dimensional technique, hence, should be our choice although its decompression time is higher. We also conclude that the two methods worked
to their limit and produce satisfactory compression factors for the screen resolution. The facts that no improvement could be seen to changing the modified Huffman table and that for some class of data the two techniques are not efficient enough indicate we should search for other techniques.

## 5. APPLICATION OF THE LEMPEL-ZIV-WELCH ALGORITHM

In this chapter, we will present the LZW algorithm and the results of compressing the images of the data base defined in Chapter 3 using the LZW algorithm.

As a new major contribution, this research modifies the regular use of LZW in three different ways. The new modifications will be called LZWB, LZWB1, L2WB2-A, and LXWB2-B methods.

### 5.1. Description of the Lempel-Ziv-Welch

## Algorithm

The Lempel-Ziv-Welch (LZW) algorithm examines the data serially as a sequence of characters. It has a table to which it adds new strings of characters that it did not encounter before. Each entry "w, $k$ " in the table consists of the symbol of a previously encountered string, $w$, and a character symbol, $k$. At each step, the algorithm searches for the string " $w, k$ " in the table. If the string is found in the table, $w$ is assigned the symbol of the string " $w, k$ ", $k$ is assigned the value of the next input character, and a new search starts. If the string "w, $k$ " is not found in the table, the symbol $w$ is sent to the output, $w$ is equated to $k, k$ is equated to the next input character, and a new search starts. By this technique, the algorithm codes the input data according to its repeated strings and their distribution.

The first 256 symbols of the table are initialized to 256 characters, where each symbol content is equal to the symbol number. The
string $w$ and the character $k$ are initialized to the values of the first and second characters in the input data, respectively. The size of the table is chosen to be 4096 symbols, so each symbol is represented by 12 bits. For more details, refer to [41] or Appendix $D$ which has the listing of the code that simulates the LZW algorithm.

### 5.2. Method LZWB

The LZW algorithm compresses the data without any previous knowledge of its source. This may not be efficient enough when the source and some of its characteristics are known in advance. For the data this research works on, screens of text and graphics, the distribution of the black and white runs are known in advance. So, to let LZW benefit from this previously known source information, this research introduces a new solution that we call method LzWB. The proposed solution is to count the black and white runs in the image and then send the codes of these runs to LZW for compression. The letter " $B$ " in method LZWB stands for "binary".

Method LZWB assumes that the first 128 symbols in the LZW Table represent run-lengths 1 to 128 of black pels and the symbols 129 to 256 represent run-lengths 1 to 128 of white pels. The input first goes through a counter which counts runs between 1 and 128. Any run-length greater than 128 is divided into one or more multiples of 128 and a runlength smaller than 128. The output of this counter is fed to the LZW algorithm for compression. The output of the counter may be greater than the size of the original block in some cases but it is expected that the
distribution of the runs makes this data more suitable to compression than the original data. This better compressibility comes from the facts that certain runs are more frequent than the others and the dependency among the different runs is present in the form of repeated strings. Appendix $E$ gives the code necessary to simulate the LZWB method.

### 5.3. Method LZWBI

Method LZWB1, as proposed by this research, assumes the first 200 characters in the LZN table to represent run-lengths 1 to 100 of black and white pels. The remaining 56 symbols of characters in the table are used to represent two or three consecutive run-lengths. Table 5.1 has these runs and their corresponding symbols. These runs were chosen because their probabilities, as given in the CCITT modified Huffman table, are the highest among other runs.

Table 5.2 shows the most probable black and white run-lengths and the lengths of their corresponding codes as defined in the modified Huffman table. The Huffman table is optimum if the probabilities of the entries are in the form $(1 / 2)^{n}$ where $n$ is an integer greater than or equal to 1 . We assume that the table is optimum and, hence, calculate the probabilities as given in Table 5.2. According to Table 5.2, white run lengths 1 to 4 have a total probability equal to $75 \%$ of the white run-lengths whereas black run-lengths 2 to 7 have (6/16) of the black run-lengths. So, from the white run-lengths, we only used run-lengths 1 to 4 in the symbols. As for the black run-lengths, we chose run-

Table 5.1. The probability and code length of some run-lengths derived from Table I in [13]

| Biack runs |  |  | White runs |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| $\begin{gathered} \text { Run } \\ \text { length } \end{gathered}$ | $\begin{aligned} & \text { Code } \\ & \text { length } \end{aligned}$ | $\begin{array}{r} \text { Run } \\ \text { prob. } \end{array}$ | $\begin{aligned} & \text { Run } \\ & \text { length } \end{aligned}$ | $\begin{gathered} \text { Code } \\ \text { length } \end{gathered}$ | $\begin{aligned} & \text { Run } \\ & \text { prob. } \end{aligned}$ |
| 2 | 4 | 1/16 | 2 | 2 | 1/4 |
| 3 | 4 | 1/16 | 3 | 2 | 1/4 |
| 4 | 4 | 1/16 | 1 | 3 | 1/8 |
| 5 | 4 | 1/16 | 4 | 3 | 1/8 |
| 6 | 4 | 1/16 |  |  |  |
| 7 | 4 | 1/16 |  |  |  |
| 8 | 5 | 1/32 |  |  |  |
| 9 | 5 | 1/32 |  |  |  |
| 10 | 5 | 1/32 |  |  |  |
| 11 | 5 | 1/32 |  |  |  |
| 64 | 5 | 1/32 |  |  |  |
| 128 | 5 | 1/32 |  |  |  |

Table 5.2. The strings used in LZWB1 and their corresponding symbols

| Symbol | String starting with black pel | Symbol | String starting with white pel |
| :---: | :---: | :---: | :---: |
| 200 | 01 | 212 | 10 |
| 201 | 001 | 213 | 110 |
| 202 | 0001 | 214 | 1110 |
| 203 | 00001 | 215 | 11110 |
| 204 | 011 | 216 | 100 |
| 205 | 0011 | 217 | 1100 |
| 206 | 00011 | 218 | 11100 |
| 207 | 000011 | 219 | 111100 |
| 208 | 0111 | 220 | 1000 |
| 209 | 00111 | 221 | 11000 |
| 210 | 000111 | 222 | 111000 |
| 211 | 0000111 | 223 | 1111000 |
| 224 | 010 | 240 | 101 |
| 225 | 0100 | 241 | 1011 |
| 226 | 01000 | 242 | 10111 |
| 227 | 010000 | 243 | 101111 |
| 228 | 0010 | 244 | 1101 |
| 229 | 00100 | 245 | 11011 |
| 230 | 001000 | 246 | 110111 |
| 231 | 0010000 | 247 | 1101111 |
| 232 | 0110 | 248 | 1001 |
| 233 | 00110 | 249 | 11001 |
| 234 | 01100 | 250 | 10011 |
| 235 | 001100 | 251 | 110011 |
| 236 | 01110 | 252 | 10001 |
| 237 | 001110 | 253 | 110001 |
| 238 | 011100 | 254 | 100011 |
| 239 | 0011100 | 255 | 1100011 |

lengths 1 to 4; we did not choose run-lengths 5 to 7 because we wanted to simplify the operation although if there is a benefit or not of including them is a point that needs more research. The CCITT modified Huffman table assumes that the frequency of black run-length 1 is smaller than the probability of any run-length between 2 and 11 , but our distribution analysis in Chapter 4 showed that frequency of black run-length 1 was comparable to that of run length 3 and might be a little less than run length 2. So, in the symbols we chose, we also represented runlength 1.

Method LZWB1 is a step beyond LZWB and, as in method L2WB, we predict that the output of the counter is more compressible than the original data. We also predict that, since some of the symbols represented two or three of the most frequent runs, the size of the counter output will not be as big as the size of the counter output in L2WB. Appendix $F$ gives the code necessary to simulate method LZWB1.

### 5.4. Method LZWB2

The LZW algorithm initializes the first 256 symbols to character symbols. Since it has no previous knowledge of the symbols in the input data, it does not try to initialize symbols other than the characters symbols. The symbols of method LZWB2, as in LZWB, represent white and black run-lengths; hence, we assume that LZWB2 has a prior knowledge of the frequency of the symbols and benefit from this knowledge by initializing some symbols, from symbol 257 and above, to symbols of strings that are very likely to occur.

Two table inftializations were tried. The symbols and their corresponding run-lengths for these two initializations are presented in Tables 5.3 and 22.1. The initialization of the table requires a change in the code of the LZW decompression process. The change needed is to allow for the first received symbol to be a string symbol in the form of " $w, k$ ". The code of this is inserted before the code of the decompression used in LZW. Appendix G gives the code necessary to simulate method LZWB2 using Table 5.3. We will call this combination method LZWB2-A. The code of method LZWB2 using Table 22.1 is exactly the same as the code using Table 5.3 except for the part of initializing the table which differs by the number of symbols to be initialized. We will call method LZWB with the LZW table initialized by Table 22.1 as method LXWB2-B.

### 5.5. Results of LZW and the Above Mentioned Modifications

The results of compressing the fmages in the data base using the LZW algorithm are presented in Tables 5.4-5.10. Tables 5.11-5.15 give the results of the average values for each group when compressed by methods LZW, LZWB, LZWB1, LZWB2-A, and LZWB2-B. Note, that for the methods LZWB, LZWB2-A, and LZWB2-B, the results for group 8 do not include the image "usamap" because the result of the symbols counter is bigger than the buffer used. In the following sections, we will try to analyze the above results.

Table 5.3. Extended LZW tables to be used with LZWB2-A

| Symbol | String | w | k |
| :---: | :---: | :---: | :---: |
| 256 | 01 | 0 | 128 |
| 257 | 001 | 1 | 128 |
| 258 | 0001 | 2 | 128 |
| 259 | 00001 | 3 | 128 |
| 260 | 011 | 0 | 129 |
| 261 | 0011 | 1 | 129 |
| 262 | 00011 | 2 | 129 |
| 263 | 000011 | 3 | 129 |
| 264 | 0111 | 0 | 130 |
| 265 | 00111 | 1 | 130 |
| 266 | 000111 | 2 | 130 |
| 267 | 0000111 | 3 | 130 |
| 268 | 010 | 256 | 0 |
| 269 | 0100 | 256 | 1 |
| 270 | 01000 | 256 | 2 |
| 271 | 010000 | 256 | 3 |
| 272 | 0010 | 257 | 0 |
| 273 | 00100 | 257 | 1 |
| 274 | 001000 | 257 | 2 |
| 275 | 0010000 | 257 | 3 |
| 276 | 0110 | 260 | 0 |
| 277 | 00110 | 261 | 0 |
| 278 | 01100 | 260 | 1 |
| 279 | 001100 | 261 | 1 |
| 280 | 01110 | 264 | 0 |
| 281 | 001110 | 265 | 0 |
| 282 | 011100 | 264 | 1 |
| 283 | 0011100 | 265 | 1 |
| 284 | 10 | 128 | 0 |
| 285 | 110 | 129 | 0 |
| 286 | 1110 | 130 | 0 |
| 287 | 11110 | 131 | 0 |
| 288 | 100 | 128 | 1 |
| 289 | 1100 | 129 | 1 |
| 290 | 11100 | 130 | 1 |
| 291 | 111100 | 131 | 1 |
| 292 | 1000 | 128 | 2 |
| 293 | 11000 | 129 | 2 |
| 294 | 111000 | 130 | 2 |
| 295 | 1111000 | 131 | 2 |
| 296 | 101 | 284 | 128 |
| 297 | 1011 | 284 | 129 |

Table 5.3. continued

| Symbol | String | $w$ | $k$ |
| :--- | :--- | :--- | :--- |
|  |  |  |  |
| 298 | 10111 | 284 | 130 |
| 299 | 101111 | 284 | 131 |
| 300 | 1101 | 285 | 128 |
| 301 | 11011 | 285 | 129 |
| 302 | 110111 | 285 | 130 |
| 303 | 1101111 | 285 | 131 |
| 304 | 1001 | 288 | 128 |
| 305 | 11001 | 289 | 128 |
| 306 | 10011 | 288 | 129 |
| 307 | 110011 | 289 | 129 |
| 308 | 10001 | 292 | 128 |
| 309 | 110001 | 293 | 128 |
| 310 | 100011 | 292 | 129 |
| 311 | 1100011 | 293 | 129 |

Table 5.4. Results of compressing images in group 1 using method LZW

| Image | Comprs. factor | Comprs. time 5 | Decomprs. time s | $\begin{aligned} & \text { Table } \\ & \text { size } \end{aligned}$ | Extra calls |
| :---: | :---: | :---: | :---: | :---: | :---: |
| docla | 6.62 | 19.93 | 1.59 | 1867 | 0 |
| doclb | 3.69 | 19.55 | 1.53 | 3142 | 0 |
| doclc | 13.25 | 12.91 | 1.60 | 1060 | 0 |
| doc2a | 7.71 | 11.21 | 1.54 | 1638 | 0 |
| doc2b | 6.82 | 14.55 | 1.59 | 1818 | 0 |
| doc2c | 10.01 | 14.99 | 1.60 | 1321 | 0 |
| doc4a | 2.91 | 33.67 | 1.54 | 3917 | 0 |
| doc4b | 2.55 | 32.24 | 1.54 | 4096 | 341 |
| doc4c | 2.31 | 8.74 | 0.66 | 2283 | 0 |
| doc5la | 3.88 | 18.62 | 1.21 | 2454 | 0 |
| doc5lb | 5.44 | 11.75 | 1.27 | 1822 | 0 |
| doc5lc | 8.41 | 5.28 | 0.71 | 838 | 0 |
| doc5ra | 2.97 | 15.87 | 1.16 | 2946 | 0 |
| doc5rb | 5.87 | 11.48 | 1.16 | 1617 | 0 |
| doc5rc | 3.18 | 6.54 | 0.66 | 1703 | 0 |
| doc6a | 4.86 | 18.84 | 1.59 | 2448 | 0 |
| doc6b | 6.81 | 21.58 | 1.60 | 1822 | 0 |
| doc8 | 5.77 | 16.75 | 1.60 | 2104 | 0 |
| AVERAGE | 5.73 | 16.36 | 1.34 | 2161 | 19 |

Table 5.5. Results of compressing images in group 2 using method LZW

| Image | Comprs. <br> factor | Comprs. <br> time <br> $s$ | Decmprs. <br> time <br> s | Table <br> size | Extra <br> calls |
| :--- | :--- | :---: | :---: | :---: | :---: |
| frnch3a | 5.63 | 16.31 | 1.60 | 2148 | 0 |
| flowchrt | 4.57 | 18.18 | 1.59 | 2589 | 0 |
| electrc | 3.87 | 22.90 | 1.53 | 3012 | 0 |
| ordrfrm | 5.17 | 17.91 | 1.53 | 2316 | 0 |
| frnchla | 6.11 | 17.14 | 1.53 | 2001 | 0 |
| doc2a | 7.71 | 11.15 | 1.59 | 1638 | 0 |
| doc2b | 6.82 | 14.50 | 1.59 | 1818 | 0 |
|  |  |  |  |  |  |
| AVERAGE | 5.70 |  |  |  |  |

Table 5.6. Results of compressing images in group 3 using method LZW

| Image | Comprs. <br> factor | Comprs. <br> time <br> s | Decmprs. <br> time <br> s | Table <br> size | Extra <br> calls |
| :--- | :--- | :---: | :---: | :---: | :---: |
| romtxt | 2.35 | 34.43 | 1.54 | 4096 | 691 |
| frnch2a | 2.91 | 27.91 | 1.54 | 3925 | 0 |
| pagel | 4.15 | 17.75 | 1.59 | 2825 | 0 |
| docl-2 | 4.68 | 18.78 | 1.59 | 2535 | 0 |
| cprog | 7.07 | 17.19 | 1.54 | 1763 | 0 |
| doclb | 3.69 | 19.56 | 1.54 | 3142 | 0 |
| doc4a | 2.91 | 33.67 | 1.53 | 3917 | 0 |
| doc4b | 2.55 | 32.24 | 1.54 | 4096 | 341 |
|  |  |  |  |  |  |
| AVERAGE | 3.79 | 25.19 |  |  |  |

Table 5.7. Results of compressing images in group 4 using method LZW

| Image | Comprs. <br> factor | Comprs. <br> time <br> s | Decmprs. <br> time <br> s | Table <br> size | Extra <br> calls |
| :--- | :--- | :---: | :---: | :---: | :---: |
| pdraw3 | 4.58 | 25.43 | 1.59 | 2585 | 0 |
| science1 | 3.53 | 24.50 | 1.54 | 3279 | 0 |
| science2 | 2.77 | 29.44 | 1.54 | 4096 | 10 |
| doc5la | 3.88 | 18.62 | 1.21 | 2454 | 0 |
|  |  | 24.50 | 1.47 | 3104 | 3 |

Table 5.8. Results of compressing images in group 5 using method LZW

| Image | Comprs. factor | Comprs. time s | $\begin{gathered} \text { Decmprs. } \\ \text { time } \\ s \end{gathered}$ | Table <br> size | Extra calls |
| :---: | :---: | :---: | :---: | :---: | :---: |
| opampl | 5.94 | 7.09 | 0.93 | 1326 | 0 |
| opamp2 | 6.07 | 13.46 | 1.54 | 1934 | 0 |
| ec11 | 7.77 | 6.54 | 0.94 | 1078 | 0 |
| ec12 | 7.98 | 10.27 | 1.43 | 1423 | 0 |
| netwrk | 6.16 | 10.77 | 1.32 | 17.28 | 0 |
| tablel | 3.47 | 14.01 | 1.05 | 2331 | 0 |
| usal | 9.13 | 5.11 | 0.82 | 852 | 0 |
| doc5la | 4.79 | 2.31 | 0.33 | 785 | 0 |
| doc5rb | 5.03 | 5.22 | 0.71 | 1198 | 0 |
| lotssin | 3.56 | 10.66 | 0.99 | 2087 | 0 |
| frnch3b | 5.11 | 4.39 | 0.54 | 1006 | 0 |
| barchrt | 5.27 | 3.79 | 0.49 | 909 | 0 |
| barchrt | 3.36 | 0.82 | 0.16 | 518 | 0 |
| barchrt | 5.58 | 1.70 | 0.27 | 609 | 0 |
| test2 | 4.03 | 3.03 | 0.44 | 992 | 0 |
| test3 | 3.43 | 3.19 | 0.44 | 1121 | 0 |
| test4 | 3.21 | 3.35 | 0.44 | 1184 | 0 |
| test5 | 3.04 | 3.95 | 0.44 | 1324 | 0 |
| diagl | 4.49 | 3.07 | 0.44 | 932 | 0 |
| diag2 | 4.78 | 1.92 | 0.27 | 666 | 0 |
| daig3 | 3.81 | 2.30 | 0.33 | 853 | 0 |
| diag4 | 3.58 | 2.03 | 0.28 | 842 | 0 |
| diag5 | 7.63 | 2.86 | 0.49 | 683 | 0 |
| diag5s | 5.41 | 1.38 | 0.27 | 552 | 0 |
| diag6 | 5.27 | 1.16 | 0.17 | 513 | 0 |
| diag6 | 4.71 | 0.88 | 0.16 | 479 | 0 |
| diag6 | 8.62 | 4.01 | 0.61 | 749 | 0 |
| netwrk2 | 3.36 | 1.65 | 0.28 | 731 | 0 |
| pdrawl | 3.19 | 1.92 | 0.28 | 864 | 0 |
| usa2 | 2.06 | 0.32 | 0.06 | 441 | 0 |
| usa2 | 4.01 | 1.20 | 0.22 | 609 | 0 |
| doc51b | 5.62 | 0.99 | 0.17 | 474 | $0{ }^{\circ}$ |
| science3 | 2.54 | 1.32 | 0.16 | 746 | 0 |
| science3 | 1.85 | 0.33 | 0.05 | 453 | 0 |
| AVERAGE | 4.82 | 4.03 | 0.52 | 970 | 0 |

Table 5.9. Results of compressing fmages in group 7 using method L2W

| Image | Comprs. <br> factor | Comprs. <br> time <br> s | Decmprs. <br> time <br> $s$ | Table <br> size | Extra <br> calls |
| :--- | :--- | :---: | :---: | :---: | ---: |
| bignames | 2.11 | 37.68 | 1.54 | 4096 | 1222 |
| sun | 2.95 | 27.73 | 1.54 | 3872 | 0 |
| hazard | 2.66 | 28.73 | 1.54 | 4096 | 166 |
| manscl | 2.35 | 34.93 | 1.53 | 4096 | 690 |
| mansc2 | 3.31 | 23.01 | 1.54 | 3478 | 0 |
| fig2 | 8.42 | 14.17 | 1.60 | 1522 | 0 |
| fig4 | 7.86 | 12.85 | 1.53 | 1612 | 0 |
| fig6 | 3.69 | 22.74 | 1.54 | 3149 | 0 |
| fig7 | 5.09 | 15.98 | 1.53 | 2350 | 0 |
| fig8 | 3.43 | 23.84 | 1.54 | 3364 | 0 |
|  |  |  |  |  |  |

Table 5.10. Results of compressing images in group 8 using method LZW

| Image | Comprs. <br> factor | Comprs. <br> time <br> $s$ | Decmprs. <br> time <br> $s$ | Table <br> size | Extra <br> calls |
| :--- | :--- | ---: | ---: | ---: | ---: |
| blok3 | 27.97 | 10.49 | 1.59 | 636 | 0 |
| blok6 | 10.98 | 14.06 | 1.59 | 1226 | 0 |
| boxes | 16.06 | 10.38 | 1.60 | 919 | 0 |
| lines | 15.19 | 12.25 | 1.59 | 957 | 0 |
| testl | 12.79 | 2.47 | 0.44 | 487 | 0 |
| usamap | 6.57 | 6.59 | 0.77 | 1089 | 0 |
|  |  |  |  |  |  |
| AVERAGE | 14.93 |  |  |  |  |

Table 5.11. Results of compressing each group of the image data base suing method LZW

| Group \# | Comprs. factor | $\frac{\text { C.F. }}{\text { FAX }}$ | Comprs. time s | Dcmprs. time s | Table <br> size | Extra calls |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| GROUP 1 | 5.73 | 0.58 | 16.36 | 1.34 | 2161 | 19 |
| GROUP 2 | 5.70 | 0.68 | 16.87 | 1.57 | 2217 | 0 |
| GROUP 3 | 3.79 | 1.35 | 25.19 | 1.55 | 3287 | 129 |
| GROUP 4 | 3.69 | 0.93 | 24.50 | 1.47 | 3104 | 3 |
| GROUP 5 | 4.82 | 0.50 | 4.03 | 0.52 | 970 | 0 |
| GROUP 7 | 4.19 | 1.13 | 24.17 | 1.54 | 3164 | 208 |
| AVERAGE | 4.65 | 0.86 | 18.52 | 1.33 | 2484 | 60 |

Table 5.12. Results of compressing each group of the image data base using method LZWB

| Group \# | Comprs. factor | $\frac{\mathrm{C}_{\mathrm{FAX}}}{\mathrm{FAX}}$ | $\frac{\text { C.F. }}{\text { LZW }}$ | Cmprs. time s | $\begin{gathered} \text { Dcmprs. } \\ \text { time } \\ s \end{gathered}$ | Count subl. | Table size | Extra calls |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| GROUP 1 | 5.88 | 0.59 | 1.02 | 13.80 | 1.03 | 6425 | 2227 | 164 |
| GROUP 2 | 5.42 | 0.65 | 0.95 | 13.11 | 1.03 | 6428 | 2368 | 0 |
| GROUP 3 | 2.96 | 1.05 | 0.78 | 26.75 | 2.39 | 14931 | 3588 | 785 |
| GROUP 4 | 3.37 | 0.85 | 0.91 | 20.47 | 1.42 | 8853 | 3284 | 44 |
| GROUP 5 | 5.18 | 0.54 | 1.07 | 2.83 | 0.29 | 1768 | 970 | 0 |
| GROUP 7 | 3.79 | 1.02 | 0.90 | 26.95 | 1.99 | 12218 | 3306 | 362 |
| AVERAGE | 4.43 | 0.78 | 0.94 | 17.32 | 1.36 | 8437 | 2624 | 226 |

Table 5.13. Results of compressing each group of the image data base using method LZWB1

| Group \# | Cmprs. factor | $\frac{C_{. F}}{F A X}$ | $\frac{\text { C.F. }}{\text { LZW }}$ | Cmprs. time s | Dcmprs. time s | Count smbl. | Table <br> size | Extra calls |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| GROUP 1 | 5.86 | 0.59 | 1.02 | 12.31 | 0.91 | 5057 | 2224 | 158 |
| GROUP 2 | 5.41 | 0.65 | 0.95 | 11.86 | 0.94 | 4973 | 2369 | 0 |
| GROUP 3 | 3.01 | 1.07 | 0.79 | 29.00 | 1.96 | 9994 | 3566 | 751 |
| GROUP 4 | 3.37 | 0.85 | 0.91 | 18.38 | 1.21 | 6297 | 3285 | 43 |
| GROUP 5 | 5.19 | 0.54 | 1.08 | 2.61 | 0.28 | 1491 | 958 | 0 |
| GROUP 7 | 3.89 | 1.05 | 0.93 | 23.77 | 1.66 | 8584 | 3285 | 371 |
| AVERAGE | 4.46 | 0.79 | 0.95 | 16.32 | 1.16 | 6066 | 2615 | 221 |

Table 5.14. Results of compressing each group of the image data base using method LZWB2-A

| Group \# | Cmprs. <br> factor | $\frac{\mathrm{C.F}_{.}}{\mathrm{FAX}}$ | $\frac{\mathrm{C} \cdot \mathrm{~F} .}{\mathrm{LZW}}$ | Cmprs. time s | Dcmprs. time s | Count smbl. | Table size | Extra calls |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| GROUP 1 | 6.00 | 0.61 | 1.05 | 13.72 | 1.02 | 6425 | 2255 | 168 |
| GROUP 2 | 5.49 | 0.66 | 0.96 | 13.29 | 1.04 | 6428 | 2401 | 0 |
| GROUP 3 | 2.98 | 1.06 | 0.79 | 27.04 | 2.39 | 14931 | 3608 | 803 |
| GROUP 4 | 3.40 | 0.86 | 0.92 | 20.48 | 1.42 | 8853 | 3310 | 50 |
| GROUP 5 | 5.29 | 0.55 | 1.10 | 2.91 | 0.30 | 1768 | 1012 | 0 |
| GROUP 7 | 3.81 | 1.03 | 0.91 | 27.79 | 1.99 | 12218 | 3330 | 380 |
| AVERAGE | 4.50 | 0.79 | 0.95 | 17.54 | 1.36 | 8437 | 2653 | 234 |

Table 5.15. Results of compressing each group of the image data base using method LZWB2-B

| Group \# | Cmprs. <br> factor | $\frac{\text { C.F. }}{\text { FAX }}$ | $\frac{\mathrm{C} . \mathrm{F}_{-}}{\mathrm{LZW}}$ | Cmprs. time s | Dcmprs. time s | Count smbl. | Table <br> size | $\begin{aligned} & \text { Extra } \\ & \text { calls } \end{aligned}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| GROUP 1 | 6.28 | 0.63 | 1.10 | 15.77 | 1.02 | 6425 | 2493 | 196 |
| GROUP 2 | 5.72 | 0.68 | 1.00 | 15.44 | 1.05 | 6428 | 2661 | 0 |
| GROUP 3 | 3.07 | 1.09 | 0.81 | 30.79 | 2.39 | 14931 | 3731 | 925 |
| GROUP 4 | 3.53 | 0.89 | 0.96 | 22.73 | 1.42 | 8853 | 3485 | 105 |
| GROUP 5 | 5.48 | 0.57 | 1.14 | 3.63 | 0.29 | 1768 | 1323 | 0 |
| GROUP 7 | 3.86 | 1.04 | 0.92 | 26.14 | 1.99 | 12218 | 3512 | 494 |
| AVERAGE | 4.66 | 0.82 | 0.99 | 19.08 | 1.36 | 8437 | 2868 | 287 |

Table 5.16. Compression and decompression times averages for each group when compressed by the CCITT two dimensional compression technique with $k=\infty$

| Group \# | Comprs. <br> time <br> $s$ | Dcmprs. <br> time <br> $s$ |
| :--- | :---: | :---: |
| GROUP 1 | 3.70 | 2.96 |
| GROUP 2 | 4.09 | 3.22 |
| GROUP 3 | 6.37 | 5.86 |
| GROUP 4 | 4.63 | 3.90 |
| GROUP 5 | 1.48 | 1.14 |
| GROUP 7 | 5.58 | 4.88 |

### 5.6. LZW vs. FAX

By method FAX here and throughout the rest of the thesis, we mean, unless otherwise specified, the CCITT two dimensional coding technique with $k=\infty$. The results of the average compression factor (c.f.) for each group were presented in Table 4.25 and the results of the compression and decompression times are presented in Table 5.16. Comparing the results in the above tables with the results in Table 5.11 , we get the following points:

1) Compression factor: FAX gives higher c.f. than LZW for graphics data, such as group 2 (g2) and g5, and LZW gives higher c.f. than FAX for g3 and g7. This means when the data consist of mainly long black runs and short white runs FAX outperforms LZW, but when the data consists of mainly small runs, of black and white pels, LZW outperforms FAX. For the data that are mixed of short and long runs, it seems that FAX outperforms LZW as in group 4 or the average of group 1.
2) LZW needs longer compression time (c.t.), almost 4 times the time used by FAX. But the LXW decompression time (d.t.) is smaller than that of FAX, almost 0.36 times the time used by FAX. The decompression times are in the range of 3 s and 1 s for FAX and LZW, respectively.

### 5.7. LZWB and LZWB2 vs. LZW and FAX

From Tables 5.11 and 5.12, we observe that LZWB advantages over LZW are that groups $I$ and 5 have higher c.f. and lower d.t. and c.t. than those of LZW. The disadvantages are that the overall c.f. is
smaller and the table size is bigger. So, in general, LZW is still better than LZWB.

Tables 5.14 and 5.15 show that initializing the LZW table, as in LZWB2-A and LZWB2-B, gave slight improvement in the c.f. and the bigger the initialized part is the bigger the increase in c.f. is. The increase in the LZWB2-B c.f. were $10 \%$ and $14 \%$ over the c.f. of $L Z W$ for $g 1$ and $g 5$, respectively. These increases are $3 \%$ and $7 \%$ for LZWB. The d.t. are very small for g5, average of 29 s , with LZWB, LZWB2-A, and LZWB2-B. The disadvantages of the initialization are that the c.t. and the counter output increase slightly with the initialized portion.

Compared to FAX, methods LZWB, LZWB2-A, and LZWB2-B have c.f. no more than $10 \%$ higher for $g 3$ and $g 7$. But the c.f. of LZWB, LXWB2-A, and LZWB2-B are less than the c.f. of LZW for the same groups.

### 5.8. LZWB1 vs. LZWB

From Table 5.13 , we notice that LZWBl has almost the same c.f. as 1ZWB. The c.t., d.t., and the counter output are smaller for LZWBI than for L2WB. So, the theory behind LZWB1 worked but produced no overall higher c.f. than LZWB.

### 5.9. Conclusion

Based on the results of the previous sections, we conclude that LZW gives a higher c.f. than FAX for some groups and lower d.t. for all groups. So, an improvement in the LZW that increases the c.f. is desirable if LZW is to be used instead of FAX.

The techniques of compressing the run-lengths of the image instead of the image itself gave better c.f. and d.t. than those of FAX for g3 and $g 7$. These techniques gave higher c.f. than $L Z W$ for $g 1$ and $g 5$. This means that more improvement in these techniques may produce a $\mathrm{c} . \mathrm{f}$. that is better than both LZW and FAX. Moreover, in the case that we are investigating which consists of black and white text and graphics, each pel is represented by 1 bit. So, it is envisioned that for the case of colored images where each pel is represented by more than one bit, the LZWBs methods will give better c.f. and they may be better than LZW and/or FAX.

## 6. MODIFICATIONS TO THE LZW ALGORITHM

Each entry in the LZW algorithm table consists of a string symbol and a character symbol that was previously encountered after this string. Reference [43] suggested using a table in which each entry consists of the symbols of two strings that were encountered after each other. This modification was chosen because it was expected that it would result in matching longer input strings to table entries. So, both LZW and the method suggested by [43] search for the longest string in the input that can be matched to a string encountered before; but the strings that are obtained by this method are predicted to be longer.

The search for the longest string in LZW is easy because after each successful match the string increases by one character. Hence, in LZW the search starts at symbol 256 and continues in one pass till all the table entries are searched. The search in this new method is not so easy because searching for the longest string requires the decomposition of every table entry that has as its first character the next unprocessed character in the input. Reference [43] did not show how it accomplished this task. In designing a code to do this task, the following two problems arose:

1) The first character of each table entry should be stored in a separate table so that only strings beginning with the required character are searched. Without this storing, it would be necessary to decompose each table entry just to see if it starts with the desired character or not; this results in a big increase in the compression time.
2) The decomposition of each table entry that begins with the desired character will take long searches; so, it
is desirable to search for the longest block without the need to do these long searches.

In the following sections, we will propose two new methods that we will call LZW1 and LZW2 and that search for the longest string without decomposing every table entry that begins with the next unprocessed input character. Next, a method of decomposing every possible table entry will be presented. This method, that we will call L2W3, follows the concept suggested in [43]; nevertheless, it is not clear if [43] designed the details of the method in the same way we did. Actually, [43] never showed how to get the longest string, although this is a critical point in applying the concept that [43] proposed.

The following definitions are used in the following discussions and in the code used to simulate the above three methods:
$L_{i}=$ The last string sent to the output.
$L_{j}=$ The current longest string to be sent to the output.
$w_{1}=$ The first symbol of a table entry.
$W_{2}=$ The second symbol of a table entry.
$w_{3}=$ The first character of $w_{2}$ in a table entry.
$\begin{aligned} & \text { first_char }= \text { The first character in } w_{2} \text { while searching for } \\ & \text { the longest block. }\end{aligned}$
code (w1, w2) $=$ The code of the tables index corresponding to " $\mathrm{w}_{1}, \mathrm{w}_{2}$ ". It is found by a scan function.

The variables $w_{3}$ and first_char are used to solve the first of the two problems mentioned above. Since these two variables represent a character, 8 bits are needed to address each of them. The variable $w_{2}$ represents a string symbol; hence, at least 12 bits are needed to ad-
dress $\mathrm{w}_{2}$ in the case of a 4096 entry table. To simulate a table where each entry consists of $w_{1}, w_{2}$, and $w_{3}$, three.tables were used. Two of these tables, where in these two each entry is an unsigned number, represent $w_{1}$ and $w_{2}$ and the third table is a table of characters that repre$\operatorname{sent} \mathrm{w}_{3}$.

Note that LZW used one table of unsigned numbers to represent $w$ and a character table to represent $k$. The three tables mentioned above need more memory than the two tables of LZW. This explains the need to use the far pointers in coding these new methods. To make the code of LZW as close as possible to the code of its modifications, far pointers were also used in coding LZW although there was no need for these far pointers.

### 6.1. Method LZWI

Method LZW1 avoids using long searches, used in LZW3 later, by firstly, finding the longest string it can build character by character, i.e., it will search the $w_{2}$ table with $w_{2}$ only equal to one of the character symbols. Secondly, it enters a second loop where it searches for a string that begins with the current string and that matches the input. If it finds that string, this string will be the LZWl current string, and this second loop will start again. If no string, that begins with the current string and matches the input, was found, the current string will be in this case the longest string we can get. Hence, it will be sent out, the tables will be updated, and LZW1 will start again in the first loop. The coding of LZWl can be described as follows,
in a C language like code:

1. in_index $=$ out_index $=0$;
2. $L_{1}=$ input[in_index ++ ];
output[out_indext+] $=L_{i}$;
$L_{j}=$ input[input_index ++ ];
first_char $=w_{1}=w_{3}=L_{j}$;
3. while (in_index < bufr_size)
\{
while (in_index < bufr_size)
$\{$
$W_{2}=$ input[input_index++];
if (string "wl,w2" is in the tables]
$\mathrm{w}_{1}=\operatorname{code}(\mathrm{w} 1, \mathrm{w} 2) ;$
else
first_char $=\mathrm{w}_{2}$; \}
while (in_index < bufr_size)
\{
start from "position" and search wl_table and w3_table for symbol "code" that corresponds to wl and first_char0j; if (tables has $w_{1}$ as first string and second string
```
            starts with first_char, i.e., corresponding w
            first_char)
            {
            position = code + I;
            find w}\mp@subsup{w}{2}{}\mathrm{ at the matched symbol code;
            decompose w
            if ( }\mp@subsup{\textrm{w}}{2}{}\mathrm{ matches the input)
                {
            w
            adjust in_index;
            first_char = input[input_index ++];
            }
    }
        else
            break
                }
L
output[out_index++] = L j;
update tables wl_table, w2_table, and w3_table with L Li,
L
L}\mp@subsup{i}{i}{}=\mp@subsup{L}{j}{\prime}
w
}
```

4. END.

The decompression is straightforward and can be described as follows:

1. in_index $=$ out_index $=0$;
2. while (in_index < input_size)
\{
$\mathrm{w}_{2}=$ input[in_index++];
decompose ( $\mathrm{w}_{2}$ );
update decompress buffer with characters from $w_{2}$ decomposition;
update w1_table and w2_table with $w_{1}$ and $w_{2}$; $\left.w_{1}=w_{2}\right\}$
3. END.

Appendix $H$ contains the listing of the LZWI code.

### 6.2. Method LZW2

Method LZW2 does more searching than LZW1 in order to get the longest string. It also consists of a "while" loop that contains two smaller "while" loops. The outer and first "while" loops are similar to the ones in L2W1. The second "while" loop is different.

In LZW1, the second "while" loop can be summarized as follows: while (more input and more table entries are to be searched) \{ read next character element in the input string; match the input string to a table entry that has $\mathrm{w}_{1}$ as its first string and first_char as first character

```
of the entry second string;
let \mp@subsup{w}{1}{}= symbol of the matched entry;
}
```

In LZW2, the second "while" loop can be summarized as follows: while (more input and more table entries are to be searched)
read next character element in the input string; loop till you find the longest string that matches the input and has $w_{1}$ as its first string and first_char as the first character of its second string; let $w_{1}=$ symbol of the longest matched string; \}

The decompression of LZW2 is exactly the same as of LZW1. Appendix I contains the listing of the LZW2 code.

### 6.3. Method LZW3

Method LZW3 searches in the LZW table for the longest possible string. It searches every single element that has $\mathrm{w}_{1}$ as its first string and its second string $\mathrm{w}_{2}$ starts with first_char. To make the search more efficient, we also make a table for the second character of $\mathrm{w}_{2}$ and use this information to speed up the search. In the results, we will see that even with this improvement, LZW3 takes a very long time without producing a considerable increase in the compression factor. The decompression process of LZW3 is exactly the same as of LZW1. Appendix $J$ contains the listing of the LZW3 code.

### 6.4. Results of Compression Using LZW1, <br> LZW2, and LZW3

To compare the LZW, LZW1, LZW2, and LZW3 methods, we apply them to an image that has an infinite size and consists of a repetition of the same byte, e.g., black or white images. From manually tracing the methods, we observe that after sending $n$ symbols from each method, these symbols represent a total number of input bytes, we will call "sum", as follows:

1) LZW: sum $=1+2+3+4+\ldots . . . . . . .+n$
which can be expressed as

$$
\operatorname{sum}=\frac{n(n+1)}{2}
$$

2) LZW1: sum $=1+1+2+2+4+4+8+8+16+16 \ldots \ldots \ldots+2^{\operatorname{int}((n-1) / 2)}$
which can be expressed for $n=2 m$ as sum $=2\left(1+2+4+8+\ldots . . . . . . . .+2^{m-1}\right)$
$=2 \frac{2^{m}-1}{2-1}$
$=2^{m+1}-2$
$=2^{(n / 2)+1}-2 \quad ; \quad n=2,4,6,8 \ldots$
3) LZW2: $\operatorname{sum}=1+1+2+2+4+6+6+12+18+18+36+54+54+108 \ldots$ for $n=2+3 m$ and $n>=5$ we get $\operatorname{sum}=1+1+(2+2+6+6+18+18+54+54+\ldots .$. $+(4+12+36+108+\ldots)$
$=1+1+4(1+3+9+27+\ldots . .)+.4(1+3+9+27+\ldots . .$.

$$
\begin{aligned}
& =2+8\left(1+3+9+27+\ldots+3^{m-1}\right) \\
& =2+8\left(1+3+9+27+\ldots+3^{(((n-2) / 3)-1)}\right) \\
& =2+8 \frac{3^{\left(\frac{n-2}{3}\right)}-1}{3-1} \\
& =2+4\left(3^{\left(\frac{n-2}{3}\right)}-1\right)
\end{aligned}
$$

; $n=5,8,11,14, \ldots$
4) LZW3: sum $=1+1+2+3+5+8+13+21 \ldots . . . . .+a_{n}$ from [45], we get

$$
a_{\mathrm{n}}=\frac{1}{\sqrt{5}}\left(\left(\frac{1+\sqrt{5}}{2}\right)^{\mathrm{n}}-\left(\frac{1-\sqrt{5}}{2}\right)^{\mathrm{n}}\right)
$$

where $a_{0}=0, a_{1}=1, a_{2}=1, a_{3}=2$, and so on.
These terms can be summed as two geometrical series. Hence, after rearranging, we get:

$$
\operatorname{sum}=\frac{2}{\sqrt{5}}\left\{\frac{\left(\frac{1+\sqrt{5}}{2}\right)^{n}-1}{\sqrt{5}-1}+\frac{\left(\frac{1-\sqrt{5}}{2}\right)^{n}-1}{\sqrt{5}+1}\right\}
$$

Table 6.1 contains the results of sum with respect to some values of $n$ for LZW, LZW1-LZW3. These values are drawn in Figures 6.1 and 6.2. From the above table and figures, we see that for small values of $n, L Z W$. gives higher value of sum than the other methods. LZW3 crosses LZW at almost $n=6$ and then rises very fast. LZW1 and LZW2 cross LZW at almost $\mathrm{n}=9$ and 8 , respectively, then rise but not as fast as LZW3, with LZW2 being the highest. We will use these results in our analysis of the

Table 6.1. Size of the data represented by $n$ symbols for each LZWx method

| n | L2W | L2W1 | LZW2 | LZW3 |
| :---: | :---: | :---: | :---: | :---: |
| 1 | 1 | 1 | 1 | 1 |
| 2 | 3 | 2 | 2 | 2 |
| 3 | 6 | 4 | 4 | 4 |
| 4 | 10 | 6 | 6 | 7 |
| 5 | 15 | 10 | 10 | 12 |
| 6 | 21 | 14 | 16 | 20 |
| 7 | 28 | 22 | 22 | 33 |
| 8 | 36 | 30 | 34 | 54 |
| 9 | 45 | 46 | 52 | 88 |
| 10 | 55 | 62 | 70 | 143 |
| 11 | 66 | 94 | 106 | 232 |
| 12 | 78 | 126 | 160 | 376 |
| 13 | 91 | 190 | 214 | 609 |
| 14 | 105 | 254 | 322 | 986 |
| 15 | 120 | 382 | 484 | 1596 |
| 16 | 136 | 510 | 646 | 2583 |
| 17 | 153 | 766 | 970 | 4180 |
| 18 | 171 | 1022 | 1456 | 6764 |
| 19 | 190 | 1534 | 1942 | 10945 |
| 20 | 210 | 2046 | 2914 | 17710 |
| 21 | 231 | 3070 | 4372 | 28656 |
| 22 | 253 | 4094 | 5830 | 46367 |
| 23 | 276 | 6142 | 8746 | 75024 |
| 24 | 300 | 8190 | 13120 | 121392 |
| 25 | 325 | 12286 | 17494 | 196417 |
| 26 | 351 | 16382 | 26242 | 317810 |
| 27 | 378 | 24574 | 39364 | 514228 |
| 28 | 406 | 32766 | 52486 | 832039 |
| 29 | 435 | 49150 | 78730 | 1346268 |
| 30 | 465 | 65534 | 118096 | 2178308 |
| 31 | 496 | 98302 | 157462 | 3524577 |
| 32 | 528 | 131070 | 236194 | 5702886 |
| 33 | 561 | 196606 | 354292 | 9227464 |
| 34 | 595 | 262142 | 472390 | 14930351 |
| 35 | 630 | 393214 | 708586 | 24157816 |
| 36 | 666 | 524286 | 1062880 | 39088168 |
| 37 | 703 | 786430 | 1417174 | 63245985 |
| 38 | 741 | 1048574 | 2125762 | $1.0 \mathrm{E}+08$ |
| 39 | 780 | 1572862 | 3188644 | 1.7E+08 |
| 40 | 820 | 2097150 | 4251526 | 2.7E+08 |



Figure 6.1. Plot of size of data (sum) vs. number of symbols used ( $n$ ) for compressing a white image of infinite size ( $n=1$ to 10 )


Figure 6.2. Plot of size of data (sum) vs. number of symbols used ( $n$ ) for compressing a white image of infinite size ( $n=11$ to 20 )
images compression results. Note that although this theoretical treatment shows a big difference between the methods for the infinite image, the results are not the same for an image of limited size. Table 6.2 contains the results of compressing a white screen using each of the LZW methods. This table shows that there is no big difference in the c.f. of the 4 LZW methods.

The results of compressing each group by methods LZW1, LZW2, and LZW3 are presented in Tables 6.3, 6.4, and 6.5, respectively. Table 6.6 contains the results of compressing each group using "LZW3+LZWB1" which is similar to LZWbl but with the LZW3 used instead of LZW. From these tables and the corresponding tables for LZW and FAX, we get the following remarks:

1) The results of LZW2 and LZW1 are very close to LZW. LZW1 and LZW2 have very sma11 advantage in c.f. and table size. LZW2 has slightly higher c.t. than LZW1. The c.t. of both methods are slightly higher than the c.t. of LZW. The table size of both LZW1 and LZW2 are very slightly higher than LZW. Taking all the groups into consideration, it seems that LZW1 and LZW2 give better c.f. and d.t. than $12 W$.
2) LZW3 gives better c.f. than LZW for all groups except g3. The d.t. of LZW3 is similar to LZW but its c.t. is very big. In fact, the c.t. of LZW3 is bigger than one minute; for this reason, we do not include c.t. in the tables of LZW3.
3) LZW gives better c.f. than LZW1 and LZW2 for g3 and g4. This can be explained by using the theoretical analysis we presented before.

Table 6.2. Results of compressing a white screen using methods FAX, LZW, LZWL, LZW2, and LZW3

| Method | Comprs. <br> factor | Comprs. <br> time <br> $s$ | Decomprs. <br> time <br> $s$ | Table <br> size | Extra <br> calls |
| :--- | ---: | ---: | ---: | ---: | ---: |
| FAX | 305.49 | 2.79 | 1.54 | NA | NA |
| LZW | 59.48 | 8.95 | 1.59 | 434 | 0 |
| LZW1 | 340.43 | 2.64 | 1.48 | 286 | 0 |
| LZW2 | 363.64 | 3.13 | 1.49 | 284 | 0 |
| LZW3 | 410.26 | 5.44 | 1.54 | 281 | 0 |

${ }^{a_{N A}}=$ entry not valid for this method.

Table 6.3. Results of compressing each group of the image data using method LZW1

| Group \# | Comprs. <br> factor | $\frac{\text { C.F. }}{\text { FAX }}$ | $\frac{\text { C.F. }}{\text { LZW }}$ | Comprs . time s | Dcmprs. time s | $\begin{aligned} & \text { Table } \\ & \text { size } \end{aligned}$ | Extra calls |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| GROUP 1 | 6.29 | 0.64 | 1.10 | 13.32 | 1.20 | 2118 | 49 |
| GROUP 2 | 5.72 | 0.68 | 1.00 | 13.43 | 1.37 | 2209 | 0 |
| GROUP 3 | 3.60 | 1.28 | 0.95 | 29.14 | 1.46 | 3388 | 268 |
| GROUP 4 | 3.62 | 0.91 | 0.98 | 22.60 | 1.36 | 3127 | 33 |
| GROUP 5 | 5.31 | 0.55 | 1.10 | 3.20 | 0.47 | 941 | 0 |
| GROUP 7 | 4.27 | 1.15 | 1.02 | 30.28 | 1.46 | 3208 | 308 |
| AVERAGE | 4.80 | 0.87 | 1.03 | 18.66 | 1.22 | 2499 | 110 |

Table 6.4. Results of compressing each group of the image data base using method L2W2

| Group \# | Comprs. factor | $\frac{\text { C.F. }}{\text { FAX }}$ | $\frac{\text { C. } \mathrm{F} .}{\mathrm{LZW}}$ | Comprs. time $s$ | Dcmprs. time $s$ | $\begin{aligned} & \text { Table } \\ & \text { size } \end{aligned}$ | Extra <br> calls |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| GROUP 1 | 6.35 | 0.64 | 1.11 | 15.04 | 1.20 | 2113 | 48 |
| GROUP 2 | 5.78 | 0.69 | 1.01 | 15.16 | 1.36 | 2187 | 0 |
| GROUP 3 | 3.62 | 1.29 | 0.96 | 32.82 | 1.47 | 3386 | 260 |
| GROUP 4 | 3.64 | 0.92 | 0.99 | 24.25 | 1.35 | 3113 | 31 |
| GROUP 5 | 5.40 | 0.56 | 1.12 | 3.68 | 0.43 | 936 | 0 |
| GROUP 6 | 4.30 | 1.16 | 1.03 | 29.20 | 1.46 | 3200 | 309 |
| AVERAGE | 4.85 | 0.88 | 1.04 | 20.03 | 1.21 | 2489 | 108 |

Table 6.5. Results of compressing each group of the image data base using method LZW3

| Group \# | Comprs. <br> factor | $\frac{\text { C.F. }}{\text { FAX }}$ | $\frac{\text { C.F. }}{\text { LZW }}$ | Dcmprs. <br> time <br> s | Table <br> size | Extra <br> calls |
| :--- | :--- | :--- | :--- | :--- | :--- | ---: |
| GROUP 1 | 6.62 | 0.67 | 1.16 | 1.43 | 2056 | 39 |
| GROUP 2 | 6.12 | 0.73 | 1.07 | 1.57 | 2048 | 0 |
| GROUP 3 | 3.74 | 1.33 | 0.99 | 1.59 | 3345 | 216 |
| GROUP 4 | 3.77 | 0.95 | 1.02 | 1.48 | 3047 | 14 |
| GROUP 5 | 5.82 | 0.61 | 1.21 | 0.47 | 894 | 0 |
| GROUP 7 | 4.54 | 1.23 | 1.08 | 1.59 | 3149 | 268 |
| AVERAGE | 5.10 | 0.92 | 1.09 | 1.36 | 2423 | 90 |

Table 6.6. Results of compressing each group of the image data base using method LZW3 combined with LZWB1

| Group \# | Comprs. factor | $\frac{\mathrm{C} . \mathrm{F} .}{\mathrm{FAX}}$ | $\frac{\mathrm{C} . \mathrm{F} .}{\mathrm{LZW}}$ | Dcmprs. time s | $\begin{aligned} & \text { Table } \\ & \text { size } \end{aligned}$ | Extra calls |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| GROUP 1 | 6.06 | 0.61 | 1.06 | 1.01 | 2215 | 182 |
| GROUP 2 | 5.53 | 0.66 | 0.97 | 0.98 | 2323 | 0 |
| GROUP 3 | 3.00 | 1.07 | 0.79 | 2.04 | 3567 | 858 |
| GROUP 4 | 3.34 | 0.84 | 0.91 | 1.28 | 3294 | 69 |
| GROUP 5 | 5.77 | 0.60 | 1.20 | 0.27 | 930 | 0 |
| GROUP 7 | 4.14 | 1.12 | 0.99 | 1.74 | 3261 | 451 |
| AVERAGE | 4.64 | 0.82 | 0.98 | 1.22 | 2598 | 260 |

Since the analysis showed that LZW is better than LZW1 and LZW2 for small values of n adding to that the fact that g 3 and g 4 contain a lot of text (which means the run-lengths of these two groups consist of small runs), the length of the strings LZW1 and LZW2 produce in the LZW table is small, hence LZW is better.
4) The same conclusion reached in 3 about LZW1 and LZW2 can be reached for LZW3. But as the calculation shows, LZW3 crosses with LZW for smaller values of $n$ and does much better than LZW for bigger values of $n$; hence, in general, LZW3 is better than $12 W$. Table 6.5 showed that LZW3 always had bigger c.f. than LZW except for g3 where the c.f. of the two methods were very close to each other.
4) The c.f. of LZW1-LZW3 compared to FAX are, as was the case for LZW, higher for g3 and g5 and lower for the other groups. The ratio of the c.f. of LZW3 to that of FAX is 1.35 for $g 3$ which is screens full of text. This big gain in c.f. for g3 justifies using LZW3 at least for g3.
5) From Table 6.6, it is clear that the only advantage L2W3+L2WBI has over LZW3 is a slightly less d.t. LZW3+LZWB1 has the disadvantage of lower c.f. and slightly bigger table size. Compared to LZWBl alone, LZW3_LZWB1 gives a higher c.f. The same analysis and conclusion we got for LZWB1 in Chapter 4 applies to LZW3+LZWB1.

## 7. METHODS R8, R4, AND BIG

7.1. Method R8

The following observations led to the development of methods R8 and R4:

1) LZW gives higher c.f. if the input contains repeated strings and strings that can be built from each other. The methods LZWBs were an attempt to change the input data to LZW from just the pels of the screen in their regular form to other form, run-lengths symbols, that might result in a higher c.f. using LZW. As was shown in Chapter 5, this attempt was successful for some groups and not successful for others. So, another attempt to produce better input. to LZN was developed by the author.
2) The attempt of Chapter 6 to produce better versions of LZW gave modified versions of LZW (namely, LZW1, LZW2, and L2W3) that gave better c.f. than LZW but not as high as expected.
3) LZW, LZW1, LZW2, and LZW3 gave better c.f. than FAX for g3 which consists of screens full of text. At the first glance, it seems that groups consisting of mainly graphical data, and not g3, should give higher c.f. because there is no relation between the screen bytes in the case of g 3 . But, besides the fact that FAX is not optimum for screens that have a lot of small white and black runs, a closer look at the functioning of $L Z W$ and the structure of the input data suggests that LZW does better than FAX for g 3 because LZW benefits from the dependency
between the characters themselves. That is to say, if character " $B$ " comes after " A ", the rows of pels representing " B " come after the rows of pels representing " A ". This results in adding, to the LZW table, a number of strings equal to the character height (assume from now on that the character height is 8). So, the next time " B " comes after " A ", LZW will detect that 8 strings have already been encountered before and are in the table. Hence, LZW represents these 8 strings with fewer symbols than in the case of an input from the normal scan. Note that at this point L2W denotes any of LZW, LZW1, LZW2, and LZW3.

Taking the above 3 points into consideration, we developed methods R8 and R4. Method R8 can be explained as follows.

Instead of reading the screen in the normal scan, R8 divides the screen into blocks of 8 lines and reads each block column by column, where a column width is one byte. Figure 7.1 represents the normal scan and the scan in method R8. So, method R8 is not a compression method; it is only a way of arranging the screen data in the best form for compression. Consequently, method R8 (similarly, R4) should be used with any LZW method. The notation for using LZW combined with R8 will be "LZW+R8". Throughout the rest of the thesis the notation LZWx will be used to denote LZW, LZW1, LZW2, or LZW3 (so, $x=0,1,2$, or 3 with LZWO denoting LZW). The notation Ry will be used to denote R8 or R4. The letter " $R$ " in the method name stands for "rotated" scan. The numbers 4 and 8 stand for the column width in pels.


Figure 7.1. A comparison between normal scanning and scanning of method R8

### 7.2. Method R 4

Method R8 was designed with the screen viewed as characters in order to increase the c.f. of compressing textual data. But for graphics screens or blocks this view may not be the best idea for compression. To investigate this point, we developed method R4. R4 works similar to R8 except that the column width in the rotated scan is 4 pels or half a byte. It is envisioned that this will work better for graphics data because it can isolate longer strings, specially runs of black pels.

Another reason for developing $R 4$ is that such a scanning method might be necessary when scanning typed material where the character width of each letter is not the same for all letters.
7.3. Method BIG

L2W is known to work better as the input data size increases, up to a certain limit [41]. In all the previous LZWx methods, we compress a screen or part of a screen; this means that the input data maximum size is 16 KB . The previous methods (e.g., LZWx+Ry) results showed that the table size was smaller than the table maximum size. This means, as will be cleared later, there is a room for increasing the input size. In method BIG, we use any of the previous methods to compress more than one screen. So, BIG is not an actual method but we name it as a method to make the comparison and investigation clearer.

### 7.4. Results and Analysis of R 8 and R 4

Tables 7.1 and 7.2 contain the results of using LZW with R8 and R4, respectively. Tables 7.3 and 7.4 contain the results of using LZW1 with R8 and R4, respectively. Tables 7.5 and 7.6 contain the results of using LZW2 with R8 and R4, respectively. Tables 7.7 and 7.8 contain the results of using LZW3 with R8 and $R 4$, respectively.

From the above mentioned tables, we get the following points:

1) For all groups, Ry+LZW3 gives higher c.f. than Ry+LZWx (where $x=0,1,2$ ) and LZWx without Ry.
2) c.f. of R8 vs. c.f. of R4: the c.f. results of the different groups can be classified as follows:
a) For g1, R4+LZW or R4+LZW1 is almost the same as R8+LZW or R8+LZWl, respectively, and R4+LZW2 or R4+LZW3 is better than the R8+LZW2 or R8+LZW3, respectively.
b) For $\mathrm{g} 2, \mathrm{R} 4$ is better than R 8 when any of them is combined with LZW1, LZW2, or LZW3. For the LZW, R8 is better.
c) For g 3 , R 8 is better than R 4 for any LZWx.
d) For g4, R4 is better than R8 for any LZWx.
e) For g5, R4 is better than R8 for LZW1-LZW3 and R8 is better than R4 for LZW.
f) For g7, R4 is better than R8 for LZW1 and LZW2, same as R8 for LZW3. For g7, using LZW, R8 is better than R4.

From the above classification, it is clear that, as expected, $R 8$ is better than $R 4$ when the data is only, or mostly, a textual screen. But for graphical data, R4 is better. When the data are a combination of text and graphics R4 is better or at least the same as R8 for all the LZWx methods except LZW.

Table 7.1. Results of compressing each group of the image data base using method LZW combined with method R8

| Group \# | Comprs. factor | $\frac{C . F .}{F A X}$ | $\frac{\text { C.F. }}{\text { LZW }}$ | Comprs. time s | Demprs. time s | Table size | Extra calls |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| GROUP I | 6.96 | 0.70 | 1.21 | 14.58 | 1.79 | 1706 | 0 |
| GROUP 2 | 6.70 | 0.80 | 1.18 | 16.78 | 2.09 | 1928 | 0 |
| GROUP 3 | 5.84 | 2.08 | 1.54 | 20.09 | 2.09 | 2313 | 0 |
| GROUP 4 | 4.41 | 1.11 | 1.20 | 24.33 | 1.99 | 2761 | 0 |
| GROUP 5 | 5.44 | 0.57 | 1.13 | 3.89 | 0.67 | 855 | 0 |
| GROUP 6 | 4.67 | 1.26 | 1.11 | 24.01 | 2.07 | 2882 | 167 |
| AVERAGE | 5.67 | 1.09 | 1.23 | 17.28 | 1.78 | 2074 | 28 |

Table 7.2. Results of compressing each group of the image data base using method LZW combined with method R4

| Group \# | Comprs. factor | $\frac{\mathrm{C}_{\mathrm{A}}}{\mathrm{FAX}}$ | $\frac{\mathrm{C} . \mathrm{F}_{0}}{\mathrm{LZW}}$ | Comprs. time s | Demprs. time s | $\begin{aligned} & \text { Table } \\ & \text { size } \end{aligned}$ | Extra calls |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| GROUP 1 | 6.95 | 0.70 | 1.21 | 15.10 | 2.06 | 1726 | 0 |
| GROUP 2 | 6.61 | 0.79 | 1.16 | 17.67 | 2.41 | 1959 | 0 |
| GROUP 3 | 5.40 | 1.92 | 1.42 | 22.65 | 2.39 | 2513 | 24 |
| GROUP 4 | 4.67 | 1.18 | 1.27 | 24.32 | 2.25 | 2620 | 0 |
| GROUP 5 | 5.47 | 0.57 | 1.13 | 4.07 | 0.76 | 859 | 0 |
| GROUP 7 | 4.59 | 1.24 | 1.10 | 25.74 | 2.38 | 3207 | 208 |
| AVERAGE | 5.62 | 1.07 | 1.22 | 18.26 | 2.04 | 2147 | 39 |

Table 7.3. Results of compressing each group of the image data base using method LZW1 combined with method R8

| Group \# | Comprs. <br> factor | $\frac{\text { C.F. }}{\text { FAX }}$ | $\frac{\text { C.F. }}{\text { L2W }}$ | Comprs. <br> time <br> s | Dcmprs. <br> time <br> s | Table <br> size | Extra <br> calls |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| GROUP 1 | 7.51 | 0.76 | 1.31 | 7.83 | 1.16 | 1598 | 0 |
| GROUP 2 | 6.78 | 0.81 | 1.19 | 10.21 | 1.33 | 1895 | 0 |
| GROUP 3 | 7.58 | 2.70 | 2.00 | 11.68 | 1.43 | 1974 | 0 |
| GROUP 4 | 4.71 | 1.19 | 1.28 | 17.46 | 1.31 | 2698 | 0 |
| GROU 5 | 5.80 | 0.60 | 1.20 | 2.42 | 0.44 | 839 | 0 |
| GROUP 7 | 4.86 | 1.31 | 1.16 | 25.10 | 1.43 | 2948 | 228 |
| AVERAGE | 6.21 | 1.23 | 1.36 | 12.45 | 1.18 | 1992 | 38 |

Table 7.4. Results of compressing each group of the image data base using method LZW1 combined with method R4

| Group \# | Comprs. factor | $\frac{\text { C.F. }}{\text { FAX }}$ | $\frac{\mathrm{C} . \mathrm{F} .}{\mathrm{L} Z \mathrm{~W}}$ | Comprs. time s | Domprs. time s | Table size | Extra calls |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| GROUP 1 | 7.52 | 0.76 | 1.31 | 7.63 | 1.17 | 1590 | 0 |
| GROUP 2 | 6.95 | 0.83 | 1.22 | 9.72 | 1.35 | 1864 | 0 |
| GROUP 3 | 6.98 | 2.48 | 1.84 | 13.05 | 1.44 | 2127 | 21 |
| GROUP 4 | 5.19 | 1.31 | 1.41 | 14.83 | 1.32 | 2453 | 0 |
| GROUP 5 | 6.02 | 0.63 | 1.25 | 2.33 | 0.45 | 824 | 0 |
| GROUP 6 | 4.94 | 1.34 | 1.18 | 24.51 | 1.45 | 2905 | 249 |
| AVERAGE | 6.27 | 1.22 | 1.37 | 12.01 | 1.20 | 1961 | 45 |

Table 7.5. Results of compressing each group of the image data base using method LZW2 combined with method R3

| Group \# | Comprs. factor | $\frac{C_{. F}}{\text { FAX }}$ | $\frac{\text { C.F. }}{\text { LZW }}$ | Comprs. time s | Dcmprs. time s | Table <br> size | Extra calls |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| GROUP 1 | 7.56 | 0.76 | 1.32 | 9.04 | 1.16 | 1589 | 0 |
| GROUP 2 | 6.84 | 0.82 | 1.20 | 11.65 | 1.36 | 1884 | 0 |
| GROUP 3 | 7.64 | 2.72 | 2.02 | 14.37 | 1.42 | 1970 | 0 |
| GROUP 4 | 4.65 | 1.17 | 1.26 | 18.98 | 1.32 | 2701 | 0 |
| GROUP 5 | 5.83 | 0.61 | 1.21 | 2.78 | 0.41 | 837 | 0 |
| GROUP 7 | 4.82 | 1.30 | 1.15 | 21.80 | 1.44 | 2944 | 226 |
| AVERAGE | 6.22 | 1.23 | 1.36 | 13.10 | 1.19 | 1988 | 38 |

Table 7.6. Results of compressing each group of the image data base using method LZW2 combined with method R4

| Group \# | Comprs. factor | $\frac{\text { C.F. }}{\text { FAX }}$ | $\frac{\mathrm{C} . \mathrm{F}_{0}}{\mathrm{~L} Z \mathrm{~W}}$ | Comprs. time $s$ | Dcmprs. time s | Table <br> size | Extra calls |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| GROUP 1 | 7.64 | 0.77 | 1.33 | 8.91 | 1.18 | 1521 | 0 |
| GROUP 2 | 6.91 | 0.82 | 1.21 | 11.33 | 1.37 | 1877 | 0 |
| GROUP 3 | 6.59 | 2.35 | 1.74 | 15.88 | 1.47 | 2133 | 15 |
| GROUP 4 | 5.12 | 1.29 | 1.39 | 17.03 | 1.31 | 2474 | 0 |
| GROUP 5 | 6.06 | 0.63 | 1.26 | 2.65 | 0.41 | 822 | 0 |
| GROUP 7 | 4.99 | 1.35 | 1.19 | 21.92 | 1.45 | 2893 | 249 |
| AVERAGE | 6.22 | 1.20 | 1.35 | 12.95 | 1.20 | 1953 | 44 |

Table 7.7. Results of compressing each group of the image data base using method LZW3 combined with method R8

| Group \# | Comprs. factor | $\frac{C \cdot F_{0}}{\text { FAX }}$ | $\frac{C_{. F}}{L Z W}$ | Demprs. time s | Table <br> size | Extra calls |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| GROUP 1 | 8.07 | 0.82 | 1.41 | 1.48 | 1515 | 0 |
| GROUP 2 | 7.33 | 0.87 | 1.29 | 1.57 | 1781 | 0 |
| GROUP 3 | 7.84 | 2.79 | 2.07 | 1.58 | 1915 | 0 |
| GROUP 4 | 4.93 | 1.24 | 1.34 | 1.51 | 2599 | 0 |
| GROUP 5 | 6.41 | 0.67 | 1.33 | 0.51 | 790 | 0 |
| GROUP 7 | 5.30 | 1.43 | 1.26 | 1.63 | 2835 | 200 |
| AVERAGE | 6.65 | 1.30 | 1.45 | 1.38 | 1906 | 33 |

Table 7.8. Results of compressing each group of the image data base using method LZW3 combined with method R4

| Group \# | Comprs. factor | $\frac{\text { C.F. }}{\text { FAX }}$ | $\frac{C_{. F}}{\mathrm{LZW}}$ | Dcmprs. time s | Table size | Extra calls |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| GROUP 1 | 8.17 | 0.83 | 1.43 | 2.14 | 1506 | 0 |
| GROUP 2 | 7.41 | 0.88 | 1.30 | 2.40 | 1773 | 0 |
| GROUP 3 | 7.31 | 2.60 | 1.93 | 2.41 | 2075 | 0 |
| GROUP 4 | 5.41 | 1.36 | 1.47 | 2.28 | 2387 | 0 |
| GROUP 5 | 6.60 | 0.69 | 1.37 | 0.72 | 783 | 0 |
| GROUP 7 | 5.30 | 1.43 | 1.26 | 2.43 | 2827 | 228 |
| AVERAGE | 6.70 | 1.30 | 1.46 | 2.06 | 1892 | 38 |

Although the c.f. ratios (LZW3/FAX) and (LZW3/LZW) seem to be the same for R4 and R8 when combined with LZW3, the average c.f. of all groups is higher in the case of R4 (6.7 for R4 vs. 6.65 for R8).
3) R4 has higher d.t. than $R 8$ when any of them is combined with LZW or LZW3 and almost the same as R8 when any of them is combined with LZW1 or LZW2. The d.t. of R8+LZW3 is approximately $2 / 3$ of the d.t. of R4+LZW3.
d.t. of R8+LZWx ( $x=1,2,3$ ) are less than d.t. of R $8+L Z W$ with R8+LZW1 and R8+LZW2 having the smallest values.
d.t. of R4+LZW1 or R4+LZW2 are less than d.t. of R4+LZW. d.t. of $R 4+L Z W 3$ is the same as d.t. of $R 4+L Z W$.

So, for Ry+LZWx ( $x=1,2,3$ ), although LZW1-LZW3 have longer strings to be decomposed than LZW, the number of strings in the case of LZW1-LZW3 is less, resulting in a d.t. smaller than or equal to the d.t. of LZW.
4) Although unexpected, the c.t. of Ry+LZW1 or Ry+LZW2 are smaller than the c.t. of Ry+LXW. Most of the c.t. of LZW3 or Ry+LZW3 are longer than one minute, so it was decided not to include them in the tables.
5) The table size for Ry+LZWx decreases as $x$ increases. The table size of $R 4+L Z W x$ is close to the table size for R8+LZWx for each corresponding value of $x$.
6) For g3, the c.f. of R8+LZWx increases as $x$ increases. $R 4$ has a similar trend except for R4+LZW2, where the c.f. is less than R4+LZW1 but still higher than LZW.
7) The c.f. of Ry+LZW3 is higher than FAX for $g 3$, $g 4$, and $g 7$ and less for easy graphics such as g 2 , g 5 , and g 1 which is mixed of text and easy graphics. The result of compressing gl can be explained by the fact that the majority of the documents in gl are easy graphics; only document 4 can be considered as a "text only" document. Hence, the effect of documents totally or partially consisting of graphics cause the c.f. of FAX to be higher than Ry+LZW3.

The highest ratio of the c.f. of Ry+LZWx to FAX c.f. is for R8+LZW3 where it is 2.79 .
8) LZW1 or LZW2 when combined with Ry give c.f. that are smaller than LZW3+Ry by no more than $10 \%$; but they have


#### Abstract

the advantage of lower d.t. and extremely lower c.t. in comparison to LZW3. So, if the c.t. is not important, as in our case, LZW $3+R y$ is the best choice. Choosing between R4 and R8 depends on the group of data to be compressed and the d.t. allowed. But as we saw before, L2W3+R4 gives an overall c.f. that is higher than LZW3+R8 and its d.t. is only in the range of 2 s ( $=1.5$ times the d.t. of LZW3+R8). Hence, we think LZW3+R4 should be the choice.

Furthermore, R8 may not do as well for variable width characters as it did in the case of $g 3$ as shown in Tables 7.7.

If the c.t. is important, Ry+LZW1 or Ry+L2W2 is the choice. From the previous data and analysis, there is no big difference between Ry+LZW1 and Ry+LZW2, and choosing any of them will do as well as the other.


### 7.5. Results and Analysis of BIG

To investigate BIG, we grouped two or more files for a total of 19 groups or combinations. To avoid confusion with the group numbering that we made in Chapter 3, we call these "combinations" and denote them by cl, c2,... etc. Table 7.9 lists these combinations and the images they combine. The images in each combination are listed in their compression order. Tables 7.10-7.12 contain the c.f. results of BIG+Ry+LZWx ( $x=0,2$, and 3 ). Table 7.13 contains the c.t. results of BIG+Ry+LZW and BIG+Ry+LZW2. Since the c.t. results of BIG+Ry+LZW3 are bigger than 1 min, they will not be included. Table 7.14 contains the summation of the c.t. of the individual images in each combination when each individual image is compressed alone using Ry+LZW and Ry+LZW2. Table 7.15 contains the extra calls made when compressing each combination. The presence of negative values of the "extracalls" is used to denote that

Table 7.9. The combinations used in BIG

| Combination $\#$ | Image 1 | Image 2 | Image 3 | Image 4 | Image 5 |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | doc1a | doclb | doclc |  |  |
| 2 | doc2a | doc2c | doc2c |  |  |
| 3 | doc4a | doc4b |  |  |  |
| 4 | doc6a | doc6b |  |  |  |
| 5 | docla | doclb |  |  |  |
| 6 | doc2a | doc 2 b |  |  |  |
| 7 | doc4a | doc4b | romtxt |  |  |
| 8 | doc4a | doc4b | frnch2a |  |  |
| 9 | doc4a | doc4b | doc4c | romtxt | frnch2a |
| 10 | doc4a | doc4b | doc4a |  |  |
| 11 | doc4a | doc4b | doc2a |  |  |
| 12 | doc4a | doc4b | cprog |  |  |
| 13 | doc4a | doc2a | doc4b |  |  |
| 14 | doc4a | electrc | doc4b |  |  |
| 15 | doc6a | doc6b | doc8 |  |  |
| 16 | doc6a | doc6b | frnch3a |  |  |
| 17 | doc6a | doc6b | electrc |  |  |
| 18 | doc6a | doc6b | flowchrt |  |  |
| 19 | doc6a | doc6b | flowehrt | electrc |  |

Table 7.10. Compression factor results using RytIZW

| Combination \# | R8+LZW |  |  |  | R4+LZW |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | BIG | IND | BIG/IND | BIG/FAX | BIG | IND | BIG/IND | BIG/FAX |
| 1 | 6.70 | 6.07 | 1.10 | 1.00 | 6.61 | 6.05 | 1.09 | 0.99 |
| 2 | 11.49 | 9.34 | 1.23 | 0.77 | 11.37 | 9.35 | 1.22 | 0.76 |
| 3 | 5.97 | 5.09 | 1.17 | 3.51 | 5.54 | 4.72 | 1.17 | 3.26 |
| 4 | 8.49 | 7.55 | 1.12 | 0.71 | 8.65 | 7.82 | 1.11 | 0.72 |
| 5 | 5.09 | 4.80 | 1.06 | 1.01 | 5.00 | 4.77 | 1.05 | 1.00 |
| 6 | 9.80 | 8.61 | 1.14 | 0.73 | 9.79 | 8.66 | 1.13 | 0.73 |
| 7 | 4.34 | 4.85 | 0.89 | 2.73 | 2.54 | 4.53 | 0.56 | 1.60 |
| 8 | 4.07 | 4.45 | 0.91 | 2.29 | 2.84 | 3.74 | 0.76 | 1.60 |
| 9 | 2.78 | 4.44 | 0.63 | 1.67 | 2.57 | 3.84 | 0.67 | 1.55 |
| 10 | 6.61 | 5.16 | 1.28 | 3.78 | 6.16 | 4.79 | 1.29 | 3.52 |
| 11 | 6.70 | 5.98 | 1.12 | 2.78 | 6.11 | 5.63 | 1.09 | 2.54 |
| 12 | 6.68 | 6.09 | 1.10 | 3.01 | 5.25 | 5.64 | 0.93 | 2.36 |
| 13 | 6.78 | 5.98 | 1.13 | 2.81 | 6.51 | 5.63 | 1.16 | 2.70 |
| 14 | 5.23 | 4.91 | 1.07 | 2.91 | 4.94 | 4.59 | 1.08 | 2.74 |
| 15 | 8.46 | 7.54 | 1.12 | 0.59 | 8.62 | 7.77 | 1.11 | 0.60 |
| 16 | 8.89 | 7.52 | 1.18 | 0.74 | 8.85 | 7.59 | 1.17 | 0.74 |
| 17 | 6.65 | 6.21 | 1.07 | 1.46 | 6.55 | 6.19 | 1.06 | 1.43 |
| 18 | 7.48 | 6.66 | 1.12 | 0.86 | 7.51 | 6.81 | 1.10 | 0.87 |
| 19 | 5.54 | 5.99 | 0.92 | 1.16 | 5.07 | 5.98 | 0.85 | 1.06 |

Table 7.11. Compression factor results using Ry+LZW2

| Combination \# | R8+L2W2 |  |  |  | R4+L2W2 |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | BIG | IND | BIG/IND | BIG/FAX | $\overline{\text { BIG }}$ | IND | BIG/IND | BIG/FAX |
| 1 | 6.68 | 6.14 | 1.09 | 1.00 | 6.73 | 6.30 | 1.07 | 1.01 |
| 2 | 10.97 | 9.05 | 1.21 | 0.74 | 11.10 | 9.18 | 1.21 | 0.75 |
| 3 | 8.67 | 7.04 | 1.23 | 5.10 | 8.15 | 6.55 | 1.24 | 4.79 |
| 4 | 8.50 | 7.91 | 1.07 | 0.71 | 8.96 | 8.18 | 1.10 | 0.75 |
| 5 | 5.05 | 4.80 | 1.05 | 1.01 | 5.10 | 4.92 | 1.04 | 1.02 |
| 6 | 9.33 | 8.19 | 1.14 | 0.69 | 9.46 | 8.35 | 1.13 | 0.70 |
| 7 | 7.86 | 6.83 | 1.15 | 4.94 | 7.17 | 6.41 | 1.12 | 4.51 |
| 8 | 5.57 | 5.20 | 1.07 | 3.13 | 4.09 | 4.43 | 0.92 | 2.30 |
| 9 | 4.61 | 5.41 | 0.85 | 2.78 | 4.05 | 4.79 | 0.85 | 2.44 |
| 10 | 10.49 | 7.13 | 1.47 | 5.99 | 9.99 | 6.59 | 1.52 | 5.72 |
| 11 | 8.82 | 7.53 | 1.17 | 3.66 | 8.54 | 7.20 | 1.19 | 3.54 |
| 12 | 10.03 | 8.42 | 1.19 | 4.52 | 9.41 | 7.74 | 1.22 | 4.24 |
| 13 | 8.68 | 7.53 | 1.15 | 3.60 | 8.37 | 7.20 | 1.16 | 3.47 |
| 14 | 6.55 | 6.04 | 1.08 | 3.64 | 6.14 | 5.72 | 1.07 | 3.41 |
| 15 | 8.38 | 7.84 | 1.07 | 0.59 | 9.00 | 8.21 | 1.10 | 0.63 |
| 16 | 8.58 | 7.67 | 1.12 | 0.71 | 9.03 | 7.80 | 1.16 | 0.75 |
| 17 | 6.74 | 6.44 | 1.05 | 1.47 | 6.75 | 6.47 | 1.04 | 1.48 |
| 18 | 7.34 | 6.88 | 1.07 | 0.85 | 7.81 | 7.09 | 1.10 | 0.90 |
| 19 | 5.25 | 6.15 | 0.85 | 1.10 | 4.97 | 6.23 | 0.80 | 1.04 |

Table 7.12. Compression factor results using Ry+LZW3

| $\begin{aligned} & \text { Combi- } \\ & \text { nation } \\ & \# \end{aligned}$ | R4+LZW3 |  |  |  | R4+L2W3 |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | $\overline{\text { BIG }}$ | IND | BIG/IND | BIG/FAX | $\overline{\text { BIG }}$ | IND | BIG/IND | BIG/FAX |
| 1 | 6.93 | 6.46 | 1.07 | 1.04 | 6.98 | 6.54 | 1.06 | 1.05 |
| 2 | 11.63 | 9.77 | 1.19 | 0.78 | 11.73 | 9.89 | 1.19 | 0.79 |
| 3 | 8.63 | 7.14 | 1.21 | 5.08 | 8.38 | 6.66 | 1.26 | 4.93 |
| 4 | 9.60 | 8.67 | 1.11 | 0.80 | 9.79 | 9.02 | 1.09 | 0.82 |
| 5 | 5.25 | 5.02 | 1.05 | 1.05 | 5.26 | 5.09 | 1.03 | 1.05 |
| 6 | 9.86 | 8.88 | 1.11 | 0.73 | 9.99 | 9.03 | 1.11 | 0.74 |
| 7 | 7.87 | 6.87 | 1.15 | 4.95 | 7.51 | 6.57 | 1.14 | 4.72 |
| 8 | 5.69 | 5.36 | 1.06 | 3.20 | 4.36 | 4.55 | 0.96 | 2.45 |
| 9 | 4.43 | 5.51 | 0.80 | 2.67 | 3.99 | 4.93 | 0.81 | 2.40 |
| 10 | 10.54 | 7.19 | 1.47 | 6.02 | 10.24 | 6.72 | 1.52 | 5.85 |
| 11 | 9.02 | 7.78 | 1.16 | 3.74 | 8.89 | 7.42 | 1.20 | 3.69 |
| 12 | 10.15 | 8.50 | 1.19 | 4.57 | 9.75 | 7.97 | 1.22 | 4.39 |
| 13 | 9.01 | 7.78 | 1.16 | 3.74 | 8.86 | 7.42 | 1.19 | 3.68 |
| 14 | 6.87 | 6.24 | 1.10 | 3.82 | 6.69 | 5.95 | 1.12 | 3.72 |
| 15 | 9.33 | 8.57 | 1.09 | 0.65 | 9.74 | 8.96 | 1.09 | 0.68 |
| 16 | 9.59 | 8.37 | 1.15 | 0.80 | 9.70 | 8.64 | 1.12 | 0.81 |
| 17 | 7.40 | 6.96 | 1.06 | 1.62 | 7.28 | 7.05 | 1.03 | 1.59 |
| 18 | 8.30 | 7.43 | 1.12 | 0.96 | 8.51 | 7.74 | 1.10 | 0.98 |
| 19 | 5.72 | 6.62 | 0.86 | 1.20 | 5.63 | 6.77 | 0.83 | 1.18 |

Table 7.13. Compression time of each combination using Ry+LZW and Ry+LZW2

| Combination |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| $\#$ | R8+LZW <br> $\mathbf{s}$ | R4+LZW <br> $\mathbf{s}$ | R8+LZW2 <br> $\mathbf{s}$ | R4+LZW2 <br> $\mathbf{s}$ |
|  |  |  |  |  |
| 1 | 99 | 100 | 60 | 60 |
| 2 | 60 | 61 | 36 | 38 |
| 3 | 55 | 61 | 34 | 35 |
| 4 | 37 | 39 | 24 | 23 |
| 5 | 64 | 65 | 47 | 47 |
| 6 | 31 | 32 | 23 | 24 |
| 7 | 129 | 131 | 66 | 70 |
| 8 | 121 | 125 | 96 | 121 |
| 9 | 264 | 276 | 183 | 187 |
| 10 | 96 | 104 | 52 | 53 |
| 11 | 111 | 108 | 55 | 57 |
| 12 | 111 | 112 | 47 | 49 |
| 13 | 105 | 112 | 59 | 62 |
| 14 | 105 | 114 | 83 | 89 |
| 15 | 81 | 85 | 52 | 49 |
| 16 | 70 | 85 | 48 | 47 |
| 17 | 82 | 88 | 66 | 66 |
| 18 | 75 | 78 | 58 | 56 |
| 19 | 116 | 124 | 122 | 132 |

Table 7.14. Summation of the compression times of the images in each combination using Ry+LZW and Ry+LzW2

| Combination <br> $\#$ | R8+LZW <br> $s$ | R4+LZW <br> $\mathbf{s}$ | R8+LZW2 <br> $\mathbf{s}$ | R4+LZW2 <br> $\mathbf{s}$ |
| :---: | :---: | :---: | :---: | :---: |
| 1 | 58 | 60 | 36 | 36 |
| 2 | 41 | 42 | 23 | 24 |
| 3 | 44 | 48 | 26 | 27 |
| 4 | 30 | 31 | 18 | 17 |
| 5 | 46 | 46 | 32 | 31 |
| 6 | 26 | 27 | 17 | 17 |
| 7 | 66 | 72 | 40 | 42 |
| 8 | 69 | 83 | 56 | 67 |
| 9 | 98 | 115 | 75 | 87 |
| 10 | 66 | 72 | 38 | 40 |
| 11 | 55 | 60 | 34 | 36 |
| 12 | 60 | 66 | 31 | 33 |
| 13 | 55 | 60 | 34 | 36 |
| 14 | 64 | 70 | 44 | 46 |
| 15 | 45 | 46 | 28 | 26 |
| 16 | 45 | 46 | 29 | 27 |
| 17 | 50 | 53 | 37 | 36 |
| 18 | 48 | 50 | 33 | 30 |
| 19 |  |  | 72 | 51 |

Table 7.15. Extra calls required when compressing each combination using Ry+LZW, Ry+LZW2, and Ry+LZW3

| Combi- <br> nation <br> $\#$ |  |  |  |  |  |  |
| :--- | ---: | ---: | ---: | ---: | ---: | ---: |
|  |  |  |  |  |  |  |
|  | R8+LZW | R4+LZW | R8+LZW2 | R4+LZW2 | R8+LZW3 | R4+LZW3 |
| 1 |  |  |  |  |  |  |
| 2 | -1059 | 1001 | 948 | 907 | 775 | 739 |
| 3 | -268 | -1028 | -930 | -963 | -1093 | -1115 |
| 4 | -1331 | -1376 | -1382 | -1225 | -1371 | -1299 |
| 5 | 346 | 422 | 384 | -1464 | -1622 | -1665 |
| 6 | -1666 | 2434 | -1557 | -1589 | 219 | 214 |
| 7 | 3523 | 8738 | 227 | 615 | -1679 | -1707 |
| 8 | 4016 | 7422 | 1902 | 3981 | 1781 | 417 |
| 9 | 15320 | 16904 | 7705 | 9290 | 8179 | 9596 |
| 10 | 995 | 1354 | -794 | -641 | -809 | -722 |
| 11 | 936 | 1393 | -218 | -98 | -299 | -247 |
| 12 | 947 | 2256 | -655 | -444 | -692 | -564 |
| 13 | 874 | 1072 | -159 | -24 | -293 | -238 |
| 14 | 2273 | 2633 | 1041 | 1365 | 816 | 936 |
| 15 | -61 | -132 | -28 | -290 | -413 | -560 |
| 16 | -244 | -229 | -115 | -300 | -507 | -547 |
| 17 | 966 | 1038 | 906 | 898 | 480 | 547 |
| 18 | 435 | 419 | 513 | 251 | 13 | -88 |
| 19 | 3861 | 4567 | 4281 | 4745 | 3612 | 3732 |

there were no extra calls and the number given is equal to the table size minus the table maximum size, i.e., minus 4096.

Checking the c.f. results in Tables 7.10-7.12, we observe that the method BIG, in general, produced the desired increase in the c.f. We also observe that the trends in the three tables are very similar. Hence, we chose to comment on only Table 7.12 which has the results of using BIG+Ry+L2W3.

From Table 7.12, we see that the difference between using R 4 and R8 is very small, except for c8. In general, as expected and explained before, R8 produces a higher c.f. for textual data and R4 produces a higher c.f. for graphics data. In the following, we will look at the results of BIG+R8+LZW3. We will refer to the results of BIG+R4+LZW3 when necessary.

1) Combinations c1, c2, c3, and c4 represent the combination of the parts of each of the CCITT documents. This means the images combined in each combination are related together. For this reason, the result of c1, c2, c3, and c4 shows an increase in the ratio of the c.f. if the combination is compressed at once, over the total c.f. if each image was compressed alone. Tables 7.10-7.12 denote this ratio by BIG/IND, and we will use this notation in the rest of the thesis. Among the BIG/IND ratios of $\mathrm{c} 1, \mathrm{c} 2, \mathrm{c} 3$, and c 4 , the highest ratio was that of c 3 . This is expected since this combination is a combination of two textual screens. Note that the c.f. of c3 is 8.63 which is higher than the c.f. if each screen was sent as an ASCII text. If each screen was sent as ASCII text, then the c.f. is given by

$$
\text { c.f. }=16000 /(80 \times 25)=8.0
$$

We should note that the two textual screens in c3 have only 24 lines each with the last line being blank characters. So, for a completely filled screen the c.f. may be a little less, or may be higher.

The fact that we get a c.f. of c3 that is higher than the c.f. if we send the screen as ASCII is a very interesting and important result. It means that without any pattern recognition we get a c.f. higher than the c.f. if pattern recognition is used.
2) Combinations $c 5$ and $c 6$ are each the combination of the first two images in cl and c2, respectively. Their c.f. result shows that for such images, compressing three images is better than compressing two images in one combination.
3) Combinations $c 7$ and $c 8$ consist of doc4a and doc4b each, followed by romtxt and frnch2a, respectively. The BIG/IND ratio of $c 7$ is higher than that of $c 8$. This difference can be explained by the following remarks:
a) The characters in frnch2a are different from the characters in doc4a and doc4b while the characters of romtxt are the same.
b) The lmage frnch2a is a screen filled with 22 lines while the images doc4a, doc4b, and romtxt are textual pages with 24 lines as a text and line 25 is blank. This means that, first image romtxt is more similar to doc4a and doc4b than image frnch2a. Second, the compression of frnch2a will not be as good as any of the other images because it is not in the best form for R8, i.e., it does not consist of lines that are next adjacent to each other and frnch2a has characters of 8 pels high.
4) The ratio of the c.f. of c8 using BIG+R8+LZW3 to the c.f. of BIG+R4+LZW3 is the highest ratio in Table 7.12 for any combination.
5) Each of c9 and c19 represent a combination of 5 images of textual and graphics screens, respectively. In the result of both combinations, BIG/IND is less than 1 but BIG/FAX is bigger than 1 . The fact that BIG/IND is less than 1 suggests that, as expected, the LZWx methods lose their adaptation if the input size increases beyond a certain limit.
6) Combination cl0 shows how L2Wx benefits from repeated strings and how it is highly adaptable. These two observations come from the fact that doc4a is the first and third image in this combination.
7) Combinations $c l 1$ and c12 have images doc4a and doc4b as their first two images and doc2a and cprog as their third image, respectively. Although the third image is a graphics image in cll and a textual image in cl2, both combinations have BIG/IND around 1.15. This also shows the adaptability of LZWx.
8) The second and third images in c13 are the third and second images in cll. It is interesting that with this flipping of the images order, the resulted c.f. are still almost the same. BIG+R4+LZW3 gives similar results.
9) Combinations cl3 and c14 both have doc4a and doc4b as their first and third images, and their second image is a graphical screen. Both combinations give BIG/IND bigger than 1.10. This also shows the adaptability of LZWx.
10) In the combination c15, the third image is completely different from the first two images and still BIG/IND is bigger than 1 . This also shows the adaptability of LZWx.
11) Combinations $c 16, \mathrm{cl7}$, and $\mathrm{cl8}$ start each with two related graphics screens, namely, doc6a and doc6b, followed by a third image that is also a graphics screen. The BIG/IND is bigger than 1 in the three combinations. The BIG/IND ratio increases with the c.f. of the third image.
12) In most combinations, there were some extra calls made but this did not affect the c.f. very much.
13) The compression time of the document increases as its order in compression increases. The compression time for images other than the first image is usually longer than when compressing this image alone. This is due to the fact that the method takes longer time to search the table as the table size increases.

## 8. GENERAL ANALYSES

In the previous chapters, we looked at the methods when we developed them. In this chapter, we will present some general remarks about these methods.
8.1. Building the Screen

In Chapter 3, we defined group 6 as a group that contains an image that is built gradually and can be divided into smaller blocks. We saw in Chapter 4 that, when using FAX, this division does not increase the total c.f. of the small blocks. We did not look at this point for the methods LZWx in the last chapters. Table 8.1 presents the results of dividing the image pdraw3 into 4 smaller blocks using all the methods developed so far.

From Table 8.1, we conclude that LZWx does not benefit from dividing the screen into smaller blocks. This is due to the fact that LZWx works better as the input size increases, but by dividing the screen we produce data of sizes smaller than the size of the original block; hence, the c.f. will decrease. For small blocks, the LZWx method will not gather enough data about the input to be able to produce a ingh c.f.

### 8.2. Screen Division

Table 8.2 gives the total c.f. when the screen is eut into two or three equal parts then each part is compressed alone using all previous compression methods. The table shows that the total c.f. of FAX is not

Table 8.1. Compression factors of image pdraw3 taken as a whole and as 4 parts and using all methods

|  |  |  |  |
| :--- | :--- | :--- | :--- |
| Method | 4 parts | Whole | wharts |
|  |  |  |  |
|  |  |  |  |
| FAX | 2.91 | 4.19 | 0.69 |
| LZW | 2.58 | 4.00 | 0.65 |
| LZW+R8 | 3.35 | 5.76 | 0.58 |
| LZW+R4 | 3.16 | 5.59 | 0.57 |
| LZW1 | 2.53 | 3.95 | 0.64 |
| LZW1+R8 | 3.60 | 6.32 | 0.57 |
| LZW1+R4 | 3.41 | 6.32 | 0.54 |
| LZW2 | 2.53 | 3.96 | 0.64 |
| LZW2+R8 | 3.59 | 6.54 | 0.55 |
| LZW2+R4 | 3.40 | 6.24 | 0.54 |
| LZW3 | 2.64 | 4.08 | 0.65 |
| LZN3+R8 | 3.70 | 6.97 | 0.53 |
| LZW3+R4 | 3.62 | 6.68 | 0.54 |
| LZW3+LZWB1 | 2.18 | 3.40 | 0.64 |
| LZWB | 2.11 | 3.39 | 0.62 |
| LZWB1 | 2.18 | 3.44 | 0.63 |
| LZWB2-A | 2.15 | 3.42 | 0.63 |
| LZWB2-B | 2.29 | 3.52 | 0.65 |

Table 8.2. Compression factors of romtxt and doc6a taken as whole 2-part and 3-part figures using all methods

| Method |  |  |  |  | DOC6A |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | ROMTXT ${ }^{\text {a }}$ |  |  |  |  |  | 2 | 3 |
|  | 2 | 3 | parts | parts | 2 | 3 | parts | parts |
|  | parts | parts | total | total | parts | parts | total | total |
| FAX | 1.40 | 1.40 | 1.00 | 1.00 | 9.52 | 9.44 | 0.99 | 0.98 |
| L2W | 2.12 | 1.98 | 0.90 | 0.84 | 4.41 | 4.14 | 0.91 | 0.85 |
| LZW+R8 | 3.75 | 3.36 | 0.85 | 0.76 | 5.53 | 5.08 | 0.88 | 0.81 |
| L2W+R4 | 3.52 | 3.12 | 0.84 | 0.74 | 5.60 | 5.22 | 0.89 | 0.83 |
| LZW1 | 1.97 | 1.85 | 0.91 | 0.86 | 5.41 | 5.07 | 0.93 | 0.87 |
| L2Fl+R8 | 5.01 | 4.34 | 0.78 | 0.67 | 5.55 | 5.23 | 0.93 | 0.87 |
| L2W1+R4 | 4.71 | 3.96 | 0.75 | 0.63 | 5.81 | 5.37 | 0.91 | 0.85 |
| LZW2 | 1.97 | 1.85 | 0.91 | 0.86 | 5.61 | 5.17 | 0.95 | 0.88 |
| L2W2+R8 | 5.01 | 4.34 | 0.78 | 0.67 | 5.60 | 5.10 | 0.92 | 0.84 |
| LZW2+R4 | 4.66 | 3.98 | 0.76 | 0.65 | 5.81 | 5.36 | 0.93 | 0.86 |
| LZW3 | 2.02 | 1.88 | 0.91 | 0.85 | 5.93 | 5.54 | 0.94 | 0.88 |
| L2W3+R8 | 5.03 | 4.34 | 0.79 | 0.68 | 6.28 | 5.78 | 0.91 | 0.84 |
| L2W3+R4 | 4.69 | 4.05 | 0.75 | 0.65 | 6.38 | 5.94 | 0.92 | 0.86 |
| L2W3+LZWB1 | 1.43 | 1.43 | 0.91 | 0.85 | 5.60 | 5.36 | 0.94 | 0.90 |
| L2WB | 1.55 | 1.45 | 0.91 | 0.85 | 5.42 | 5.10 | 0.93 | 0.87 |
| L2WB1 | 1.57 | 1.46 | 0.91 | 0.84 | 5.46 | 5.20 | 0.94 | 0.89 |
| L2WB2-A | 1.56 | 1.45 | 0.91 | 0.85 | 5.54 | 5.26 | 0.94 | 0.89 |
| LZWB2-B | 1.61 | 1.51 | 0.93 | 0.87 | 5.79 | 5.56 | 0.94 | 0.90 |

affected by this division while the total c.f. of LZWx is reduced by this division. This observation of FAX can be explained by the fact that FAX uses the information of only the previous line when coding the current line. This understanding of FAX allows us to assume that the total c.f. of compressing two or more screens together using FAX is, in fact, the same as the total c.f. when each screen is compressed alone. In the previous chapter, we implicitly used this result. Of course, LZWx benefits from compressing two or more screens together as was shown by the results of BIG in the previous chapter.

### 8.3. The Significance of the Groups Averages

Since there is no standard test to compare different compression algorithms, we developed the image data base described in Chapter 3. Comparing two compression methods based on the result of only one image or one group of images can be misleading. We avoid this problem by looking at the results of each group, the average of each group, and the average of all groups averages. This comprehensive checking makes sure that we avoid any anomaly that might exist in any image or group. But this creates another problem that might not be apparently noticeable; this problem is that this group averaging makes it subtle to notice the power these methods have when compressing some of the images. So, the best way is to use the group average and the average of all groups averages while keeping in mind that for some individual images (or groups) we may get a c.f. considerably higher than the average value. For the above reasons, we include Tables 8.3-8.22. Tables 8.3-8.10 contain the results

Table 8.3. Results of compressing images in group 1 using method R8+LZW2

| Image | Comprs. factor | Comprs. time s | $\begin{gathered} \text { Decomprs. } \\ \text { time } \\ s \end{gathered}$ | Table <br> size | Extra calls |
| :---: | :---: | :---: | :---: | :---: | :---: |
| docla | 7.10 | 8.56 | 1.37 | 1757 | 0 |
| doclb | 3.63 | 23.13 | 1.48 | 3191 | 0 |
| doclc | 13.85 | 4.78 | 1.31 | 1025 | 0 |
| doc2a | 8.77 | 8.19 | 1.32 | 1471 | 0 |
| doc 2 b | 7.69 | 9.12 | 1.27 | 1642 | 0 |
| doc2c | 11.44 | 6.09 | 1.26 | 1187 | 0 |
| doc4a | 7.33 | 11.80 | 1.43 | 1710 | 0 |
| doc4b | 6.77 | 14.44 | 1.43 | 1831 | 0 |
| doc4c | 5.21 | 4.88 | 0.66 | 1156 | 0 |
| doc5la | 4.58 | 11.26 | 1.10 | 2116 | 0 |
| doc51b | 7.70 | 7.64 | 1.09 | 1363 | 0 |
| doc51c | 10.93 | 2.53 | 0.60 | 692 | 0 |
| doc5ra | 4.83 | 11.09 | 1.04 | 1910 | 0 |
| doc5rb | 6.64 | 6.43 | 0.99 | 1460 | 0 |
| doc5rc | 4.55 | 4.73 | 0.61 | 1239 | 0 |
| doc6a | 6.07 | 12.09 | 1.32 | 2011 | 0 |
| doc6b | 11.35 | 6.32 | 1.32 | 1195 | 0 |
| doc8 | 7.71 | 9.72 | 1.32 | 1638 | 0 |

Table 8.4. Results of compressing images in group 2 using method R8+LZW2

| Image | Comprs. factor | Comprs. time 5 | $\begin{gathered} \text { Decomprs. } \\ \text { time } \\ s \end{gathered}$ | Table <br> size | Extra calls |
| :---: | :---: | :---: | :---: | :---: | :---: |
| frnch3a | 7.23 | 10.22 | 1.37 | 1731 | 0 |
| flowchrt | 5.46 | 14.83 | 1.37 | 2208 | 0 |
| electrc | 4.70 | 18.23 | 1.37 | 2524 | 0 |
| ordrfrm | 7.98 | 10.16 | 1.43 | 1591 | 0 |
| frnchla | 6.05 | 10.71 | 1.32 | 2018 | 0 |
| doc2a | 8.77 | 8.24 | 1.37 | 1471 | 0 |
| doc2b | 7.69 | 9.17 | 1.32 | 1642 | 0 |
| AVERAGE | 6.84 | 11.65 | 1.36 | 1884 | 0 |

Table 8.5. Results of compressing images in group 3 using method R8+LZW2

| Image | Comprs. factor | Comprs. time s | $\begin{aligned} & \text { Decomprs. } \\ & \text { time } \\ & s \end{aligned}$ | Table <br> size | Extra calls |
| :---: | :---: | :---: | :---: | :---: | :---: |
| romtxt | 6.46 | 14.00 | 1.48 | 1907 | 0 |
| frnch2a | 3.41 | 29.88 | 1.42 | 3387 | 0 |
| pagel | 8.75 | 9.34 | 1.37 | 1474 | 0 |
| docl-2 | 10.89 | 7.41 | 1.43 | 1234 | 0 |
| cprog | 13.85 | 5.00 | 1.32 | 1025 | 0 |
| doclb | 3.63 | 23.07 | 1.42 | 3191 | 0 |
| doc4a | 7.33 | 11.81 | 1.48 | 1710 | 0 |
| doc4b | 6.77 | 14.45 | 1.43 | 1970 | 0 |
| AVERAGE | 7.64 | 14.37 | 1.42 | 1970 | 0 |

Table 8.6. Results of compressing images in group 4 using method R8+LZW2

| File <br> name | Comprs. <br> factor | Comprs. <br> time <br> $\mathbf{s}$ | Decomprs. <br> time <br> s | Table <br> size | Extra <br> calls |
| :--- | :--- | :--- | :--- | :--- | :--- |
| pdraw3 | 7.31 | 10.10 | 1.38 | 1715 | 0 |
| science1 | 3.80 | 22.19 | 1.37 | 3063 | 0 |
| science2 | 2.92 | 32.19 | 1.42 | 3910 | 0 |
| doc51a | 4.58 | 11.43 | 1.10 | 2116 | 0 |
| AVERAGE | 4.65 | 18.98 | 1.32 | 2701 | 0 |

Table 8.7. Results of compressing images in group 1 using method R4+L2W2

| Image | Comprs. factor | Comprs. time s | Decomprs. time s | Table <br> size | Extra calls |
| :---: | :---: | :---: | :---: | :---: | :---: |
| docla | 7.40 | 8.24 | 1.37 | 697 | 0 |
| doclb | 3.68 | 22.90 | 1.48 | 3150 | 0 |
| docle | 14.39 | 4.89 | 1.32 | 996 | 0 |
| doc2a | 8.95 | 8.40 | 1.32 | 1447 | 0 |
| doc 2 b | 7.82 | 9.06 | 1.32 | 1619 | 0 |
| doc2c | 11.45 | 6.37 | 1.31 | 1186 | 0 |
| doc4a | 6.65 | 12.42 | 1.43 | 1858 | 0 |
| doc4b | 6.46 | 14.77 | 1.48 | 1907 | 0 |
| doc4c | 4.89 | 4.89 | 0.66 | 1214 | 0 |
| doc5la | 6.06 | 8.40 | 1.15 | 1663 | 0 |
| doc51b | 7.50 | 7.14 | 1.10 | 1392 | 0 |
| doc51c | 10.93 | 2.14 | 0.61 | 692 | 0 |
| doc5ra | 4.56 | 12.03 | 1.10 | 2009 | 0 |
| doc5rb | 6.45 | 6.98 | 0.99 | 1495 | 0 |
| doc5rc | 3.94 | 5.33 | 0.60 | 1392 | 0 |
| doc6a | 6.24 | 11.48 | 1.32 | 1965 | 0 |
| doc6b | 11.89 | 5.44 | 1.32 | 1152 | 0 |
| doc8 | 8.26 | 9.44 | 1.32 | 1546 | 0 |
| AVERAGE | 7.64 | 8.91 | 1.18 | 1521 | 0 |

Table 8.8. Results of compressing images in group 2 using method R4+LZW2

| Image | Comprs. factor | Comprs. time s | $\begin{gathered} \text { Decomprs. } \\ \text { time } \\ \mathbf{s} \end{gathered}$ | Table size | Extra calls |
| :---: | :---: | :---: | :---: | :---: | :---: |
| frnch 3 a | 7.13 | 10.05 | 1.32 | 1750 | 0 |
| flowchrt | 5.60 | 13.35 | 1.37 | 2158 | 0 |
| electrc | 4.56 | 18.90 | 1.43 | 2593 | 0 |
| ordrfrm | 8.36 | 8.84 | 1.42 | 1530 | 0 |
| frnchla | 5.96 | 10.71 | 1.43 | 2045 | 0 |
| doc2a | 8.95 | 8.40 | 1.32 | 1447 | 0 |
| doc 2 b | 7.82 | 9.06 | 1.32 | 1619 | 0 |
| AVERAGE | 6.91 | 11.33 | 1.37 | 1877 | 0 |

Table 8.9. Results of compressing images in group 3 using method R4+L2N2

| Image | Comprs. factor | Comprs. time s | Decomprs. time $s$ | Table <br> size | Extra calls |
| :---: | :---: | :---: | :---: | :---: | :---: |
| romtxt | 6.13 | 14.34 | 1.48 | 1996 | 0 |
| frnch2a | 2.69 | 40.20 | 1.54 | 4096 | 122 |
| pagel | 8.06 | 9.11 | 1.37 | 1579 | 0 |
| doc1-2 | 9.76 | 7.80 | 1.48 | 1348 | 0 |
| cprog | 12.16 | 5.38 | 1.43 | 1132 | 0 |
| doclb | 3.68 | 22.90 | 1.49 | 3150 | 0 |
| doc4a | 6.65 | 12.52 | 1.43 | 1858 | 0 |
| doc4b | 6.46 | 14.78 | 1.53 | 1907 | 0 |
| AVERAGE | 6.95 | 15.88 | 1.47 | 2133 | 15 |

Table 8.10. Results of compressing images in group 4 using method R4+LZW2

| Image | Comprs. factor | Comprs. time s | $\begin{gathered} \text { Decomprs. } \\ \text { time } \\ s \end{gathered}$ | Table <br> size | Extra calls |
| :---: | :---: | :---: | :---: | :---: | :---: |
| pdraw3 | 7.21 | 11.20 | 1.37 | 1735 | 0 |
| sciencel | 3.98 | 20.93 | 1.37 | 2932 | 0 |
| science2 | 3.22 | 27.68 | 1.42 | 3567 | 0 |
| doc51a | 6.06 | 8.29 | 1.09 | 1663 | 0 |
| AVERAGE | 5.12 | 17.03 | 1.31 | 2474 | 0 |

Table 8.11. Results of compressing images in group 1 using method LZW3

| Image | Comprs. factor | $\begin{gathered} \text { Decomprs. } \\ \text { time } \\ s \end{gathered}$ | Table size | Extra calls |
| :---: | :---: | :---: | :---: | :---: |
| docla | 6.97 | 1.60 | 1786 | 0 |
| doclb | 3.59 | 1.65 | 3228 | 0 |
| doclc | 15.17 | 3.25 | 958 | 0 |
| doc2a | 7.96 | 1.54 | 1594 | 0 |
| doc 2 b | 7.32 | 1.53 | 1712 | 0 |
| doc2c | 10.78 | 1.54 | 1244 | 0 |
| doc4a | 2.77 | 1.54 | 4096 | 0 |
| doc4b | 2.35 | 1.59 | 4096 | 701 |
| doc4c | 2.17 | 0.72 | 2418 | 0 |
| doc5la | 3.92 | 1.26 | 2434 | 0 |
| doc51b | 6.04 | 1.21 | 1668 | 0 |
| doc51c | 12.35 | 0.66 | 652 | 0 |
| doc5ra | 2.86 | 1.26 | 3054 | 0 |
| doc5rb | 6.64 | 1.16 | 1460 | 0 |
| doc5rc | 3.11 | 0.66 | 1736 | 0 |
| doc6a | 6.30 | 1.59 | 1948 | 0 |
| doc6b | 11.68 | 1.53 | 1168 | 0 |
| doc8 | 7.09 | 1.53 | 1760 | 0 |
| AVERAGE | 6.62 | 1.43 | 2056 | 39 |

Table 8.12. Results of compressing images in group 2 using method LZW3

| Image | Comprs. factor | $\begin{gathered} \text { Decomprs. } \\ \text { time } \\ s \end{gathered}$ | Table <br> size | Extra calls |
| :---: | :---: | :---: | :---: | :---: |
| frnch3a | 7.06 | 1.54 | 1766 | 0 |
| flowchrt | 4.63 | 1.59 | 2558 | 0 |
| electrc | 4.25 | 1.60 | 2762 | 0 |
| ordrfrm | 5.38 | 1.59 | 2236 | 0 |
| frnchla | 6.25 | 1.59 | 1962 | 0 |
| doc2a | 7.96 | 1.54 | 1594 | 0 |
| doc2b | 7.32 | 1.54 | 1712 | 0 |
| AVERAGE | 6.12 | 1.57 | 2084 | 0 |

Table 8.13. Results of compressing images in group 3 using method LZW3

| Image | Comprs. <br> factor | $\begin{gathered} \text { Decomprs. } \\ \text { time } \\ \mathbf{s} \end{gathered}$ | Table <br> size | Extra calls |
| :---: | :---: | :---: | :---: | :---: |
| romtxt | 2.22 | 1.65 | 4096 | 970 |
| frnch2a | 2.74 | 1.60 | 4096 | 51 |
| pagel | 3.99 | 1.64 | 2926 | 0 |
| docl-2 | 4.61 | 1.54 | 2566 | 0 |
| cprog | 7.62 | 1.54 | 1654 | 0 |
| doclb | 3.59 | 1.59 | 3228 | 0 |
| doc4a | 2.77 | 1.54 | 4096 | 0 |
| doc4b | 2.35 | 1.64 | 4096 | 701 |
| AVERAGE | 3.74 | 1.59 | 3345 | 216 |

Table 8.14. Results of compressing images in group 4 using method LZW3

| Comprs. | Decomprs. <br> time <br> factor | Table <br> size | Extra <br> calls |  |
| :--- | :--- | :---: | :---: | :---: |
| pdraw3 | 4.71 | 1.48 | 2520 | 0 |
| sciencel | 3.70 | 1.59 | 3136 | 0 |
| science2 | 2.74 | 1.59 | 4096 | 56 |
| doc5la | 3.92 | 1.27 | 2434 | 0 |
| AVERAGE | 3.77 | 1.48 | 3047 | 14 |

Table 8.15. Results of compressing images in group 1 using method R8+LZW3

| Image | Comprs. factor | $\begin{aligned} & \text { Decomprs. } \\ & \text { time } \\ & s \end{aligned}$ | Table <br> size | Extra calls |
| :---: | :---: | :---: | :---: | :---: |
| docla | 7.35 | 2.08 | 1707 | 0 |
| doclb | 3.81 | 1.59 | 3056 | 0 |
| docle | 15.15 | 3.35 | 959 | 0 |
| doc2a | 9.49 | 1.59 | 1379 | 0 |
| doc2b | 8.35 | 1.59 | 1532 | 0 |
| doc2c | 12.21 | 1.59 | 1128 | 0 |
| doc4a | 7.29 | 1.54 | 1718 | 7 |
| doc4b | 6.99 | 1.59 | 1780 | 0 |
| doc4c | 5.20 | 0.72 | 1158 | 0 |
| doc51a | 4.83 | 1.31 | 2022 | 0 |
| doc51b | 8.36 | 1.27 | 1276 | 0 |
| doc51c | 12.38 | 0.72 | 641 | 0 |
| doc5ra | 5.06 | 1.15 | 1836 | 0 |
| doc5rb | 6.94 | 1.15 | 1408 | 0 |
| doc5rc | 4.85 | 0.66 | 1179 | 0 |
| doc6a | 6.87 | 1.59 | 1808 | 0 |
| doc6b | 11.73 | 1.54 | 1164 | 0 |
| doc8 | 8.39 | 1.60 | 1526 | 0 |
| AVERAGE | 8.07 | 1.48 | 1515 | 0 |

Table 8.16. Results of compressing images in group 2 using method R8+L2W3

| Image | Comprs. <br> factor | Decomprs. <br> time <br> $\mathbf{s}$ | Table <br> size | Extra <br> calls |
| :--- | :--- | :--- | :--- | :--- |
| frnch3a | 7.83 | 1.65 | 1617 | 0 |
| flowchrt | 5.79 | 1.53 | 2098 | 0 |
| electrc | 4.99 | 1.49 | 2392 | 0 |
| ordrfrm | 8.60 | 1.54 | 1495 | 0 |
| frncha | 6.27 | 1.59 | 1956 | 0 |
| doc2a | 9.49 | 1.59 | 1379 | 0 |
| doc2b | 8.35 | 1.59 | 1532 | 0 |
|  |  | 1.57 | 1781 | 0 |

Table 8.17. Results of compressing images in group 3 using method R8+L2W3

| Image | Comprs. factor | Decomprs. time s | Table size | Extra calls |
| :---: | :---: | :---: | :---: | :---: |
| romtxt | 6.40 | 1.53 | 1922 | 0 |
| frnch2a | 3.58 | 1.59 | 3238 | 0 |
| pagel | 9.41 | 1.60 | 1389 | 0 |
| docl-2 | 11.49 | 1.59 | 1183 | 0 |
| cprog | 13.76 | 1.59 | 1030 | 0 |
| doclb | 3.81 | 1.64 | 3056 | 0 |
| doc4a | 7.29 | 1.54 | 1718 | 0 |
| doc4b | 6.99 | 1.54 | 1780 | 0 |
| AVERAGE | 7.84 | 1.58 | 1915 | 0 |

Table 8.18. Results of compressing fmages in group 4 using method R8+L2W3

|  |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- |
| Image | Comprs. <br> factor | Decomprs. <br> time <br> s | Table <br> size | Extra <br> calls |
| pdraw3 | 7.95 | 1.54 | 1597 | 0 |
| science1 | 3.94 | 1.53 | 2962 | 0 |
| science2 | 3.00 | 1.70 | 3814 | 0 |
| doc51a | 4.83 | 1.27 | 2022 | 0 |
| AVERAGE | 4.93 |  | 2599 | 0 |

Table 8.19. Results of compressing images in group 1 using method R4+L2W3

| Image | Comprs. <br> factor | Decomprs. <br> time <br> s | Table <br> size | Extra <br> calls |
| :--- | ---: | ---: | ---: | ---: |
| docla | 7.48 | 2.42 | 1681 | 0 |
| doclb | 3.86 | 2.47 | 3018 | 0 |
| doclc | 15.12 | 3.68 | 960 | 0 |
| doc2a | 9.65 | 2.37 | 1360 | 0 |
| doc2b | 8.49 | 2.41 | 1511 | 0 |
| doc2c | 12.19 | 2.42 | 1130 | 0 |
| doc4a | 6.84 | 2.36 | 1814 | 0 |
| doc4b | 6.48 | 2.37 | 1902 | 0 |
| doc4c | 5.01 | 1.04 | 1191 | 0 |
| doc5la | 6.39 | 1.98 | 1590 | 0 |
| doc51b | 8.15 | 1.92 | 1302 | 0 |
| doc51c | 12.85 | 1.10 | 627 | 0 |
| doc5ra | 4.69 | 1.81 | 1960 | 0 |
| doc5rb | 7.06 | 1.82 | 1388 | 0 |
| doc5rc | 4.13 | 1.05 | 1339 | 0 |
| doc6a | 6.92 | 2.41 | 1797 | 0 |
| doc6b | 12.96 | 2.42 | 1078 | 0 |
| doc8 | 8.84 | 2.42 | 1461 | 0 |
|  |  |  |  |  |
| AVERAGE | 8.17 | 2.14 | 1506 | 0 |

Table 8.20. Results of compressing images in group 2 using method R4+LZW3

|  | Comprs. <br> factor |  |  |  |  | Decomprs. <br> time <br> $s$ | Table <br> size | Extra <br> calls |
| :--- | :--- | :--- | :--- | :--- | :---: | :---: | :---: | :---: |
| frnch3a | 7.96 | 2.37 | 1594 | 0 |  |  |  |  |
| flowchrt | 6.03 | 2.42 | 2025 | 0 |  |  |  |  |
| electrc | 4.91 | 2.36 | 2429 | 0 |  |  |  |  |
| ordrfrm | 8.83 | 2.41 | 1462 | 0 |  |  |  |  |
| frnchla | 6.01 | 2.42 | 2030 | 0 |  |  |  |  |
| doc2a | 9.65 | 2.42 | 1360 | 0 |  |  |  |  |
| doc2b | 8.49 | 2.40 | 1511 | 0 |  |  |  |  |

Table 8.21. Results of compressing images in group 3 using method R4+LZW3

|  |  | Cocomprs. <br> time <br> factor | Table <br> size | Extra <br> calls |
| :--- | :---: | :---: | :---: | :---: |
| romtxt | 6.25 | 2.36 | 1963 | 0 |
| frnch2a | 2.79 | 2.47 | 4073 | 0 |
| pagel | 8.62 | 2.42 | 1493 | 0 |
| docl-2 | 10.48 | 2.41 | 1273 | 0 |
| cprog | 13.17 | 2.42 | 1065 | 0 |
| doclb | 3.86 | 2.41 | 3018 | 0 |
| doc4a | 6.84 | 2.36 | 1814 | 0 |
| doc4b | 6.48 | 2.41 | 1902 | 0 |

Table 8.22. Results of compressing images in group 4 using method R4+LZW3

|  |  | Decomprs. <br> time <br> Comprs. | Table <br> size | Extra <br> calls |
| :--- | :--- | :--- | :--- | :--- |
| pdraw3 | 7.81 | 2.42 | 1620 | 0 |
| science1 | 4.13 | 2.36 | 2840 | 0 |
| science2 | 3.29 | 2.41 | 3496 | 0 |
| doc51a | 6.39 | 1.92 | 1590 | 0 |

of compressing gl, g2, g3, and g4 using Ry+LZW2. Tables 8.11-8.22 contain the results of compressing the above groups using L2W3 and Ry+LZW3. We have chosen these tables to show the detailed results of compressing each image or group using any LZWx method. Specifically, LZW3 was chosen because it has the highest c.f. among all LZWx methods and LZW2 was chosen because it is close to LZW1.

To illustrate the above points, we give the following examples:

1) The average c.f. of Table 8.22 , which contains the results of compressing $g 4$ using R4+LZW3, is bigger than the average c.f. of Table 8.18, which contains the results of compressing $\mathrm{g}_{4}$ using R8+LZW3; but the c.f. of the image pdraw3 in Table 8.18 is bigger than its c.f. in Table 8.22.
2) From Table 8.17, the average c.f. when compressing the images in g3 using R8+LZW3 is 7.84 whereas the c.f. of image docl-2 is 11.49 , i.e., considerably higher than the average c.f.
3) Tables 7.7 and 7.8 give the group averages using R8+LZN3 and R4+LZW3. From these tables, we see that R4+LZW3 gives higher groups average but R8+LZW3 gives higher c.f. for g3. Chapter 6 went into more detailed comparison of the groups results using Ry+L2Wx.

### 8.4. Using the CCITT Documents for Comparison

To help in comparing the different methods we present Table 8.23 which contains the results of the total compression factors of images docl, doc2, doc4, doc5, and doc6, where docx means docxa+docxb+...etc. Since these documents represent typical documents, it is easier to compare the methods using Table 8.23. Comparing the methods using this table, we get:

1) For docl, R4+LZW3 has the highest c.f. among the other LZW methods. This c.f., 6.54, is slightly less than the

Table 8.23. Compression factors of the CCITT standard documents using all methods

|  | Documents |  |  |  |  |  |
| :--- | ---: | ---: | ---: | ---: | ---: | ---: |
| Method | doc1 | doc2 | doc4 | doc5 | doc6 | Average |
|  |  |  |  |  |  |  |
|  |  |  |  |  |  |  |
| FAX | 6.67 | 14.89 | 1.69 | 4.74 | 12.00 | 8.00 |
| LZW | 6.03 | 7.97 | 2.66 | 4.32 | 5.67 | 5.33 |
| LZW+R8 | 6.07 | 9.34 | 4.89 | 5.38 | 7.55 | 6.65 |
| LZW+R4 | 6.05 | 9.35 | 4.52 | 5.37 | 7.82 | 6.62 |
| LZW1 | 5.95 | 7.90 | 2.40 | 4.31 | 7.74 | 5.66 |
| LZW1+R8 | 6.16 | 8.95 | 6.64 | 5.78 | 7.74 | 7.05 |
| LZW1+R4 | 6.21 | 9.03 | 6.13 | 5.94 | 8.09 | 7.08 |
| LZW2 | 5.95 | 7.96 | 2.14 | 4.32 | 7.81 | 5.64 |
| LZW2+R8 | 6.14 | 9.05 | 6.62 | 5.83 | 7.91 | 7.11 |
| LZW2+R4 | 6.30 | 9.18 | 6.17 | 5.95 | 8.18 | 7.16 |
| LZW3 | 6.15 | 8.45 | 2.47 | 4.49 | 8.19 | 5.95 |
| LZW3+R8 | 6.46 | 9.77 | 6.69 | 6.20 | 8.67 | 7.56 |
| LZW3+R4 | 6.54 | 9.89 | 6.28 | 6.34 | 9.02 | 7.61 |
| LZW3+LZWB1 | 5.79 | 8.05 | 1.90 | 3.82 | 7.72 | 5.46 |
| LZWB | 5.79 | 8.01 | 1.95 | 3.80 | 7.45 | 5.40 |
| LZWB1 | 5.82 | 7.99 | 1.97 | 3.80 | 7.42 | 5.40 |
| LZWB2-A | 5.90 | 8.13 | 1.96 | 3.85 | 7.59 | 5.49 |
| LZWB2-B | 6.18 | 8.58 | 1.99 | 4.01 | 7.91 | 5.73 |
|  |  |  |  |  |  |  |

c.f. of FAX, 6.67. FAX did better because the image contains a lot of empty spaces.
2) For doc2, R4+LZW3 has the highest c.f., 9.89, among the other LZW methods. The c.f. of FAX is $50 \%$ higher. FAX did much better than R4+LZW3 because the image is a very simple graphics screen with long black runs and short white runs.
3) For doc4, R8+LZW3 has the highest c.f. among the other LZW methods and the ratio of this c.f. to the corresponding c.f. of FAX is 3.96. This ratio is too high because doc4 contains only textual data; and as we showed before Ry+LZWx does extremely better than FAX for textual data.
4) For doc5, R4+LZW3 has the highest c.f. among the other LZW methods and the ratio of this c.f. to the corresponding c.f. of FAX is 1.34. The ratio is higher than 1 because the screen contains textual data. The fact that doc5 contains both text and graphics explains why the ratio is not as high as in the case of doc4. R4+LZW3 has higher c.f. than R8+LZW3 in this case due to the effect of the graphics data in doc5.
5) For doc6, R4+LZW3 has the highest c.f. among the other LZW methods. This c.f. is $75 \%$ of the c.f. of FAX. The reason that FAX has the highest c.f. is that doc6 is any easy graphics screen. doc6 is not an easy graphics screen as doc2 is; this explains the difference between the ratio of the c.f. of R4+LZW3 to that of FAX for doc6 and the same ratio for doc2. This shows that as the graphics get more complex $\mathrm{R} 4+\mathrm{L} Z W x$ becomes better till it produces a c.f. higher than FAX.
6) We note that among the LZW methods, R4+LZW3 has the highest c.f. for graphics screens and screens that have both textual and graphics data. R8+LZW3 has the highest c.f. for textual screens.
7) Points 1 to 6 above agree with the observations we found in Chapter 7.
8) Among all the LZW methods, R4+LZW3 has the highest average of the 5 images c.f. The average in the case of FAX was higher because of the high c.f. that FAX has for doc 2 and doc6.
9) The c.f. of Ry+LZW3 is close to the c.f. of Ry+LZW1 and Ry+LZW2. The c.f. of Ry+LZW3 is bigger by no more than $10 \%$. A similar trend is observed when the c.f. of LZW3 is compared to the c.f. of LZW1 and LZW2.

### 8.5. Results of Group 5

In Chapter 4, we presented the results of compressing the graphics blocks in g5. In Chapter 5 , we presented the corresponding results using LZW. The results of LZW show that LZW do not produce a c.f. higher than the c.f. of $F A X$ for $g 5$. The tables for the groups averages using all the LZW methods agree with this. This result agrees with the observation we mentioned before in Section 8.1 that the LZW c.f. will decrease if the fmage is divided into smaller blocks. Hence, in the results of the modifications on LZW, we do not give a table for g5; instead, we only give the averages of each group.

### 8.6. Results of Group 8

In Chapter 3, group 8 was introduced to test the power of each method. To help in comparing the results of these methods when compressing the images in g 8 , we included the $\mathrm{c} . \mathrm{f}$. for all the methods in Table 8.24. From this table, we observe the following:

1) For images blok6, boxes, and lines LZW3+LZWB1 gives the highest c.f. among all the methods, including FAX. This shows that the concept of the LZWBs is optimum for this kind of data. It also shows the need to use different varieties of true images, as we did in the image data base, to compare the methods because, as we showed in Chapter 6, LZW3+LZWB1 did not perform as good as it is performing here.
2) The c.f. of Ry+LZW1 or Ry+ZLW2 are close to the c.f. of Ry+LZW3. Similarly, LZW1 and LZW2 give c.f. close to the

Table 8.24. Compression factors of group 8 using all methods

| Method | Image |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | blok3 | blok6 | boxes | lines | testl | usamap |
| FAX | 109.03 | 24.54 | 69.57 | 32.07 | 49.60 | 1.56 |
| LZW | 27.97 | 10.98 | 16.06 | 15.19 | 12.79 | 6.57 |
| L2W+R8 | 15.47 | 11.80 | 21.30 | 15.41 | 15.01 | 7.64 |
| LZW+R4 | 16.79 | 14.00 | 23.39 | 16.68 | 14.61 | 7.27 |
| L2W1 | 51.78 | 60.61 | 58.18 | 81.22 | 26.19 | 6.36 |
| L2W1+R8 | 36.87 | 24.84 | 38.37 | 52.81 | 18.99 | 7.33 |
| L2W1+R4 | 37.91 | 27.35 | 44.94 | 55.75 | 21.84 | 7.51 |
| LZW2 | 56.74 | 63.49 | 65.04 | 82.47 | 30.49 | 6.37 |
| L2W2+R8 | 41.99 | 25.44 | 54.05 | 54.05 | 20.22 | 7.36 |
| LZW2+R4 | 37.12 | 31.94 | 43.36 | 54.98 | 22.75 | 7.26 |
| LZW3 | 60.15 | 66.12 | 68.67 | 101.27 | 29.88 | 6.82 |
| L2W3+R8 | 49.38 | 28.07 | 55.75 | 65.84 | 27.65 | 8.26 |
| LZW3+R4 | 46.11 | 42.11 | 59.93 | 73.06 | 25.54 | 7.93 |
| LZW3+LZWB1 | 70.18 | 91.95 | 75.47 | 137.93 | 30.29 | 6.47 |
| LZWB | 54.05 | 24.69 | 30.36 | 38.37 | 22.60 | NA |
| L2WB1 | 46.11 | 26.53 | 29.47 | 37.65 | 21.61 | 5.68 |
| LZWB2-A | 54.05 | 25.04 | 30.36 | 38.37 | 23.94 | NA |
| LZWB2-B | 24.92 | 30.36 | 30.36 | 38.37 | 23.94 | NA |

c.f. of LZW3. This shows that although LZW1 or LZW2 are not the optimum LZWx, they are close to the optimum method LZW3 without its complexity.
3) The image "usamap" is an example where FAX fails to take advantage of the redundancy present in some images. The redundancy of this image is in the interior of the map which consists of strings of 0101... etc. that represent the filling of the map. LZWx was able to detect this redundancy and give a higher c.f. R $8+L 2 W 3$ has the highest c.f. for usamap, namely, 8.26. The ratio of the c.f. of R8+LZW3 to that of FAX is 5.29.

### 8.7. The Significance of "Extracalls"

The method LZW has a maximum number of symbols that it can recognize; this number is the table maximum size. The compressor and decompressor agree not to put more symbols in the table if the table is filled up. This means that the LZW method loses its adaptability to the new input if the table is filled up. To measure the effect of filling up the table on the compression process, we count the number of the unsuccessful calls to the table after the table is filled up; this number is the variable "extracalls" in the results of LZW and the modified LZWs.

In the results of LZW, and its modifications, the extracalls were averaged for each group. This average value is misleading most of the time since most of the images do not require extracalls but the average shows that they do. So, the average of extracalls is meaningful only if compressing each image in a group requires extra calls.

### 8.8. Table Size

The methods LZWx assume the maximum size of the LZW table to be 4096, which requires 12 bits to represent each symbol. But the results show that, for some images and groups, the number of symbols that are actually used is considerably less than the table maximum size. Using this fact, we propose to limit the size of the table for the images or groups that use symbols less than the table maximum size. By limiting the table size, we limit the length of each symbol, decrease the size of the output of LZWx, and, hence, increase the c.f. For example, if we let the table maximum size be 1024 , the length of each symbol is only 10 bits; for an image that has a table size less than 1024 the c.f., will increase by exactly $20 \%$, ( $(12 / 10)-1) 100$. This table size limitation is not arbitrary if we use a fixed addressing or a fixed symbol length scheme, which we will. In the case of a fixed length symbol, the table size must be only a number that is a power of 2 since any other number will result in losing some symbols. For example, if the maximum table size was chosen to be 2000 , LZW needs 12 bits to address or represent each symbol. But if we use 12 bits, we can represent up to 4096 symbols. So, this 12-bit length of the symbol allows us to use the symbols 2001 to 4096 which we will lose if we choose the maximum size to be 2000 symbols.

From the results of Ry+LZWx, we find the following:

1) For all Ry+LZWx, the average table size of g5 never exceeded 1024. Hence, the table size of compressing g5 can be limited to 1024 giving an approximately $20 \%$ increase in the c.f. The increase is approximate because some of
the images in g5 require more than 1024 symbols.
2) For all Ry+LZWx, the average table size of gl and g2 is less than 2048. Hence, the table size of compressing g1 and g2 can be limited to 2048 giving an approximately 9\% increase in the c.f.
3) For $R 8+L 2 W x(x=1,2$, and 3$)$, the average table size of g3 is less than 2048. Hence, as in the above point, the table maximum size can be set to 2048.
4) For doc4a and romtxt using R8+LZW2, the tables size are 1710 and 1907, respectively, and the c.f. are 7.33 and 6.46, respectively. If we let the table maximum size be 2048 , the c.f. of doc4a and romtxt will be 8 and 7.05 , respectively. These new c.f. are very close to the c.f. if the image was sent as an ASCII code. This is an important result because it shows that, as we mentioned in last chapter, we can get a c.f. very close to and sometimes better than the c.f. of pattern recognition without worrying about the difficulties of pattern recognition.

It should be noted that the way the code for the LZWx was written makes it easy to change the code in order to let the table maximum size be adaptive but no more than 4096.

### 8.9. Remarks about R8 and R4

R8 and R4 were designed with the assumption that it is easy to find the characters' height and then divide the screen accordingly; nevertheless, it was envisioned that even if this information is not known, these two methods will still give a high c.f. The image frnch2a proves our vision because, although the fmage is in a textual format that is different than the one R8 and R4 was designed for, the ratio of the resulted c.f. to the c.f. when using FAX is 1.77 which is a considerable increase.

Finding the height of the text lines is a matter that can be easily solved. In fact, in some of the pattern recognition techniques, finding the height of each character is one feature, among many features, that should be extracted. Refer to [11] and [8].

## 9. CONCLUSION

In this work, the author developed a number of new improved compression algorithms, an extended test data base, an analysis of library needs, and a variety of test results. From this work, a number of conclusions were drawn as enumerated below.

1) For easy graphics images, i.e., images containing long runs of black pels and short runs of white pels, FAX gives high c.f. that is satisfactory to the goal of this research. For textual screens and complex graphics FAX performs poorly.
2) The LZW method was simulated and gave a c.f. better than that of FAX for the images for which FAX did poorly. But LZW was not as good as FAX for the easy graphics images.
3) Three new methods, that use the fact that the input to LZW is a long string of pels of a scanned screen, were proposed and investigated. The first method, LZWB, counts the run-lengths of the screen and sends them to LZW. The second method, LZWB1, uses part of the run-lengths used in the first method and adds to them codes for some of the most probable two and three runs. The third method, LZWB2, counts the run-lengths as in the first method; in addition to that, it initializes the L2W table with some of the most probable two and three run-lengths. Each of these proposed methods showed an improvement in the c.f. It was explained that in the case of colored images, it would be expected from these methods to give a better c.f.
4) An improvement, LZW3, in LZW, as suggested in [43], was simulated, and, in general, a gave c.f. higher than LZW. LZW3 needs long c.t., so we proposed two versions that avoid the long searches required by LZW3. These two proposals, LZW1 and LZW2, give c.f. close to that of LZW but much shorter c.t.
5) Two improvements in the way LZWs scan the screen were suggested. These improvements, $R 8$ and $R 4$, work with any of the above LZWs. They produced higher c.f. than when using the LZWs alone and even in some cases gave smaller d.t.
6) Combining two or three images in the compression using Ry+LZWx (for $x=0,2,3$ ) was investigated and, in general, produced a higher compression factor than compressing each image alone.
7) The library survey that was presented in Chapter 3 showed that about $50 \%$ of the library material was in text format. The detailed format of the text varies from one library material, e.g., a book or a magazine, to another.
8) Using some of the proposed methods, e.g., R8+LZW2, it was possible to reach a c.f. for a textual screen that is close to or even higher than the c.f. of compression methods that employ a pattern recognition technique. The proposed methods are much simpler to implement, need much less computation, and are more adaptive to the data change.

From the above observations, we reach the conclusion that $\mathrm{R} 8+\mathrm{L} 2 \mathrm{~W} 3$ should be used unless we are compressing a screen that is full of easy graphics. In this case of easy graphics screens, the system should be able to compress the screen using FAX and inform the receiver of the change in the compression method. The library system can handle the long c.t. of R8+LZW3. The d.t. of R8+LZW3, which is in the range of 1 to 2 s , is acceptable for the library system. The c.t. of LZW3 is higher than that of other LZWx methods but, as was mentioned at the beginning of the research, the compression in the library system is done once so the c.t. is allowed to be long. For real time compression, LZW1 or LZW2 should be used instead of LZW3.

The system should also be able to detect the needed maximum size of the table and signal the receiver accordingly.

### 9.1. Suggestions for Future Work

The following points are suggested and should be investigated:

1) The maximum size of the LZW table should be increased over 4096 to compress many images at the same time or to compress colored images. Increasing the table size increases the c.t., d.t., and, hopefully, the c.f. Long c.t. is tolerable in the library system. Since both the d.t. and the c.f. increase at the same time, there is a trade-off that needs to be investigated.
2) The modifications of LZWBs to work on colored images.
3) The use of method BIG to compress an actual page which usually consists of more than one screen.
4) The success of $L Z W$ for this type of data indicates that more methods in the field of data compression via textual substitution should be investigated as image compression methods.
5) LZW builds its table using the first character that has not been sent yet. This gives LZW a look-ahead feature that raises its c.f. The methods LZW1, LZW2, and LZW3 do not have this look-ahead feature so their d.t. is shorter than LZW, but this feature may raise their c.f., specifically for textual screens. So, a modified LZW1LZW3 that include the look-ahead feature should be investigated.
6) The application of LZWx in more than one pass that may increase the c.f. This may be better than increasing the table size.
7) Implementing the L2Wx in hardware. [43] reported on a hardware implementation but with no details.
8) The use of Ry+LZWx for library material images captured using a camera or a scanner. The c.f. obtained in this thesis using FAX for the screen images are much smaller than the values reported for images scanned at high resolution and compressed using FAX. So, the c.f. for scanned documents using Ry+LZWx should be investigated.
9) Applying Ry+L2Wx to images other than library material like astronomical and medical images.
10) Changing the FAX modified Huffman table, although we think it will not be beneficial as we induced before.
11) Improving FAX so that it can use the information from lines before the previous line in order to code the current line, and from parts other than the parts next to each other.
12) Compressing the output of FAX, after modifying this output, using any of the L2Wx methods.
13) The extension of both FAX and Ry+LZWx to colored images.
14) Developing a method similar to $R 4$ but whose block height is only 4 pels. Developing similar methods with different block height.
15) Using a hashing function to speed up the search in the LZW table in order to decrease the c.t. Examples of simple hashing functions are the following:
a) The number of characters, and not symbols, in the string.
b) The count of the values of the characters in the string.
c) The third character in the string.

For the kind of strings we get in the LZW table while compressing the library material images, it is envisioned that any of these simple functions will perform successfully.

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12. APPENDIX A. IMAGES USED IN THE DATA BASE


Figure 12.1. Image docla

Dear Pete,
Pernit me to introduce you to the facility of facsinile transmission.

In facsimile a photocell is caused to parforn a paster sath over the subject copy. The variations of print density on the document ceuse the photocell to qenerate an analoqous olectrical yidec siqnal. This signal is used to modulate a carrier, which is transpitted to a remote destination over a radio or cable comaunications link.
at the remote terminal demodulation reconstructs the video signal, which is used to modulate the density of print produced by a printing device. This device is scanning in a raster scan synchronized with that at the transnitting teminal. As a result, a facsimile copy of the subject docunent is produced.

Probably you have uses for this facility in gour organization.


Figure 12.3. Image doclc


Figure 12.4. Image doc2a


Figure 12.5. Image doc2b


Figure 12.6. Image doc2c

```
Lordre de lancement et de realisation des applications tait [ Pobjet de decis
niveau de la Direction Generale des lelecomunications. Il n'est certes
construire ce systen integre en bloc" mais bien au contraire de proceder
paliers successif5. Certaines applications, dont la rentabilite ne pourra e
seront pas entreprises, Actuellement, sur, trente applications qui ont pu
definies six en sont au stade de l'exploitation, six autres se son't vu doone
leur realisation.
Chaque application est confiee a un "chef de projet", responsable suc
conception de son analyse-programation et de sa mise en oeuure dans un
La generalisation ulterieure, de l'application realisee dans cette region-pil
resultats obtenus et fait l'objet d}\mathrm{ une decision de la Direction Generale
chef de projet doit des le depart considerer que son activite a une vocation
rofusef tout particularisu regionalt dl desf gide dune gquipe d, magly
Objectifs globaux" puis le "chhier des charges"de l'application, qui sont
a tous les services utilisatuurs potentiels et aux chefs de projet des autr
Le groupe de conception couprend 6 a 10 personnes representant les se
divers concernes par le projet, et congorte obligatoirement un bon analyste
plication.
II - L'IMPLANITIIION GEOGRACHIOUE D'UN REFEAN INTORMAIIQUE PEXPORAAMI
L'organisation de l'entreprise francaise des telecomunications repose sur
```

```
Pd regions. bes calculateurs ont ete implantes dans le passe au moins dans
inportantes. On trouve ainsi des machines Bull Gama 3 a Lyon et Marseil
ELille Bordeaux, Toulouse et Montpellier, un GB 437 a has5y, enfin q
Bull 300 TI a prograwes cables etalent receunent ou sont entiore en
regions de Hancy, Hantes, linoges, Poitiers et Rouen ; ce parcest essent
pour la conpatibilite telephonigue.
A l'avenir, si la plupart des fichiers necessaires aux applications decrites
etre geres entenps differe, un certain noubre djentre eux deuront necessai
cessibles, voir wis a jour en temps reel 1 paruis ces derniers le fichier
abonnes, le fichier des renseignenents le fichier des circuits, le fichie
abonnes contiendront des quantites considerables d'information.
Le volune total de caracteres a gerer en phase finale sur un ordinateur
quelques 580 日暗 abonnes a ete estime a un nilliard de caracteres au noin
tiers des donnees seront concernees par des traitewents en teups ree
Aucun des. calculateurs enumeres plus haut ne permettait d'envisager de
t'integration progressive de toutes les applications suppose la creation d'un
pour toutes les informations, une veritable Ranques de donnees repart
de traitement nationaux et regionaux, et qui deura rester alimentee, hise a
nence, a partir de la base de l'entreprise, c'est-a-dire les chantiers, le
guichets des services d'abonnement, les seruices de personnel etc.
Tetude des differents fichiers a constituer a done pertis de definir les pr
teristiques du reseau doordinateurs nouveaux a mettre en place pour aborder
du system infornatif, L'obligation de faite appel a des ordinateurs de trois
tres puissantes et dotes de volumneuses memoires de masse, a conduit a en
```



Figure 12.9. Image doc4c

Cela est d'autant plus valable que inf est plus grand. A cet egard la figure 2 represente la vraie courbe donnant $|\varphi(j)|$ en fonction de $f$ pour les valeurs nutsriques indiquees page precedente.


Dans ce cas, le filtre adapte pourra etre constitue, conformement a la figure 3, par la cascade

- d'un filtre passe-bande de transfert unite pour fo $\leqslant f$ \& $0+\Delta f$ et de transfert quasi nul pour fefo et $f=f 0+\Delta f$ filtre nemodifiant pas la phase

Figure 12.10. Image doc5la


Figure 12.11. Image doc5lb


Figure 12.12. Image doc5lc
telle ligne a retard est donnee par:
telle ligne a retard est donnee par:
$\psi=-\pi n \int_{0}^{t} T_{0} d f$
$\psi=-\pi n \int_{0}^{t} T_{0} d f$
$\psi=-\bar{\delta} \pi\left[T_{0}+\frac{f 0 T}{\Delta f}\right] f+2 \frac{T}{\Delta f} f^{2}$
$\psi=-\bar{\delta} \pi\left[T_{0}+\frac{f 0 T}{\Delta f}\right] f+2 \frac{T}{\Delta f} f^{2}$
㫙 cette phase est bien l'oppose de I (f).
㫙 cette phase est bien l'oppose de I (f).
a un depharage constant pres (sans importance)
a un depharage constant pres (sans importance)
et a un retard to pres (inevitable).
et a un retard to pres (inevitable).
Un signal utile $5(t)$ traversant un tel filtre adapte
Un signal utile $5(t)$ traversant un tel filtre adapte
donne a la sortie (a un retard to pres et un depha-
donne a la sortie (a un retard to pres et un depha-
sage pres de la porteuse) un signal dont la transformes
sage pres de la porteuse) un signal dont la transformes
de Fourier est reelle, constante entre fo et fot $\Delta f$,
de Fourier est reelle, constante entre fo et fot $\Delta f$,
et nulle de part et d'autre de fo eat de fotof, fest-
et nulle de part et d'autre de fo eat de fotof, fest-
a-dire, un signal de frequence porteuse $\quad$ o $0+\Delta / / 2$ et
a-dire, un signal de frequence porteuse $\quad$ o $0+\Delta / / 2$ et
dont l'enveloppe a la sorte indiquee a la figure
dont l'enveloppe a la sorte indiquee a la figure
ou l'on a represente simultanement le signal
ou l'on a represente simultanement le signal
et le signal $5(t)$ correspondant obtenu a la sortie
et le signal $5(t)$ correspondant obtenu a la sortie
du filtre adapte; on comprend le nom de recepteur
du filtre adapte; on comprend le nom de recepteur
a compression dinpulsion donne a ce genre de
a compression dinpulsion donne a ce genre de
filtre adapte: la largeur " (a 3 dB ) du signal cot
filtre adapte: la largeur " (a 3 dB ) du signal cot

Figure 12.13. Image doc5ra


Fg. 5

Figure 12.14. Image doc5rb

On saisit physiquement le phenowene de conpression en realisant que lorsque le signal $\mathrm{s}(\mathrm{t})$ entre dans la ligne a retard (LAR) la frequence qui entre la premiere a l'instant o est la frequence basse fo qui met un teap io pour traverser. la frequence : entre a l'instant $t=(f-f 0) \frac{T}{\Delta f}$ et elle met un teups $T_{0}-(f-f 0) \frac{T}{\Delta f}$ pour traverser, de qui la fait ressortir a l'instant $T 0$ egalement, Ansi donc le signal $S(t)$

Figure 12.15. Image doc5rc


Figure 12.16. Image doc6a


Figure 12.17. Image doc6b


Figure 12.18. Image doc8


Figure 12.19. Image frnch3a


Figure 12.20. Image flowchrt


Figure 12.21. Inage electrc


Figure 12.22. Image ordrfrm


Figure 12.23. Image frnchla
In a Roh, the address lines and the output word bit lines from a crossed array
flines, i,e. a grid structure, At each grid intersection is placed a device (di
ode hiyolar, or mos transistos) or not, depending on whe thes the corresyonding-
mord bit is to be 1 or 0 . (In cases where there is no special interest in the ty
pe of device, the coupling between address ine and bit line is of ten shoun simp
Ly by a dot at the grid intersection.) In a prograumable RoW (PROW) the manufact
urer locates a connecting device at every grid intersection. However, in series
with each such device there is provided a fusible link. Any particular fusible 1
ink is located at the intersection of some line zi and some line Wi. by making c
onnection to zi and hi and passing an adequately lange current through the link
, the link can be burned out, Thus, the user of such a pron may burn out links a
5 necessary, leaving transistors only on locations required to establish the men
gry storage desired. one type of erasable or al tepable pog uses floating gate $f$
pos transistors. these are transistors in which at normal operating vol tage the
gate is entipely insulated and isolated from electrical connection to any other
part of the integrated-circuit chip. It turns out to be possible to establish a
hegative charye on thase gates by the application of high vol tage between source
and drain. The negative charge left on the gate by such treatwent leaves the co
mresponding transistor wi th a conducting channel. The roH can be exased by expos
ure to ul traviolet light which seryes to discharye any charged gate. Consider t
hat we want to perforn the arithmetic operation of nultiplication, As we have se
an in Sec. 11, 16 , multiplication can be performed by a sequence of shifting oper
ations, i.e. multiplying by powers of two, and a sequence of additions. on the o
iner hand, we way view a wultiplication table as a truth table. Thus, the entry

Figure 12.24. Image romtxt

Deux éclatements de taille se sont produits en 1968, a Paris en mai, a Prague en aout, l'un pour le socialiswe dans la liberte, l'autre pour la liberté dans le socialishe. Une fois depouillés de quelques apparences et oripeaux, les deux objectifs socialisne et liberte apparais sent bien ceux de la grande majorite de l'buhanité évoluée. En dehors de l'amérique du Nord, peu nonbreux sont ceux qui osent les repudier ouvertement. Du moins personne ne se prononce-t-il contre la justice 5 ciale, ni pour la mise en condition ou en tutelle des individus, ni neme pour la société de classes.

Ceux qui ont peur du socialisus ne sont pas tous des proprietaires endurcis de grandes usines ou de centaines d'hectares, wais d'accablants precedent leur font craindre pour la plus precieuse des propriétés, ceile de disposer de soi-mene. Ét ceux que n'anthousiashe pas l'expression "unde libre" ont bien presentes a l'esprit les exactions que recouvre ce beau drapeau,

Apres deux siecle de recherches, de revolutions, de theories, d'efriences en tous sens, aucun point n'apparait sur le planete, aud ilot, ou les deux objectifs socialisue et libert́ soient concilies de facon satisfaisante.

Pendant un siecle ou presque, la démocratie, appelée dans 1 suite démocratie bourgeoise ou déwocraite, occidentale, selon le degre de sympathie qui lui est porté, a vecu sous la banniere de la liberte,

Figure 12.25. Image frnch2a

$$
\begin{equation*}
U_{0}=-\frac{R E}{R} V_{5} \tag{2.4-1}
\end{equation*}
$$

and the short-circuit current is

$$
\begin{equation*}
I_{0}=\frac{V_{5}}{R+R i}-\frac{A}{R_{0}} V_{i}=\frac{V_{5}}{R+R}-\frac{R_{i}}{R_{0}} \frac{R_{i}}{R+R I} V_{5} \tag{2.4-2}
\end{equation*}
$$

In these equations we have ignoped the anplifier input inpedance Ri, This neglect is certianly, justifjed in ponnection uith Eq ( $3,4-1$ ) since, when the putput is open-circuited, the amplifier provides feedhack and there is a virtual ground shunting Mi. In Eq. (2.4-2) ue have used the relation vi =
 hecessary that Ri be large in comparison vith the parallel conbination of A and s, a requirwent which in practice invariably satisfied.
The second term in Eq. (2.4-2) is overuhelwingly larger than the first terw because $A$ is very lange. Hence, when the first tewn dropped, the output resistance 20 is

$$
\begin{equation*}
Z_{0}=V_{0} / I_{0}=R_{0}\left(1+R_{f} / R\right) / A=R_{0}(1-A f) / A \tag{2,4-3}
\end{equation*}
$$

```
    Dear Pete
    Pemit me to introduce you to facsinile
transuisson.
In facsimile a photocell is caused to perform a paster scan over the subject copy, the variations of print density in the document gause the photocell to generate an analogous electrical video signal. this signal is used to modulate a crrier, which is transyitted to a penote destination over a padio on cable coumunications link.
At the momote teminal dewodulation reconstructs the video signal, ubich is used to modulate the density of print produced by a printing device. this device is scanning in a master scan synchonized with that at the transuitting terminal. As a result, a facsimile copy of the subject document is produced.
Probably you have uses for this facility in your onganisation.
Youss sincerely,
P.J. CROSS
```

Figure 12.27. Image docl-2
 chpysfactor[i]=xsize/cupisfactortil;
\}
if(tend $\}$ stant)
cmpastime=tend-tstart;
cmpsstime=(6006-tstart)+tend;
printf("comprission endedv");
$\operatorname{Or}(\mathrm{i}=1 ; \mathrm{i}<\mathrm{zysize}, \mathrm{i}+=1)$
printf("y8u", cmprsfactor[i]): /*f $->\mathrm{u}$ */
augiactor=xsizel欮sizel/totalonppshits;


Figure 12.28. Image cprog


Figure 12.29. Image pdraw3


Figure 12.30. Image sciencel

## LRSWFTHEF". SLIEMTIFIL

Highest.pyint. quality. Interactive.text.composition. Italics, holdfare, undeclining, micropositioning, true. proportional. spacing, hyphena-

GLLLCOSE-The.product of.photosynthesis:?



I Benzene:



Maxwells.Equations:

$$
\nabla \cdot \mathrm{D} .=\mathrm{P} \quad \nabla \quad \nabla \cdot \mathrm{~B} .=0 \quad \nabla \times \mathrm{E}=-\frac{\partial \mathrm{a}}{\partial t} \quad \quad \nabla \times \mathrm{H}=\frac{\partial \mathrm{D}}{\partial t}+\mathrm{J}
$$

Irsent
Press < $1>$ to chooge a menc
Press <Alt F10 to exit Mex 1. Function-key commands Memi 2. Keypad cursor movement Ment 3. Micropositioning \& mise
4. General/footnote symbols 5. Building-block characters G. Greek and script symbols 7. Mathematical characters 8, Scientific and engineering


Figure 12.32. Image opampl



Figure 12.34. Image ec\&l


Figure 12.35. Image ecl2


Figure 12.36. Image netwrk

| DOCJMENI | $\begin{gathered} \text { RESYAC PIRIOD } \\ \text { CODED BII } \end{gathered}$ |  | $\begin{aligned} & \text { LOSI RUNAS } \\ & \text { (PLLS) } \end{aligned}$ |  | $\begin{aligned} & \text { LOST PRLS } \\ & \text { (PELS) } \end{aligned}$ |  | $\begin{gathered} \text { DISPLACHINII } \\ \text { PERERIGAS } \\ 5 \text { PKLS } \end{gathered}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | AUREAGB | HEDIAN | AUREAGE | NEDIAN | AUREAGE | HIDICH |  |
| 1 | 26 | 18 | 391 | 54 | 215 | 21 | 88\% |
| 4 | 24 | 16 | 122 | 29 | 77 | 13 | 39\% |
| 5 | 24 | 17 | 217 | 54 | 133 | 22 | 29\% |
| 7 | 27 | 17 | 148 | 69 | 69 | 33 | 29\% |
|  |  |  |  |  |  |  |  |

Figure 12.37. Image tablel


Figure 12.38. Image usal


Figure 12.39. Image lotssin

$6 \varepsilon 乙$

Figure 12.40.
Image frnch3b


Figure 12.41. Image barchrt


Figure 12．42．Image test2


Figure 12．43．Inage test3


Figure 12.44. Image test4


Figure 12.45. Image test5


Figure 12.46. Image diagl


Figure 12.47. Image diag2


Figure 12．48．Image diag3


Figure 12.49. Image diag4


Figure 12.50. Image diag5


Figure 12.51. Image diag5s


Figure 12.52. Image diag6


Figure 12.53. Image netwrk2

> uinimur input voltage in onder to change state, the rise time of the input signal I must be less than some maximur value. For example, consider that a level change at S or A of 0.75 V is needed to change the state of the ilip-ilop then if the input voltage changes by 30 and tau $=8 \mathrm{n}$, the rise time 1 wist be less than 8 ns ,



Figure 12.55. Image usa2


Figure 12.56. Image science3


Figure 12.57. Image pdraw2


Figure 12.58. Image bignames


Figure 12.59. Image sun


Figure 12.60. Image hazard


Figure 12.61. Image manscl


Figure 12.62. Image mansc2


Figure 12.63. Image fig2


Figure 12.64. Image fig4


Figure 12.65. Image fig6


Figure 12.66. Image fig7


Figure 12.67. Image fig8


Figure 12.68. Image blok3


Figure 12.69. Image blok6


Figure 12.70. Image boxes


Figure 12.71. Image lines


Figure 12.72. Image testl


Figure 12.73. Image usamap
13. APPENDIX B. PROGRAM LIST OF THE CCITT ONE

DIMENSIONAL COMPRESSION TECHNIQUE

The $C$ programs in this appendix and the following appendices were compiled with Microsoft $C$ Compiler version 4.0 and used the library functions of this compiler.

The assembly programs in this appendix and the following appendices were assembled with Microsoft Assembler version 4.0.

### 13.1. File Main.c


\#include <stdio.h>
\#include <memory.h>
\#include <dos.h>
\#include <io.h>
\#include <fentl.h>
\#include <malloc.h>
\#define LINT_ARGS
\#define screensize 16384
\#define XMAX 640
\#define YMAX 200 \#define \#define \#define
$\begin{array}{ll}\text { HI_RES } & 6 \\ \text { TEXT MODE } & 3\end{array}$
$\begin{array}{ll}\text { HI_RES } & 6 \\ \text { TEXT MODE } & 3\end{array}$
TEXI_MO
unsigned long
void
get(int,int,int,int,char *);

```
unsigned cmprs_1ine(char *);
void
unsigned
void
static 
static 
static 
static 
static 
static 
static 
static 
dcmprs_line_ld();
gttime();
print_results(char %, int, int, int, int,
                                    unsigned, unsigned, float);
```

main(argc,argv)
int argc;
char *argv[];
\{
static char scrfilebufr[4+(XMAX/8)*(YMAX)];
static unsigned cmprsbufr[XMAX][(YMAX+32)/16];
static char *uncmprsbufr;
unsigned xsizeinbytes,xsize;
unsigned tstart,tend;
unsigned cmprsfactor[200];
register unsigned i,ysize;
if $(\operatorname{argc}<6) \quad / *$ command line. $\quad * /$
\{
printf("enter x1 yl x2 y2 $\backslash n$ ");
scanf( $1 \% \mathrm{~d} \% \mathrm{~d} \% \mathrm{~d} \% \mathrm{~d}^{\prime \prime}, \& x 1, \& y 1, \& x 2, \& y 2$ );
while $\left((\operatorname{getchar}())!=^{\prime} \backslash n^{\prime}\right) \quad / \%$ Read the end of the line $\% /$
/* marker.
;
\}
else
$x l=$ atoi $(\operatorname{argv}[2]) ; y l=a t o i(\operatorname{argv}[3])$;
$x 2=a t o i(\operatorname{argv}[4]) ; y 2=a t o i(\operatorname{argv}[5])$;
$\}$
if $(\operatorname{argc}>1)$
strcpy( datafile, argv[1]);
/* Read data from the input file*/
init_screen(argc); $/ *$ and dump it to the screen. $\% /$
uncmprsbufr= scrfilebufr;
uncmprsbufr+=4;
/* Skip over "xsize" and "ysize"\%/
$/:$ Get the specified portion of $x /$
/i: the screen into "scrfilebufr"*/

```
get(x1,y1,x2,y2,(char %)scrfilebufr);
for(i=0;i<=55000;i++) ; % A delay loop. %/
setscmode(TEXT_MODE);
ysize=y2-yl+1;
xsize=x2-xl+1;
xsizeinbytes= (xsize/8)+((xsize%8)>0) ;
                                    /% First two numbers in the %/
                                    /% "screenfilebufr" represent */
*(unsigned %)scrfilebufr=xsize; /% the width and the height of %/
*(unsigned *)(scrfilebufr+2)=ysize;/* of the block. %/
printf("starting to compress \n");
tstart=gttime(); /% Get the starting time for */
    /* the compression. Initialize */
    /* "comprsbufr" and the other */
    /* static variables. */
init_cmprsdblk((unsigned *)cmprsbufr);
init_line_parm(xsize);
for(i=1;i<=ysize;i++)
        {
        cmprsfactor[i]=cmprs_line(uncmprsbufr);
                            /* Point to the next uncom- */
        uncmprsbufr+=xsizeinbytes; /% pressed line on the screen. */
        }
tend=gttime(); /% Get the time at the end of %/
                            /% the compression. %/
for(i=1;i<=ysize;i++)
        {
        totalcmprsbits=totalcmprsbits+cmprsfactor[i];
        cmprsfactor[i]=xsize/cmprsfactor[i];
        }
if(tend>tstart)
        cmprstime=tend-tstart;
else
        cmprstime=(6000-tstart)+tend;
printf("compression ended\n");
for(i=1;i<=ysize; i+=1)
    { /% Print the results on the %/
                                    /% screen. */
        printf("%8u",cmprsfactor[i]);
        }
avgfactor=(float ) xsize ir ysize/totalcmprsbits;
                                    /r Initialize "scrnfilebufr" to */
                                    /ir ASCII zero. %/
memset((scrfilebufr+4),'\0',16000);
printf(" starting to decompress \n");
tstart=gttime(); /* Start of the decompression. %/
init_dcmprsbfr((scrfilebufr+4),xsize);
```

```
init_cmprs(cmprsbufr);
for(i=0;i<ysize;i++)
    dcmprs_1ine_ld();
tend=gttime(); /% End the decompression. %/
if(tend>tstart)
    dcmprstime=tend-tstart;
else
    dcmprstime=(6000-tstart)+tend;
                                    /* If no argument was entered */
                                    /: at the command line then ;/
                                    /* display data to the screen. */
if( argc< < )
    {
            setscmode(HI_RES);
            put(xl,yl,scrfilebufr);
            getchar();
            setscmode(TEXT_MODE);
    }
print_results(datafile,x1,yl, x2,y2,cmprstime,dcmprstime,avgfactor);
}
/%---------------------- END main() ---------------------------------------*/
/ir----------------------- END main.c --------------------------------------*/
13.2. File Cmprsln.c
/x
    FUNCTIONS :
cmprs_lastbits( word, no. of bits, color) : Compress the bits that
        did not fit into the word boundary (connect with the previous
        bits in the whole words portion of the line to be compressed.)
get_cmprs_reslt() : Returns the no. of compressed bits since the
        last time we zeroed "cmprscounter". This function is in the
        file "update.c", which in turn has the update() function that
        updates the compressed line after each compression.
    init_lastbits (no. bits that did not fit into the line boundary) :
        Pass the number of the last bits to the file "clast.c".
swapbyts( from, to , number of words) : Swap the high and low byte
        of each word stored in 'from' and store the result in 'to'; do
        it for the passed number of words.
VARIABLES :
oldlineptr : Pointer to the current line of uncompressed buffer.
newlineptr : Pointer to the compressed line.
xsize : Horizontal length, in bits, of each line.
currentword : Pointer to current position, in words ,
in the "uncmprsbufr."
lastbits : Number of bits in the last word of the uncompressed
line if the number of bits in a line does not fit on
```

```
* the word boundary.
nmbrwords : Word length of the portion of the uncompressed line
    that fits in the word boundary.
color : Color of the current bit.
lastcolor : Color of the last bit processed in the whole words
    portion of a line.
bitcolor : Color of the current bit (temporary storage.)
word : Current word in the uncompressed line.
bitpos : Index to the position in "word".
    bitpos = 16 for the left-most bit and
                            1 for the right-most bit.
i/
```

```
#include
```

\#include
\#define LINT_ARGS
\#define LINT_ARGS
\#define BLACKBIT O
\#define BLACKBIT O
\#define WHITEBIT 1
\#define WHITEBIT 1
\#define ENDBITS 2
\#define ENDBITS 2
unsigned get_cmprs_resit();
unsigned get_cmprs_resit();
void init_lastbits(unsigned);
void init_lastbits(unsigned);
void init_cmprsdblk(unsigned *);
void init_cmprsdblk(unsigned *);
void update_cmprsdblk(unsigned,int);
void update_cmprsdblk(unsigned,int);
void cmprs_lastbits(unsigned,unsigned,int);
void cmprs_lastbits(unsigned,unsigned,int);
void swapbyts(unsigned *,unsigned *,unsigned);
void swapbyts(unsigned *,unsigned *,unsigned);
static unsigned lastbits,nmbrwords;
static unsigned lastbits,nmbrwords;
/ir========================= cmprs_line() ===============================*/
/ir========================= cmprs_line() ===============================*/
unsigned cmprs_line (oldlineptr)
unsigned cmprs_line (oldlineptr)
char *oldlineptr;
char *oldlineptr;
{
{
unsigned *currentword;
unsigned *currentword;
int wordcount;
int wordcount;
int color,lastcolor,bitcolor;
int color,lastcolor,bitcolor;
unsigned bitcontr=0;
unsigned bitcontr=0;
register unsigned word,bitpos;
register unsigned word,bitpos;
wordcount=nmbrwords; /* Initialize the variables. %/
wordcount=nmbrwords; /* Initialize the variables. %/
wordcount=nmbrwords; /* Initialize the variables. %/
currentword=(unsigned %)oldlineptr;
currentword=(unsigned %)oldlineptr;
currentword=(unsigned %)oldlineptr;
set_cmprscontr_to_zero();
set_cmprscontr_to_zero();
set_cmprscontr_to_zero();
swapbyts((unsigned *)oldlineptr,(unsigned *) oldlineptr,nmbrwords);
swapbyts((unsigned *)oldlineptr,(unsigned *) oldlineptr,nmbrwords);
swapbyts((unsigned *)oldlineptr,(unsigned *) oldlineptr,nmbrwords);
word=*currentword;
word=*currentword;
word=*currentword;
if ((word)\&0x8000) /% Is bit 16 in "word" white ? i%/
if ((word)\&0x8000) /% Is bit 16 in "word" white ? i%/
if ((word)\&0x8000) /% Is bit 16 in "word" white ? i%/
{ /ir Yes, bit 16 was white. ir/
{ /ir Yes, bit 16 was white. ir/
{ /ir Yes, bit 16 was white. ir/
update_cmprsdblk(0,BLACKBIT);
update_cmprsdblk(0,BLACKBIT);
update_cmprsdblk(0,BLACKBIT);
color=WHITEBIT;
color=WHITEBIT;
color=WHITEBIT;
}

```
    }
```

    }
    ```
```

else
{ /: Bit 16 was black. }%
color=BLACKBIT;
word=~}\mp@subsup{}{~}{~}\mathrm{ word;
}
bitpos=16;
while(color<ENDBITS)
{
/% While the color is the same }%
/: "currentword", do. %/
while( (word\&0x8000) \&\& (bitpos > 0) )
{
bitcontr++;
bitpos--; /% Bit position in a word. %/
word=word<<1; /: Get the next bit in bit 16. %/
}
if(bitpos > 0) /* Still inside "currentword" ? */
update_cmprsdblk(bitcontr,color);
word=~}\mathrm{ word;
color=(color) ? 0 : 1;
bitcontr=0;
}
/: Done with all the bits in :%/
else
{
bitpos=16; /% Start again with bit 16 %/
currentword++; /% of the next word. %/
/* If the color is black then %/
/is negate the word pointed to by%/
/: "currentword" to check for */
/* the color later. i//
word= (color) ? %currentword : ~(%currentword);
/% Test for the end of the line %/
/% marker.
i/
if(--wordcount == 0)
{ /* Save the last color in this %/
/* line.
i/
lastcolor=color;
/* Signal "eol" to the outer i%/
/is loop.
*/
color=ENDBITS;
}
}
}

```
```

if(lastbits }==0)\quad/%\mathrm{ Does the line fit in the word%/
/: boundary ? }%
update_cmprsdblk(bitcontr,lastcolor);
else
cmprs_lastbits(%currentword,bitcontr,lastcolor);
if(color>ENDBITS)
printf(" %%%r%%% error in color, color=%d /n",color);
/* Return the number of bits */
return(get_cmprs_reslt()); /% in that compressed line. %/
}
/* -------------------------------------------------------------
/%========================= init_line_parm() ============================%/
/: Initialize some static variables to the appropriate values. %/
/%======================================================================%/
void init_line_parm(xsize)
unsigned xsize;
{
nmbrwords=xsize/16;
lastbits=xsize \& 0x000f; /% Let "lastbits" = "xsize" % 16%/
init_lastbits(lastbits);
}
/* ---------------------- END init_line_param() ---------------------------
/* ------------------------- END cmprsln.c ----------------------------*/

```
13.3. File Cupdt. c
```

/%

```

```

    STATIC VARIABLES :
    bitsleft : Number of bits still vacant in the compressed word,
                                it starts with l6 bits left in the word.
    cmprscounter : Count the number of bits in the compressed block
        which is filled from left to right.
    cmprsdwordptr: Pointer to the current word position in the
                compressed block.
    ik==========================================================================
    */
    static int bitsleft;
static unsigned cmprscounter;
static unsigned *cmprsdwordptr;
/i========================= UPDATE_CMPRSDBLK() ========================= %/
/% This is function update_cmprsdblk( bitcounter, color), where %/

```
```

/* bitcounter is the number of consecutive bits of current color. :%/
/%=======================================================================%/
void update_cmprsdblk(uncmprsdbitscont,color)
unsigned uncmprsdbitscont;
register int color;
{
struct FAXDATA
{
/% Code for a sequence of bits %/
/* of type color and run-length */
/* = \# of the uncompressed bits.*/
bits;
/* Length of the code in the */
/% bits.
length;
};
/* Initialize "FAX". FAX[0][] ==*/
/* black data , FAX[1][] == */
/: white data.
*/
static struct FAXDATA FAX[2][74]={ {
0x35,8, 0x7,6, 0x7,4, 0x8,4, 0xb,4, 0xc,4, 0xe,4,
0xf,4, 0x13,5, 0x14,5, 0x7,5, 0x8,5, 0x8,6, 0x3,6,
0x34,6, 0x 35,6, 0x2a,6, 0x2b,6, 0x 27,7, 0xc,7, 0x8,7,
0x17,7, 0x3,7, 0x4,7, 0x28,7, 0x2b,7, 0x13,7, 0x24,7,
0x18,7, 0x2,8, 0x3,8, 0x1a,8, 0x1b,8, 0x12,8, 0x13,8,
0x14,8, 0x15,8, 0x16,8, 0x17,8, 0x28,8, 0x 29,8, 0x2a,8,
0x2b,8, 0x2c,8, 0x2d,8, 0x4,8, 0x5,8, 0xa,8, 0xb,8,
0x52,8, 0x53,8, 0x54,8, 0x55,8, 0x 24,8, 0x 25,8, 0x58,8,
0x59,8, 0x5a,8, 0x5b,8, 0x4a,8, 0x4b,8, 0x 32,8, 0x33,8,
0x34,8, 0x1b,5, 0x12,5, 0x17,6, 0x37,7, 0x 36,8, 0x37,8,
0x64,8, 0x65,8, 0x68,8, 0x67,8} , {
0x37,10, 0x2,3, 0x3,2, 0x2,2, 0x3,3, 0x3,4,
0x2,4, 0x3,5, 0x5,6, 0x4,6, 0x4,7, 0x5,7,
0x7,7, 0x4,8, 0x7,8, 0x18,9, 0x17,10, 0x18,10,
0x8,10, 0x67,11, 0x68,11, 0x6c,11, 0x 37,11, 0x 28,11,
0x17,11, 0x18,11, 0xca,12, Oxcb,12, 0xcc,12, Oxcd,12,
0x68,12, 0x69,12, 0x6a,12, 0x6b,12, Oxd2,12, Oxd3,12,
0xd4,12, 0xd5,12, 0xd6,12, Oxd7,12, 0x6c,12, 0x6d,12,
0xda,12, 0xdb,12, 0x54,12, 0x55,12, 0x56,12, 0x57,12,
0x64,12, 0x65,12, 0x52,12, 0x53,12, 0x 24,12, 0x 37,12,
0x38,12, 0x27,12, 0x28,12, 0x58,12, 0x59,12, 0x2b,12,
0x2c,12, 0x5a,12, 0x66,12, 0x67,12, 0xf,10, 0xc8,12,
0xc9,12, 0x5b,12, 0x 33,12, 0x 34,12, 0x 35,12, 0x6c,13,
0x6d,13, 0x4a,13} } ;
register unsigned code; /* Code for the run of the pels.*/
int length; /* Length of the above code */

```

```

            /% Update "cmprscounter" by the%/
                            /* "code-length". */
        cmprscounter=cmprscounter+length;
                        /* If there are still more */
                    /* unprocessed bits in the */
                    /* current word then put the */
                    /* compressed bits in the %/
                    /* corresponding part of the */
                    /* word in the compressed buffer*/
    if(( bitsleft=bitsleft-length)>0 )
            (*cmprsdwordptr)|=code<<(bitsleft);
    else
        { /% Otherwise split the code %/
            /% among the current and next %/
                    /% words of the compressed %/
                    /% buffer. %/
        ((%cmprsdwordptr))|=(code) >> (-bitsleft);
        (*++cmprsdwordptr)=(code) <<
                                    (bitsleft = (16 + bitsleft));
        }
        }
    }
                    /* Run-length was less than */
    else
{
/*64 bits. */
/* Get the corresponding number */
/r of bits and "run-length" */
/* then update "cmprscounter". */
code=FAX[color][uncmprsdbitscont].bits;
length=FAX[color][uncmprsdbitscont].length;
cmprscounter=cmprscounter+length;
/* Same case as the one before. */
if ((bitsleft=bitsleft-length)>0)
(ircmprsdwordptr)|=code<<(bitsleft);
else
{
((*cmprsdwordptr))|=(code) >> (-bitsleft);
(*++cmprsdwordptr)=(code) <<
(bitsleft = (16 + bitsleft));
}
}
}
/*---------------------------------------------------------
/r========================= INIT_CMPRSDBLK() ============================%/
/r Initialize the compression buffer pointer to the first word of %/
/* the space allocated, set the compression counter to zero and %/
/* start with the most left bit of the first word in the compressed*/
/* buffer.
*/
/i=================================================================== %/

```
```

void init_cmprsdblk(newblkptr)
unsigned ;newblkptr;
{
cmprsdwordptr=newblkptr;
bitsleft=16;
cmprscounter=0;
}
/*----------------------- END INIT_CMPRSDBLK() ----------------------------*/
/ir====================== get_cmprs_reslt() =============================*/
/* This function returns the number of compressed bits since last %/
/i initialization of "cmprscounter". */
/%=========================================================================*/
unsigned get_cmprs_reslt()
{
return(cmprscounter);
}
/%------------------ END get_cmprs_reslt() -----------------------------------
/%=================== set_cmprscontr_to_zero() ========================* %/
/% Set_cmprscontr_to_zero() :it sets "cmprscounter" to zero. Use it%/
/% if you are compressing a block and want to get "cmprscounter" %/
/* for each line alone.
/ir=======================================================================*/
void set_cmprscontr_to_zero()
{
cmprscounter=0;
}
/r----------------- END set_cmprscontr_to_zero() ----------------------*/
/% ----------------------- END cupdt.c ------------------------------------
13.4. File Clast.c
\#include <dos.h>
\#define LINT_ARGS
\#define BLACKBIT 0
\#define WHITEBIT 1
\#define
\#define
ENDBITS 2
flip(word) \
{
inregs.x.ax=word; \
inregs.h.bl=inregs.h.al;
inregs.h.al=inregs.h.ah;
inregs.h.ah=inregs.h.bl;
word=inregs.x.ax;
}
void update_cmprsdblk( unsigned, int);

```
```

Lusigned lastbits;
{
struct bits
{
unsigned rest :15;
unsigned bit16 :1;
} ;
union
{
struct bits b;
unsigned w;
} wordbitsl;
union REGS inregs;
int bitcolor;
register int bitpos;
flip(word)
bitpos=0;
while(color < ENDBITS)
{
wordbitsl.w=word; /* Last word. */
/* Loop until either "color" */
/% changes or all bits are */
/* processed.
*/
while( (wordbitsl.b.bit16 == color) \&\&
(bitpos < lastbits) )
{
bitcontr++;
bitpos++;
/r Get the next bit. ic/
wordbitsl.w = word = word << 1;
}
if(bitpos < lastbits)
{ /* The color changed, hence }*
/* update the compressed buffer.*/
update_cmprsdblk(bitcontr,color);

```
```

    /* Let "color" = new color. */
        color=wordbitsl.b.bitl6;
                            /; Start looking for a new run. %/
        bitcontr=0;
        }
        else
        { /% All bits were processed, i/
                        /: update the compressed buffer :%/
                            /% and exit the main loop. ic/
        update_cmprsdblk(bitcontr,color);
        color=ENDBITS;
    }
    }
    }
/r------------------------ END cpmrs_lastbits() -----------------------------*/
/r========================= init_lastbits() =============================%/
/% Initialize "lastbits" to the no. of bits in last word of the }x
/r uncompressed line.
*/
/ir======================================================================*//
void init_lastbits(lastcont)
unsigned lastcont;
{
lastbits=1astcont;
}
/*------------------- END init_lastbits() --------------------------------*/
/: ----------------------- END clast.c ------------------------------------

```

\subsection*{13.5. File Dcmprsin.c}
```

\#include <stdio.h>
\#include <io.h>
\#include "colordef.h"
int update_cmprs(int);
int uncmprs_blak(), uncmprs_white();
int match_blak(int *,int *), match_white(int *,int *);
int update_dcmprs_blakmk(int), update_dcmprs_whitemk(int);
int update_dcmprs_blakreg(int), update_dcmprs_whitereg(int);
/i=========================== DCMPRSLN() ================================%/
/* This function decompresses or decodes one horizontal line using it/
/%}\mathrm{ the CCITT one-dimensional coding standard. The function }%
/* consists of a while loop to process all the codes in a line. %/
/i======================================================================== ir/
void dcmprs_line_ld()
{
/* Each line is assumed to begin*/

```
```

    /* with a black run, if it does */
    /* not, then the code of zero }%
    /% black run was inserted before%/
    /% the compressed code of the }%
    /is line at the compression time.%/
    /% Decode the compressed buffer %/
    /* until the end of line is */
    /* encountered. 
    while( uncmprs_blak() && uncmprs_white() )
                ;
    }
/\&--------------------------------------------------------------
/i========================== UNCMPRS_BLAK() =============================*/
/% When either a make-up or a terminating black code is processed, */
/% both of the compressed and decompressed buffer are updated. The %/
/* latter is updated by sending the corresponding number of bits %/
/% to that buffer.
*/
/i========================================================================%*/
uncmprs_blak()
{
int clrbits,codebits;
register int *clrbitsptr=\&clrbits;
register int ;codebitsptr=\&codebits;
match_blak(clrbitsptr,codebitsptr);
/* In case "clrbit" is */
/* smaller than 0 then a */
/% make-up code was encount- %/
/% ered as a first code, so %/
/* updated compression and */
/% decompression buffers. \#/
if(*clrbitsptr<0)
{
*clrbitsptr=-icclrbitsptr;
update_cmprs(%codebitsptr);
update_dcmprs_blakmk(%clrbitsptr);
/:* Find new clrbits \& codebits */
match_blak(clrbitsptr,codebitsptr);
}
update_cmprs(*codebitsptr);
/r Update "cmprsbufr" with the */
/* first terminating code */
/* length encountered. }:
/* Put "clrbits" black pels */
/* in the decompression buffer. ;/
/* If the line ended return 1 %/
/* else return 0. %/
return( update_dcmprs_blakreg(%clrbitsptr));

```
```

}
/%----------------------- END UNCMPRS_BLK() ------------------------------------
/i========================= UNCMPRS_WHITE() =============================%/
/* When either a make-up or a terminating white code is processed, */
/i}\mathrm{ both of compression and decompression buffer are updated. The %/
/* latter is updated by sending the corresponding number of bits %/
/is to that buffer.
*/

```

```

uncmprs_white()
{
int clrbits,codebits;
register int irclrbitsptr=\&clrbits;
register int *codebitsptr=\&codebits;
match_white(clrbitsptr,codebitsptr);
/* Refer to the comments in }%
if(*clrbitsptr<0) /% function uncmprs_blak. %/
{
*clrbitsptr=-*clrbitsptr;
update_cmprs(%codebitsptr);
update_dcmprs_whitemk(%clrbitsptr);
match_white(clrbitsptr,codebitsptr);
}
update_cmprs(*codebitsptr);
return( update_dcmprs_whitereg(irclrbitsptr));
}
/:---------------------- END UNCMPRS_WHITE() --------------------------------*/
/: ---------------------- END dcmprsln.c ------------------------------------
13.6. File Dupdtc.c
/i

```

```

STATIC VARIABLES :
cbitsremain : Bits remained in a given word, initial value is
16 bits.
currentword : Holds the current word to be decoded.
nextwordptr : Points to the next word to be processed after the
current word.
nextword : It is set to the contents of word pointed to by
"nextwordptr". After each code match, "nextword" is
masked so that it will contain the unused portion,
it is right justified.
The rest of it is filled with zeros.
rightbitsword : Masks to get 1st bit, 1st and 2nd bits and so on.
leftbitsword : Masks to get 16th bit, 16th and l5th bits and so on.

```

```

*/

```

```

/i=========================== UPDATE_CMPRS() ============================%/
/: This function updates "currentword", which is a window into the */
/* compressed buffer. %/
/*=======================================================================*/
update_cmprs(codelngth)
int codelngth;
{ /* Variable "tempword" is not */
/ir necessary, it is used to */
/* speed processing. */
register unsigned tempword;
register int difference;
tempword = currentword;
tempword <<= codelngth; /% Get rid of this code. %/
/* Can the vacant place in %/
/: "currentword" be filled from :/
/% what is left in nextword? %/
if((difference = cbitsremain-codelngth) > 0)
{ /% Yes, "bitsremain" is big %/
/* enough.
*/
/ir Copy the new bits of the code*/
/% into the places vacant due to*/
/is the mathed code. ic/
tempword |= nextword>>(difference);
}
else
{ /% No, the code bits remaining %/
/% in "nextword" can't fill the */

```

tempword |= nextword \(\ll\) (difference);
    /: Advance "nextwordptr" and \(\% /\)
    \(/ *\) copy its content to \(\% /\)
    /* "nextword". . */
nextword \(=\%(++\) nextwordptr \()\);
    /* Adjust "difference" then use \(\% /\)
    \(/\); it to copy the necessary \(\% /\)
    /is part from the new "nextword" */
    /*into "tempword". \(\% /\)
tempword \(\mid=\) nextword \(\gg\) (difference=(16- (difference)) );
\}
    /ir Mask the used part to zeros. */
nextword \(\alpha=\) rightbitsword[difference];
cbitsremain = difference; /* Update "cbitsremain". \(\% /\)
currentword \(=\) tempword; \(\quad / \%\) Update "currentword". \(\quad \div /\)
\}

\(/ \mathrm{r}========================1 \mathrm{init} \mathrm{cmprs}=============================1 /\)
init_cmprs(cmprsbfrptr)
unsigned *cmprsbfrptr;
\{
cbitsremain \(=16\);
currentword \(=*\) (cmprsbfrptr);
nextword \(=\%\) (nextwordptr=cmprsbfrptr+1 );
\}

\(/ \%========================1 \mathrm{MATCH}\) BLAK \(===============================\% /\)
\(/ \%\) It looks at the content of "currentword"(currentword is a window \(\% /\)
\(/ \%\) that slides on the "cmprsdbfr") from left to right ( up to bit \(\% /\)
\(/ ; 9\) ) and tries to match the first four bits with a code of black \(\% /\)
\(/ *\) runs whose length is four bits. If no match is found it tries \(* /\)
\(/ \%\) to match the first 5 bits and so on until it finds a match. The \(\% /\)
\(/ \%\) last bits to be looked at are the first 8 bits. It is assumed \(\% /\)
\(/ \%\) that a match should be found otherwise an error message is sent \(\% /\)
\(/ \%\) to the screen and the program is halted. \(\% /\)
\(/ \dot{*}\) It returns the length of the matched code and the length of \(\% /\)
\(/ *\) the corresponding run in locations pointed to by "codebitsptr" */
/* and"clrbitsptr" respectively.
\(\% /\)

```

match_blak(clrbitsptr,codebitsptr)
register int *clrbitsptr;
int
*codebitsptr;

```
\{
\(/ \%\) Huffman table for the black \(\% /\)
                                    \(/ \%\) codes. It is read from \(\% /\)
                                    \(/ \%\) right to left with the \(\% /\)
                                    \(/\) /s vacant bits filled with \(\% /\)
                                    \(1 \%\) zeros in every word. \(\% /\)
static unsigned BLK_CODES[] =
    \{
                            /* BARRAY_4 bits. \(\quad\) /
\(0 \times 7000,0 \times 8000,0 \times b 000,0 \times c 000,0 \times 000\),
\(0 x f 000\),
                            \(1 \div\) BARRAY_5 bits. \(\quad \div /\)
\(0 \times 9800,0 \times a 000,0 \times 3800,0 \times 4000,0 \times d 800\),
0x9000,
    \(/ \dot{\cos }\) BARRAY_6 bits. ic/
\(0 \times 1 \mathrm{c} 00,0 \times 2000,0 \times 0 \mathrm{c} 00,0 \times \mathrm{d} 000,0 \times \mathrm{d} 400\),
\(0 \times 1800,0 \times a c 00,0 \times 5 \mathrm{c} 00\),
    \(/ \dot{\text { BARRAY_7 bits. }}\) b/
\(0 \times 4 \mathrm{e} 00,0 \times 1800,0 \times 1000,0 \times 2 \mathrm{e} 00,0 \times 0600\),
\(0 \times 0800,0 \times 5000,0 \times 5600,0 \times 2600,0 \times 4800\),
\(0 \times 3000,0 \times 6 e 00\),
/* BARRAY_8 bits. */
\(0 \times 3500,0 \times 0200,0 \times 0300,0 \times 1 a 00,0 \times 1 b 00\),
\(0 \times 1200,0 \times 1300,0 \times 1400,0 \times 1500,0 \times 1600\),
\(0 \times 1700,0 \times 2800,0 \times 2900,0 \times 2 \mathrm{a} 00,0 \times 2 \mathrm{~b} 00\),
\(0 \times 2 \mathrm{c} 00,0 \times 2 \mathrm{~d} 00,0 \times 0400,0 \times 0500,0 \times 0 \mathrm{a} 00\),
0x0b00, \(0 \times 5200,0 \times 5300,0 \times 5400,0 \times 5500\),
\(0 \times 2400,0 \times 2500,0 \times 5800,0 \times 5900,0 \times 5 \mathrm{a} 00\),
\(0 \times 5 \mathrm{~b} 00,0 \times 4 \mathrm{a} 00,0 \times 4 \mathrm{~b} 00,0 \times 3200,0 \times 3300\),
\(0 \times 3400,0 \times 3600,0 \times 3700,0 \times 6400,0 \times 6500\),
\(0 \times 6800,0 \times 6700\)
\};
\(/ i\) Run-lengths corresponding \(\% /\)
    /\% to the codes in "BLK_CODES". \(\% /\)
    /\% Make-up runs are stored as \(\% /\)
    \(/ *\) negative values to \(\% /\)
    \(/ \%\) distinguish them from \(\% /\)
    \(/ \dot{*}\) the terminating runs. \(\dot{F} /\)
    /i BCODE_4 bits. \(\quad\) /
    \(2 \quad, 3 \quad, 4,5 \quad, 6,7 \quad, 7 /\)

    1, 12, 13, 14, \(15,16,17,-192, \% /\)
```

    18, 19, 20, 21, 22, 23, 24, 25, 26,
    27, 28, -256,
    /% BCODE_8 bits. %/
    0, 29, 30, 31, 32, 33, 34, 35, 36,
    37, 38, 39, 40, 41, 42, 43, 44, 45,
    46, 47, 48, 49, 50, 51, 52, 53, 54,
    55, 56, 57, 58, 59, 60, 61, 62, 63,
        -320, -384, -448, -512, -576, 640
    };
    /% The black codes are grouped %/
        /* in the "BLK_CODES" array */
        /* according to their length. */
        /* Their corresponding runs are */
        /* stored in "BLK_RUNS" array. */
        /; The first element in */
        /% "BGROUPS" is equal to the no.%/
        /% of the pairs. First no. in */
        /% each pair is the length of */
        /* the code in bits. Second no. %/
        /* is the number of codes with */
        /% this length.
    static int BGROUPS[}={5, 4,6, 5,6, 6,8, 7,12, 8,42 };
register word;
word = currentword;
switch (1)
{
case 1:
{ /% Find the first part of "word"%/
/% that can be matched to a code%/
/% of a black run. When a match %/
/* occurs return the "clrbits" ic/
/* and "codebits". */
if( match_all_bits(word,BLK_CODES,BLK_RUNS,BGROUPS,
clrbitsptr,codebitsptr) )
break;
}
default : {
printf("Wrong code encountered in 'match_blak'\n");
exit(0) ;
}
}
}
/ir-----------------------------------------------------------
/r========================== MATCH_WHITE ================================%/
/i Codes of length = 2, 3, 4, 5, 6, 7, 8, 9 are processed in a ir/
/: tree data structure in order to find a match for them with the %/
/i first 2, 3,...9 left bits of "currentword". Whenever a match is %/
/% found we exit from the tree. If no match is found in the tree, %/

```
```

/* the function looks at the content of currentword (current word %/
/* is a window that slides on the "cmprsdbfr") from left to right %/
/* (up to bit 4) and tries to match the first ten bits with a code */
/r}\mathrm{ of white runs whose length is ten bits. If no match is found %/
/r it tries to match the first 11 bits and so on until it finds a }%
/% match. The last bits to be looked at are the first 13 bits. It %/
/r is assumed that a match should be found otherwise an error */
/r message is sent to the screen the and program is halted. %/
/% The function returns the length of the matched code and the %/
/r length of the corresponding run in locations pointed to by %/
/r "codebitsptr" and "clrbitsptr" respectively. %/
/*=======================================================================%%/
match_white(clrbitsptr,codebitsptr)
int *clrbitsptr,*codebitsptr;
{
static unsigned
WHITE_CODES[] =
{
/% Codebits = 10. }%
0x05c0, 0x0600, 0x0200, 0x03c0,
0x0dc0,
/% WARRAY_11 bits.
0x0ce0, 0x0d00, 0x0d80, 0x06e0,
0x0500, 0x02e0, 0x0300,
/ir WARRAY_12 bits.
0x0ca0, 0x0cb0, 0x0cc0, 0x0cd0,
0x0680, 0x0690, 0x06a0, 0x06b0,
0x0d20, 0x0d30, 0x0d50, 0x0d60,
0x0d70, 0x06c0, 0x06d0, 0x0da0,
0x0db0, 0x0540, 0x0550, 0x0560,
0x0570, 0x0640, 0x0650, 0x0520,
0x0530, 0x0240, 0x0370, 0x0380,
0x0270, 0x0280, 0x0580, 0x0590,
0x02b0, 0x02c0, 0x05a0, 0x0660,
0x0670, 0x0c80, 0x0c90, 0x05b0,
0x0330, 0x0340, 0x0350,
/% WARRAY_13 bits. */
0x0360, 0x0368, 0x0250
/* See comment for "BLK_RUNS". */
static int WHITE_RUNS[] =
/* WCODE_10 BITS. */
16, 17, 18, -64, 0, % WCODE_11 bits.
19, 20, 21, 22, 23, 24, 25,
/ic WCODE_12 bits.
*/
26, 27, 28, 29, 30, 31, 32, 33,
34, 35, 36, 37, 38, 39, 40, 41,

```
```

42, 43, 44, 45, 46, 47, 48, 49,
50, 51, 52, 53, 54, 55, 56, 57
58, 59, 60, 61, 62, 63, -128, -192,
-256, -320, -384, -448,
/: WCODE_13 bits.
-512, -576, 640
};
static unsigned WGROUPS[]={4, 10,5, 11,7, 12,44, 13,3};
register unsigned tmpword,word;
word = currentword;
switch (1)
{

```

```

    else /is Bit 12=0. %/
            { /* Bit 11=1. */
            if(word & 0x0400)
                /* Code = 8. 
            *clrbitsptr=8;
                else /% Bit 11 = 0. %/
                    /ir Code = 9. 
                        *clrbitsptr=9;
                *codebitsptr=6; /% Code length = 6. %/
                break;
                }
            }
            /* By reaching this points it */
                    /* means that only 4 zero bits %/
                    /: were found. %/
                    /:---------------------------------*/
                    /* mask with 1111 1110 00... */
                    /* to handle runs 10, 11, 12 %/
    if((tmpword=(word\&0xfe00)) == 0x0800)
{ *codebitsptr=7; *clrbitsptr=10; break; }
if(tmpword==0x0a00)
{ ;codebitsptr=7;
*clrbitsptr=11; break; }
if(tmpword==0x0e00)
{ *codebitsptr=7;
*clrbitsptr=12; break; }
/%-------------------------------*/
/* mask with 1111 1111 00... */
/* to handle runs 13, 14, 15 %/
if((tmpword=(word\&0xff00)) == 0x0400)
{ ;codebitsptr=8; *clrbitsptr=13; break; }
if(tmpword==0x0700)
{ *codebitsptr=8;
if((word\&0xff80)==0x0c00)
{ *clrbitsptr=15;
*codebitsptr=9; break; }
/*--------------------------------*/
/* find the first part of */
/* "word" that can be matched */
/r to a code of a white run. */
/* When a match occurs return %/
/* the "clrbits" and "codebits".*/
if( match_all_bits(word,WHITE_CODES,WHITE_RUNS,WGROUPS,
clrbitsptr,codebitsptr) )
break;
}
default : {
printf(
" Wrong code encountered in 'match_white'\n");
exit(0) ;
}
}

```
/r-----------------------------------------------------------
/* ------------------------------------------------------
13.7. File Dupdtd.c
/%
```



```
    STATIC VARIABLES :
    dbitsremain : Bits remaining in a given byte, initial value is
        8 bits.
    xsize : Horizontal dimension of the block = length of
    each line.
    xlength : Counter for number of bits processed in the
        current line.
    linestart : Points to the start byte of every line in
            compressed buffer.
    currentbyteptr : Points to the current byte, in the decompression
        buffer, to be filled.
    currentbyte : Equals the contents of byte pointed to by
        "currentbyteptr".
    leftbitsbyte : An array of masks to get the 16th bit, the 16th
        and 15th bits, and so on.
    rightbitsbyte : An array of masks to get the lst bit, the lst
        and 2nd bits, and so on.
```



```
    */
```



```
{
```

```
register int difference;
unsigned nmbrbytes;
difference = clrbits-dbitsremain;
if( clrbits >= (dbitsremain+8) ) /% Can we use memset() ? %/
    { /% YES we can, hence set the %/
    /: remaining bits of the current*/
    /is byte to 1's.
        */
    *currentbyteptr |= rightbitsbyte[dbitsremain];
    /* Divide by 8 to get the number%/
    nmbrbytes=(difference)}>>3;/%\mathrm{ of bytes that need to be }%
    /% updated. %/
    /* Set "nmbrbytes" bytes to ones*/
    memset(++currentbyteptr,0xff,nmbrbytes);
    currentbyteptr +=nmbrbytes; /% Advance the pointer position*/
                            /* If the difference was not %/
    /* divisible by }8\mathrm{ then there %/
    /* are some bits to be set */
    /* to ones in the next byte. %/
    if((difference=difference &0x7) !=0)
    *currentbyteptr=1eftbitsbyte[(difference)];
    dbitsremain=8-(difference);
    }
else /* No we can not use memset(). %/
    {
    if(difference < 0)
    { /% Only few bits need to be set %/
    /* to one within the current %/
    /* byte, hence OR contents of */
    /: "currentbyteptr" with the */
    /* mask that is shifted left by %/
    /* the negated difference. */
    *(currentbyteptr) |= ( rightbitsbyte[clrbits] <<
                            (dbitsremain-clrbits) );
    dbitsremain -=clrbits;
    }
    else /% There are some bits in the %/
    /* current and next byte to be */
    /* set to one. */
    {
    /* Set those bits left in */
    /* the current byte to 1's */
    *currentbyteptr |=rightbitsbyte[dbitsremain];
                            /* Set the required bits of the */
                            /: next byte to one.
                                    */
        *(++currentbyteptr) =leftbitsbyte[difference];
        dbitsremain = 8 - (difference);
        }
    }
    /* If the end of the line is */
```

```
    /ir reached then initialize the */
if( (xlength+=clrbits) >= xsize ) /* variables to process the next*/
    /* line.
    {
        xlength=0;
    /* If "dbitsremin"=8 this means */
    /* that "currentbyteptr" is */
    /* pointing to the first byte of %/
    /* the next line and, of course,*/
    /; "dbitsremain" is correct. */
    /ir So start a new line. */
        if(dbitsremain!=8)
        {
        dbitsremain=8;
        ++currentbyteptr;
        }
        linestart=currentbyteptr;
        return(0);
        }
else
    return(1); /* Line did not end yet. %/
}
/*------------------ END UPDATE_DCMPRS_WHITEREG() ---------------------*/
/%====================== update_dcmprs_blakreg =======================**/
/% Put into the decompression buffer "dcmprsbufr" the exact number */
/: to black bits that equals the passed run length. Since initially*/
/* every bit in the buffer is set to zero, it is enough to advance */
/* the pointer by the run length.
*/
/%=======================================================================*/
update_dcmprs_blakreg(clrbits)
register int clrbits;
{
register int difference;
unsigned nmbrbytes;
difference=clrbits-dbitsremain;
if(clrbits >= (dbitsremain+8) ) /* Update more than two bytes. */
    {
/% No need to set the remaining %/
/* bits of the current byte */
/i}\mathrm{ to 0's since the buffer is m/
/* initialized to zero's. */
/r Divide by 8 to get the number:/
    nmbrbytes=(difference)}>>3\mathrm{ ; / }%\mathrm{ of bytes to be updated. */
/* Advance the pointer position.*/
currentbyteptr +=nmbrbytes+1;
/* By ANDING "difference" with*/
```

```
    /% 0000 0111 we get the bit */
    /% position to start with in*/
    /is the next process. i:/
        dbitsremain=8-(difference &0x7 );
        }
else
    /% Update one or two bytes. */
        {
        if(difference<0)
        /* Only few bits need to be %/
        /* set to zero within the */
        /* current byte, hence advance */
        /* "dbitsremain" by "clrbits", %/
        /* thus bits = run-length are */
        /* set to zero in the current */
        /* byte. */
        dbitsremain -=clrbits;
    else
        {
        /* Advance "dbitsremain" by */
        /; "clrbits", thus bits = run- %/
    /* length are set to zero in %/
        ++currentbyteptr; /% the current and next byte. */
        dbitsremain=8- (difference);
        }
    }
if((xlength+=clrbits) >= xsize )
    {
    xlength=0;
    if(dbitsremain!=8) /% So start a new line. %/
            {
            dbitsremain=8;
            ++currentbyteptr;
            }
        linestart=currentbyteptr;
        return(0);
    }
else
    return(1); / % Line did not end yet. }%
}
/r------------------ END UPDATE_DCMPRS_BLAKREG() ----------------------*/
/ir====================== update_dcmprs_whitemk =========================%/%/
update_dcmprs_whitemk(clrbits)
```

```
int clrbits;
{
register int difference;
register unsigned nmbrbytes;
f:* Refer to the comments in the */
/r function update_demprs_whitereg.*/
difference=clrbits-dbitsremain;
*currentbyteptr |= rightbitsbyte[dbitsremain];
nmbrbytes=(difference)}>>3\mathrm{ ;
memset(++currentbyteptr,0xff,nmbrbytes);
currentbyteptr +=nmbrbytes;
if((difference=difference &0x7) !=0)
        *currentbyteptr=leftbitsbyte[(difference)];
dbitsremain=8-(difference);
xlength +=clrbits;
return(1);
}
/:------------------- END UPDATE_DCMPRS_WHITEMK() ---------------------*/
/%====================== update_dcmprs_blakmk =========================*/
update_dcmprs_blakmk(clrbits)
register int clrbits;
{
register int difference;
unsigned nmbrbytes;
                                    /* Refer to comments in function */
difference=clrbits-dbitsremain;
nmbrbytes=(difference)>>3;
currentbyteptr +=nmbrbytes+1;
dbitsremain=8-(difference &0x7);
xlength +=clrbits;
return(1);
}
/%------------------- END UPDATE_DCMPRS_BLAKMK() -------------------------
                                    /* Even number of bytes only. */
                            /% If the line length is odd do %/
static unsigned bytelinelngth; /% not process the last byte. */
/r=========================== init_dcmprsbfr ============================*/
init_dcmprsbfr(dcmprsbfrptr,sizexbits)
unsigned char rdcmprsbfrptr;
int sizexbits;
```

```
{
linestart=currentbyteptr=dcmprsbfrptr;
bytelinelngth= ( ( ((xsize=sizexbits)/8) /2)*2);
xlength=0;
dbitsremain=8;
}
/*--------------------- END INIT_DCMPRSBFR() ---------------------------
/*======================== adjst_line ========n==================*/
/* swap every pair of bytes in every word of the current line. */
|*=============================================================%/
adjst_line()
{
swapbyts(linestart,linestart,bytelinelngth);
}
/*--------------------- END ADJST_LINE() ----------------------------*/
/* -------------------------------------------------------
```

13.8. File Initscrn.c


```
if( value <= 1 )
{
    while(loop)
    {
        printf("enter name of data file \n");
        gets(datafile);
        printf("your data file is %s \n",datafile);
        printf("Are the values entered correct ?\n");
        printf("enter Y or N ");
        flag=getchar();
        while( ((flag!='y')&&(flag!='n')) )
        {
            flag=getchar();
        printf("enter y or n ");
        flag=getchar();
        }
        while((c=getchar()) !='\n')
            ;
        if(flag=='y')
                        100p=0;
    }
}
setscmode(HI_RES);
    /% do the first bank (even) by i//
                    /% allocating the half total */
                    /* size. */
screenbufr=malloc(SCREENSIZE/2);
fh1 = open(datafile,O_RDONLY|O_DINARY);
                            /%
bytesread=read(fh1,screenbufr,SCREENSIZE/2);
src=(char far %)(screenbufr+7);
                            /r The screen format has the first byte */
                            /% of the lst bank at offset 8000 of the%/
                            /* screen segment. Move the data from */
                            /i}\mathrm{ the file to that segment. Note that %/
                            /* in the screen segment the bytes */
                            /* starting at offset 8000 till (8192-7)%/
                            /% will be filled with whatever the file%/
                            /r has. This part is not from the %/
                            /* physical screen.
movedata(FP_SEG(src),FP_OFF(src),0xb800,0x0000,
                                    (SCREENSIZE/2)-7);
bytesread=read(fh1,screenbufr,SCREENSIZE/2);
src=(char far *)(screenbufr);
                            /* The lst seven bytes of the 2nd half */
                            /* of the file are a continuation of the%/
                            /% (192-7) bytes that BASIC took from %/
                            /% the screen memory and dumped it to %/
                            /% the file. So the second half of the %/
```

```
            /* screen starts after 7 bytes of the %/
            /* 2nd part of the file. By copying the */
                    /* second half of the file into offset */
                    /% (0x2000-7) we will fill the 7 bytes %/
                    /* at (0x2000-7) then the 2nd half of */
                    /% the screen will be copied to offset %/
                    /% (0x2000). This fills the odd part of %/
                    /% the screen. The remaining (192-7) of %/
                    /: the file will fill offset %/
                    /* (0x2000+8000) till offset %/
                    /* (0x2000+8000+(192-7)). */
    movedata(FP_SEG(src),FP_OFF(src),0xb800,(0x2000-7),
                                    SCREENSIZE/2);
    close(fh1);
    free(screenbufr);
}
/r----------------------------------------------------------
/r============================= SETSCMODE ===============================*/
/% Sets the screen to the desired video mode. %/
/%=======================================================================%/
int setscmode(mode) /% set the video mode function. */
int mode;
{
union REGS inregs;
union REGS outregs;
    /: return the code and the */
    /* interrupt for function */
    /: "gdosint". */
int ret_code,int_no;
    /* "set video mode" BIOS */
    /* function call. */
    inregs.h.ah=0;
    inregs.h.al=mode;
    ret_code = int86(0x10,&inregs,&outregs);
                                    /* return the code to check for */
                                    /% any errors. %/
    return(ret_code);
}
/*----------------------- END SETSCMODE ---------------------------------*/
/* ---------------------- END initscrn.c -------------------------------*/
13.9. File Gttime.c
\begin{tabular}{lll} 
\#include & <dos.h> & \\
\#define & LINT_ARGS & \\
\#define & INT_TIME & \(0 x 1 a\)
\end{tabular}
```

```
/i============================ GTTIME =================================%/6/
/* It returns the current time, only the seconds and the hundredths:/
/% of a second. The return value is the addition of the two, in %/
/% hundredths of a second.
/it=====================================================================**/
unsigned gttime()
{
union REGS inregs;
union REGS outregs;
unsigned tc;
inregs.h.ah=0x2c;
intdos(&inregs,&outregs);
tc = (outregs.h.dl) + (100 % outregs.h.dh);
return(tc);
}
/:-------------------------- END GTTIME () -------------------------------*/
/: -------------------------------------------------------------
13.10 File Print.c
```

```
#include <io.h>
```

\#include <io.h>
\#include <stdio.h>
\#include <stdio.h>
/i======================== PRINT_RESULTS() ==============================*/
/i======================== PRINT_RESULTS() ==============================*/
/: Print the results to the output file. The data to be printed out*/
/: Print the results to the output file. The data to be printed out*/
/* are the compression time, the decompression time and the */
/* are the compression time, the decompression time and the */
/* compression factor. %/
/* compression factor. %/
/i=======================================================================%%/
/i=======================================================================%%/
print_results(thefile,x1,y1,x2,y2,cmprstime,dcmprstime,avgfactor)
print_results(thefile,x1,y1,x2,y2,cmprstime,dcmprstime,avgfactor)
char thefile[41];
char thefile[41];
unsigned
unsigned
unsigned cmprstime,dcmprstime;
unsigned cmprstime,dcmprstime;
float avgfactor;
float avgfactor;
{
{
FILE *outfile;
FILE *outfile;
printf(" Compression factor is %f \n", avgfactor) ;
printf(" Compression factor is %f \n", avgfactor) ;
printf(
printf(
"Compression time is %u in 1/100 of a second \n", cmprstime );
"Compression time is %u in 1/100 of a second \n", cmprstime );
printf(
printf(
"Decompression time is %u in 1/100 of a second \n", dcmprstime );
"Decompression time is %u in 1/100 of a second \n", dcmprstime );
/i}\mathrm{ Send data to table.dat file. i/
/i}\mathrm{ Send data to table.dat file. i/
if( (outfile = fopen( "table.dat", "r" )) == NULL )
if( (outfile = fopen( "table.dat", "r" )) == NULL )
{
{
/* Open the file for writing. %/
/* Open the file for writing. %/
/* Print the table heading too. */
/* Print the table heading too. */
outfile = fopen( "table.dat", "w" ) ;

```
outfile = fopen( "table.dat", "w" ) ;
```

```
    fprintf(outfile,
        "File name x1 y1 x2 y2 cmprs cmprs ");
    fprintf(outfile,"dcprs \n" );
    fprintf(outfile,
        " fctor time ");
    fprintf(outfile,"time \n");
    fprintf(outfile,
    "-------------------------------------------------------");
    fprintf(outfile,"------------------------------------
        }
else
        { /% Appending. */
        outfile = fopen( "table.dat", "a" ) ;
        }
                            /* Output formats. */
fprintf(outfile,"%-20s %3u %3u %3u %3u %6.2f %4u %5u\n",
        thefile, x1, y1, x2, y2, avgfactor, cmprstime, dcmprstime );
fclose(outfile);
}
/*------------------------ END PRINT_RESULTS() -----------------------------*/
/% ------------------------- END print.c ---------------------------------*/
                    13.11. File Geth.asm
```




```
    PUSH BX
    PUSH AX
GET_SMODE:
    MOV AH,15
    INT }1
    CMP AL,4
    JNE HIGH_RES
    MOV RT1,2
    MOV LT1,1
    MOV WORD PTR BIT1,3
    JMP FIND_PARAMS
HIGH_RES:
    CMP AL,6
    JNE NOT_GRAPH
    MOV RT1,3
    MOV WORD PTR BIT1,7
    MOV LT1,0
    JMP FIND_PARAMS
NOT_GRAPH:
    JMP GT_DONE
FIND_PARAMS:
    CALL FINDPARAM
COMMENT %
FIND_PARAMS WILL RETURN "DX = XLENGTH" (CASE1 AND CASE3_B) OR
"XLENGTH-1" (FOR CASE 2 AND CASE3_A) WHERE "XLENGTH"= NO. OF BYTES
NEEDED TO STORE EACH LINE.
BX = COUNTER FOR Y LINES= NO. OF LINES IN THE FIRST BANK.
CX = KIND OF BLOCK.
*
INIT_BUFFER:
MOV AX,DS ; LET ES = DS.
MOV ES,AX
MOV DI,BUFFER ; DI = ADDRESS OF THE 1ST BYTE IN
; THE BUFFER. STORE "XLENGTH" IN THE
MOV AX,PXLENGTH ; IST WORD OF THE BUFFER.
STOSW ; "XLENGTH" IS IN PELS.
MOV AX,Y2
SUB AX,YO
INC AX ; AX = Y2-YO + 1.
; STORE "YLENGTH" IN THE 2ND WORD OF
; THE BUFFER.
MOVE_SETUP:
    MOV AX,80
    SUB AX,DX
    MOV SORC_INC,AX ; "SORC_INC" = 80 - SIZE.
    MOV AX,YO
    SHR AX,1 ; AX = NUMBER OF THE 1ST LINE ON THE
    MOV SI,DX ; STORE "DX" IN "SI".
    MOV BL,80
```




MOV CL,LT1
SHL SI,CL
MOV AL,[SI+MASK2]
MOV LAST_MASK,AL
; $D X=$ NO. OF BYTES NEEDED IN
INC DX ; THE ARRAY.
MOV CX,1
RET
LEFT_X:
MOV AX,BIT1
INC AL
SUB AL,BL
MOV CL,LTI
SHL AL,CL
; WE USE SHFT_RGT TO SHIFT THE WORD
; IN WHICH A PEL (OTHER THAN ZERO)
; IS THE START OF EACH LINE.
BYTE PTR SHFT_RGT,AL
; THE SCREEN BYTE THAT WE WANT TO
; TRANSFER TO THE BUFFER .
; WE SHIFT THE WORD TILL THE DESIRED
; BYTE FITS INTO AL.
; FOR THE LAST BYTE WE NEED ONLY PART
; OF THE BYTE SO WE ZERO THE EXTRA
; PELS USING LAST_MASK.
AND SI,BIT1 ; IF SI = 0 WE HAVE NO EXTRA PELS,
JZ SET_LST_MSK ; HENCE THE LAST BYTE IS COUNTED IN
INC DX ; INCREMENT DX TO TAKE THE LAST BYTE
; OUT OF DX.
; SINCE SI WAS CALCULATED FROM
; XLENGTH IT INCORPORATED THE EFFECT
; OF XO AND X2 IN THE LAST BYTE OF
; THE BUFFER. LAST_MASK TAKES CARE OF
; THE EXTRA PELS IN THE LAST BYTE.
; THE DIFFERENCE BETWEEN "GET" AND
; "PUT" FUNCTIONS IS THAT IN "PUT" WE
; WANT TO PRESERVE THE OLD CONTENT OF
; THE SCREEN (i.e. THE EXTRA PELS IN
; THE LAST BYTE). BUT IN "GET" WE
; ZERO THE EXTRA PELS BY LAST_MASK.

MOV
CL,LT1
SHL SI,CL
MOV AL,MASK2 [SI] ; SI = NO. OF PELS IN THE LAST BYTE.
MOV LAST_MASK,AL ; SI $=0,1,2,3$
MOV CX,2
RET
FINDPARAM
ENDP

| GTBLK | PROC | NEAR |  |
| :---: | :---: | :---: | :---: |
|  | MOV | CX, 2 | ; INITIALIZE THE OUTSIDE COUNTER. |
| LOOP 1: |  |  |  |
|  | PUSH | CX | ; STORE THE OUTSIDE COUNTER. |
| LOOP2: | MOV | CX, DX | ; INITIALIZE THE BYTES COUNTER. |
|  | MOV | AX, DX | ; STORE IT IN AX ALSO. |
|  | SHR | CX, 1 | ; $C X=C X / 2=$ NO. OF WORDS. |
|  | REPZ | MOVSW | ; MOVE AS WORDS. |
|  | SHR | AX, 1 | ; IF THE NO. OF bYtes Was Even |
|  | JNB | NEXT_LINE | ; THEN GO TO DO THE NEXT LINE. |
|  | LODSB |  | ; NO. OF BYTES WAS ODD SO WE Have |
|  | STOSB |  | ; TO MOVE THE LAST BYTE. |
| NEXT_LINE: |  |  |  |
|  | ADD | SI, SORC_INC | ; INCREMENT SI AND DI BY SORC_INC. |
|  | ADD | DI, DX |  |
|  | DEC | BX | ; IF THEIR IS MORE LINES START AGAIN. |
|  | JNZ | LOOP2 |  |
| NEXT_BANK: |  |  |  |
|  |  |  | ; REINITIALIZE BX TO THE NO. OF Y |
|  | MOV | BX,LINE_CNTR | ; LINES IN THE SECOND BANK. |
|  | POP | CX | ; RESTORE THE ROUND COUNTER. |
|  | CMP | BX, 0 | ; DOES THE SECOND BANK HAVE ANY <br> ; LINES ? |
|  |  |  | ; IF NOT, THEN THE BLOCK HAS ONLY |
|  | JBE | GTBLK_DONE | ; ONE Y LINE AND WE ARE DONE. <br> ; ELSE, THE 2ND BANK HAS LINES SO <br> ; CONTINUE. |
|  | MOV | SI, SORC_INDX2 | ; SI POINTS TO THE OFFSET IN THE ; SECOND BANK. |
|  | MOV | DI, DEST_INDX2 | ; DI POINTS TO THE 2ND LINE IN THE ; BUFFER |
| CHANG_ORIGN: |  |  |  |
|  |  |  | ; GHANGE FROM EVEN TO ODD BANK |
|  | XOR | SI, 02000H | ; OR VICE VERSA. |
|  | LOOP | LOOP 1 |  |
| GTBLK_DONE: |  | RET |  |
| GTBLK |  | ENDP |  |
| GTBLKX | PROC | NEAR |  |
|  | MOV | CX, 2 |  |
| LOOP1X: |  |  |  |
|  | PUSH | CX |  |
| LOOP 2X: | MOV | CX, DX | ; DX DID NOT INCLUDE THE LAST BYTE |
|  | DEC | CX | ; SO DO THE LAST BYTE OF ADJUST_LAST. |
|  | MOV | AX, CX | ; $\mathrm{AX}=\mathrm{CX}=\mathrm{DX}=\mathrm{XLENGTH}$. |
|  | SHR | CX, 1 | ; CX $=$ XLENGTH/2 (-0/1 BYTE). |
|  | REPZ | MOVSW |  |
|  | SHR | AX, 1 | ; IF XLENGTH WAS EVEN THEN MOVING |
|  | JNB | ADJUST_LAST | ; DX BYTES IS DONE, GO TO ADJUST_LAST |


|  | $\begin{aligned} & \text { LODSB } \\ & \text { STOSB } \end{aligned}$ |  | ; DX WAS ODD SO WE STILL HAVE TO MOVE <br> ; ONE MORE BYTE. |
| :---: | :---: | :---: | :---: |
| ADJUST_LAST: |  |  |  |
|  | LODSB |  | ; LOAD THE LAST BYTE FROM THE SCREEN. |
|  | MOV | CL, ES:LAST_MASK | ; SET TO 0 THE BITS WE DO NOT WANT. |
|  | AND | AL, CL | ; COPY THE BITS, FILL FROM LEFT TO |
|  |  |  | ; RIGHT. |
|  |  |  | ; STORE THE RESULT IN THE LAST BYTE |
|  | STOSB |  | ; OF THIS LINE. |
| NEXT_LINEX: |  |  |  |
|  | ADD | SI,SORC_INC |  |
|  | ADD | DI, DX |  |
|  | DEC | BX |  |
|  | JNZ | LOOP 2 X |  |
| NEXT_BANKX: |  |  |  |
|  | MOV | BX,LINE_CNTR |  |
|  | POP | CX |  |
|  | CMP | BX, 0 |  |
|  | JBE | GTBLKX_DONE |  |
|  | MOV | SI, SORC_INDX2 |  |
|  | MOV | DI, DEST_INDX2 |  |
| CHANG_ORGX: |  |  |  |
|  | XOR | SI, 02000H |  |
|  | LOOP | LOOP $1 \times$ |  |
| GTBLKX_DONE: |  | RET |  |
| GTBLKX |  | ENDP |  |
| GTXBLKX | PROC | NEAR | ; BEFORE INCREMENTING DL WE HAVE |
|  |  |  | ; DX = THE NO. OF BYTES EXCEPT |
|  |  |  | ; THE LAST BYTE $0<=$ ( DX = XLENGTH ) |
|  |  |  | ; <= 79 SO DL = DX = XLENGTH - 1 . |
|  |  |  | ; NOW WE HAVE DL = XLENGTH + 1, |
|  |  |  | ; DL $=1$ IF ONLY THE LAST BYTE TO BE <br> ; PROCESSED. ( $1<=$ DL $<=80$. ) |
|  | MOV | CX, 2 |  |
| XLOOP 1: |  |  |  |
|  | PUSH | CX |  |
|  | MOV | CL, SHFT_RGT |  |
| XLOOP2: | MOV | CH, DL |  |
|  | DEC | CH | ; IF DX WAS ORIGINALLY 0 (i.e. WE |
|  |  |  | ; HAVE ONLY ONE BYTE, WHICH IS THE |
|  |  |  | ; LAST ONE) THEN WE HAVE TO MOVE ONLY |
|  |  |  | ; THIS LAST BYTE SO GO TO LAST_BYTE. |
|  | JZ | XLAST_BYTE |  |
| XLOOP3: | LODSW <br> XCHC |  | ; LOAD A WORD FROM THE SCREEN. |
|  |  | AH, AL |  |
|  |  |  | ; SHIFT IT TO THE RIGHT TILL THE |
|  | SHR | AX,CL | ; DESIRED BYTE FITS INTO AL. |
|  | STOSB |  | ; STORE THIS BYTE INTO THE BUFFER. |
|  |  |  | ; SI WAS INCREMENTED BY 2 TO GET |

```
    DEC SI ( SO DECREMENT SI 
    JNZ XLOOP3 ; THE LOOP, IF NOT LOOP AGAIN.
XLAST_BYTE:
    LODSW
    XCHG AH,AL
    SHR AX,CL
    AND AL,ES:LAST_MASK
    STOSB
    DEC SI
XNEXT_LINE:
    ADD SI,SORC_INC
    ADD DI,DX
    DEC BX
    JNZ XLOOP2
XNEXT_BANK:
    MOV BX,LINE_CNTR
    POP CX
    CMP BX,0
    JBE GTXBLK_DONE
    MOV SI,SORC_INDX2
    MOV DI,DEST_INDX2
CHNG_XORG:
    XOR SI,02000H
    LOOP XLOOP1
GTXBLK_DONE: RET
GTXBLKX ENDP
_TEXT ENDS
END
/% ----------------------- END geth.asm -------------------------------*/
```

13.12. File Puth.asm
PUBLIC MASK1,_PUT,FIND_PARAMS_P
DGROUP GROUP _BSS,_DATA
ASSUME DS:DGROUP
EXTRN __CHKSTK:NEAR
_DATA SEGMENT word public 'DATA'
MASK1 DB ?
DB $\quad 07 \mathrm{FH}, 03 \mathrm{FH}, 01 \mathrm{FH}, 00 \mathrm{FH}, 007 \mathrm{H}, 003 \mathrm{H}, 001 \mathrm{H}$
EVEN
MASK3 DW $07 \mathrm{~F} 80 \mathrm{H}, 0 \mathrm{FFBFH}, 0 \mathrm{FF} 9 \mathrm{FH}, 0 \mathrm{FF} 8 \mathrm{FH}, 0 \mathrm{FF} 87 \mathrm{H}, 0 \mathrm{FF} 83 \mathrm{H}$
DW $0 F F 81 \mathrm{H}, 0 \mathrm{FF} 80 \mathrm{H}, 03 \mathrm{FC} 0 \mathrm{H}, 0 \mathrm{FFDFH}, 0 \mathrm{FFCFH}, 0 \mathrm{FFC} 7 \mathrm{H}$
DW $\quad 0 \mathrm{FFC} 3 \mathrm{H}, 0 \mathrm{FFC} 1 \mathrm{H}, 0 \mathrm{FFCOH}, 07 \mathrm{FCOH}, 01 \mathrm{FEOH}, 0 \mathrm{FFEFH}$
DW 0 FFE $7 \mathrm{H}, 0 \mathrm{FFE} 3 \mathrm{H}, 0 \mathrm{FFE} 1 \mathrm{H}, 0 \mathrm{FFE} 0 \mathrm{H}, 07 \mathrm{FE} 0 \mathrm{H}, 03 \mathrm{FE} 0 \mathrm{H}$
DW $\quad 00 \mathrm{FFOH}, 0 \mathrm{FFF} 7 \mathrm{H}, 0 \mathrm{FFF} 3 \mathrm{H}, 0 \mathrm{FFF} 1 \mathrm{H}, 0 \mathrm{FFFOH}, 07 \mathrm{FFOH}$
DW $03 \mathrm{FFOH}, 01 \mathrm{FFOH}, 007 \mathrm{~F} 8 \mathrm{H}, 0 \mathrm{FFFBH}, 0 \mathrm{FFF} 9 \mathrm{H}, 0 \mathrm{FFF} 8 \mathrm{H}$
DW $\quad 07 \mathrm{FF} 8 \mathrm{H}, 03 \mathrm{FF} 8 \mathrm{H}, 01 \mathrm{FF} 8 \mathrm{H}, 00 \mathrm{FF} 8 \mathrm{H}, 003 \mathrm{FCH}, 0 \mathrm{FFFDH}$


```
    PUSH BX
    PUSH CX
    PUSH DX
GETSC_MODE:
    MOV AH,15
    INT 16
    CMP AL,4
    JNE HIGH_RES_P
    MOV RT1,2
    MOV LT2,1
    MOV LT3,5
    MOV BIT1,3
    MOV ADJST1,16
    MOV LT4,2
    JMP FIND_PARAMS_P
HIGH_RES_P:
    CMP AL,6
    JNE NOT_GRAPH_P
    MOV RT1,3
    MOV LT2,0
    MOV LT3,4
    MOV BIT1,7
    MOV ADJST1,0
    MOV LT4,1
    JMP FIND_PARAMS_P
NOT_GRAPH_P:
    JMP PUT_DONE
FIND_PARAMS_P:
    CALL FINDPARAM_P
MOVE_SETUP_P:
    MOV AX,80 ; DEST_INC = 80-SIZE ( = SCREEN_INC.)
    SUB AX,DX
    MOV DEST_INC,AX
    MOV AX,YO ;
    SHR AX,1
    MOV BL,80
    MOV DI,DX
    MUL BL
    MOV DX,DI
    ADD AX,XO
    MOV BX,YO
    AND BX,1
    JZ ORG_EVEN_P
    ADD AX,ODDORG
    MOV BX,80
ORG_EVEN_P: MOV DI,AX
        ADD AX,BX
        MOV DEST_INDX2,AX
        MOV AX,SI ;
        ADD AX,DX
```

```
    MOV SORC_INDX2,AX
    MOV AX,LINE_CNTR_P
    MOV BX,AX
    SHR AX,1 ; AX = NO. OF Y LINES IN THE SECOND
    MOV LINE_CNTR_P,AX ; BANK. STORE IT IN THE LINE COUNTER.
    AND BX,1 ; IF "YLENGTH" WAS ODD THEN BX = 1,
    ADD BX,AX ; HENCE THE FIRST BANK HAS ONE MORE
        ; LINE THAN THE SECOND.
    CMP BX,0
    JBE Y_ERROR_P
    MOV BYTE PTR BANK,2 ; INITIALIZE THE BANKS COUNTER.
    MOV AX,0B800H
    MOV ES,AX
CHOOSE_P:
    JCXZ G_ALL_OK_P
    CMP CX,1
    JNZ G_LEFT_BAD_P
G_RIGHT_BAD_P:
    CALL PUTBLKX
    JMP PUT_DONE
G_LEFT_BAD_P:
    CMP CX,2
    JNZ X_ERROR_P
    CALL PUTXBLKX
    JMP PUT_DONE
X_ERROR_P:
    JMP PUT_DONE
Y_ERROR_P:
    JMP PUT_DONE
G_ALL_OK_P:
    CALL PUTBLK
PUT_DONE:
    POP DX
    POP CX
    POP BX
    POP AX
    POP DS
    POP ES
    POP SI
    POP DI
    MOV SP,BP
    POP BP
    RET
_PUT ENDP
FINDPARAM_P PROC NEAR
    MOV SI,BUFFER ; SI POINTS TO THE BUFFER.
    LODSW ;
    MOV DI,AX ;
DI HERE IS USED AS A GENERAL
; REGISTER. LET DI="XLENGTH" (PELS).
```

```
    LODSW
    ; LET "LINE_CNTR" HOLD THE TOTAL NO.
    MOV
    MOV
    MOV
    DX,DI
    CL,RT1
    DX,CL
    AX, IXO
    AX,CL
    XO,AX
    BX, IXO
    BX,BIT1
    LEFT_BAD_P ; (i.e. WITHIN BYTE) GO TO LEFT_BAD_P
    ; DI = NO. OF EXTRA PELS
    AND DI,BIT1 ; (0,1,2 OR 3 PELS.)
    JNZ RIGHTX_P ; EXTRA PELS ? IF SO, GO TO RIGHTX_P.
    SUB CX,CX ; NO EXTRA PELS ( DI=0. )
    RET
RIGHTX_P:
    MOV CL,LT2
    SHL DI,CL
    MOV AL,MASK1 [DI]
        ; NOTE THAT RIGHT_MASK IS A BYTE, BUT
        ; LAST_MASK IS A WORD ( THIS
        ; LAST_MASK DIFFERS FROM THE ONE USED
    MOV
    INC
    MOV
    RET
LEFT_BAD_P:
\begin{tabular}{|c|c|c|}
\hline & & ; LET "LINE_CNTR" HOLD THE TOTAL NO. \\
\hline MOV & LINE_CNTR_P,AX & ; OF Y LINES, i.e. "YLENGTH". \\
\hline MOV & DX, DI & ; DX = "XLENGTH" (PELS). \\
\hline MOV & CL, RT1 & \\
\hline & & \begin{tabular}{l}
; LAST TWO BITS SPECIFY THE EXTRA \\
; PELS. GET RID OF THEM.
\end{tabular} \\
\hline & & ; DX = "XLENGTH" (-1 IF WE HAD \\
\hline SHR & DX,CL & ; EXTRA PELS.) \\
\hline MOV & AX, IXO & \\
\hline SHR & AX, CL & \\
\hline MOV & XO, AX & \\
\hline MOV & BX, IXO & \\
\hline AND & BX, BIT 1 & ; BX PELS OF XO (i.e. \(\mathrm{BX}=0,1,2,3\). \\
\hline & & ; IF THE BLOCK DID NOT START AT PEL 0 \\
\hline JNZ & LEFT_BAD_P & ; (i.e. WITHIN BYTE) GO TO LEFT_BAD_P \\
\hline & & ; DI = NO. OF EXTRA PELS \\
\hline AND & DI, BIT1 & ; (0,1,2 OR 3 PELS.) \\
\hline JNZ & RIGHTX_P & ; EXTRA PELS ? IF SO, GO TO RIGHTX_P. \\
\hline SUB & CX, CX & ; NO EXTRA PELS ( \(\mathrm{DI}=0\). \\
\hline RET & & \\
\hline RIGHTX_P: & . & \\
\hline MOV & CL, LT2 & \\
\hline SHL & DI, CL & \\
\hline MOV & AL, MASK1 [DI] & \\
\hline & & \begin{tabular}{l}
; NOTE THAT RIGHT_MASK IS A BYTE, BUT \\
; LAST_MASK IS A WORD ( THIS \\
; LAST_MASK DIFFERS FROM THE ONE USED
\end{tabular} \\
\hline MOV & RIGHT_MASK, AL & ; IN "GET" FUNCTION.) \\
\hline INC & DX & \\
\hline MOV & CX, 1 & \\
\hline RET & & \\
\hline LEFT_BAD_P: & & \\
\hline & & ; SHFT_LEFT SHIFTS A BYTE FROM THE \\
\hline & & ; BUFFER IN AX TILL IT STARTS AT THE \\
\hline & & ; PEL WERE XO ( OR THE BLOCK ) \\
\hline & & ; STARTS. STRNG_MASK WILL ZERO THE \\
\hline & & ; BITS OF A COPY OF THE SCREEN \\
\hline & & ; CORRESPONDING TO THIS BYTE. \\
\hline & & ; "ORING" AX AND THE MASKED WORD \\
\hline & & ; GIVES US THE CORRECT WORD TO \\
\hline & & ; PUT ON THE SCREEN. \\
\hline MOV & AX, BIT1 & \\
\hline INC & AL & \\
\hline SUB & AL, BL & \\
\hline MOV & CL, LT2 & \\
\hline SHL & AL, CL & \\
\hline MOV & SHFT_LFT, AL & \\
\hline AND & DI, BIT1 & \\
\hline JZ & SET_LST_MSK_P & \\
\hline
\end{tabular}
```

```
    INC DX
SET_LST_MSK_P:
    DEC BX
    MOV CL,LT3
    SHL BX,CL
    MOV CL,LT4
    SHL DI,CL
    MOV AX,MASK3[BX+DI] ; THE LAST_MASK HAS ZERO BITS
                                    ; STARTING AT THE PEL OF XO
                                    ; ( DEFINED BY BX. ) AND CONTINUES
                                    ; FOR THE NO. OF EXTRA BITS
    MOV LAST_MASK,AX ; ( DEFINED BY DI. )
    MOV AX,MASK3 [BX]
    MOV STRNG_MASK,AX
    MOV CX,2
END_FIND_P: RET
FINDPARAM_P ENDP
PUTBLK PROC NEAR
LOOP1:
LOOP2_P: MOV CX,DX
    MOV AX,DX
    SHR CX,1
    REPZ MOVSW
    SHR AX,1
    JNB NEXT_LINE_P
    LODSB
    STOSB
NEXT_LINE_P:
    ADD DI,DEST_INC
    ADD SI,DX
    DEC BX
    JNZ LOOR2_P
NEXT_BANK_P:
    MOV BX,LINE_CNTR_P
    CMP BX,0
    JZ PUTBLK_DONE
    MOV DI,DEST_INDX2
    MOV SI,SORC_INDX2
CHNG_ORG_P:
    XOR DI,02000H
    DEC BYTE PTR BANK
    JNZ LOOP1
PUTBLK_DONE: RET
PUTBLK ENDP
PUTBLKX PROC NEAR
LOOP1X_P:
```

```
LOOP2X_P:
    MOV CX,DX
    DEC CX
    JZ ADJST_LASTX_P
    MOV AX,CX
    SHR CX,1
    REPZ MOVSW
    SHR AX,1
    JNB ADJST_LASTX_P
    LODSB
    STOSB
ADJST_LASTX_P
    LODSB
    MOV AH,ES:[DI]
    AND AH,RIGHT_MASK
    OR AL,AH
    STOSB
NEXT_LINEX_P:
    ADD DI,DEST_INC
    ADD SI,DX
    DEC BX
    JNZ LOOP2X_P
NEXT_BANKX_P:
    MOV BX,LINE_CNTR_P
    CMP BX,0
    JZ PUTBLKX_DONE
    MOV DI,DEST_INDX2
    MOV SI,SORC_INDX2
CHNG_ORGX_P:
    XOR DI,02000H
    DEC BYTE PTR BANK
    JNZ LOOPIX_P
PUTBLKX_DONE: RET
PUTBLKX ENDP
PUTXBLKX PROC NEAR
    MOV CL,SHFT_LFT
XLOOP1_P:
    MOV CH,DL
    PUSH DX
    DEC CH ; WE DID NOT NEED THIS IN "blOCKX"
; BECAUSE REP_STRING WILL TAKE CARE
; OF IT AS FOLLOWS : DX=0 SO "REPZ"
; WILL NOT MOVE ANYTHING. SINCE ZERO
; IS an even number the program will
JUMP TO THE NEXT LINE WITHOUT
MOVING AN EXTRA BYTE.
XLOOP2_P:
```

```
    XOR AH,AH
    LODSB
    SHL AX,CL
    XCHG AH,AL
    MOV DX,ES:[DI]
    AND DX,STRNG_MASK
    OR AX,DX
    STOSW
    DEC DI
    DEC CH
    JNZ XLOOP2_P
XLAST_BYTE_P:
    XOR AH,AH ; FILL AH WITH ZEROS.
    LODSB ; AL = BYTE FROM THE BUFFER THAT NEED
    ; TO BE PUT ON THE SCREEN STARTING AT
    ; THE PEL XO.
    SHL AX,CL ; THE SHIFT WILL PUT IT IN AX AT
    XCHG AH,AL ; THE SAME PLACE. THE OTHER BITS IN
    ; AX WILL BE ZEROS.
    MOV DX,ES:[DI]
    AND DX,LAST_MASK ; DX = ZEROS IN THAT PART OF THE
        ; BYTE, OTHER BITS ARE SET TO ONES.
        ; AX = NEW SCREEN WORD. PUT IN
        ; PLACE WITHOUT CHANGING OTHER BITS.
        ; PUT THE WORD ON THE SCREEN.
        ; ADJUST DI TO PUT THE NEXT BYTE.
        ; ( SAY DO WORD 1+1/2 INSTEAD OF
        ; WORD 2. )
NEXT_XLINE_P:
    ADD DI,DEST_INC
    POP DX
    ADD SI,DX
    DEC BX
    JNZ XLOOP1_P
XNEXT_BANK_P:
    MOV BX,LINE_CNTR_P
    CMP BX,0
    JZ PUTXBLK_DONE
    MOV DI,DEST_INDX2
    MOV SI,SORC_INDX2
CHNG_XORG_P:
    XOR DI,02000H
    DEC BYTE PTR BANK
    JNZ XLOOP1_P
PUTXBLK_DONE: RET
PUTXBLKX ENDP
_TEXT ENDS
    END
/% ------------------------ END puth.asm -----------------------------*/
```

13.13. File Swap.asm

```
; SWAP LOW AND HIGH BYTES IN EACH WORD
NAME SWAP
TITLE SWAP BYTES IN EACH WORD
DGROUP GROUP CONST, _BSS, _DATA
    ASSUME CS: _TEXT, DS: DGROUP, SS: DGROUP, ES: DGROUP
PUBLIC _swapbyts
FROMADDRS EQU [BP+4] ; PARAMETERS PASSED.
TOADDRS EQU [BP+6]
WORDCONT EQU [BP+8]
_TEXT SEGMENT
_swapbyts PROC NEAR
    PUSH BP ; SAVE REGISTERS.
    MOV BP,SP
    PUSH DI
    PUSH SI
    MOV CX,WORDCONT ; SWAPPED IN CX.
    MOV SI,FROMADDRS ; SOURCE OPERAND IS ADDRESSED BY SI.
        ; DESTINATION OPERAND IS
    MOV DI,TOADDRS ; ADDRESSED BY DI.
LOOP1: ; IN CX BECOMES ZERO.
                        ; TRANSFER A WORD FROM THE
                                ; SOURCE [( SI)] TO AX, THEN
    LODSW ; LET SI=SI+2.
    XCHG AH,AL ; SWAP THE LOW AND HIGH BYTES
                                    ; TRANSFER A WORD OPERAND FROM
                                    ; AX TO DESTINATION ( DI )
    STOSW ; THEN LET DI=DI+2.
    ; FIRST LET CX=CX-1 THEN
    ; IF CX=0, EXIT LOOP1.
    POP SI ; RESTORE THE REGISTERS.
    POP DI
    MOV SP,BP
    POP BP
    RET
_swapbyts
    ENDP
_TEXT ENDS
END
/r ----------------------- END swap.asm
*/
```

13.14 File Mtchbts.asm

```
NAME MTCHBITS
TITLE TO MATCH PASSED BITS TO A PATTERN IN APPROPRIATE ARRAYS.
DGROUP GROUP CONST, _BSS, _DATA
    ASSUME CS: _TEXT, DS: DGROUP, SS: DGROUP, ES: DGROUP
_DATA SEGMENT WORD PUBLIC 'DATA'
EXTRN _LEFTBITSWORD:WORD
_DATA ENDS
PUBLIC _match_all_bits
WORD EQU [BP+4] ; PASSED PARAMETERS.
COLORARRAY EQU [BP+6]
CODEARRAY EQU [BP+8]
GROUPARRAY EQU [BP+10]
CLRBITSPTR EQU [BP+12]
CODEBITSPTR EQU [BP+14]
GROUPCOUNT EQU [BP-2]
match_all_bits PROC NEAR
        PUSH BP
        MOV BP,SP
        PUSH DI
        PUSH SI
        PUSH ES
        PUSH DS
        POP ES
        MOV DI,COLORARRAY
        MOV BX,GROUPARRAY
        MOV DX,[BX] ; PUT THE NUMBER OF GROUPS IN THE
            ; COUNTER DX.
LOOP1:
    ADD BX,2 ; ELEMENT OF PAIRS IN "GROUPARRAY".
    ; GET THE LENGTH IN BITS OF THE
    MOV SI,[BX] ; CODES TO LOOK FOR.
        MULTIPLY BY 2 TO GET THE INDEX
            ; OF THE MASK IN BYTES SINCE
                            ; MASK IS AN ARRAY OF UNSIGNED
    SHL SI,1 ; NUMBERS ( i.e. WORDS )
    MOV AX,WORD ; COPY THE WORD WE ARE LOOKING FOR.
        ; "LEFTBITSWORD" IS THE MASK. IF
                    ; SI IS EQUAL TO 3 FOR EXAMPLE
                    ; THEN ONLY THE 3 MOST LEFT
                    ; BITS ARE NOT MASKED WHILE THE
                                REMAINING BITS ARE SET TO ZEROS.
    AND AX,_LEFTBITSWORD[SI]
    ADD BX,2 ; ADVANCE "GROUPARRAY" INDEX TO
                    ; GET THE SECOND ELEMENT OF THE
                    ; CURRENT PAIR WHICH TELLS THE NUMBER
                    ; OF CODES IN "COLORARRAY" THAT
```

```
    MOV CX,[BX] ; HAS THE SAME NUMBER OF BITS.
        ; KEEP SCANNING FOR A MATCH
        ; WITH THE WORD IN AX UNTIL MATCHED
    REPNE SCASW ; OR CX IS DECREMENTED TO ZERO.
        ; z=0 MEANS THAT CX WAS
        ; DECREMENTED TO ZERO AND THUS
        INE NO_MATCH ; NO MATCH OCCURRED.
        ; BY REACHING THIS POINT THE
        ; z FLAG WAS NOT SET TO ZERO
        ; AND THUS A MATCH OCCURRED.
        MOV AX,[BX-2] ; SO THE LENGTH OF THE CODE IS
        MOV SI,CODEBITSPTR ; RETURNED IN THE WORD POINTED
        MOV [SI],AX ; TO BY "CODEBITSPTR".
        ; TO GET THE INDEX OF THE MATCHED
        ; PATTERN IN "COLORARRAY" SUBTRACT
        THE CURRENT POSITION FROM THE BASE
    SUB DI,COLORARRAY ; OR THE HEAD OF THE ARRAY.
    MOV BX,CODEARRAY ; FIND THE CODE IN "CODEARRAY" OF
    MOV AX,[BX+DI-2] ; THE SAME INDEX IN "COLORARRAY".
    MOV SI,CLRBITSPTR
    MOV
    MOV AX,1 ; THE RETURNED VALUE OF FUNCTION = 1.
    JMP DONE
NO_MATCH:
    DEC DX ; DECREMENT THE GROUPS COUNTER
    ; IF THERE ARE MORE GROUPS
    JNZ LOOP1 ; GO TO LOOP1 TO PROCESS THEM.
    SUB AX,AX ; RETURNED VALUE OF FUNCTION = 0.
DONE: POP ES
    POP SI
    POP DI
    MOV SP,BP
    POP BP
    RET
_match_all_bits ENDP
_TEXT ENDS
END
/* ----------------------- END mtchbts.asm ------------------------------*/
```

14. APPENDIX C. PROGRAM LISTINGS OF THE CODE OF THE CCITT TWO DIMENSIONAL COMPRESSION TECHNIQUE

The files in this listing make use of the files in the following sections:

- Appendix B: 13.4. and 13.7. - 13.14.


### 14.1. File Main.c

```
/ir
    * The heading and comments are the same
    * as those in file main.c appendix B section 13.1.
    */
#include
#include
#include
#include
#include
#include
#define
#define
#define
#define
##define
#define
#define
void
unsigned
float
void
static int xl,yl,x2,y2;
char datafile[41];
static char scrfilebufr[4+(XMAX/8)%(YMAX)];
static unsigned cmprsbufr[XMAX][(YMAX+32)/16];
static char suncmprsbufr;
main(argc,argv)
int argc;
char margv[];
{
unsigned xsizeinbytes,xsize;
register unsigned i,ysize;
if(argc< < %)
        printf("enter xl yl x2 y2 \n");
        scanf("%d %d %d %d",&x1,&y1, &x2,&y2);
        while((getchar())!='\n')
```

```
            ;
    }
else
    {
        xl=atoi(argv[2]); yl=atoi(argv[3]);
        x2=atoi(argv[4]); y2=atoi(argv[5]);
    }
if( argc > 1)
            strcpy( datafile, argv[1] );
        /% Read the data from the input is/
init_screen(argc); /% file and dump it to the is/
        /* screen. */
uncmprsbufr= scrfilebufr;
uncmprsbufr+=4; /% Skip over "xsize" and "ysize"%/
get(x1,y1,x2,y2,(char *)scrfilebufr);
for(i=0;i<=2000;i++) ; /% A delay loop. */
setscmode(TEXT_MODE);
ysize=y2-yl+1;
xsize=x2-x1+1;
xsizeinbytes= (xsize/8)+((xsize%8)>0) ;
                                    /% First two numbers in the %/
*(unsigned *)scrfilebufr=xsize; /* "screenfilebufr" represent %/
/% the width and the height of }%
/% the block. */
r(unsigned %)(scrfilebufr+2)=ysize;
printf("starting to compress ");
init_cmprsdblk((unsigned *)cmprsbufr);
init_uncmprsdblk((scrfilebufr+4),xsize,ysize);
init_line_parm(xsize);
cmprs_blk_2d();
memset((scrfilebufr+4),'\0',16000);
printf(" starting to decompress \n");
init_dcmprsbfr((scrfilebufr+4),xsize);
init_cmprs(cmprsbufr);
init_dcmprs_blk_2d(xsize,ysize,scrfilebufr+4);
dcmprs_blk_2d();
if( argc<2) /% at the command line then %/
    {
                                    /% If no argument was entered }%
/* display the data to the %/
/* screen. */
setscmode(HI_RES);
        put(xl,yl,scrfilebufr);
        getchar();
        setscmode(TEXT_MODE);
    }
print_results( datafile, x1, y1, x2, y2, get_cmprstime(),
            get_dcmprstime(), get_avgfactor() );
}
```



```
/i-----------------------------------------------------------
```


### 14.2. File Cmprs2d.c

```
/r
    * Refer to file "cmprsln.c" in appendix B section 13.2
    * for comments on functions and variables.
    */
#include <stdio.h>
#include <v2tov3.h>
#include <malloc.h>
#include <memory.h>
    /* "KFACTOR"-1 = maximum number */
    /* of lines coded in the 2-d %/
    /* code after coding in the 1-d.*/
```



```
#define BLACKCHAR '0'
#define WHITECHAR '1'
#define BLACK 0
#define WHITE 1
#define switch_a0_al_colors {tmpcolorchar=a0colorchar;\
                                    a0colorchar=alcolorchar;\
                        alcolorchar=tmpcolorchar ;}
unsigned gttime();
float
get cmprs reslt()
unsigned cmprs_line_ld();
void
void
void
void updt_cmprsblk_code(unsigned,int);
static unsigned *uncmprsdwordptr;
static unsigned nmbrlines,xsize,xmaxplsl;
static unsigned evenxsize,xsizeinbytes;
static unsigned cmprstime;
static char *prvslinestart;
static unsigned long totalcmprsbits = 0;
/* =========================== CMPRS_BLK_2D ============================= %/
/* This function compresses a block of the screen using MREAD %/
/ir standard. For complete description of the details of MREAD see }%
/* section 4.3. Each line is assumed to be from pel 1 to pel %/
/% "xsize". Pel O is an imaginary pel before the line. Pel %/
/% "xmaxplsl" is an imaginary pel after the line. %/
/* Black changing element means first black pel after a run of %/
/* white pels.
    */
/% a0 : The reference or starting changing element in the coding %/
/% line. At the start of the coding line, a0 is initialized %/
```

```
/r to an imaginary black changing element at pel 0. ic/
/r al : The next changing element to the right of a0 on the coding %/
/% line. This has an opposite color of a0. %/
/r a2 : The next changing element to the right of al on the coding %/
/% line. */
/r bl : The next changing element on the reference line to the }\dot{F}
/% right of a0 and having the same color as al. %/
/* b2 : The next changing element on the reference line to the */
/% right of bl. 
/* If any of the coding elements al, a2, b1, b2 is not detected %/
/* at any time during the coding of the line, then it is set to %/
/* pel "xmaxpls1".
*/
/% =================================================================== %/
void cmprs_blk_2d()
{
unsigned i,j; /% Loop counters. %/
char *refrenceline;
char *codeline;
char *tmpptr;
register unsigned a0,al;
unsigned bl,b2,k;
unsigned a2,a0a1,ala2;
unsigned tstart,tend;
int a0color,alcolor,tmpcolor;
char a0colorchar,alcolorchar,tmpcolorchar;
```

```
tstart=gttime();
```

tstart=gttime();
refrenceline=malloc(xsize+2);
refrenceline=malloc(xsize+2);
codeline=malloc(xsize+2);
codeline=malloc(xsize+2);
/* k should be set to zero */
/* k should be set to zero */
/r}\mathrm{ before we enter the loop */
/r}\mathrm{ before we enter the loop */
/is and thus the first line */
/is and thus the first line */
/* ( reference line ) would */
/* ( reference line ) would */
/* be One-Dimensionally coded. */
/* be One-Dimensionally coded. */
k=0;
k=0;
/* This initialization is needed*/
/* This initialization is needed*/
/* so that the first search for */
/* so that the first search for */
refrenceline[0]=BLACKCHAR; / % bl works correctly. */
refrenceline[0]=BLACKCHAR; / % bl works correctly. */
/* Keep looping until all the */
/* Keep looping until all the */
for(i=1; i <= nmbrlines; i++) }\begin{array}{ll}{|=1% lines in the page or the %/}
for(i=1; i <= nmbrlines; i++) }\begin{array}{ll}{|=1% lines in the page or the %/}
for(i=1; i <= nmbrlines; i++) }\begin{array}{ll}{|=1% lines in the page or the %/}
for(i=1; i <= nmbrlines; i++) }\begin{array}{ll}{|=1% lines in the page or the %/}
{
{
/* Is this line to be 2-d coded?*/
/* Is this line to be 2-d coded?*/
/% Line should be 2-d coded. */
/% Line should be 2-d coded. */
set_cmprscontr_to_zero();
set_cmprscontr_to_zero();
swapbits_to_string(uncmprsdwordptr,codeline+l,xsize);
swapbits_to_string(uncmprsdwordptr,codeline+l,xsize);
swapbits_to_string(prvslinestart,refrenceline+l,xsize);
swapbits_to_string(prvslinestart,refrenceline+l,xsize);
a0 = 0;
a0 = 0;
a0colorchar=BLACKCHAR;
a0colorchar=BLACKCHAR;
/i Loop while not end of line. %/

```
        /i Loop while not end of line. %/
```

```
while( a0 < xmaxpls1)
    alcolorchar = ( a0colorchar == WHITECHAR ?
                    BLACKCHAR : WHITECHAR);
                        /% Detect al. */
                            /i}\mathrm{ To detect a1, a2, b1, and b2 %/
                            /* we equate the number of bytes:/
                            /; we search to ( "xmaxplsi" - ;/
                            /* index of the 1st byte to be %/
                            /% searched.) This is equivalent%/
                                    /* to [(xsize-index of lst byte %/
                                    /* to be searched ) + 1 ]. */
    if(tmpptr=memchr(&codeline[a0+1],alcolorchar,
                                    xmaxplsl-a0))
    al=tmpptr-codeline;
    else
    al=xmaxplsl;
    while(1)
        {
                            /i Detect bl. */
        if( refrenceline[a0] == alcolorchar )
            /r Pel refrenceline[a0] has */
            /is the same color as al then pel*/
            /* refrenceline[a0+1] can't %/
            /* be a changing element of %/
            /* "alcolor". Hence : */
            /* (1) search for the first */
                    /% changing element of "a0color"%/
            if(tmpptr=memchr(&refrenceline[a0+1],
                                    a0colorchar,xmaxplsl-a0))
            {
            /* (2) search for the first */
                    /* changing element of "alcolor"%/
                    /* after "tmpptr". */
                    bl=tmpptr-refrenceline;
                    if(tmpptr=memchr(tmpptr+1,alcolorchar,
                                    xmaxpls1-b1))
                            bl=tmpptr-refrenceline;
                    else
                        bl=xmaxpls1;
                    }
            else
                    bl=xmaxplsl;
    }
    else
    {
        /* Pel refrenceline[a0] has the */
        /is same color as a0, then pel %/
        /r refrenceline[a0+1] can be a %/
```

```
    /* changing element of "alcolor"*/
    /r Hence find it.
                                    */
if(tmpptr=memchr(&refrenceline[a0+1],
                        alcolorchar,xmaxplsl-a0))
        bl=tmpptr-refrenceline;
else
        bl=xmaxplsl;
}
        /% Detect b2. %/
if(tmpptr=memchr(&refrenceline[bl+1],
                a0colorchar,xmaxpls1-bl))
    b2=tmpptr-refrenceline;
else
    b2=xmaxpls1;
                /r If b2 < al then we have to %/
                /; do pass mode coding. Thus */
                    /* this mode is identified when */
                    /* the position of b2 lies to */
                    /% the left of al. The purpose %/
                    /* of this mode is to identify */
                    /% the white or black runs on %/
                    /% the reference line which are */
                    /* not adjacent to the corres- */
                    /* ponding white or black runs */
    /x}\mathrm{ on the coding line. */
if( b2 < al )
    { updt_cmprsblk_code(0x1,4); a0=b2;}
else
    {
    if(abs((int)al-(int)bl)<=3)
            { /ir vertical mode coding : when */
            /* this mode is identified, the */
            /; position of al is coded ;/
            /* relative to the the position */
            /* of bl. The relative distance }%
                    /i}\mathrm{ albl can take one of seven }%
                    /* values each of which is */
                    /* represented by a separate */
                    /* codeword. */
        switch((int)(al-bl))
            {
                        /* al to the left of b2 by */
                            /* 3 bits. */
            case -3:{
                    updt_cmprsblk_code(0x2,7);
                        break;
                    }
            /: al to the left of b2 by */
            /* 2 bits.
            case -2:{
```

```
            updt_cmprsblk_code(0x2,6);
            break;
        }
            /* al to the left of %/
            /% b2 by l bits. */
    case -1:{
            updt_cmprsblk_code(0x2,3);
            break;
            }
                /% al just under bl. %/
    case 0:{
            updt_cmprsblk_code(0xl,1);
            break;
            }
            /* al to the right of */
            /: b2 by l bit. */
        case 1:{
            updt_cmprsblk_code(0x3,3);
            break;
            }
            /* al to the right of */
            /* b2 by 2 bits. */
        case 2:{
            updt_cmprsblk_code(0x3,6);
            break;
            }
            /r al to the right of %/
            /* b2 by 3 bits. */
        case 3:{
            updt_cmprsblk_code(0x3,7);
            break;
            }
        default:printf(
            "error in vertical \n");
        }
    a0=a1;
    switch_aO_al_colors /% --- MACRO --- %/
    }
else
    { /% Horizontal Mode Coding : */
        /% If the vertical mode coding %/
        /% can't be used to code the %/
        /% position of al, then its }%
        /% position must be coded by %/
        /: the horizontal mode coding. */
        /is Detect a2. i/
        if(tmpptr=memchr(&codeline[al+1],
            aOcolorchar,xmaxpls1-al))
            a2=tmpptr-codeline;
else
```

```
    a2=xmaxpls1;
        a0al=al-a0;
    /% If the horizontal mode codingir/
    /i}\mathrm{ is used to code the first %/
    /* element on the coding line, }%
    /%}\mathrm{ then the value of a0al is %/
    /% replaced by a0al-1 to ensure */
    /* that the correct run-length */
    /% value is transmitted, because*/
    /* the first element was not */
    /* real but an imaginary black %/
    /* changing element. */
if( a0 == 0 )
    a0al -=1;
        /* Flag "codeword" of the */
        /: horizontal mode = '0001'. %/
        updt_cmprsblk_code(0x1,3);
        update_cmprsdblk(a0a1,
                        a0colorchar-BLACKCHAR);
        update_cmprsdblk(a2-al,
        alcolorchar-BLACKCHAR);
        a0=a2;
            }
            break;
        }
        }
    }
    k--;
    totalcmprsbits+=get_cmprs_reslt();
    uncmprsdwordptr = (unsigned %)
                            ((char *)uncmprsdwordptr + xsizeinbytes);
    }
    else
    { /%k=0, so the current line %/
                                    /; should be coded by the %/
                                    /* One-Dimensional coding %/
                                    /is algorithm. %/
        totalcmprsbits+=cmprs_line_ld();
        k = KFACTOR-1;
    }
            /* Update "prvslinestart" to */
                    /* point to the start of the */
                    /* next line. i//
prvslinestart += xsizeinbytes ;
}
free(refrenceline);
free(codeline);
tend=gttime();
if(tend>tstart)
    cmprstime=tend-tstart;
```

```
else
    cmprstime=(6000-tstart)+tend;
}
/r ------------------------- END CMPRS_2D() --------------------------------*/
/r ======================= init_uncmprsdblk ======================== %/
/k initialize local variables. ic/
/r =====================================================================%/6/
void init_uncmprsdblk(blockstart,xsizein,ysizein)
char %blockstart;
unsigned ysizein,xsizein;
{
xsize=xsizein;
uncmprsdwordptr=(unsigned *) blockstart;
xsizeinbytes=(xsize/8)+((xsize%8)>0);
prvslinestart=blockstart - xsizeinbytes ;
nmbrlines=ysizein;
xmaxplsl=xsize+l;
/% The part of the line that %/
    /* corresponds to words given %/
evenxsize=( ( (xsize/8) /2) %2); /% in bytes. %/
}
/% --------------------- END init_uncmprsdblk ----------------------------
#include <dos.h>
#define LINT_ARGS
#define BLACKBIT 0
#define WHITEBIT 1
##define ENDBITS 2
unsigned get_cmprs_reslt();
void init_lastbits(unsigned);
void init_cmprsdblk(unsigned *);
void update_cmprisdblk(unsigned,int);
void cmprs_lastbits(unsigned,unsigned,int);
void swapbyts(unsigned *,unsigned *,unsigned);
static unsigned lastbits,nmbrwords;
/%========================= cmprs_line() ================================%/
unsigned cmprs_line (oldlineptr)
char ;oldlineptr;
{
extern unsigned *uncmprsdwordptr;
unsigned *currentword;
int wordcount;
int color,lastcolor,bitcolor;
unsigned bitcontr=0;
```

```
register unsigned word,bitpos;
wordcount=nmbrwords;
set_cmprscontr_to_zero();
swapbyts( uncmprsdwordptr, uncmprsdwordptr, nmbrwords);
word=ruuncmprsdwordptr;
if ((word)&0x8000) /% Is bit 16 in "word" white ? %/
    { /% Yes, bit 16 was white. it/
    update_cmprsdblk(0,BLACKBIT);
    color=WHITEBIT;
    }
else
    { /* Bit 16 was black. %/
    color=BLACKBIT;
    word= "word;
    }
bitpos=16;
/i take care of xsize < 16. We %/
/* have to modify the code here.;/
while(color<ENDBITS)
    {
/* While not end of line. %/
/% While color is the same and */
/i}\mathrm{ we are still inside the %/
/is current word. ic/
    while( (word&0x8000) && (bitpos > 0))
        {
        bitcontr++;
        bitpos--; /* Bit position in a word. %/
        word=word<<l; /% Get the next bit in bit 16. %/
        }
    if(bitpos > 0) /* Still inside current word ? */
        {
        update_cmprsdblk(bitcontr,color);
        word= *word;
        color=(color) ? 0 : 1;
        bitcontr=0;
        }
    else % current word. %/
        {
        bitpos=16; /% Start again with bit 16 %/
        uncmprsdwordptr++; /* of the next word. %/
                            /r If the color is black then is/
/is negate the word pointed to by:/
/% "uncmprsdwordptr" to check %/
/* for the color later. }%
word=(color) ? %uncmprsdwordptr :
    *(runcmprsdwordptr);
```

```
            /* Test for the end of the line %/
            /* marker. %/
                if(--wordcount == 0)
            { /ir Save the last color in this %/
                    /r line. */
                        lastcolor=color;
                    /: Signal eol to the outer loop. %/
                    color=ENDBITS;
                        }
                            }
    }
if(lastbits == 0) /% Does the line fit in the word%/
                    /* boundary ? %/
    update_cmprsdblk(bitcontr,lastcolor);
else
        cmprs_lastDits(*uncmprsdwordptr,bitcontr,lastcolor);
if(color>ENDBITS)
    printf(" %r%%%%% error in color, color=%d /n",color);
                                    /* Return the number of bits */
return(get_cmprs_reslt()); /% in that compressed line. %/
}
/* ----------------------- END cmprs_line() ---------------------------*/
/%========================= init_line_param() ==========================%*/
/* Initialize some static variables to the appropriate values. %/
/%======================================================================**/
void init_line_parm(xsize)
unsigned xsize;
{
nmbrwords=xsize/16;
lastbits=xsize & 0x000f; /% Let lastbits = xsize % 16. %/
init_lastbits(lastbits);
}
/* ----------------------- END init_line_param() ------------------------*/
/* ======================= get_cmprstime() ============================ */
unsigned get_cmprstime()
{
return (cmprstime) ;
}
/: ------------------- END get_cmprstime() -----------------------------*/
/% ======================= get_avgfactor() ============================ %/
float get_avgfactor()
{
return ((float) ( (float) xsize; (float) nmbrlines/totalcmprsbits ));
}
/i ------------------ END get_avgfactor() ---------------------------------
/ir --------------------- END cmprs2d.c -----------------------------------
```


### 14.3. File Cupdt.c

```
/%
```



```
    STATIC VARIABLES :
    bitsleft : Number of bits still vacant in "cmprsword", it
        starts with 16 bits left in the word.
    cmprscounter : Count number of the bits in the compressed block
        which is filled from left to right.
    cmprsdwordptr: Pointer to the current word position in the
        compressed block.
    %===========================================================================
    %/
static int bitsleft;
static unsigned cmprscounter;
static unsigned *cmprsdwordptr;
/ %========================= UPDATE_CMPRSDBLK() ========================== %/
/* This is the function update_cmprsdblk( bitcounter, color), ic/
/* where "bitcounter" is the number of consecutive bits of the %/
/is current color. */
/ir=======================================================================%*/
void update_cmprsdblk(uncmprsdbitscont,color)
unsigned uncmprsdbitscont;
register int color;
{
    struct FAXDATA
    {
        /* Code for a sequence of bits %/
        /: of type color and the run- }:
        /* length = the no. of the */
        /* uncompressed bits. */
        unsigned bits;
        /* Length of the code in the %/
        /* bits. */
        int length;
        };
            /* Initialize FAX. FAX[0][] == */
        /* black data , FAX[1][] == %/
    /* white data.
static struct FAXDATA FAX[2][74]={ {
    0x35,8, 0x7,6, 0x7,4, 0x8,4, 0xb,4, 0xc,4, 0xe,4,
    Oxf,4, 0x13,5, 0x14,5, 0x7,5, Ox8,5, 0x8,6, 0x3,6,
    0x34,6, 0x35,6, 0x2a,6, 0x2b,6, 0x27,7, 0xc,7, 0x8,7,
```

| 0x17,7, | 0x3,7, | 0x4, 7, 0x | 0x $28,7,0 \times$ | ,7, 0x | 7, 0x24,7, |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 0x18,7, | 0x2,8, 0 | 0x3,8, $0 \times$ | 0x1a,8, 0x | , 8, 0x1 | ,8, $0 \times 13,8$, |
| 0x14,8, | 0x15,8, | 0x16,8, 0x | 0x17,8, 0x2 | 8,8, 0x2 | , 8, $0 \times 2 \mathrm{a}, 8$, |
| 0x2b, 8 , | 0x2c,8, | 0x2d,8, 0x | 0x4,8, 0x5 | ,8, Oxa, | 8, 0xb,8, |
| 0x52,8, | 0x53,8, 0 | 0x54,8, 0x | 0x55,8, 0x | , 8, 0x2 | ,8, $0 \times 58,8$, |
| 0x59,8, | 0x5a,8, | 0x5b,8, 0x | 0x4a,8, 0x | b,8, 0x3 | 8, 0x33,8, |
| 0x34,8, | 0x1b,5, | 0x12,5, Ox | 0x17,6, 0x3 | 7,7, 0x | 8, $0 \times 37,8$, |
| 0x64,8, | 0x65,8, | 0x68,8, $0 \times$ | 0x67,8\} |  |  |
| 0×37,10, | 0x2,3, | 0x3, 2 , | 0x2,2, | 0x3,3, | 0x3,4, |
| 0x2,4, | 0x3,5, | 0x5,6, | 0x4,6, | 0×4,7, | 0x5,7, |
| 0x7,7, | 0x4,8, | 0x7,8, | 0x18,9, | 0x17,10, | 0x18,10, |
| 0x8,10, | 0x67,1 | 0x68,11, | 1, 0x6c,11, | 0x37,11, | 0x28,11, |
| 0x17,11, | 0x18,11, | , Oxca,12, | 2, Oxcb, 12, | Oxcc, 12, | Oxcd, 12, |
| 0x68,12, | 0x69,12, | , 0x6a,12, | 2, 0x6b,12, | 0xd2, 12, | 0xd3,12, |
| 0xd4,12, | 0xd5, 12, | , 0xd6,12, | 2, 0xd7, 12, | 0x6c, 12, | 0x6d, 12, |
| 0xda, 12, | 0xdb, 12, | , $0 \times 54,12$, | 2, 0x55,12, | 0x56,12, | 0x57,12, |
| 0x64,12, | , 0x65,12, | , $0 \times 52,12$, | 2, 0x53,12, | 0x24,12, | 0x37,12, |
| 0x38,12, | 0x27,12, | , $0 \times 28,12$, | 2, 0x58,12, | 0x59,12, | 0x2b, 12, |
| 0x2c, 12, | 0x5a, 12, | , $0 \times 66,12$, | 2, 0x67,12, | 0xf, 10, | 0xc8,12, |
| Oxc9,12, | , $0 \times 5 \mathrm{~b}, 12$, | , $0 \times 33,12$, | 2, $0 \times 34,12$, | 0x35,12, | 0x6c, 13, |
| 0x6d, 13, | , $0 \times 4 \mathrm{a}, 13\}$ | \} \} ; |  |  |  |



```
\(/ \%\) word in the compressed word. */ (*cmprsdwordptr)|=(code) >> (-bitsleft);
/* Move to a new word and put */
\(/ *\) the rest of the code in a \(\% /\)
\(/ *\) new compressed word, filling \(\% /\)
\(/\); from the left to the right. */ *(++cmprsdwordptr) \(=(\) code \() \ll\)
(bitsleft \(=(16+\) bitsleft));
\}
\(1 *\) Now compress the part that */
\(/ \%\) is less than 64 bits. \(\% /\)
\(1 \%\) If the no. of bits \(=640\) we \(\% /\)
if(multiple<10) /* skip putting the zero part. */
/* bitcont is the remainder of */
\(/\) /: dividing uncmprsdbitscont by \%/
/* 64.
bitcont=uncmprsdbitscont \& maskl;
\(/:\) Get the corresponding code \(\% /\)
\(/ *\) and the code-length. \(\quad * /\)
code=FAX[color][bitcont].bits;
length=FAX[color][bitcont].length;
\(1 *\) Update cmprscounter by the */
/* code-length. \(\quad\) /
cmprscounter=cmprscounter+length;
/ \(\%\) If there are still more \(\% /\)
\(/ \%\) unprocessed bits in the \%/
\(/\) * current word then put the */
\(/ *\) compressed bits in the */
/* corresponding part of the \%/
/* word in the compressed buffer*/
if (( bitsleft=bitsleft-length) \(>0\) )
(*cmprsdwordptr) \(=\) code \(\ll(\) bitsleft \()\);
else
\{ / /* Otherwise split the code */
\(1 \%\) among the current and the \(\% /\)
\(/ *\) next words of the compressed \(* /\)
/* buffer.
((*cmprsdwordptr))|=(code) >> (-bitsleft);
( \(\mathrm{r}++\) cmprsdwordptr) \(=(\) code \()\) <<
(bitsleft = (16 + bitsleft));
\}
\}
\}
else
```



```
    code=FAX[color][uncmprsdbitscont].bits;
    length=FAX[color][uncmprsdbitscont].length;
    cmprscounter=cmprscounter+length;
                            /k Same case as before. %/
    if ((bitsleft=bitsleft-length)>0)
    (rcmprsdwordptr)|=code<<(bitsleft);
    else
        {(*cmprsdwordptr))|=(code) >> (-bitsleft);
        (*++cmprsdwordptr)=(code) <<
                                    (bitsleft = (16 + bitsleft));
        }
    }
}
/*----------------------- UPDATE_CMPRSDBLK() ------------------------------*/
/%========================= INIT_CMPRSDBLK() ============================*/
/* Initializes the compression buffer pointer to the first word of */
/* space allocated; sets the compression counter to zero and starts*/
/% with the most left bit of the first word in the compressed */
/* buffer.
/%======================================================================= %/
void init_cmprsdblk(newblkptr)
unsigned *newblkptr;
{
    cmprsdwordptr=newblkptr;
    bitsleft=16;
    cmprscounter=0;
}
/%---------------------- END INIT_-CMPRSDBLK() --------------------------*/
/*======================== updt_cmprsblk_code =========================== 孚/
/% Updates the compression buffer 'cmprsblk' by going to the next %/
/is code after the passed 'code' with 'length' of bits. */
/%=========================================================================%*/
void updt_cmprsblk_code(code,length)
register unsigned code;
register int length;
{
cmprscounter=cmprscounter+length; /ir Update "cmprscounter". */
if ((bitsleft=bitsleft-length)>0) /ir If old bitsleft > length, */
/% then put the new code at the */
/* current cmprsdword, using a }%
/* new bitsleft. ic/
    (*cmprsdwordptr)|=code<<(bitsleft);
else }/*\mathrm{ Old bitsleft <= length. */
    { /% Negate bitsleft and put part %/
/* of the code that fills the */
```

```
                        /is word in the "word". 
    (*cmprsdwordptr)|=(code) >> (-bitsleft);
                                    /* Move to a new word and put %/
                                    /i}\mathrm{ the rest of the code, %/
                                    /r filling from the left. }%
                                    *(++cmprsdwordptr)=(code) << (bitsleft=(16 + bitsleft));
}
}
/%--------------------- End updt_cmprsblk_code ----------------------------*/
/*======================= get_cmprs_reslt() =============================*//
/* This function returns the number of compressed bits since the %/
/% last initialization of cmprscounter. %/
/%==========================================================================%/
unsigned get_cmprs_reslt()
{
return(cmprscounter);
}
/:------------------ END get_cmprs_reslt() -----------------------------*/
/*=================== set_cmprscontr_to_zero() ========================*/
/* Set_cmprscontr_to_zero() :it sets cmprscounter to zero. Uses it %/
/% if you are compressing a block and want to get cmprscounter for */
/% each line alone.
/%======================================================================%/
void set_cmprscontr_to_zero()
{
cmprscounter=0;
}
/*------------------ END set_cmprscontr_to_zero() ----------------------*/
/: ---------------------- END cupdt.c ----------------------------------*/
```

14.4. File Dcmprs2d.c



```
    k = KFACTOR-1;
                                /* Point to the previous line. */
        prvslinestart +=xsizeinbytes;
            /* Decode k-1 lines, after the }x
            /* previously ld decoded line, */
            /; the using Two-Dimensional ir/
                    /* decoding algorithm. i/
        while( k-- && i < ymaxplsi )
        swapbits_to_string(prvslinestart,
                        refrenceline+1, xsize);
                            /% Two-Dimensional decoding. */
        dcmprs_line_2d(refrenceline);
                            /* Point to the previous line. */
        prvslinestart +=xsizeinbytes;
        i++;
        }
        }
tend=gttime();
findtime(dcmprstime) /* ------------- MACRO ------------*/
free(refrenceline); /:% Free allocated memory. %/
}
/i --------------------- END dcmprs_blk_2d -------------------------------*/
/* ========================= dcmprs_line_2d =========================== */
/* With respect to the reference line ( previous line ) the current*/
/* line is decoded. The relative positions of a0, al, a2, on the */
/* coding line, and bl, b2, on the reference line, determine */
/*}\mathrm{ whether the decoding mode is the pass, horizontal or vertical %/
/r mode. The decoded line is updated as each mode is realized until%/
/* the end of line is reached.
*/
/* Before updating the decompression buffer with the run of bits we;/
/* must note the following point: Since a0, at the start of every %/
/* line, was set to an imaginary black changing element, then the r/
/* first black run length should not count this imaginary pel. %/
/* ===================================================================== %/
dcmprs_1ine_2d(refrenceline)
char *refrenceline;
{
register unsigned a0;
unsigned al,a2,a0al,ala2;
unsigned bl,b2;
int a0color,alcolor,tmpcolor;
char *tmpptr;
static int blackbits,wtbits;
static int *blackbitsptr=&blackbits,*wtbitsptr=&wtbits;
a0=0;
/% First pixel in the decoding
                                    /i line. 
```

refrenceline[a0] = BLACKCHAR ;
a0color=BLACK;
alcolor=WHITE;
while(a0 < xmaxplsl)
{ /* Refer to the comments in file%/
/* cmprs2d.c for explanation */
/% about the code and how to %/
/* detect al, a2, b1, and b2. %/
/is Detect bl. */
if( refrenceline[a0] == (alcolor+BLACKCHAR) )
{
if(tmpptr=memchr(\&refrenceline[a0+1], a0color+BLACKCHAR,
xmaxplsl-a0))
{
bl=tmpptr-refrenceline;
if(tmpptr=memchr(tmpptr+1,alcolor+BLACKCHAR,xmaxplsl-bl))
bl=tmpptr-refrenceline;
else
bl=xmaxplsl;
}
else
bl=xmaxpls1;
}
else
{
if(tmpptr=memchr(\&refrenceline[a0+l],al color+BLACKCHAR,
xmaxpls1-a0))
bl=tmpptr-refrenceline;
else
bl=xmaxpls1;
}
/* Detect b2. */
if(tmpptr=memchr(\&refrenceline[bl+1],a0color+BLACKCHAR,
xmaxplsl-bl))
b2=tmpptr-refrenceline;
else
b2=xmaxplsl;
if( currentword \& 0x8000) /* Get "bit1" of "currentword". */
{
if( a0==0) / /* Update the decompression %/
/: buffer. */
update_dcmprs_code(a0color,bl-(a0+1))
else
update_dcmprs_code(a0color,bl-a0)
a0=b1;
switchcolor
update_cmprs(1); /: Codeword = 1. %/
}
else

```
```

\{
if ( currentword \& $0 \times 4000$ ) $/ *$ Bit1 $=0$, get bit2. $\quad \% /$
\{ $/ *$ Bitl,2 $=01$, get bit3. $\quad * /$
if ( currentword \& 0x2000 )
\{ $/:$ Vertical mode(1). al to the $k /$
if $(a 0==0) \quad / *$ right of bl by 1 bit. $\quad \% /$
update_dcmprs_code(a0color, b1+1-(a0+1))
else
update_dcmprs_code(aOcolor,bl+1-a0)
$a 0=b 1+1$;
switchcolor
update_cmprs(3); $/ \%$ Codeword $=011 . \quad \% /$
\}
else
\{ $/ \%$ Vertical mode $(-1)$. al to the $* /$
if $(a 0==0) \quad / *$ left of bl by 1 bit. $\quad * /$
update_dcmprs_code(a0color,b1-1-(a0+1))
else
update_dcmprs_code(a0color,b1-1-a0)
$a 0=b 1-1$;
switchcolor
update_cmprs(3); $/ \%$ Codeword $=010$. $\% /$
\}
\}
else
\{ $/ *$ Bit1,2 $=00$, get bit3. $\% /$
if ( currentword \& 0x2000)
\{ $/ \%$ Horizontal mode. $\% /$
update_cmprs(3); $/ *$ Codeword $=001 . \quad * /$
/ir Decode the following two $\% /$
$/ \%$ codes using One-Dimensional $\% /$
$/ \%$ decoding scheme according $* /$
if (a0color) $/ \%$ to the a0 color. $\% /$
\{ $/ \dot{*}$ White code followed by a $\% /$
$/ \dot{/}$ black one. $\quad$ /
uncmprs_white(wtbitsptr);
uncmprs_blak(blackbitsptr);
\}
else
\{ $/ *$ Black code followed by a $\% /$
/\% white one.
ir/
uncmprs_blak(blackbitsptr);
uncmprs_white(wtbitsptr);
\}
if ( $\mathrm{a} 0==0$ ) blackbits++;
/: Bypass the last two hori- $\quad x /$
$/ \div$ zontal codes. $\quad \% /$
a0 += blackbits + wtbits;
$\}$

```
```

else
{ /% Bitl,2,3=000, get bit4. %/
if( currentword \& 0x1000 )
{ /* Pass mode. Codeword=0001. */
if(a0==0)
update_dcmprs_code(a0color,b2-(a0+1))
else
update_dcmprs_code(a0color,b2-a0)
a0=b2;
update_cmprs(4); /% Update the buffer with 4 bits.%/
}
else
{
/: Bit1,2,3,4=0000, get bit5. %/
if( currentword \& 0x0800)
{
/* Bitl,2,3,4,5 = 00001, */
/r get bit6.
*/
if( currentword \& 0x0400 )
{ /* Vertical mode(2). al to the */
/* right of bl by 2 bits. */
if(a0==0)
update_dcmprs_code(a0color,
b1+2-(a0+1))
else
update_dcmprs_code(a0color,bl+2-a0)
a0=b1+2;
switchcolor
/: Codeword = 000011.
update_cmprs(6);
}
else
{ /% Vertical mode(-2). al to the */
/* left of bl by 2 bits. }%
if(a0==0)
update_dcmprs_code(a0color,
bl-2-(a0+1))
else
update_dcmprs_code(a0color,b1-2-a0)
a0=b1-2;
switchcolor
/* Codeword = 000010. %/
update_cmprs(6);
}
}
else
{ /% Bit1,2,3,4,5 = 00000, %/
/r get bit6.
:/
if( currentword \& 0x0400 )
{ /* Bitl, 2,3,4,5,6 = 000001, %/

```
```

            /% get bit6. */
    if( currentword & 0x0200 )
        { /% Vertical mode(3). al to the */
            /* right of bl by 3 bits. */
        if(a0==0)
                        update_dcmprs_code(a0color,
                                    b1+3-(a0+1))
        else
            update_dcmprs_code(a0color,
                                    b1+3-a0)
        a0=b1+3;
        switchcolor
                            /* Codeword = 0000011. */
        update_cmprs(7);
        }
        else
            { 1:* Vertical mode(-3). al to the */
            % left of bl by 3 bits. %/
            if(a0==0)
            update_dcmprs_code(a0color,
                                    bl-3-(a0+1))
        else
            update_dcmprs_code(a0color,
                                    b1-3-a0)
        a0=b1-3;
        switchcolor
            /* Codeword = 0000010. */
        update_cmprs(7);
        }
        }
        else
        { /* Bit pattern = 000000 should */
            /* never happen unless there are*/
            /: some errors.
                                    */
            printf("extra code \n");
            exit();
            }
        }
            }
                }
                }
        }
    }
    }
/i --------------------- END dcmprs_line_2d --------------------------*/
/i ====================== init_dcmprs_blk_2d =========================== %/
/; Initialize local variables to this file. %/
/* ====================================================================== %/
void init_dcmprs_blk_2d(xsizein,ysizein,dcmprsbuffere)

```
```

unsigned xsizein,ysizein;
char *dcmprsbuffere;
{
ysize=ysizein;
xmaxplsl=xsizein+1;
xsizeinbytes=(xsizein/8)+(xsizein%8>0);
prvslinestart=dcmprsbuffere;
xsize=xsizein;
ymaxplsl=ysizein+1;
}
/% ------------------- END init_dcmprs_blk_2d ---------------------------*/
/* Refer to the comments in file %/
/* dupdtc.c in appendix B section */
/* 13.6 for all the coming code. */
static unsigned currentword;
static unsigned nextword,*nextwordptr;
static unsigned cbitsremain;
static unsigned rightbitsword[]={0,0x0001,0x0003,0x0007,
0x000f,0x001f,0x003f,
0x007f,0x00ff,0x01ff,
0x03ff,0x07ff,0x0fff,
0xlfff,0x3fff,0x7fff,
0xffff};
unsigned leftbitsword []={0,0x8000,0xc000,0xe000,
0xf000,0xf800,0xfc00,
0xfe00,0xff00,0xff80,
0xffc0,0xffe0,0xfff0,
0xfff8,0xfffc,0xfffe,
0xffff};
/ik======================== UPATE_CMPRS() =========================*/
/* This function updates "currentword", which is a window into the %/
/* compressed buffer. */
/%=============================================================%*/
update_cmprs(codelngth)
int codelngth;
{
register unsigned tempword;
register int difference;
tempword = currentword;
tempword <<= codelngth;
if((difference = cbitsremain-codelngth) > 0)
tempword |= nextword>>(difference);
else
{
difference =- difference;
tempword |= nextword << (difference);

```
```

    nextword = %(++nextwordptr);
    tempword |= nextword >> (difference=(16- (difference)) );
    }
    nextword \&= rightbitsword[difference];
cbitsremain = difference; % Update cbitsremain. %/
currentword = tempword; /ir Update current word. %/
return( tempword );
}
/r--------------------- END UPDATE_CMPRS -------------------------------------*/
/i=========================== init_cmprs =================================%/
init_cmprs(cmprsbfrptr)
unsigned *cmprsbfrptr;
{
cbitsremain = 16;
currentword = *(cmprsbfrptr);
nextword = *(nextwordptr=cmprsbfrptr+1);
}
/r---------------..---------------------------------------------
/%========================== MATCH_BLAK ==================================%/
match_blak(clrbitsptr,codebitsptr)
register int rclrbitsptr;
int %codebitsptr;
{
static unsigned BLK_CODES[] =
{
/* BARRAY_4 bits. %/
0x7000,0x8000,0xb000,0xc000,0xe000,
0xf000,
/* BARRAY_5 bits.
0x9800,0\timesa000,0\times3800,0\times4000,0xd800,
0x9000,
/r BARRAY_6 bits. */
0xlc00,0x2000,0x0c00,0xd000,0xd400,
0xa800,0xac00,0x5c00,
/* BARRAY_7 bits.
*/
0\times4e00,0\times1800,0\times1000,0\times2e00,0\times0600,
0x0800,0\times5000,0\times5600,0\times2600,0\times4800,
0x3000,0x6e00,
/is BARRAY_8 bits.
0x3500,0\times0200,0\times0300,0\times1a00,0\times1b00,
0x1200,0\times1300,0\times1400,0\times1500,0\times1600,
0x1700,0\times2800,0x2900,0\times2a00,0x2b00,
0x2c00,0x2d00,0x0400,0x0500,0x0a00,
0x0b00,0\times5200,0\times5300,0\times5400,0\times5500,
0\times2400,0\times2500,0\times5800,0\times5900,0\times5a00,
0x5b00,0\times4a00,0\times4b00,0\times3200,0\times3300,

```
```

    0x3400,0x3600,0\times3700,0\times6400,0x6500,
    0x6800,0\times6700
    static int BLK_RUNS[]=
/* BCODE_4 bits. */
2 ,3 ,4 , 5 , 6 , 7 , % % %/
8 ,9 ,10,11, -64, -128,
1, 12, 13, 14, 15, 16, 17, -192 , %/
18, 19, 20, 21, 22, 23, 24, 25, 26,
27, 28, -256,
/% BCODE_8 bits. */
0, 29, 30, 31, 32, 33, 34, 35, 36,
37, 38, 39, 40, 41, 42, 43, 44, 45,
46, 47, 48, 49, 50, 51, 52, 53, 54,
55, 56, 57, 58, 59, 60, 61, 62, 63,
-320, -384, -448, -512, -576, 640
static int BGROUPS[]={5, 4,6, 5,6, 6,8, 7,12, 8,42 };
register word;
word = currentword;
switch (1)
{
case 1:
{
if( match_all_bits(word,BLK_CODES,BLK_RUNS,BGROUPS,
clrbitsptr,codebitsptr) )
break;
}
default : {
printf("Wrong code encountered in 'match_blak'\n");
exit(0) ;
}
}
}
/r------------------------- END MATCH_BLAK --------------------------------*/
/i========================== MATCH_WHITE ================================%%/
match_white(clrbitsptr,codebitsptr)
int
*clrbitsptr,*codebitsptr;
{
/* See the comment for BLK_CODES*/
static unsigned
WHITE_CODES[] =
{
/* Codebits = 10. */
0x05c0, 0x0600, 0x0200, 0x03c0,

```
\(0 x 0 \mathrm{dc} 0\),
\[
/ \% \text { WARRAY_11 bits. } \% /
\]

0x0ce0, \(0 x 0 \mathrm{~d} 00,0 \times 0 \mathrm{~d} 80,0 x 06 \mathrm{e} 0\), \(0 \times 0500\), 0x02e0, 0x0300, \(/ \dot{x}\) WARRAY_12 bits. \(\quad * /\)
0x0ca0, 0x0cb0, 0x0cc0, 0x0cd0, \(0 x 0680\), \(0 x 0690\), 0x06a0, 0x06b0, \(0 x 0 \mathrm{~d} 20,0 \mathrm{x} 0 \mathrm{~d} 30,0 \mathrm{x} 0 \mathrm{~d} 50,0 \mathrm{x} 0 \mathrm{~d} 60\), \(0 x 0 \mathrm{~d} 70\), \(0 x 06 \mathrm{c} 0,0 \times 06 \mathrm{~d} 0,0 x 0 \mathrm{da} 0\), 0x0db0, 0x0540, 0x0550, 0x0560, \(0 \times 0570,0 x 0640,0 \times 0650,0 x 0520\), \(0 \times 0530\), \(0 \times 0240,0 \times 0370,0 \times 0380\), \(0 \times 0270\), \(0 \times 0280,0 \times 0580,0 \times 0590\), 0x02b0, 0x02c0, 0x05a0, 0x0660, 0x0670, 0x0c80, 0x0c90, 0x05b0, \(0 \times 0330\), \(0 \times 0340,0 \times 0350\), / \(\%\) WARRAY_13 bits.
*/ 0x0360, 0x0368, 0x0250
```

static int WHITE_RUNS[] =

```
        /: See the comment for BLK_RUNS. \(\% /\)
        \(/ \%\) WCODE_10 BITS. \(\quad \% /\)
    16, 17, 18, -64, 0,
        /\% WCODE_11 bits. \(\quad\) /
    19, 20, 21, 22, 23, 24, 25,
        /: WCODE_12 bits.
        \(* /\)
    \(26,27,28,29,30,31,32,33\),
    \(34,35,36,37,38,39,40,41\),
    \(42,43,44,45,46,47,48,49\),
    50, 51, 52, 53, 54, 55, 56, 57,
    \(58,59,60,61,62,63,-128,-192\),
    \(-256,-320,-384,-448\),
    \(1 \%\) WCODE_13 bits. \(\quad \div /\)
-512, -576, 640
```

    };
    static unsigned WGROUPS[]={4, 10,5, 11,7, 12,44, 13,3 };
register unsigned tmpword,word;
word = currentword;
switch (1)
{
case 1:
{
if(word \& 0x8000) /is Bit 16 = 1. %/
if(word \& 0x4000) /% Bit 15 = 1 then code=2. %/
rcclrbitsptr = 2;
else Bit 15 = 0.

```

```

            if(tmpword==0x0700)
            { *codebitsptr=8; *clrbitsptr=14; break; }
                    if((word&0xff80)==0x0c00)
                        { *clrbitsptr=15; *codebitsptr=9; break; }
                    if( match_all_bits(word,WHITE_CODES,WHITE_RUNS,WGROUPS,
                        clrbitsptr,codebitsptr) )
            break;
            }
            default : {
                printf(
                    " Wrong code encountered in 'match_white'\n");
                        exit(0);
                        }
    }
    }
/:---------------------- END MATCH_WHITE ----------------------------------*/
/ir ===================== get_dcmprstime() ============================= %/
unsigned get_dcmprstime()
{
return(dcmprstime);
}
/i ------------------- END get_dcmprstime() -------------------------------
/% ---------------------- END dcmprs2d.c ----------------------------------
14.5. File Dcmprsln.c

| \#include | <stdio.h> |
| :--- | :--- |
| \#include | <io.h> |
| \#include | "colordef.h" |

int update_cmprs(int);
int uncmprs_blak(int %), uncmprs_white(int %);
int match_blak(int *,int *), match_white(int *,int *);
int update_dcmprs_blakmk(int), update_dcmprs_whitemk(int);
int update_dcmprs_blakreg(int), update_dcmprs_whitereg(int);
/v
Refer to the file "dcmprsln.c" in appendix B section 13.5 for
* comments.
*/
/ir============================ DCMPRSLN() ================================= %/
dcmprs_line_ld()
{
int clrbits;
register int rclrbitsptr=\&clrbits;

```
```

while( uncmprs_blak(clrbitsptr) \&\& uncmprs_white(clrbitsptr))
;
}
/*-------------------------- END DCMPRSLN() -------------------------------*/
/%======m==================== UNCMPRS_BLAK() ============================* /
uncmprs_blak(nmbrblackbitsptr)
int rnmbrblackbitsptr;
{
int clrbits,codebits;
register int *clrbitsptr=\&clrbits;
register int *codebitsptr=\&codebits;
*nmbrblackbitsptr = 0;
match_blak(clrbitsptr,codebitsptr);
if(*clrbitsptr<0)
{
*clrbitsptr=-*clrbitsptr;
<nmbrblackbitsptr += clrbits;
update_cmprs(*codebitsptr);
update_dcmprs_blakmk(*cclrbitsptr);
match_blak(clrbitsptr,codebitsptr);
}
update_cmprs(%codebitsptr);
*nmbrblackbitsptr += clrbits;
return( update_dcmprs_blakreg(*cirbitsptr));
}
/%----------------------- END UNCMPRS_BLK() -------------------------------*/
/ir========================== UNCMPRS_WHITE() ===========================%%/
uncmprs_white(nmbrwhitebitsptr)
int *nmbrwhitebitsptr;
{
int clrbits,codebits;
register int *clrbitsptr=\&clrbits;
register int rcodebitsptr=\&codebits;
*nmbrwhitebitsptr = 0;
match_white(clrbitsptr,codebitsptr);
if(%clrbitsptr<0)
{
rclrbitsptr=-icclrbitsptr;
*nmbrwhitebitsptr += clrbits ;
update_cmprs(rcodebitsptr);
update_dcmprs_whitemk(rclrbitsptr);
match_white(clrbitsptr,codebitsptr);
}

```
```

update_cmprs(*codebitsptr);
*nmbrwhitebitsptr += clrbits ;
return( update_dcmprs_whitereg(*clrbitsptr));
}
/*---------------------- END UNCMPRS_WHITE() -----------------------------*/
/: ---------------------- END dcmprsin.c -------------------------------*/

```
14.6 File Bitsrng.asm
```

NAME bitsrng
TITLE SWAP BYTES THEN CONVERT BITS TO STRING
PUBLIC _swapbits_to_string
DGROUP GROUP _DATA
ASSUME C
LASTBITS EQU [BP-2]
WORDCONT EQU [BP-4]
EXTRN
_TEXT
__chkstk:NEAR
SEGMENT BYTE PUBLIC 'CODE'

```
_swapbits_to_string PROC NEAR
    PUSH BP
    MOV BP,SP
    MOV AX, 4
    CȦLL __chkstk
    PUSH DI
    PUSH SI
    PUSH ES
    PUSH DS
    POP ES
    MOV SI,[BP+4]
    MOV DI,[BP+6]
    MOV \(\mathrm{AX},[\mathrm{BP}+8]\)
    MOV DX, AX
    MOV CX,4
    SHR DX,CL
    MOV WORDCONT, DX
    AND AX,000FH
    MOV LASTBITS,AX
LOOP1: MOV CX,16
    LODSW
    XCHG AH,AL
    MOV DX,AX
    MOV BX,8000H
LOOP2: TEST DX,BX
    JZ ZERO_BIT
ONE_BIT: MOV AX,'1'
    STOSB
    JMP SHIFT_MASK
```

ZERO_BIT:
MOV AX,'0'
STOSB
SHIFT_MASK:
SHR BX,1
LOOP LOOP2
DEC WORD PTR WORDCONT
JNZ LOOP1
LAST_BITS:
CMP BYTE PTR LASTBITS,0
JZ BITSTRING_CODE
MOV CX,LASTBITS
LODSW
XCHG AH,AL
MOV DX,AX
MOV BX,8000H
LOOP3: TEST DX,BX
JZ ZERO_BIT_L
ONE_BIT_L:
MOV AX,'1'
STOSB
JMP SHIFT_MASK_L
ZERO_BIT_L:
MOV AX,'0'
STOSB
SHIFT_MASK_L:
SHR BX,1
LOOP LOOP3
BITSTRING_DONE:
POP ES
POP SI
POP DI
MOV SP,BP
POP BP
RET
_swapbits_to_string ENDP
_TEXT ENDS
END
/% ------------------------ END bitsrng.asm ------------------------------*/

```
15. APPENDIX D. PROGRAM LIST OF METHOD LZW

The \(C\) programs in this appendix and the following appendices use the function＂Indx＂from C Power Packs by Software Horizons Inc．

The files in this listing make use of the files in the following sections：
－Appendix B：13．9，13．11，and 13．12．

\section*{15．1．File Main．c}
```

/*==================================================================== k/
/* This program simulates the Lempel-Ziv-Welch approach to compress%/
/* data and then decompress it according to the same approach. %/
/* This alogrithm is adaptive in the sense that it starts with an */
/* empty table of symbol strings and builds the table during both %/
/* the compression and decompression processes. These are one-pass */
/* procedures that require no prior information about the input */
/% data statistics and execute in time proportional to the length */
/% of the message.

```

\＃include
\＃include
\＃include \＃include \＃include非include \＃include \＃include \＃include
\＃define LINT＿ARGS
非define
\＃define
非define
\＃defin非define \＃define \＃define
```

<stdio.h>

```
<memory.h>
<dos.h>
<io.h>
<fentl.h>
<malloc.h>
<sys\types.h>
<sys\stat.h>
<string.h>
LINT_ARGS
HI_RES \(6 \quad / \% 640 \times 200\) graphics mode. \(\% /\)
TEXT_MODE \(3 \quad / *\) Text mode. 3 /
ALPHABET_SIZE \(256 \quad / *\) Sizes of alphabet and \(\% /\)
MAX_SIZE 4096 /\% code tables. \%/
SCRN_SIZE 16004
uchar unsigned char
findtime(time) \{ tend=gttime(); \(\backslash\)
                                    if(tend>tstart) time=tend-tstart;
                                    else time \(=(6000\)-tstart \()+\) tend; \(\}\)
```

/* Declare variables : %/
/r Strings table consists of two parts, the first one is of word is/
/* type while the other one is of character type. This is due to */
/* the fact that only 20 bits are needed to represent each string %/
/is so no more than 3 bytes are needed for this representation. i/
static char far chata_bufr[32000];

```
/ir Window coordinates.
int \(\quad \mathrm{x} 1=0, \mathrm{y} 1=0, \mathrm{x} 2=639, \mathrm{y} 2=199\);
char unsigned
unsigned gttime();
void init_screen( unsigned );
void decompress (char \(\dot{*}\), char far \(\dot{*}\), unsigned ) ;
void compress ( char \(*\), char far \(*\), unsigned \(*\) ) ;
main(argc, argv)
int argc;
char rargu[];
\{ unsigned tstart,tend, cmprstime,dcmprstime, temp, i ;
                                    \(/ \%\) Cmprsfactor \(=\) original size \(\% /\)
                                    \(/ \%\) divided by compressed size. \(\% /\)
    float
        cmprsfactor;
    if \((\operatorname{argc}<6) \quad 1 \%\) No data was entered at the \(\quad * /\)
                            \(/ i\) command line. \(\quad * /\)
            printf("enter x1 yl x2 y2 \n");
            scanf("\%d \%d \%d \%d",\&x1,\&yl,\&x2,\&y2);
                    \(/:\) Get rid of extra charcaters. \(\quad \% /\)
            while((getchar())!='\n')
                            ;
        \}
    else
        \{
            \(x l_{=a t o i}(\operatorname{argv}[2]) ; y l=a t o i(\operatorname{argv}[3])\);
            \(x 2=\) atoi \((\operatorname{argv}[4]) ; y 2=a t o i(\operatorname{argv}[5])\);
        \}
    if ( argc > 1 )
                            strcpy( datafile, argv[1]);
    init_screen ( argc ) ;
                            \(/ \%\) Store the original size. \(\% /\)
    cmprsfactor \(=(\) float \()\) bufr_size ;
    init_table() ; \(/ \%\) Initialize buffers and tables. \(\% /\)
                            \(/ \%\) Get the data in the screen \(\% /\)
                            \(/ \dot{r}\) memory then display it again. \(\% /\)
    get ( \(x 1, y 1, x 2, y 2\), work_bufr ) ;
    for \((i=0 ; i<=55000 ; i++) ; / \bar{r}\) a delay loop. it
    setscmode(TEXT_MODE);
    printf(" Compression is in progress \(\backslash n "\) ) ;
    tstart=gttime(); \(/ \dot{R}\) Record the start of compression. \(\% /\)
    /\% Compress the data in data_bufr using LZW\%/
    \(/ \%\) algorithm and return the compressed data\%/
    \(/ i\) in the data_bufr. The work_bufr is used \(\% /\)
```

    /* for internal manipulation within */
    /* compress() and other function it calls. %/
    /% The size of the compressed buffer is %/
    /% returned in bufr_size. %/
    /* We used data_bufr+4 so we will not %/
    /* compress the x and y sizes. %/
    compress( work_bufr+4, data_bufr, &bufr_size) ;
    findtime( cmprstime ) /* -- MACRO to find cmprstime. %/
    printf(" Now decompression is in progress \n" ) ;
    init_table() ; /* Reinitialize the tables. */
    tstart=gttime(); /* Record start of decompression. */
    /* Decompress data stored at address %/
    /* data_bufr+4 and with size = bufr_size. */
    /* Use the work_bufr in function decompress%/
    /* for its internal use. %/
    decompress( work_bufr+4, data_bufr, bufr_size ) ;
    findtime( dcmprstime ) /% -- MACRO to find demprstime. %/
                            /* Display data on the screen to %/
        setscmode(HI_RES); /ir make sure the program is working*/
    put( x1, y1, work_bufr ) ;
    for(i=0;i<=55000;i++) ; /; A delay loop. %/
    setscmode(TEXT_MODE);
                            /* A dummy variable. }%
    passparmtrs( datafile, x1, y1, x2, y2, temp=0 ) ;
    print( cmprstime, dcmprstime,
        cmprsfactor = cmprsfactor/bufr_size ) ;
    }
/*-------------------------------------------------------------------
/*------------------------------------------------------------

```

\subsection*{15.2. File Cmprs.c}
\#include \#include \#define \#define \#define \#define
<memory.h> <malloc.h> \(\begin{array}{lll}\text { uchar } & \text { unsigned } & \text { char }\end{array}\) MAX_SIZE 4096 SCRN_SIZE 16004
update_string_table() \}
\{if( next_code < MAX_SIZE ) \}
\{char_table[next_code] = string.k ; \(\backslash\) int_table[next_code] = string.w ; \(\backslash\) next_code++ ; \}\}
extern unsigned int_table[] ; /* int_table[], char_table[] */
extern uchar char_table[] ; \(/ \dot{k}\) and next_code are defined \(\% /\)
extern int next_code; \(/ \%\) in tables.c \(\% /\) extern unsigned extracalls ;
void adjust_output( uchar *, uchar far \%, unsigned, unsigned * );
```

/i=========================== compress() =============================== %/
/: The LZW algorithm is organized around a translation table %/
/:% that maps strings of input symbols into a fixed length code. }%
/% LZW string table contains strings that have been encountered */
/% previously in the message being compressed. The input string */
/% is examined serially symbol-by-symbol in one pass and the %/
/* longest recognized input string is parsed off each time. %/
/k========================================================================%/
compress( compress_io,compress_work, ptr_bufr_size )
uchar %compress_io, far %compress_work ;
unsigned reptr_bufr_size ;
/* Compress_io contains data */
/* needs to be compressed as an */
/% input, and compressed data %/
/* as output. Compress_work is %/
/* used for work as a temporary %/
/* output of lzw compression */
/k before we pack each code word*/
/% into 12 bit code. Then the */
/* function adjust_output takes */
/% it as input and put the */
/* correct 12 bit codes into %/
/% compress-io. */

```
\{
```

uchar *input;
unsigned far ;output;
char *ptr_new_output;
unsigned bufr_size;
unsigned newsize ;
register int data_index=0, code;
int out_index=0, found, *ptr_found=\&found ;
struct {
uchar k;
unsigned w;
} string ;
input=compress_io;
output=(unsigned far *)compress_work;
/* Read the first element in */
/% the input. %/
string.w = input[data_index++] ;
bufr_size=%ptr_bufr_size; /% Find bufr_size. */
/% Loop while there is more */
/% input. */
while( data_index < bufr_size )
{
/* Read the next element. */
string.k = input[data_index++];

```
```

    /* Function Scanw() scans the */
    /* string and returns the code.%/
    /* If the passed string is found %/
    /* in that case found = 1,
        */
    /% otherwise the returned value %/
    /r of found is = 0.
        */
    code = scanw( string.w, string.k, ptr_found );
    if( found )
    { /% wk exists in the table : %/
    /% wk --> w i.e. code of new w= %/
    /% code of a location in the }\because
    /r int_table that has w and k. %/
        string.w = code ;
        continue ;
    }
    else
    { /% wk is not in string table : */
    /* string.w --> output i.e. send%/
    /: code of w to the output. %/
        output[out_index++] = string.w ;
    /% If the tables are not full */
    /* yet then string --> string */
    /% table, i.e put w and k in %/
    /% int_table and char_table %/
    /: respectively at position }%
    /% next_code. }%
        if(next_code<MAX_SIZE)
        update_string_table()
        else
        extracalls++ ;
                            /% string.k --> string.w. */
        string.w = ( unsigned ) string.k ;
    }
    }
/* Send the last code to the */
/* output.
*/
output[out_index] = string.w ;
/% Back the output codes from a %/
/* string of words format to a */
/% string of }12\mathrm{ bits codes %/
/: format. The input to }%
/% adjust_output() is compress_ */
/* work. It sends the output %/
/% in the final form in %/
/% compress_io. }%
adjust_output(compress_io ,compress_work,
2%(out_index +1), \&newsize);
*ptr_bufr_size= newsize; /* Send newsize in bufr_size. */
}
/r-------------------------- END COMPRESS()
----------------------------*/

```

```

/* data */
/% decmprs_work = pointer to a temporary area. */
/*======================================================================*/
decompress(decmprs_io, decmprs_work ,inputsize)
char *decmprs_io, far *decmprs_work;
unsigned inputsize;
{

```

```

                    push(finchar);
                CODE=oldcode;
    }
                                /* Find the components w & */
                            1%k of CODE. %/
    look_up()
/% if w = 0 then we have a code %/
/* for one of the alphabets. */
/% While CODE==code(wk) separate%/
/* the k \& w parts of code till %/
/* CODE = code(k). %/
while(code.w!=0xffff)
{
push(code.k);
CODE=code.w;
look_up()
}
/* String now begins with the %/
/* last k, and the rest of it. */
/* (If string longer than one */
/* k) is in the stack. */
/% Send k to the output. */
databufr[++output_index]=code.k;
finchar=code.k; /% Finchar = first k of the */
/* last string. */
/* While the stack is not empty */
while(stack_index) /% send data to the output. %/
{
databufr[++output_index]=pop();
}
update_string_table()
oldcode=incode;
}
}
/*-------------------------- END decompress() -------------------------------*/
/*================================= push() ============================**/
/* PLace an element on the stack. %/
/i=======================================================================*//
push( item )
char item; /* Data to be pushed on the %/
/* stack. */
\{

```
```

    if( stack_index >= ST_MAX )
    ```
    if( stack_index >= ST_MAX )
{
{
    printf( " stack overflow in push \n" ) ;
    printf( " stack overflow in push \n" ) ;
    return ;
    return ;
}
```

}

```
```

    stack[stack_index++] = item ;
    }
/%------------------------------- END push() --------------------------------------
/k=============\Omega==================== pop() ==============================%//
/; Retrieve the top element from the stack. %/
/ir==========================================================================%/
char pop()
{
if( --stack_index < 0 )
{
printf(" Stack underflow in pop \n" ) ;
return ('\0');
}
return stack[stack_index];
}
/r---------------------------- END pop() ------------------------------------*/

```

15.4. File Tables.c
\#include <stdio.h>
\#include <memory.h>
非include
\#define
\#define
\#define
unsigned
unsigned char char_table[MAX_SIZE];
int
unsigned
unsigned char *ptr_char_table=char_table;
unsigned extracalls=0;
\#define
                                11oc.h>
                                MAX_SIZE 4096
    ALPHABET_SIZE 256
    uchar
                                unsigned char
                            /* Definition of a GLOBAL vars. */
    int_table[MAX_SIZE] ;
next_code ;
;ptr_int_table=int_table;

\(/ \dot{x}\) This function initializes every element in int_table to a com- \(\% /\)
\(/ \dot{x}\) bination that will never occur. Since the code is only 12 bits \(\% /\)
\(/ \%\) long then the 16 bits used to hold these codes are to be <= \(\% /\)
\(/\) / Oxfff. For this reason in this program the Oxffff code is used \(\% /\)
\(/ \dot{r}\) to solve the above problem. It should be noted that any combin- \(\% /\)
\(/ \dot{1}\) ation \(>0\) xfff should work correctly as well. Then the first \(256 \% /\)
\(/ \dot{c}\) character symbols are loaded into the char_table. \(\quad \% /\)
\(/ *\) character symbols are loaded into the char_table. \(\quad * /\)
init_table()
\{
register int index ;
```

    /* Set every byte in the */
    /* int_table to 0xffff (i.e. %/
    /* every code word = Oxffff) so %/
    /* that no code will match with %/
    /* it, because actual codes are */
    /* only 12 bits. */
memset( (char *) int_table,0xff,MAX_SIZE*2);
/* Set lst 256 of char_table to */
/* be the extended ASCII codes. */
for( index=0; index < ALPHABET_SIZE; index++ )
char_table[index] = ( short ) index ;
next_code = ALPHABET_SIZE;
}
/*---------------------- END init_table() -------------------------------
/*--------------------------------------------------------

```
15.5. File Scanw.asm

INPUT : ( PARAMETERS PASSED BY CALLING SUBROUTINE )
1) CHARCODE = CHARACTER PART OF THE CODE, i.e K.
2) INTCODE = UNSIGNED INTEGER PART OF THE CODE, i.e. W.
3) FOUNDADRS \(=\) ADDRESS OF CODE, i.e., WHERE WE RETURN THE CODE WHICH HAS W AND K EQUAL TO INTCODE AND CHARCODE RESPECTIVELY.

OUTPUT :
1) BOOLEAN VARIABLE "FOUND": HAS THE FOLLOWING RETURN VALUES RETURN VALUE \(=1\) IF A MATCH IS FOUND 0 IF NO MATCH
2) THE DUNCTION RETURN VALUE IS CONTAINS THE INDEX OF THE FOUND CODE, IF ANY.

IT NEEDS TO SHARE THE FOLLOWING WITH WHOEVER HAS THEM:
1) _ptr_char_table \(=\mathrm{A}\) POINTER TO \(1 S T\) ELEMENT IN CHAR TABLE.
2) _ptr_int_table \(=A\) POINTER TO \(1 S T\) ELEMENT IN INT TABLE.
3) next_code = NUMBER OF FIRST FREE CODE IN CHAR TABLE.
\(=\) NUMBER OF FIRST FREE CODE IN INT TABLE.
NAME SCAN
TITLE SCANNING OF THE ALTERNATE TABLE TO FIND A MATCH PUBLIC _scanw
\begin{tabular}{llll} 
FOUND_PTR & EQU & {\([B P+8]\)} & ; PASSED PARAMETERS. \\
INTCODE & EQU & {\([B P+4]\)} & \\
CHARCODE & EQU & {\([B P+6]\)} & \\
& & & \\
DGROUP GROUP & CONST, & _BSS, _DATA &
\end{tabular}
```

    ASSUME CS: _TEXT, DS: DGROUP, SS: DGROUP, ES: DGROUP
    DATA SEGMENT
EXTRN _ptr_char_table:WORD
EXTRN _ptr_int_table:WORD
EXTRN _next_code:WORD
PTR_next_code DW ?
_DATA ENDS
_scanw PROC NEAR
PUSH BP
MOV BP,SP
PUSH DI
PUSH SI
PUSH ES
MOV AX,DS
MOV ES,AX
MOV AX,INTCODE ; CORRESPONDING PARAMETERS PASSED
MOV DL,CHARCODE ; FROM THE CALLING PROGRAM.
; THE FOLLOWING THREE VARIABLES ARE
; DEFINED SOMEWHERE ELSE.
; POINTER TO THE TABLE HOLDING
; ELEMENTS OF CHARACTER TYPE. THIS
; TABLE HOLDS THE SECOND PART TO BE
; EXAMINED IN THE SEARCH.
MOV SI,_ptr_char_table
; TABLE USED IN THE SEARCH. IT HOLDS
; THE INTEGER PART WE SCAN FOR.
MOV DI,_ptr_int_table
MOV CX,_next_code ; NEXT NUMBER NOT USED IN TABLES YET.
LOOP1:
REPNE SCASW ; SI UP TO CX ELEMENTS BIT ZERO IS
; ZERO. IF ZF= 0 WE FINISHED THE SCAN
JNE NOMATCH ; BEFORE ANY MATCH. SO GO TO NOMATCH.
MOV BX,DI ; ZF=1 SO WE HAD A MATCH. STORE
; THE LENGTH OF SCANNED WORDS IN BX.
SUB BX,_ptr_int_table
SHR BX,1 ; GET THE NUMBER OF SCANNED WORDS.
DEC BX ; ADJUST LOOP STEP ( ONE MORE WORD ).
SINCE WE HAD A WORD MATCH,
CMP DL,[BX+SI] ; SEE IF WE HAVE CHAR MATCH.
; IF YES THEN WE HAVE A COMPLETE
JE MATCH ; MATCH. SO GO TO MATCH.
; CHAR DID NOT MATCH SO TRY AGAIN
; AS LONG AS CX (= REMAINING CODES TO
; BE SEARCHED ) NOT EQUAL TO ZERO.
; IF CX REACHED ZERO BEFORE WE HAD
; ANY MATCH THEN "JNE NOMATCH" WILL

```


\section*{15．6．File Scrinit．c}
```

\#include
\#include
\#include
\#include
\#include
\#include
\#define LINT_ARGS
\#define FALSE 0
\#⿰㇒⿻二丨⿰丨三小拢ine TRUE 1
\#define HI_RES 6
\#define TEXT_MODE 3
\#define SCREENSIZE 16384
\#define STRERR / /* Sring error, not found. %/
extern int xl,y1,x2,y2; /% Window coordinates. %/
extern char datafile[]; /* Figure input file. %/
extern unsigned bufr_size ;
/%========================== init-screen() =============================%%/
/* This function displays figure on screen. %/

```
```

/ir======================================================================%//
init_screen( value )
int value;
{
char irscreenbufr; /* Temporary buffer. i/
int fhl,bytesread,loop=TRUE;
char flag, c;
|N\mp@code{is a far pointer */}
char far *src;
/* initialized to "screenbufr". %/
unsigned blksize;

```
```

    if( value <= 1)
    {
        while(loop)
        {
        printf("enter name of data file \n");
        gets(datafile);
        printf("your data file is %s \n",datafile);
            /% Give the user a chance to %/
                            /% correct his mistakes. */
        printf("Is the given data correct (y/n)?\n");
        flag=getchar();
        while( (flag!='y')&&(flag!='n') &&
                            (flag!='Y')&&(flag!='N'))
        {
                            /i}\mathrm{ Read the end of line. 
            while((c=getchar()) !='\n')
                        ;
                            printf("enter y or n ");
                            flag=getchar();
    }
/i Read the end of line. i/
while((c=getchar()) !='\n')
;
if((flag=='y')|(flag=='Y'))
loop=FALSE;
}
}
blksize =( ( x2-xl+1 ) * (long)( y2-y1+1 ) )/8 ;
setscmode(HI_RES);

```
                            /; Read data from the input file \(\dot{r} /\)
                            \(/ \%\) into the buffer, then use this \(* /\)
                            \(/ \dot{r}\) data to display the figure on \(\% /\)
                            \(/ i\) the screen.
                            /\% Both even and odd banks are \(i /\)
                            \(/ *\) read separately. If the file \(\% /\)
    /; extension is "cut" then just */
    \(/\) is read data into array and then \(\% /\)
    \(/\) is put it to the screen. There is \(\% /\)
```

    /* no need to send the data to the %/
    /* screen memory in the latter case%/
    /* fh1 = file handler of data file.*/
    fh1 = open(datafile,o_RDONLY|O_BINARY);
/* Check if file extension = cut.*/
if( (Indx(".cut",datafile)) != STRERR )
{
/* Allocate 4 bytes to read x and */
/* y sizes.
screenbufr=ma1loc(4);
/* Read x and y sizes from datafile%/
/* into screenbufr, then put values%/
/* into x2 and y2 respectively. %/
bytesread=read(fh1,screenbufr,4);
x2=*(unsigned *)screenbufr;
y2=*(unsigned *)(screenbufr+2);
/* Reallocate the required size of */
/* memory to hold the data in %/
/* the input file. */
screenbufr=realloc(screenbufr,
blksize=4+((x2+7)/8)*(y2));
/* Read the data from the file. */
bytesread=read(fh1,screenbufr+4,blksize);
put(x1,y1,screenbufr);
}
else
{
/* Do the first bank (even) by */
/* allocating half the total size. */
screenbufr=malloc(SCREENSIZE/2);
fh1 = Open(datafile,o_RDONLY|O_BINARY);
/r Read the first bank.
*/
bytesread=read(fh1,screenbufr,SCREENSIZE/2);
src=(char far %)(screenbufr+7);
/* Format has the first byte of the 1st %/
/% bank at offset 8000 of the screen %/
/* segment. Move the data from the file %/
/* to that segment. Note that in the %/
/* screen segment the bytes starting at %/
/% offset 8000 till (8192-7) will be %/
/* filled with whatever the file has. */
/* This part is not from the physical */
/is screen.
%/
movedata(FP_SEG(src),FP_OFF(src), 0xb800,0x0000,
(SCREENSIZE/2)-7);
bytesread=read(fh1,screenbufr,SCREENSIZE/2);
src=(char far *)(screenbufr);
/\pi}\mathrm{ the 1st seven bytes of the 2nd half %/
/* of the file are a continuation of the%/

```
```

    /* (192-7) bytes that BASIC took from */
    /% the screen memory and dumped it to %/
    /* the file. So the 2nd half of the */
    /* screen starts after 7 bytes of the %/
    /* 2nd part of the file. By copying the */
    /* second half of the file into offset */
    /* (0x2000-7) we will fill the 7 bytes */
    /% at (0x2000-7) then the 2nd half of %/
    /it the screen will be copied to offset ir/
    /* (0x2000). This fills the odd part of %/
    /* the screen. The remaining (192-7) of */
    /* the file will fill offset */
    /* (0x2000+8000) till offset */
    /* (0x2000+8000+(192-7)). */
    movedata(FP_SEG(src),FP_OFF(src),0xb800,(0x2000-7),
                                    SCREENSIZE/2);
    }
    close(fh1);
    free(screenbufr);
    bufr_size=blksize;
    }
/:-------------------------------------------------------------
/:======================== SETSCMODE =========================*/
/* sets the screen to the desired video mode. %/
/%==============================================================%/1
int setscmode(mode) /* Function to set video mode */
int mode;
{
union REGS inregs;
union REGS outregs;
/* return the code and the */
/*: interrupt for function */
/* gdosint(). */
int ret_code,int_no;
/* "set video mode BIOS */
/* function call. */
inregs.h.ah=0;
inregs.h.al=mode;
ret_code = int86(0x10,\&inregs,\&outregs);
/* return the code to check for */
/* any errors. */
return(ret_code);
}
/*---------------------- END setscmode() ---------------------------------
/*----------------------------------------------------------

```

\subsection*{15.7. File Print.c}
```

\#include
<stdio.h>
int
unsigned
static unsigned x1, y1, x2, y2, temp ;
static char rinfile;
/* Next_code and extracalls are %/
/is defined in tables.c. ir/
extern
extern
next_code ;
extracalls ;
/%=========================== passparmtrs() =============================%/r/
/% This function is used only for passing parameters from the main %/
/% function to this file so that they can be printed out. %/
/%==========================================================================%/r/
passparmtrs( theinfile, c1,r1, c2,r2, dummy )
char *theinfile;
unsigned cl,r1,c2,r2 ;
{
infile = theinfile ;
xl = cl ; yl = rl ;
x2 = c2 ; y2 = r2 ;
temp = dummy ;
}
/%----------------------- END passparmtrs() --------------------------------*/
/*============================== print() ================================**/
/* Print the results to the output. The data to be printed out %/
/* are the compression time, the decompression time and the %/
/is compression factor.
*/
/ %======================================================================%*/
print( cmprstime, dcmprstime, cmprsfactor )
unsigned cmprstime, dcmprstime;
float cmprsfactor;
{
FILE ;outfile;
printf(" Compression factor is %f \n", cmprsfactor) ;
printf(" Compression time is %u in 1/100 of a seconds \n",
cmprstime ) ;
printf(" decompression time is %u in 1/100 of a seconds \n",
dcmprstime ) ;
printf(" 1zw table size is %u \n",next_code);
printf(" Extra calls after tables were filled are %u \n",
extracalls ) ;
/* Send data to outlzw.dat file.;/
if( (outfile = fopen( "outlzw.dat", "r" )) == NULL )

```
```

        {
            /* Open a file for writing and r/
                            /% then print the table heading.%/
        outfile = fopen( "outlzw.dat", "w" ) ;
        fprintf(outfile,
            "File name x1 yl x2 y2 cmprs cmprs ");
        fprintf(outfile,"dcprs cont table extra \n");
        fprintf(outfile,
        fctor time ");
        fprintf(outfile,"time smbl size calls \n" );
        fprintf(outfile,
            "-------------------------------------------------------");
        fprintf(outfile,"-------------------------------\n");
        }
    else
{ /% Append the file. */
outfile = fopen( "outlzw.dat", "a" ) ;
}
/* Formats of the output. */
fprintf(outfile,
"%-12s %3u %3u %3u %3u %6.2f %4u %5u %4u %4u
%4u\n', infile, x1, y1, x2, y2, cmprsfactor, cmprstime,
dcmprstime, temp, next_code, extracalls );
}
/*-------------------------- END print() ----------------------------------*/
/%----------------------------------------------------------------
15.8. File Fadjst.c
\#define uchar unsigned char
/i============================ adjust_0utput() =========================%//
/* This procedure takes the compressed output which is in the %/
/% form of words each containing 12 bits wide code from the %/
/* procedure compress () and packs these codes sequentially in the%/
/% output. Thus, the last 4 bits ( bits 9 thru 12 ) of the next %/
/% code should fit in the 4 bits at the beginning of the current */
/* word ( bits 1 thru 4 ). This is done for every couple of words.%/
/*========================================================================%%/
void adjust_output( temp, input, oldsize, ptr_newsize )
uchar *temp
uchar far *input ;
unsigned oldsize,
*ptr_newsize ; /* Size of the adjusted output. ir/
{

| register | char | iptr2 ; |
| :--- | :--- | :--- |
| register | char | far ;ptrl ; |

```
```

            char far *lastitem ;
            unsigned quadsize ;
            /* Get the even number of 
            /is elements in output buffer. %/
    quadsize = (oldsize/4) *4 ;
    lastitem = input + quadsize ;
                            /: Start adjusting the bits. */
    for( ptrl=input, ptr2=temp; ptrl<lastitem; ptrl+=4 )
    {
    /* ptrl is pointing to b3 b4 b1 */
    /* b2 b7 b8 b5 b6 as seen in */
    /* memory, which in word form */
    /* is b1 b2 b3 b4 b5 b6 b7 b8. %/
    /* we want ptr2 to point to b2 */
    /: b3 b4 b6 b7 b8 = c1 c2 c3 */
    /: where each b represents 4 */
    /% bits and each c represents %/
    /: one byte.
        *( unsigned far *) ptrl <<= 4 ;
    /* *ptrl= b2 b3 b4 0 b7 b8 b5 b6%/
    /* *ptrl= t1 t2 t3 t4 (t=byte). */
        *ptr2++ = *(ptr1 +1); /* cl = t2. */
    /* c2 = t1 bitor t3. %/
        *ptr2++ = %( ptr1) | %( ptr1 + 3 ) ;
        *ptr2++ = %(ptr1 + 2 ) ; /*c3 = b7 b8. %/
    }
    /* If oldsize wasn't evenly %/
    /* divisible by }4\mathrm{ then process */
    if( oldsize - quadsize ) /% the last element in the */
    /* output. */
        {
        #( unsigned *) ptr2 =
        ( %( unsigned far * ) lastitem ) << 4 ;
        ptr2 +=2; /: Adjust ptr2. */
            /* Return the new size of output*/
            /* in bytes. Ptr2 will always */
            /* be pointing one byte after */
            /i the last byte. i%/
    *ptr_newsize = ptr2 - temp ;
    }
/r---------------------- END adjust_output() -------------------------------
/%------------------------ END fadjst.c ------------------------------------
15.9. File Fradjst.c
/%=========================== readjust_input() =========================%/
/% This function adjusts the form of the input data from strings of %/

```
```

/r 12 bits codes to an array of words where each word corresponds i%/
/r to a }12\mathrm{ bit code. The left most 4 bits are set to zero. i.e. %/
/% each word = integer value of the 12 bit code. %/
/i========================================================================%%//
void readjust_input(temporary,input,inputsize,ptr_newsize)
char far itemporary,*input;
unsigned inputsize,\&ptr_newsize;
/* Input contains the input data%/
/* before this function starts. :%/
/% It contains the adjusted data%/
/* when the function is done. %/
/: Inputsize= size (in bytes) */
/* of data to be adjusted. */
/% Ptr_newsize = pointer to the %/
/* size (in bytes) of the */
/* adjusted data. */
{
char char_temp;
unsigned trisize; /* Nivisible by 3. input bytes */
/* divisible by 3.
char *lastitem; /* trisize. %/
register unsigned char *eptrl; /% Foints to the input data. %/
register unsigned char far *ptr2; /* Points to the adjusted data*/
trisize=(inputsize/3):3;
lastitem=input+trisize;
/* Initialize ptr1 and ptr2 to */
/* point to the input start and */
/* the adjusted area start. Loop*/
/: while we are inside the i/
/% trisize region. */
for(ptrl= input, ptr2= temporary; ptrl< lastitem ;
ptr1 +=3, ptr2 +=4 )
{
*(ptr2 +2)= :(ptr1 +2);
*(ptr2 +3)=*(ptr1 +1) \& 0x0f;
char_temp=*ptr1;
*(ptr1) =*(ptr1 +1);
r(ptrl+1)=char_temp;
*((unsigned far *) ptr2 ) = %((unsigned *) ptr1) >>4;
}

```

```

        {
        *( unsigned far * )(ptr2)= (% (unsigned *) ptrl) >>4;
        ptr2 += 2 ;
    ```
\}
\(/ *\) Newsize \(=\) size (in bytes) of \(\quad * /\)
\(/ *\) the readjusted code. \(* /\) *ptr_newsize=(ptr2-temporary) ;
\}


16. APPENDIX E. PROGRAM LIST OF METHOD LZNB

The files in this listing make use of the files in the following sections:
- Appendix B: 13.9, 13.11, and 13.12.
- Appendix D: 15.2 - 15.9.
16.1. File Main.c
```

\#include
\#include
\#include
\#include
\#include
\#include
\#include
\#include
\#define
\#define
\#define
\#define
\#define
\#define
\#define
\#define
\#define
\#define
static char far data_bufr[32000] ;
static char work_bufr[27000];
/: Window coordinates. */
int xl=0, x2=639, yl=0, y2=199 ;
char datafile[41];
unsigned bufr_size; /* Screen size in bytes. %/
unsigned gttime();
unsigned count_symbols( char *, char far *, unsigned) ;
void decompress( unsigned %, char far %, unsigned )
void compress( char % , char far * , unsigned % ) ;
void demprs_lzw( char far % , char * , unsigned ) ;
void swapbyts(unsigned, unsigned, unsigned,
unsigned, unsigned );
main(argc, argv)
int argc;
char irargv[];
{
unsigned blksize;

```
```

unsigned temp;
unsigned tstart, tend, cmprstime, dcmprstime, i;
float cmprsfactor;
char far ;datafarptr=data_bufr ;
char far *workfarptr=work_bufr+4 ;
if(argc<6) / % No data was entered at */
{
/%the command line. %/
printf("enter x1 y1 x2 y2 \n");
scanf("%d %d %d %d",\&x1,\&y1,\&x2,\&y2);
while((getchar())!='\n')
;
}
else
{
xl=atoi(argv[2]); yl=atoi(argv[3]);
x2=atoi(argv[4]); y2=atoi(argv[5]);
}
if( argc > 1 )
strcpy( datafile, argv[1]);
/*}\mathrm{ Read the data the from input : %/
init_screen( argc ) ; /% file and dump'it to thescreen*/
for(i=0;i<=55000;i++ ); /* A delay loop. */
/* Store the original block size%/
cmprsfactor = ( float )bufr_size ;
init_table() ; / / % Initialize the tables. %/
/* Get the block from the screen*/
get( x1, yl, x2, y2, work_bufr ) ; /* memory then display */
put( xl, yl, work_bufr ) ; /% it again. We have to move and%/
/is swap the bytes of the screen */
/* data from work_bufr to */
/* data_bufr since the latter is*/
/* the input to both the comp- */
/; ression and the decompression*/
/i functions.
*/
swapbyts(FP_OFF(datafarptr), FP_SEG(datafarptr),
FP_OFF(workfarptr), FP_SEG(workfarptr), bufr_size );
blksize=bufr_size;
setscmode(TEXT_MODE);
printf(" Compression is in progress \n" ) ;
tstart=gttime(); /* Record start of compression. :/
/* Count the run-lengths of black and white%/
/* colors, where run-lengths are limited %/
/* between 1 and 128, in the screen block %/
/% addressed by data_bufr+4. Put the code %/
/* for each run-length in work_bufr. The */
/% size (in bytes) of the block is passed */
/* in bufr_size. The count of the symbols %/
/* is returned by count_symbols() and %/
/is stored in "temp". %/

```
```

    temp=bufr_size =
    count_symbols( work_bufr+4, data_bufr, bufr__size);
        /:% Compress the data in work_bufr+4 using :%/
        /* Lempel-Zev-Welch algorithm and return */
        /i the compressed data in the work_buffer. ic/
        /* The data_bufr is used for internal */
        /* manipulation within compress() and other*/
        /* functions it calls. The size of the %/
        /* compressed buffer is returned in */
        /* bufr_size.
        */
    compress( work_bufr+4, data_bufr, \&bufr_size ) ;
findtime( cmprstime )
printf(" Now decompression is in progress \n") ;
init_table() ;
tstart=gttime(); /% Record start of decompression*/
/% Decompress the block compressed by LZW %/
/% algorithm.
*/
/* work_bufr = compressed buffer, as input,*/
/* and decompressed buffer, as output. */
/is data_buffer = work area used inside */
/% decompress() and the function it calls. %/
/% bufr_size = size of block compressed by */
/* LZW algorithm. */
decompress((unsigned %)(work_bufr+4), data_bufr, bufr_size);
/% Find the run-lengths corresponding to */
/% the codes in the input work_bufr+4. Fil1%/
/* data_bufr with the runs. temp = size of */
/% the symbols supplied by decompress() = %/
/% size of the result of count_symb(). */
dcmprs_lzw( data_bufr, work_bufr+4, temp ) ;
findtime( dcmprstime )
movedata( FP_SEG(datafarptr), FP_OFF(datafarptr),
FP_SEG(workfarptr), FP_OFF(workfarptr), blksize);
setscmode(HI_RES); /* Display data on the screen to%/
put( xl, yl, work_bufr ); /* make sure the program is */
/* working. */
for( i=0; i<=55000; i++ ) ;
setscmode(TEXT_MODE);
passparmtrs( datafile, x1, y1, x2, y2, temp) ;
print( cmprstime, dcmprstime,
cmprsfactor = cmprsfactor/bufr_size ) ;
/:-------------------------- END main() --------------------------------------
/r------------------------- END main.c --------------------------------------

```

\subsection*{16.2. File Contsym.c}
```

/%

```

```

    *
    update_cmprsdblk(unsigned no of pels,int color)
    screenbufr = pointer to uncompressed block.
    output = pointer to output containing the symbols (byte each)
        for the encountered run-lengths of black and white
        pels.
    currentword = pointer to current position, in words, in the
uncompressed buffer.
nmbrwords = word length of of the uncompressed buffer. We assume
xsize is evenly divisible by 16, i.e.
xsize (in pels) is an exact number of words.
color = color of the pel.
pelcolor = color of current pel (temporary storage).
word = cuurent word in uncompressed line.
pelpos = { 16 for leftmost pel} {1 for rightmost pel }.
blocksize = size of uncounted (uncompressed) block, in bytes.
ik==ユ=========================================================================
*/
\#include <stdio.h>
\#include <dos.h>
\#define LINT_ARGS
\#define BLACKBIT 0
\#define WHITEBIT 1
\#define ENDBITS 2
\#define update_cmprsdblk(pelcontr, color) \
{ if(color==WHITEBIT) \
output[symbolcount++]= 127+pelcontr; \
else output[symbolcount++]=pelcontr-1; \
}
void swapbyts( unsigned %, unsigned %, unsigned ) ;
/ic ======ニ================= count_symbols() =========================== i%/
unsigned count_symbols (output, screenbufr, bloksize)
char *output, far *screenbufr;
unsigned bloksize ;
{
unsigned far rcurrentword;
int wordcount;
int color,lastcolor;
unsigned pelcontr=0, symbolcount;
register unsigned word,pelpos;

```
```

symbolcount = 0 ;
wordcount=bloksize/2 ;
currentword=(unsigned far %)screenbufr;
word=*currentword;
if ((word)\&0x8000) /* If the first pel is l then the %/
{ color=WHITEBIT; } /% first color is white, %/
else
{
color=BLACKBIT;
word=*word; /% Negate the word so our way %/
word= word; }/*\mathrm{ Negate the word so our way }%
/k of counting will work. */
/* We count from left to right. %/
pelpos=16;
while(color<ENDBITS) /* Do while not end of block. %/
{ /* Do while color is the same and */
/* current word hasn't changed. */
while( (word\&0x8000)\&\&(pelpos>0))
{
pelcontr++;
/* If max run-length =128 of color */
/* then send its symbol to the is/
/* output. */
if( pelcontr == 128)
{
update_cmprsdblk(pelcontr,color)
/is Start counting again. */
pelcontr = 0;
pelpos--; } /* Decrease the count of unscanned %/
/% pels in word. Move the next pel */
word=word<<1; /* to pel 16.
*/
}
if(pelpos>0) /ir If still inside the current wordic/
/* Make sure the last run-length is/
/* was not 128. Then output the %/
/* symbol of the current */
/* run-length. }%
if( pelcontr > 0 )
update_cmprsdblk(pelcontr,color)
word=~word; /ir Negate the word so we can check ;/
/; for the new color. is/
/* Flip the color to the new color.%/
color=(color) ? 0 : 1;
/* Start counting the new pels. */
pelcontr=0;
}
else
/* Else, all pels in current word ir/

```
```

    { /* were processed. */
    pelpos=16; /% Start from the left most pel of %/
    currentword++; /* the next word. }%
    /% If color is black we need to%/
    /% negate word so our way of */
    /% counting can work. ;/
    word= (color) ? iccurrentword : *(*currentword);
if(--wordcount==0)
/* If end of block then output */
{ /% the symbol of the run-length. %/
/* Make sure the last run-length %/
/* was not 128. Then output the */
/* symbol of the current */
/% run-length.
if( pelcontr > 0)
{
update_cmprsdblk(pelcontr,color)
/r Signal end of block to the %/
/% outer loop. */
color=ENDBITS;
}
}
}
}
/* Signal the user if there was */
/ir an error.
*/
if(color>ENDBITS)
printf("****** error in color, color=%d /n",color);
/* Return the number of symbols %/
/ir sent to the output = size of :%/
/is "newblock". %/
return( symbolcount ) ;
}
/r -------------------- END count_symbols() --------------------------*/
/*------------------------- END contsym.c --------------------------------

```

\subsection*{16.3. File Dcmpsym. c}

```

/* Find the run-length for each symbol and send it to the output. i%/
/% size = size (in bytes ) of input = number of symbols in input.%/
/% input = pointer to buffer containing symbols of run-lengths. */
/ir output = pointer to buffer having data ready to be put on the %/
/* screen. */
/% dpelsremain = number of unfilled pels in current output byte. %/
/% currentbyteptr= pointer to current output byte. %/

```

```

\#include <memory.h>

```
```

\#include <dos.h>
static int dpelsremain;
static unsigned char far *currentbyteptr;
static unsigned char rightpelsbyte[]={0,0x01,0x03,0x07,0x0f,
0x1f,0x3f,0x7f,0xff};
static unsigned char leftpelsbyte[]={0,0x80,0xc0,0xe0,0xf0,
0xf8,0xfc,0xfe,0xff};
mmset( unsigned, unsigned, char, unsigned );
/% ============================ dcmprs_l2W ============================= %/
dcmprs_lzw( output, input, size )
unsigned char far %output, *input ;
unsigned size;
{
register unsigned input_index=0;
register unsigned code;
/* Set all output to black. */
mmset( FP_OFF(output), FP_SEG(output), '\0', 16000 );
currentbyteptr=output;
dpelsremain=8; /* Fill bytes from left to right. %/
while( input_index < size ) /% Do while there is more code. %/
{ /% Get the next code. %/
code = input[input_index++] ;
/* If it is a code for a white run-%/
/i length, output the run-length. */
if( code >= 128 )
update_dcmprs_white( code-127 ) ;
/it Else, it is for a black run. */
/% Output that run. %/
else
update_dcmprs_blak( code+1 ) ;
}
}
/%------------------------- END 1zw_dcmprs ---------------------------------*/
/* ======================== update_dcmprs_white ========================%/
/* It takes runs of white pels and output them to output, i.e. %/
/* fills the output with them. %/
/i =n====================================================================%%/
update_dcmprs_white(clrpels)
/* Number of white pels to store */
/* in the output.
register int clrpels;
{

```
```

register int difference; Number of bytes we can fill %/
difference=clrpels-dpelsremain;
/* If we can fill one or more byte */
/r completely then, fill the pels %/
/* remaining in the current byte. %/
if(clrpels >= (dpelsremain+8))
{
*currentbyteptr |= rightpelsbyte[dpelsremain];
/% Find the number of bytes. We can*/
nmbrbytes=(difference)>>3; /* fill them completely.
*/
++currentbyteptr;
mmset( FP_OFF(currentbyteptr), FP_SEG(currentbyteptr),
Oxff,nmbrbytes);
currentbyteptr +=nmbrbytes. /% Adjust the pointer. %/
/* If difference MOD 7 is not }:/
/* equal to zero then there are */
/r still more pels that we did not }%
/% outputed yet. So output them. %/
if((difference=difference \&0x7) !=0)
*currentbyteptr=1eftpelsbyte[(difference)];
/x In the new byte dpelsremain %/
/% = 8- pels outputed above. }\quad%
dpelsremain=8-(difference);
}
/* Else, we can't fill any byte %/
/r completely.
else
{ /r If dpelsremain > clrpels, it ir/
/* means we can put the run inside */
if(difference<0) /* currentbyte. %/
{
*(currentbyteptr) |= ( rightpelsbyte[clrpels] <<
(dpelsremain-clrpels));
/% Adjust dpelsremain accordingly. %/
dpelsremain -= clrpels;
}
/r Else, clrpels have to be }%
/* outputted to more than one byte. }%
/* Fill the rest of the current */
/* byte.
%/
else
{
*currentbyteptr |=rightpelsbyte[dpelsremain];
/r Move to the next output byte and %/
/*}\mathrm{ and send to it the remaining of }%

```
```

                            /* clrpels. 
    *(++currentbyteptr) =leftpelsbyte[difference];
/* Account for last step.
*/
dpelsremain=8- (difference);
}
}
}
/r--------------------- END update_dcmprs_white ----------------------------
/ir ========================= update_dcmprs_blak ========================*/
/% It take runs of black pels and output them to the output,i.e. %/
/* fill output with them. %/
/% It works exactly Like update_dcmprs_white() except no filling %/
/* or outputing is done because output was initialized to zero at */
/* start of dcmprs_lzw().
*/
/% =======================================================================%/
update_dcmprs_blak(clrpels)
register int clrpels;
{
register int difference;
unsigned nmbrbytes;
/: Refer to comments above. %/
difference=clrpels-dpelsremain;
if(clrpels >= (dpelsremain+8) )
{
nmbrbytes=(difference)>>3;
currentbyteptr +=nmbrbytes+1;
dpelsremain=8-(difference \&0x7 );
}
else
{
if(difference<0) /* Dpelsremain > clrpels. */
dpelsremain -=clrpels;
else
{
++currentbyteptr;
dpelsremain=8- (difference);
}
}
}
/k-------------------- END update_dcmprs_black() -----------------------*/
/r------------------------- END Dcmpsym.c ---------------------------------

```

\subsection*{16.4. File Mmset.asm}
```

; A program to set the specified portion of memory to the given
; initial value. This is a replacement for the "memset" function
; provide by the run-time library of the MS C compiler. The main
; difference is that this function can be used to initialize a
; portion of memory out of the current segment i.e. pointed to by
; a far pointer.
; Inputs :
; dest : far pointer to destination.
; chr : character to set memory to.
; bytecnt : number of bytes.
NAME MMSET
TITLE MEMORY SET OF FAR DATA ITEMS
PUBLIC _mmset
DEST_OFF EQU [BP+4]
DEST_SEG EQU [BP+6]
CHR EQU [BP+8]
BYTECONT EQU [BP+10]
DGROUP GROUP CONST, _BSS, _DATA
ASSUME CS: _TEXT, DS: DGROUP, SS: DGROUP, ES: DGROUP
_TEXT SEGMENT BYTE PUBLIC 'CODE'
ASSUME CS:_TEXT
_mmset PROC NEAR
PUSH BP ; SAVE THE REGISTERS
MOV BP,SP
PUSH DI
PUSH ES
MOV AX,DEST_SEG
MOV ES,AX
MOV DI,DEST_OFF
MOV BX,DI
MOV CX,BYTECONT
JCXZ DONE
MOV AL,CHR
MOV AH,AL
MOV DX,DI
SHR DX,1
JNB EVEN_OFFSET
STOSB
DEC CX
EVEN_OFFS
MOV DX,CX
SHR CX,1
REP STOSW
SHR DX,1
JNB DONE

```
```

    MOV BYTE PTR ES:[DI],AL
    DONE: MOV AX,BX ; RETURN THE POINTER TO THE
POP ES ; RETRIEVE THE REGISTERS.
POP DI
MOV SP,BP
POP BP
RET
_mmset ENDP
_TEXT ENDS
END
/*--------------------------- END Mmset.asm ---------------------------------*/

```
16.5. File Swapfar.asm
\begin{tabular}{lll} 
NAME & \multicolumn{1}{l}{ SWAP } \\
TITLE & SWAP BYTES IN EACH WORD IN SOURCE AND \\
; & PUT THE RESULT IN DESTINATION \\
PUBLIC & & -swapbyts \\
DGROUP & GROUP & CONST, - BSS, _DATA \\
& ASSUME & CSS: _TEXT, DS: DGROUP, SS: DGROUP, ES: DGROUP
\end{tabular}
\begin{tabular}{lll} 
TO_OFFSET & EQU & {\([\mathrm{BP}+4]\)} \\
TO_SEGMENT & EQU & {\([\mathrm{BP}+6]\)} \\
FROM_OFFSET & EQU & {\([\mathrm{BP}+8]\)} \\
FROM_SEGMENT & EQU & {\([\mathrm{BP}+10]\)} \\
WORDCONT & EQU & {\([B P+12]\)}
\end{tabular}
\(\begin{array}{lrr}\text { _TEXT } & \text { SEGMENT } & \\ \text { _swapbyts } & \text { PROC } & \text { NEAR }\end{array}\)
    PUSH BP
    MOV BP,SP
    PUSH DI
    PUSH SI
    PUSH ES
    PUSH DS
    MOV AX,FROM_SEGMENT
    MOV DS,AX
    MOV AX,TO_SEGMENT
    MOV ES,AX
    MOV CX,WORDCONT
    MOV SI,FROM_OFFSET
    MOV DI,TO_OFFSET
LOOP 1 :
                                LODSW
        XCHG AH,AL
        STOSW
        LOOP LOOP1
        POP DS
        POP ES
```

POP SI
POP
MOV SP,BP
DI
POP
BP
RET
_swapbyts
ENDP
TEXT ENDS
END
/r------------------------- END Swapfar.asm --------------------------------

```
17. APPENDIX F. PROGRAM LIST OF METHOD LZWB1

The files in this listing make use of the files in the following sections:
- Appendix B: 13.9, 13.11, and 13.12.
- Appendix D: 15.2 - 15.9.
- Appendix E: 16.1, 16.4, and 16.5.

\subsection*{17.1. File Dcmpsym. \(c\)}
```

1%
* Refer to the comments in file dompsym.c
* in appendix E section 16.3.
*/
\#include <memory.h>
\#include <dos.h>
\#define
uchar unsigned char
static int dpelsremain;
static uchar far *currentbyteptr;
static uchar two_strings[]={
0x5, 0x9, 0xd, 0x11,
0x6, Oxa, Oxe, 0x12,
0x7, 0xb, 0xf, 0x13};
static uchar three_strings []= {
0x29, 0x2a, 0x2b, 0x2c,
0x49, 0x4a, 0x4b, 0x4c,
0x31, 0x51, 0x32, 0x52,
0x39, 0x59, 0x3a, 0x5a };
uchar *ptr_two_strings= two_strings;
uchar *ptr_three_strings= three_strings;
mmset( unsigned, unsigned, char, unsigned );
/i ========================== dcmprs_l\textrm{kW}() ============================ %/
dcmprs_1zw( output, input, size )
unsigned char far routput, rinput ;
unsigned size;
{
register unsigned input_index=0;
register unsigned code;
unsigned char temp;
mmset( FP_OFF(output), FP_SEG(output),'\0', 16000 );
currentbyteptr=output;
dpelsremain=8;
while( input_index < size )
code = input[input_index++] ;
if(code<200)

```
```

        {
        if( code >= 100 )
            update_dcmprs_white( code-99 ) ;
        else
            update_dcmprs_blak( code+1 ) ;
        }
    else
if(code < 224)
{
temp= two_strings[(code-200)%12];
if (code <212)
{
update_dcmprs_blak(temp>>2);
update_dcmprs_white(temp\&0x3);
}
else
{
update_dcmprs_white(temp>>2);
update_dcmprs_blak(temp\&0x3);
}
}
else
{
temp= three_strings[(code-224)%16];
if(code<240)
{ /% bwb %/
update_dcmprs_blak(temp>>5);
update_dcmprs_white((temp>>3)\&0x3);
update_dcmprs_blak(temp\&0x7);
}
else
{
if(code<256)
{ /% wbw %/
update_dcmprs_white(temp>>5);
update_dcmprs_blak((temp>>3)\&0x3);
update_dcmprs_white(temp\&0x7);
}
else
{ printf(" eror in dcmpsym code > 256");}
}
}
}
}
}
/\&---------------------- END lzw_dcmprs() -------------------------------*/
static unsigned char rightpelsbyte[]={0,0x01,0x03,0\times07,0x0f,
0x1f,0x3f,0x7f,0xff};

```
```

static unsigned char leftpelsbyte[]={0,0x80,0xc0,0xe0,0xf0,
0xf8,0xfc,0xfe,0xff};
/% ====================== update_dcmprs_white() ========================%/
update_dcmprs_white(clrpels)
register int clrpels;
{
register int difference;
unsigned nmbrbytes;
difference=clrpels-dpelsremain;
if(clrpels >= (dpelsremain+8) )
{
*currentbyteptr |= rightpelsbyte[dpelsremain];
nmbrbytes=(difference)}>>3\mathrm{ ;
++currentbyteptr;
mmset( FP_OFF(currentbyteptr),FP_SEG(currentbyteptr),
0xff,nmbrbytes);
currentbyteptr +=nmbrbytes.
if((difference=difference \&0x7) !=0)
*currentbyteptr=leftpelsbyte[(difference)];
dpelsremain=8-(difference);
}
else
{
if(difference<0)
{
*(currentbyteptr) |= ( rightpelsbyte[clrpels]<<
(dpelsremain-clrpels) );
dpelsremain -= clrpels;
}
else
{
*currentbyteptr |=rightpelsbyte[dpelsremain];
*(++currentbyteptr) =leftpelsbyte[difference];
dpelsremain=8- (difference);
}
}
}
/:------------------- END update_dcmprs_white() ------------------------*/
/% ======================= upda+e_dcmprs_blak() ========================*/
/* It takes runs of black pels and output them to the output,i.e. */
/* it fills the output with them.
*/
/* It works exactly like update_dcmprs_white() except that no %/
/* filling or outputting is done because the output was initializedr/
/* to zero at the start of dcmprs_lzw().
*/
/it ======================================================================%%/

```
```

update_dcmprs_blak(clrpels)
register int clrpels;
{
register int difference;
unsigned nmbrbytes;
difference=clrpels-dpelsremain;
if(clrpels >= (dpelsremain+8))
{
nmbrbytes=(difference)>>3;
currentbyteptr +=nmbrbytes+1;
dpelsremain=8-(difference \&0x7 );
}
else
if(difference<0) /* dpelsremain > clrpels. */
dpelsremain -=clrpels;
else
{
++currentbyteptr;
dpelsremain=8- (difference);
}
}
}
/\&------------------- END update_dcmprs_black() ------------------------*/
/%----------------------- END Dcmpsym.c ---------------------------------}
17.2. File Contsym.c
/:
* Refer to the comments in file contsym.c
* in appendix E section 16.2.
*/
\#include
\#include
\#define
\#define
\#define
\#define
\#define
void init_cont_out(char ir);
void update_cmprsdblk(unsigned, int);
unsigned int find_code_2(uchar);
unsigned int find_code_3(uchar);
static
<stdio.h>
<dos.h>
LINT_ARGS
BLACKPEL 0
WHITEPEL 1
ENDPELS 2
uchar unsigned char
unsigned symbolcount = 0 ;

```
```

/% ======================= count_symbols() ============================ %/
unsigned count_symbols (output, screenbufr, bloksize)
char *output, far *screenbufr;
unsigned bloksize ;
{
unsigned far *currentword;
int wordcount;
int color,lastcolor;
unsigned pelcontr=0;
register unsigned word,pelpos;
init_cont_out(output);
wordcount=bloksize/2 ;
currentword=(unsigned far *)screenbufr;
word=*currentword;
if ((word)\&0x8000)
{ color=WHITEPEL; }
else
{
color=BLACKPEL;
word=~word;
}
pelpos=16;
while(color<ENDPELS)
{
while( (word\&0x8000)\&\&(pelpos>0))
{
pelcontr++;
if( pelcontr == 100)
{
update_cmprsdblk(pelcontr,color)
pel'contr = 0;
}
pelpos--;
word=word<<1;
}
if(pelpos>0)
{
if( pelcontr > 0 )
update_cmprsdblk(pelcontr,color)
word= ~word;
color=(color) ? 0 : 1;
pelcontr=0;
}
else
{
pelpos=16;

```
```

    currentword++;
    word= (color) ? *currentword : ~(*currentword);
    if(--wordcount==0)
        {
        if( pelcontr > 0 )
                            {
                            update_cmprsdblk(pelcontr,color)
                                    color=ENDPELS;
                                    }
                                    }
    }
    }
    if(color>ENDPELS)
printf("%%%%%%% error in color, color=%d /n",color);
return( symbolcount ) ;
}
/% ------------------- END count_symbols() ----------------------------*/
\#\#define two_strings_bw ((unsigned) (200-1))
\#define two_strings_wb ((unsigned ) (212-1))
\#define three_strings_bwb ((unsigned ) (224-1))
\#define three_strings_wbw ((unsigned ) (240-1))
\#define start_two_strings(color)
((color== 1) ? two_strings_bw : two_strings_wb)
\#define start_three_strings(color) \
(color==0 ? three_strings_bwb : three_strings_wbw)
static char *cont_output;
static int string_num=1;
static unsigned s1,s2,s3;
static uchar temp;
static unsigned two_strings[]={
0x5, 0x9, 0xd, 0x11,
0x6, Oxa, Oxe, 0x12,
0x7, 0xb, 0xf, 0x13};
three_strings []= {
0\times29, 0\times2a, 0\times2b, 0\times2c,
0\times31, 0\times51, 0\times32, 0\times52,
0x39, 0\times59, 0x3a, 0x5a };
/k======================= update_cmprsdblk()==========================%/
void update_cmprsdblk(pelcontr, color)
unsigned pelcontr;
int color;
{
unsigned code;
switch(string_num)

```
```

{
case 1 : {
if(color)
cont_output[symbolcount++]= 99 + pelcontr;
else
cont_output[symbolcount++]= pelcontr -1;
if(pelcontr<<4)
{
string_num ++;
sl=pelcontr;
}
break;
}
case 2 : {
if (pelcontr<=3)
{
temp=pelcontr | (sl<<2);
cont_output[symbolcount -I]=
start_two_strings(color)+find_code_2(temp);
if(sl<=2)
{
s2=pelcontr;
string_num++;
}
else
string_num=1;
}
else
{
if(color)
cont_output[symbolcount++]= 99 + pelcontr;
else
cont_output[symbolcount++]= pelcontr -1;
if(pelcontr<=4)
{
sl=pelcontr;
}
else
string_num=1;
}
break;
}
case 3 : {
string_num=1;
if((s1+s2+pelcontr)<= 7)
{
temp= pelcontr | (temp <<3);
if (code=find_code_3(temp))
cont_output[symbolcount -1]=
code + start_three_strings(color);

```
```

    else
        {
        if(color)
                        cont_output[symbolcount++]=
                                    99 + pelcontr;
        else
            cont_output[symbolcount++]=
                                    pelcontr -1;
        if(pelcontr<<4)
                        {
                        string_num =2;
                        sl=pelcontr;
                        }
        }
        }
        else
        if(color)
                        cont_output[symbolcount++]= 99 + pelcontr;
        else
            cont_output[symbolcount++]= pelcontr -1;
        if(pelcontr<=4)
                        {
                        string_num =2;
                        sl=pelcontr;
                        }
        }
        break;
        }
    }
    }
/* ------------------- END update_cmprsdblk()------------------------------
/r========================= init_cont_out() =============================%//
void init_cont_out(output)
char *output;
{
cont_output=output;
}
/%--------------------- END init_cont_out() -----------------------------*/
/\&------------------------ END Contsym.c -----------------------------------
17.3. File Scan2.asm

```

NAME
TITLE
PUBLIC
CHARCODE

SCAN2
SCANNING OF THE ALTERNATE TABLE TO FIND A MATCH _find_code_2

EQU [BP+4] ; PASSED PARAMETER.
```

MGROUP
17.4. File Scan3.asm
; REFER TO COMMENTS IN FILE SCAN2.C OF THIS APPENDIX.
NAME
SCAN3

```
\begin{tabular}{|c|c|}
\hline \begin{tabular}{l}
TITLE \\
PUBLIC
\end{tabular} & SCANNING OF the three string tables to find a match. _find_code_3 \\
\hline CHARCODE & EQU [ \(\mathrm{BP}+4]\); PASSED PARAMETER. \\
\hline DGROUP & GROUP CONST, _BSS, _DATA \\
\hline & ASSUME CS: _TEXT, DS: DGROUP, SS: DGROUP, ES: DGROUP \\
\hline _DATA & SEGMENT \\
\hline EXTRN & _ptr_three_strings:WORD \\
\hline _DATA & ENDS \\
\hline _TEXT & SEGMENT BYTE PUBLIC 'CODE' \\
\hline _find_code_3 & PROC NEAR \\
\hline PUSH & BP \\
\hline MOV & BP, SP \\
\hline PUSH & DI \\
\hline PUSH & ES \\
\hline MOV & AX, DS \\
\hline MOV & ES, AX \\
\hline MOV & AX, CHARCODE \\
\hline MOV & DI, _ptr_three_strings \\
\hline MOV & CX, 16 \\
\hline REPNE & SCASB \\
\hline JNE & NOMATCH \\
\hline MOV & AX, DI \\
\hline SUB & AX,_ptr_three__strings \\
\hline JMP & SCAN_DONE \\
\hline NOMATCH: XOR & AX, AX \\
\hline \multicolumn{2}{|l|}{SCAN_DONE:} \\
\hline POP & ES \\
\hline POP & DI \\
\hline MOV & SP, BP \\
\hline POP & BP \\
\hline RET & - \\
\hline _find_code_3 & ENDP \\
\hline _TEXT & ENDS \\
\hline \multicolumn{2}{|l|}{END} \\
\hline /r-----------1 & ---------- END Scan3.asm -------------------------\%/ \\
\hline
\end{tabular}
18. APPENDIX G. PROGRAM LIST OF METHOD LZWB2

The files in this listing make use of the files in the following sections:
- Appendix B: 13.9, 13.11, and 13.12.
- Appendix D: 15.2-15.9.
- Appendix E: 16.1 - 16.5.

\subsection*{18.1. File Dcmprs.c}
```

1%
* Refer to the comments in file dcmprs.c
* in appendix D section 15.3.
*/
\#include <memory.h>
\#include <stdio.h>
\#include <malloc.h>

```

```

\#define MAX_SIZE 4096
\#define
非define
\#define
\#define update string table
update_string_table() \
{if( next_code < MAX_SIZE )\
{char_table[next_code]=code.k ;\
int_table[next_code] = oldcode;\
next_code++ ;}}
\#define look_up() \
{code.w = int_table[CODE] ;\
code.k = char_table[CODE];}
extern unsigned int_table[] ;
extern uchar char_table[] ;
extern int next_code;
static char *stack ;
static unsigned stack_index=0;
char pop();
void readjust_input(uchar far *, uchar *, unsigned, unsigned *);
/i============================= decompress() ===========================%//
decompress(decmprs_io, decmprs_work ,inputsize)
char *idecmprs_io,far iddecmprs_work;
unsigned inputsize;
{

```
```

    unsigned input_index=0;
    ```
    unsigned input_index=0;
    unsigned oldcode,incode;
    unsigned oldcode,incode;
    unsigned newsize ;
    unsigned newsize ;
    char temp;
    char temp;
    register unsigned output_index=0;
```

    register unsigned output_index=0;
    ```
```

register unsigned CODE ;
char finchar ;
struct {
char k;
unsigned w;
} code;
char *temp_ptr;
unsigned far irinput;
char *databufr;
stack = malloc( ST_MAX );
readjust_input(decmprs_work,decmprs_io,inputsize,\&newsize);
inputsize=(newsize/2);
input= (unsigned far *) decmprs_work;
databufr=decmprs_io;
CODE= oldcode= input[input_index++];
look_up() /* -- MACRO -- find "code" components.%/
if(CODE >= ALPHABET_SIZE) /* First code = "w,k". %/
{
if(code.w < ALPHABET_SIZE)
databufr[output_index++]=code.w;
else
{
temp=code.k;
CODE=code.w;
look_up()
databufr[output_index++]=code.w;
databufr[output_index++]=code.k;
code.k=temp;
}
}
databufr[output_index]=finchar=code.k;
while(input_index< inputsize )
{
CODE=incode=input[input_index++];
if(CODE >= next_code)
{
push(finchar);
CODE=oldcode;
}
look_up()
while(code.w!=0xffff)
{
push(code.k);
CODE=code.w;
look_up()
}
databufr[++output_index]=code.k;
finchar=code.k;
while(stack_index)

```
```

                        {
                    databufr[++output_index]=pop();
                            }
        update_string_table()
        oldcode=incode;
    }
    }
/%-----------------------------------------------------------
/i================================= push() ============================= %//
push( item )
char item;
{
if( stack_index >= ST_MAX )
printf( " stack overflow in push \n") ;
return ;
}
stack[stack_index++] = item ;
}
/ir----------------------------- END push() ---------------------------------*/
/i================================= pop() ================================%/
char pop()
{
if( --stack_index < 0 )
{
printf(" Stack underflow in pop \n" ) ;
return ('\0');
}
return stack[stack_index];
}
/r---------------------------- END pop() -------------------------------------*/
/%------------------------------------------------------------

```

\subsection*{18.2. File Tables.c}

1\%
* Refer to the comments in file tables.c
\(\dot{x}\) in appendix \(D\) section 15.4 .
*/
\#include <stdio.h>
\#include <memory.h>
\#include <malloc.h>
\#define
\#define
\#define
MAX_SIZE 4096
ALPHABET_SIZE 256
uchar unsigned char
```

                            /* Define global varriables. %/
    unsigned
int_table[MAX_SIZE];
unsigned
char char_table[MAX_SIZE] ;
unsigned
unsigned
unsigned
unsigned
next_code ;
*ptr_int_table=int_table;
char *ptr_char_table=char_table;
extracalls=0 ;

```
```

/%======================== init_table()

```
/%======================== init_table()
init_table()
{
    register int index ;
    char *datafile= "etables.dat";
    char c;
    FILE *in;
    unsigned temp,*ptr_temp=&temp;
    memset( (char *) int_table,0xff,MAX_SIZE*2);
    for( index=0; index < ALPHABET_SIZE; index++ )
        char_table[index] = ( short ) index ;
                            /* Open file to read data from. */
        if((in=fopen(datafile,"r")) != NULL )
        {
        for( index=256; index<312; index++)
            {
            fscanf(in,"%u%u",&int_table[index],ptr_temp);
            char_table[index]=temp;
            }
        if( ferror(in) )
                /* If any error was encountered */
                /* while reading the data then */
                /% inform us and exit. */
            printf(" Error in reading tables \n");
            exit(0);
            }
        fclose(in);
    }
    else /* File couldn't be opened for %/
        {
        printf(" ERROR ----- Can't open input file");
        exit(0);
        }
    next_code = index;
}
/r--------------------- END init_table() ----------------------------*/
/&-------------------------------------------------------------
```

19. APPENDIX H. PROGRAM LIST OF METHOD LZW1

The files in this listing make use of the files in the following sections:

- Appendix B: 13.9, 13.11, and 13.12.
- Appendix D: 15.1-15.9.
19.1. File Tables.c


```
    next_code = ALPHABET_SIZE;
}
/&------------------------- END init_table() -----------------------------*/
/*-------------------------- END Tables.c --------------------------------
```


### 19.2. File Cmprs.c

```
#include <memory.h>
#include <malloc.h>
#define
#define
#define
#define
    uchar unsigned char
    MAX_SIZE 4096
    SCRN_SIZE 16004
    update_tables(a,b,c) { wl_table[next_code] = a;\
                                    w2_table[next_code] = b;\
                                    w3_table[next_code] = c;\
                                    next_code++ ;
#define look_table2(w2,codec) { w2=w2_table[codec]; }
extern unsigned w1_table[] ; /% wl_table[], w2_table[], %/
extern unsigned w2_table[] ; /% w3_table[] and next_code are */
extern uchar w3_table[]; /% defined in tables.c. %/
extern int next_code ;
extern unsigned extracalls ;
extern unsigned stack[];
extern int st_index ; /* Stack size. %/
void adjust_output( uchar *, uchar far *, unsigned, unsigned * );
void decompose(unsigned );
/*=========================== compress() ===============================*/
compress( compress_io,compress_work, ptr_bufr_size )
uchar *compress_io, far *compress_work ;
unsigned *ptr_bufr_size ;
{
```

```
    uchar *input;
```

    uchar *input;
    unsigned far ;output;
    unsigned far ;output;
    char *ptr_new_output;
    char *ptr_new_output;
    unsigned bufr_size;
    unsigned bufr_size;
    unsigned code ;
    unsigned code ;
    register unsigned data_index=0 ;
    register unsigned data_index=0 ;
    unsigned out_index=0 ;
    unsigned out_index=0 ;
    struct {
    struct {
    unsigned wl;
    unsigned wl;
    unsigned w2;
    unsigned w2;
    } string ;
    } string ;
    uchar w3, first_ch;
    uchar w3, first_ch;
    unsigned Li, Lj ;
    unsigned Li, Lj ;
    unsigned position, index1 ;
    ```
    unsigned position, index1 ;
```

```
register unsigned j;
input=compress_io;
output=(unsigned far %)compress_work;
    /* Li = first input element. */
Li= input[data_index++] ;
    /* Lj = second input element. */
Lj= input[data_index++] ;
first_ch = Lj ;
output[out_index++] = Li;
string.wl = Lj;
w3 = Lj ;
                            /* Find bufr_size. :/
bufr_size=%ptr_bufr_size;
                            /* Loop while there is more input. */
while( data_index < bufr_size )
                                /* Search for the largest block in */
                            /* wl_table. */
    while( data_index < bufr_size )
            { /* Get 2nd element in the new block*/
            string.w2=input[data_index++] ;
                            /: See if wl.w2 is in tables. */
            if( scan_w2( string.w1, string.w2, &code) )
                                    /% w1.W2 is in the tables, so let %/
                                    /* new wl = wl.w2. %/
                    string.wl=code;
            else /%wl.w2 was not in the tables. */
                    { /% First element of 2nd block = w2.%/
                first_ch=string.w2 ;
                    /* Go to the second while loop and */
                    /* search for a table entry that */
                    /* has w1 and its w2 starts with w3*/
                    break ;
                }
            }
                    /: We already searched for two :/
                    /% elements or more, so start i%/
    position = 256; /* searching after 256. %/
    while( data_index < bufr_size )
        {
            if( scan_w3(string.wl, first_ch, &code, position) )
                    /% Start searching after code. */
                position=code+1;
                look_table2(string.w2, code )
                    /* st_index points to the last */
                    /* element on the stack. */
                decompose( string.w2 ) ;
                indexl = data_index ;
                if( (bufr_size - indexl) >= st_index )
                            /* data_index is already pointing %/
```

```
    /* to the element after w3 in the */
    /* input so there is no need to %/
    /% compare it. The "for" loop will %/
    /% start comparing from indexl %/
    /% that should be equal to stack[1]%/
        for( j=1;(j <= st_index) &
                        (input[indexl++]==stack[j]) ; )
            {
                j++;
            if( j == (st_index+1))
                string.wl=code ;
                        /% data_index === w3+1. }%
            data_index += st_index ;
                first_ch=input[data_index++] ;
                    }
                    else
                        { ;
                }
            }
            else
                break ;
    }
    Lj = string.wl;
    output[out_index++] = Lj;
                            /* If the tables are not full yet, %/
    if(next_code<MAX_SIZE)
            /* then string --> string table, */
                    /% i.e put w and k in the wl_table %/
                    /% and w2_table respectively at the%/
                    /* position indexed by next_code. %/
        update_tables( Li, Lj, w3 )
    else
    extracalls++ ;
    Li}= Lj
    string.wl = first_ch ;
    w3 = first_ch ;
    }
        /ir Make sure the last symbol was */
                    /i}\mathrm{ sent to the output.
if( data_index == bufr_size )
    output[out_index] = input[bufr_size-1] ;
    out_index++;
    }
                                    /* Pack the output codes from a */
                                    /* string of words format to a %/
                                    /% string of 12 bits codes %/
```

```
    /% format. The input to %/
    /* adjust_output() is compress_ */
    /%}\mathrm{ work. It sends the output in %/
    /% the final form in compress_io%/
        adjust_output(compress_io ,compress_work,
                                    2*out_index , ptr_bufr_size ) ;
}
```



```
/%--------------------------- END Cmprs.c -------------------------------*/
```


### 19.3. File Dcmprs.c



```
        unsigned input_index=0;
            /* Size of the compressed data */
                    /* stored in a word form for each %/
                    /* code. It is equal to the size */
    unsigned newsize ; /% of readjust_input() output. %/
    register unsigned output_index=0;
    register unsigned j ;
    unsigned w1, w2;
    unsigned far *input;
    char *databufr;
```

$/ *$ Adjust the input from 12 bits $* /$
$/:$ serial codes into an array of $* /$
$/ *$ integers and then put the size $\% /$
$/:$ of the array in newsize. $; /$
readjust_input(decmprs_work, decmprs_io, inputsize,\&newsize);
inputsize=(newsize/2); $/ \%$ Find size of input code in words\%/
input $=$ (unsigned far $\%$ ) decmprs_work;
databufr=decmprs_io;
w1 = input[input_index++] ;
databufr[output_index++] = wl ;
while ( input index < inputsize )
\{
w2=input[input_index++] ;
decompose( w2 ) ;
j=0 ;
do
\{
databufr[output_index++] = stack[j++] ;
\}
while( $j<=s t$ _index ) ;
if( next_code < MAX_SIZE )
update_w12_table(w1,w2);
w1 = w2 ;
\}
printf("\n");
\}


19.4. File Dcompose.c
\#define
TRUE 1
\#define
FALSE 0
\#define
\#define
MAX_SIZE 4096
MAX_SIZE 4096
look_up_wl2(xw1,xw2,codec) \}
$\left\{x w l=w l \_t a b l e[\right.$ codec $] ; ~ \$
xw2=w2_table[codec]; \}


```
/k========================== decompose() ================================ %/%
void decompose( code )
unsigned code ;
{
int strngstk = 0;
register unsigned wl,w2;
unsigned loopl,loop2 , strng[500];
if(code<256)
    {
    stack[st_index=0]=code;
    return;
    }
st_index = 0 ;
do
    {
        loopl=TRUE;
        while( loopl)
            }
                look_up_w12( w1, w2, code )
                strng[strngstk++] = w2 ;
                if( wl < 256 )
                    {
                        stack[st_index++] = wl ;
                        loopl= FALSE;
                    }
                else
                        code = wl ;
                }
            loop2=TRUE;
            while( (loop2) & (strngstk>0) )
            {
                    w2 = strng[--strngstk] ;
                if( w2 < 256 )
                            stack[st_index++] = w2 ;
            else
                        {
                        code = w2 ;
                    100p2=FALSE;
                    }
            }
        }
            while( strngstk > 0 | (!loop2));
st_index-- ;
```

```
}
/*------------------------- END decompose() -------------------------------*/
/r------------------------ END Dcompose.c ---------------------------------
19.5. File Scanw2.asm
; INPUT : ( PARAMETERS PASSED BY CALLING SUBROUTINE )
; 1) W2_CODE = CHARACTER PART OF THE CODE,i.e K.
; 2) W1_CODE = UNSIGNED INTEGER PART OF THE CODE, i.e. W.
; 3) CODEADRS = ADDRESS OF CODE , i.e. WHERE WE RETURN THE
                                    CODE WHICH HAS W AND K EQUAL TO "INTCODE" AND
                                    "CHARCODE" RESPECTIVELY.
OUTPUT :
    1) THE FUNCTION RETURN VALUE = 1 IF A MATCH IS FOUND.
                        O IF NO MATCH.
THE FUNCTION NEEDS TO SHARE THE FOLLOWING VARIABLES WITH WHOEVER
HAS THEM:
    1) _ptr_w2_table = A POINTER TO FIRST ELEMENT IN CHAR_TABLE.
    2) _ptr_wl_table = A POINTER TO FIRST ELEMENT IN INT_TABLE.
    3) next_code = NUMBER OF FIRST FREE CODE IN CHAR_TABLE.
; = NUMBER OF FIRST FREE CODE IN INT_TABLE.
NAME SCAN
TITLE SCANNING OF THE W1 AND W2 TABLES TO FIND A MATCH
PUBLIC _scan_w2
\begin{tabular}{lll} 
w1 & EQU & {\([\mathrm{BP}+4]\)} \\
w2 & EQU & {\([\mathrm{BP}+6]\)} \\
ptr code & EQU & {\([\mathrm{BP}+8]\)}
\end{tabular}
DGROUP GROUP CONST, _BSS, _DATA
    ASSUME CS: _TEXT, DS: DGROUP, SS: DGROUP, ES: DGROUP
_DATA SEGMENT
EXTRN _ptr_w2_table:WORD
EXTRN _ptr_wl_table:WORD
EXTRN _next_code:WORD
_DATA ENDS
_scan_w2 PROC NEAR
    PUSH BP
    MOV BP,SP
    PUSH DI
    PUSH SI
    PUSH ES
    MOV AX,DS
    MOV ES,AX
\begin{tabular}{|c|c|c|c|}
\hline & MOV & AX, w1 & ; CORRESPONDING PARAMETERS PASSED \\
\hline & MOV & DX, w2 & ; FROM THE CALLING PROGRAM. \\
\hline & & & ; SI = POINTER TO THE TABLE HOLDING \\
\hline & & & ; ELEMENTS OF CHARACTER TYPE. THIS \\
\hline & & & ; TABLE HOLDS THE SECOND PART TO BE \\
\hline & & & ; EXAMINED IN THE SEARCH. \\
\hline & MOV & SI, _ptr_w2_table & \\
\hline & & & ; DI = POINTER TO THE TABLE USED IN \\
\hline & & & ; THE SEARCH. IT HOLDS THE INTEGER \\
\hline & & & ; PART WE SCAN FOR. \\
\hline & MOV & DI,_ptr_wl_table & \\
\hline & MOV & CX,_next_code & ; CX = NEXT NUMBER NOT USED IN THE \\
\hline & & & ; TABLES YET. \\
\hline LOOP1: & & & ; SACN THE WORD TABLE STARTING \\
\hline & REPNE & SCASW & ; FROM DI UP TO CX ELEMENTS. \\
\hline & & & ; IF \(\mathrm{ZF}=0\) WE FINISHED THE SCAN \\
\hline & JNE & NOMATCH & ; BEFORE ANY MATCH. SO GO TO NOMATCH. \\
\hline & MOV & BX, DI & ; \(\mathrm{ZF}=1\) SO WE HAD A MATCH. STORE THE \\
\hline & & & ; LENGTH OF THE SCANNED WORDS IN BX. \\
\hline & SUB & BX, _ptr_w1_table & \\
\hline & & & ; GET NUMBER OF SCANNED WORDS. \\
\hline & SUB & BX, 2 & ; ADJUST FOR LOOP INDEX STEPPING \\
\hline & & & ; ONE MORE WORD. \\
\hline & & & ; SINCE WE HAD A WORD MATCH, \\
\hline & CMP & DX, [BX+SI] & ; SEE IF WE HAVE CHAR MATCH. \\
\hline & & & ; IF Yes then we have a complete \\
\hline & JE & MATCH & ; Match. SO GO TO Match. \\
\hline & & & ; CHAR DID NOT MATCH SO TRY AGAIN \\
\hline & & & ; AS LONG AS CX ( \(=\) REMAINING CODES TO \\
\hline & & & ; BE SEARCHED ) NOT EQUAL TO ZERO. \\
\hline & & & ; IF CX REACHED ZERO BEFORE WE HAD \\
\hline & & & ; ANY MATCH THEN "JNE NOMATCH" WILl \\
\hline & JMP & LOOP 1 & ; DROP US TO NOMATCH: \\
\hline NOMATCH: & & & \\
\hline & MOV & AX, 0 & ; NO MATCH SO RETURN ZERO IN AX. \\
\hline & JMP & SCAN_DONE & ; SCAN IS DONE. \\
\hline MATCH: & & & \begin{tabular}{l}
; THERE WAS A MATCH SO MAKE DI = \\
; LENGTH OF SCANNED WORDS.
\end{tabular} \\
\hline & SUB & DI,_ptr_wl_table & \\
\hline & SHR & DI, 1 & ; MAKE DI = NUMBER OF SCANNED WORDS. \\
\hline & DEC & DI & ; ADJUST FOR LOOP INDEX STEPPING \\
\hline & & & ; ONE MORE WORD. \\
\hline & MOV & BX, ptr_code & \\
\hline & MOV & [BX], DI & \\
\hline & MOV & AX, 1 & \\
\hline SCAN_DONE & & & \\
\hline & POP & ES & \\
\hline & POP & SI & \\
\hline & POP & DI & \\
\hline
\end{tabular}

```

    JNE NOMATCH
    MOV BX,DI
    SUB BX,_ptr_wl_table
    SHR BX,1
    DEC BX
    CMP DL,[BX+SI]
    JE MATCH
    JMP LOOP1
    NOMATCH:
MOV AX,0
JMP SCAN_DONE
MATCH:
SUB DI,_ptr_wl_table
SHR DI,I
DEC DI
MOV BX,ptr_code
MOV [BX],DI
MOV AX,1
SCAN_DONE:
POP ES
POP SI
POP DI
MOV SP,BP
POP BP
RET
__scan_w3
_TEXT
END
/r----------------------- END Scanw3.asm ------------------------------*/

```
20. APPENDIX I. PROGRAM LIST OF METHOD L2W2

The files in this listing make use of the files in the following sections:
- Appendix B: 13.9, 13.11, and 13.12.
- Appendix D: 15.1 - 15.9.
- Appendix H: 19.1 and 19.3-15.6.

\subsection*{20.1. File Cmprs.c}
```

\#include
\#include
\#define
\#define
\#define
\#define
\#define
\#define

```
\#define
extern unsigned wl_table[] ; /* wl_table[], w2_table[], \(\% /\)
extern unsigned w2_table[] ; / \(\%\) w3_table[] and next_code are \(\dot{*} /\)
extern uchar w3_table[] ; \(/ *\) defined in tables.c. \(\% /\)
extern int
extern unsigned extracalls;
extern unsigned stack[MAX_SIZE];
extern int st_index ; /\% Stack size. \%/
void adjust_output( uchar \%, uchar far \(\%\), unsigned, unsigned \% );
void decompose(unsigned);

compress( compress_io, compress_work, ptr_bufr_size )
uchar ;compress_io, far *compress_work ;
unsigned \(\quad\);ptr_bufr_size ;
\{
```

uchar *input;
unsigned far routput;
char *ptr_new_output;
unsigned bufr_size;
unsigned code ;
register unsigned data_index=0 ;
unsigned out_index=0 ;
struct {
unsigned wl;
unsigned w2;
} string ;

```
```

uchar w3, first_ch;
unsigned Li, Lj;
unsigned longblk, loop3 ;
int bigstk ;
unsigned position, indexl ;
register unsigned j ;
input=compress_io;
output=(unsigned far %)compress_work;
/* Li = first input element */
Li= input[data_index++] ;
/* Lj = second input element. */
Lj= input[data_index++] ;
first_ch = Lj ;
output[out_index++] = Li;
string.wl = Lj;
w3 = Lj ;
/* Find bufr_size. */
bufr_size=*ptr_bufr_size;
/: Loop while there is more input. :/
while( data_index < bufr_size )
{ /% Search for the largest block in %/
/* wl_table.
*/
while( data_index < bufr_size )
{ /% Get 2nd element in the new block*/
string.w2=input[data_index++] ;
/* See if w1.w2 is in tables. */
if( scan_w2( string.w1, string.w2, \&code) )
/% wl.w2 is in the tables, so let */
/: new wl = w1.w2.
*/
string.wl=code;
else /ir wl.w2 was not in the tables. %/
{ /% First element of 2nd block = w2.%/
first_ch=string.w2 ;
/* Go to the second while loop and */
/* search for a table entry that */
/% has wl and its w2 starts with w3%/
break ;
}
}
/% We already searched for two %/
/* elements or more, so start %/
position = 256; /% searching after 256. */
while( data_index < bufr_size )
if( scan_w3(string.wl, first_ch, \&code, position))
longblk = string.wl ;
bigstk = -1 ;
loop3 = TRUE ;

```
```

    while( loop3 )
            {
            look_table2(string.w2, code )
                                    /; st_index points to last element %/
                                    /% in stack.
                                    */
            decompose( string.w2 ) ;
            indexl = data_index ;
            if( ((bufr_size - index1) >= st_index ) &
                                    ( st_index > bigstk ) )
            { /% Data_index is already pointing %/
                    /* to the element after w3 in the */
                    /* input so no need to compare it. */
                    /: The for loop will start */
                    /* comparing from indexl which */
                    /* should be equal to stack[1]. */
                for(j=1;(j <= st_index) &
                    (input[index1++]==stack[j]);)
                    {
                    j++;
                if( 
                        bigstk = st_index ;
                        longblk = code ;
                        }
            }
            position = code + 1;
            if( scan_w3(string.wl, first_ch,
                                    &code, position) )
                            ;
            else
                        loop3 = FALSE ;
            }
        if( string.wl == longblk )
            break ;
        else
            {
            string.wl = longblk ;
            position = longblk + 1 ;
            data_index += bigstk ;
            first_ch = input[data_index++] ;
            }
        }
        else
        break ;
    }
    Lj = string.wl;
output[out_index++] = Lj;
/; If the tables are not full yet, */
if(next_code<MAX_SIZE)

```
```

                    /is then string --> string table, %/
                    /* i.e put w and k in the wl_table */
                    /* and w2_table respectively at the%/
                    /* position indexed by next_code. :%/
            update_tables( Li, Lj, w3 )
        else
            extracalls++ ;
        Li}=\mp@code{Lj;
        string.wl = first_ch ;
        w3 = first_ch ;
    }
                    /* Make sure the last symbol was */
                    /* sent to the output.
                                    */
    decompose( output[out_index - 1] );
    if( data_index == bufr_size )
        output[out_index] = input[bufr_size-1] ;
        out_index++;
        }
            /* Pack the output codes from a :%/
            /* string of words format to a */
            /* string of 12 bits codes */
            /* format. The input to */
            /* adjust_output() is compress_ */
            /% work. It sends the output in %/
                            /ir the final form in compress_io%/
    adjust_output(compress_io ,compress_work,
2%out_index , ptr_bufr_size ) ;
}
户%-------------------------------------------------------
/%--------------------------------------------------------------

```
21. APPENDIX J. PROGRAM LIST OF METHOD LZW3

The files in this listing make use of the files in the following sections:
- Appendix B: 13.9, 13.11, and 13.12.
- Appendix D: 15.1 - 15.9.
- Appendix H: 19.3 and 15.4 .

\subsection*{21.1. File Cmprs.c}
```

\#include <memory.h>
\#include <malloc.h>
\#define
\#define
\#define
\#define
\#define
\#define update_tables(a,b,c)
{ wl_table[next_code] = a;\
w2_table[next_code] = b;\
((char %) w4_table)[(2;next_code)+1] = c.second;\
((char %) w4_table)[2*next_code] = c.first;\
next_code++ ;}
extern unsigned w1_table[] ; /is wl_table[], w2_table[], %/
extern unsigned w2_table[ " / % w4_table[] and next_code are %/
extern uchar w4_tablei] /% defined in tables.c. %/
extern int next_code ;
extern unsigned extracalls ;
extern unsigned stack[];
extern int st_index ; /* Stack size. %/
void decompose(unsigned );
void adjust_output( uchar *, uchar far *, unsigned, unsigned * );
/ir=========================== compress() ================================%*/
compress( compress_io,compress_work, ptr_bufr_size )
uchar %compress_io,far icompress_work ;
unsigned *ptr_bufr_size ;

```
\{
    uchar *input;
    unsigned far routput;
    char *ptr_new_output;
    unsigned bufr_size;
    unsigned code ;
    register unsigned data_index=0 ;
    unsigned out_index=0;
    struct word \{
                            uchar first;
                            uchar second;
```

    } Liword, Ljword;
    unsigned Li, Lj ,old_Lj ;
unsigned longblk;
int bigstk ;
unsigned position, indexl ;
register unsigned j ;
input=compress_io;
output=(unsigned far %)compress_work;
/* Li = first input element. %/
Li= input[data_index++] ;
output[out_index++] = Li;
Liword.first=Li;
/* Lj = second input element.
Lj = input[data_index++] ;
Liword.second = Lj;
Ljword.first = Lj;
bufr_size=%ptr_bufr_size; /% Find bufr_size. */
/% Loop while there is more input. %/
while( data_index < bufr_size )
{
Ljword.second= input[data_index];
position = 256; /% Start searching after 256. ir/
longblk = Lj;
bigstk = -1 ;
while( data_index < bufr_size )
{
if( scan_w4(Ljword, \&code, position))
{
/% st_index points to the last %/
/% element on stack. */
decompose( code ) ;
indexl = data_index ;
if( ((bufr_size - index1) >= st_index ) \&
( st_index > bigstk ) )
{
for(j=1;(j <= st_index) \&
(input[indexl++]==stack[j]);)
{
j++;
if( j == (st_index+1) )
bigstk = st_index ;
longblk = code ;
}
}
position = code + 1;
}
else

```
```

                    break ;
    }
    old_Lj=Lj;
    if( Lj == longblk )
        ;
    else
        {
        Lj = longblk ;
        data_index += bigstk ;
        }
    output[out_index++] = Lj;
                            /* If the tables are not full yet, */
        if(next_code<MAX_SIZE)
            /* then string --> string table, */
                    /* i.e put w and k in the wl_table */
                    /:* and w2_table respectively at ther/
                    /: position indexed by next_code. %/
            update_tables( Li, Lj, w3 )
        else
            extracalls++ ;
        Li = Lj ;
        Liword=Ljword;
        Lj = Ljword.first = input[data_index++];
    ```
            \(1 *\) Make sure the last symbol was \(\% /\)
            \(/ *\) sent to the output.
        if ( data_index == bufr_size )
            \{
        output[out_index] = input[bufr_size-1] ;
        out_index++;
        \}
            /* Back the output codes from a \%/
            \(/ i\) string of words format to a \(\% /\)
                    \(/ \%\) string of 12 bits codes \(\% /\)
                    \(/\) is format. The input to \(: /\)
                    \(/ \%\) adjust_output() is compress_ \(\% /\)
                    \(/ i s\) work. It sends the output in \(\% /\)
                    \(/ \%\) in the final form in \(\% /\)
                    \(/\) ir compress_io. \(\% /\)
    adjust_output(compress_io ,compress_work,
                        2\%out_index+1, ptr_bufr_size ) ;
\}


    21.2. File Tables.c
\(\begin{array}{ll}\text { \#include } & \text { <stdio.h> } \\ \text { \#include } & \text { <memory.h> }\end{array}\)
```

\#include
非define
\#define
\#define
<malloc.h>
MAX_SIZE 4096
ALPHABET_SIZE 256
uchar
unsigned char
/* Definition of GLOBAL
unsigned Wl_table[MAX_SIZE];
unsigned w2_table[MAX_SIZE];
unsigned w4_table[MAX_SIZE];
unsigned
unsigned
unsigned
int
unsigned
*pt.r_wl_table=wl_table;
*ptr_w2_table=w2_table;
*ptr_w4_table=w4_table;
next_code ;
extracalls=0 ;
/ %============================= init_table() ==========================%%/
/% This function initializes every element in int_table to a com- %/
/r bination that will never occur. Since the code is only 12 bits %/
/* long then the 16 bits used to hold these codes are to be <= %/
/% Oxfff. For this reason in this program the 0xffff code is used */
/r}\mathrm{ to solve the above problem. It should be noted that any combin- */
/% ation > 0xfff should work correctly as well. Then the first 256 %/
/* symbols in w2_table are initialized to 0-255.
*/
/r======================================================================%%/
init_table()
{
register int index ;
M,

```

\subsection*{21.3. File Scanw4.asm}
```

NAME SCAN_W4
TITLE SCANNING OF THE W4-TABLE
PUBLIC _scan_w4
LI_WORD EQU [BP+4]; PASSED PARAMETERS.
ptr_code EQU [BP+6]
position EQU [BP+8]
DGROUP GROUP CONST, _BSS, _DATA
ASSUME CS: _TEXT, DS: DGROUP, SS: DGROUP, ES: DGROUP
_DATA SEGMENT
EXTRN _ptr_w4_table:WORD
EXTRN _next_code:WORD
_DATA ENDS
_scan_W4
MOV BP,SP
PUSH DI
PUSH SI
PUSH ES
MOV AX,DS
MOV ES,AX
; INITIALIZE REGISTERS TO THE
; CORRESPONDING PARAMETERS PASSED
MOV AX,LI_WORD ; FROM THE CALLING PROGRAM.
; DI = POINTER TO THE TABLE USED IN
; THE SEARCH. IT HOLDS THE FIRST
; AND SECOND CHARACTERS FOR
; EACH CODE.
MOV DI,_ptr_w4_table
MOV BX,position
SHL BX,1
ADD DI,BX
MOV CX,_next_code ; CX = NEXT NUMBER NOT USED IN THE
; TABLES YET.
SUB CX,position
JZ NOMATCH
LOOP1: ; SCAN THE WORD TABLE STARTING FROM
REPNE SCASW ; DI UP TO CX ELEMENTS. BIT ZERO IS
; ZERO. IF ZF= 0 WE FINISHED THE SCAN
JNE NOMATCH ; BEFORE ANY MATCH. SO GO TO NOMATCH.
NOMATCH:
MOV AX,O ; NO MATCH SO RETURN ZERO IN AX
JMP SCAN_DONE ; SCAN IS DONE.
MATCH:
; THERE WAS A MATCH SO STORE 1 IN
; FOUND.

```
```

; MAKE DI = LENGTH OF SCANNED WORDS.
SUB DI,_ptr__w4_table
SHR DI,1 ; MAKE DI = NUMBER OF SCANNED WORDS.
DEC DI ; ADJUST FOR THE EFFECT OF THE ONE
; MORE WORD LOOP STEPPING.
; SCAN WILL RETURN AX = CODE = NUMBER
; OF WORDS SCANNED TILL WE FOUND A
; MATCH (i.e. INDEX OF THE MATCHED
; ELEMENT IN EITHER TABLE) .
MOV BX,ptr_code
MOV [BX],DI
MOV AX,1
SCAN_DONE:
POP ES
POP SI
POP DI
MOV SP,BP
POP BP
RET
_scan_w4 ENDP
_TEXT ENDS
END
/r-------------------------- END Scanw4.asm
END Scanw4.asm ----------------------------*/

```
22. APPENDIX K. TABLE USED IN METHOD LZWB-2

Table 22.1. Extended LZW tables to be used with method LZWB2-B
\begin{tabular}{|c|c|c|c|}
\hline Symbol & String & w & k \\
\hline 256 & 01 & 0 & 128 \\
\hline 257 & 011 & 0 & 129 \\
\hline 258 & 0111 & 0 & 130 \\
\hline 259 & 01111 & 0 & 131 \\
\hline 260 & 011111 & 0 & 132 \\
\hline 261 & 0111111 & 0 & 133 \\
\hline 262 & 10 & 128 & 0 \\
\hline 263 & 110 & 129 & 0 \\
\hline 264 & 1110 & 130 & 0 \\
\hline 265 & 11110 & 131 & 0 \\
\hline 266 & 111110 & 132 & 0 \\
\hline 267 & 1111110 & 133 & 0 \\
\hline 268 & 001 & 1 & 128 \\
\hline 269 & 0011 & 1 & 129 \\
\hline 270 & 00111 & 1 & 130 \\
\hline 271 & 001111 & 1 & 131 \\
\hline 272 & 0011111 & 1 & 132 \\
\hline 273 & 00111111 & 1 & 133 \\
\hline 274 & 100 & 128 & 1 \\
\hline 275 & 1100 & 129 & 1 \\
\hline 276 & 11100 & 130 & 1 \\
\hline 277 & 111100 & 131 & 1 \\
\hline 278 & 1111100 & 132 & 1 \\
\hline 279 & 11111100 & 133 & 1 \\
\hline 280 & 0001 & 2 & 128 \\
\hline 281 & 00011 & 2 & 129 \\
\hline 282 & 000111 & 2 & 130 \\
\hline 283 & 0001111 & 2 & 131 \\
\hline 284 & 00011111 & 2 & 132 \\
\hline 285 & 000111111 & 2 & 133 \\
\hline 286 & 1000 & 128 & 2 \\
\hline 287 & 11000 & 129 & 2 \\
\hline 288 & 111000 & 130 & 2 \\
\hline 289 & 1111000 & 131 & 2 \\
\hline 290 & 11111000 & 132 & 2 \\
\hline 291 & 111111000 & 133 & 2 \\
\hline 292 & 00001 & 3 & 128 \\
\hline 293 & 000011 & 3 & 129 \\
\hline 294 & 0000111 & 3 & 130 \\
\hline 295 & 00001111 & & 131 \\
\hline 296 & 000011111 & 3 & 132 \\
\hline 297 & 0000111111 & 3 & 133 \\
\hline 298 & 10000 & 128 & 3 \\
\hline
\end{tabular}

Table 22.1. ( Continued )
\begin{tabular}{|c|c|c|c|}
\hline Symbol & String & W & k \\
\hline 299 & 110000 & 129 & 3 \\
\hline 300 & 1110000 & 130 & 3 \\
\hline 301 & 11110000 & 131 & 3 \\
\hline 302 & 111110000 & 132 & 3 \\
\hline 303 & 1111110000 & 133 & 3 \\
\hline 304 & 000001 & 4 & 128 \\
\hline 305 & 0000011 & 4 & 129 \\
\hline 306 & 00000111 & 4 & 130 \\
\hline 307 & 000001111 & 4 & 131 \\
\hline 308 & 0000011111 & 4 & 132 \\
\hline 309 & 00000111111 & 4 & 133 \\
\hline 310 & 100000 & 128 & 4 \\
\hline 311 & 1100000 & 129 & 4 \\
\hline 312 & 11100000 & 130 & 4 \\
\hline 313 & 111100000 & 131 & 4 \\
\hline 314 & 1111100000 & 132 & 4 \\
\hline 315 & 11111100000 & 133 & 4 \\
\hline 316 & 0000001 & 5 & 128 \\
\hline 317 & 00000011 & 5 & 129 \\
\hline 318 & 000000111 & 5 & 130 \\
\hline 319 & 0000001111 & 5 & 131 \\
\hline 320 & 00000011111 & 5 & 132 \\
\hline 321 & 000000111111 & 5 & 133 \\
\hline 322 & 1000000 & 128 & 5 \\
\hline 323 & 11000000 & 129 & 5 \\
\hline 324 & 111000000 & 130 & 5 \\
\hline 325 & 1111000000 & 131 & 5 \\
\hline 326 & 11111000000 & 132 & 5 \\
\hline 327 & 111111000000 & 133 & 5 \\
\hline 328 & 00000001 & & 128 \\
\hline 329 & 000000011 & 6 & 129 \\
\hline 330 & 0000000111 & 6 & 130 \\
\hline 331 & 00000001111 & 6 & 131 \\
\hline 332 & 000000011111 & 6 & 132 \\
\hline 333 & 0000000111111 & 6 & 133 \\
\hline 334 & 1000000 & 128 & 6 \\
\hline 335 & 110000000 & 129 & 6 \\
\hline 336 & 1110000000 & 130 & 6 \\
\hline 337 & 11110000000 & 131 & 6 \\
\hline 338 & 111110000000 & 132 & 6 \\
\hline 339 & 1111110000000 & 133 & 6 \\
\hline 340 & 010 & 256 & 0 \\
\hline 341 & 0100 & 256 & 1 \\
\hline 342 & 01000 & 256 & 2 \\
\hline
\end{tabular}

Table 22.1. ( Continued )
\begin{tabular}{|c|c|c|c|}
\hline Symbol & String & w & k \\
\hline 343 & 010000 & 256 & 3 \\
\hline 344 & 0100000 & 256 & 4 \\
\hline 345 & 01000000 & 256 & 5 \\
\hline 346 & 010000000 & 256 & 6 \\
\hline 347 & 0010 & 268 & 0 \\
\hline 348 & 00100 & 268 & 1 \\
\hline 349 & 001000 & 268 & 2 \\
\hline 350 & 0010000 & 268 & 3 \\
\hline 351 & 00100000 & 268 & 4 \\
\hline 352 & 001000000 & 268 & 5 \\
\hline 353 & 0010000000 & 268 & 6 \\
\hline 354 & 00010 & 289 & 0 \\
\hline 355 & 000100 & 280 & 1 \\
\hline 356 & 0001000 & 280 & 2 \\
\hline 357 & 00010000 & 280 & 3 \\
\hline 358 & 000100000 & 280 & 4 \\
\hline 359 & 0001000000 & 280 & 5 \\
\hline 360 & 00010000000 & 280 & 6 \\
\hline 361 & 000010 & 292 & 0 \\
\hline 362 & 0000100 & 292 & 1 \\
\hline 363 & 00001000 & 292 & 2 \\
\hline 364 & 000010000 & 292 & 3 \\
\hline 365 & 0000100000 & 292 & 4 \\
\hline 366 & 00001000000 & 292 & 5 \\
\hline 367 & 00001000000 & 292 & 6 \\
\hline 368 & 0000010 & 304 & 0 \\
\hline 369 & 00000100 & 304 & 1 \\
\hline 370 & 000001000 & 304 & 2 \\
\hline 371 & 0000010000 & 304 & 3 \\
\hline 372 & 00000100000 & 304 & 4 \\
\hline 373 & 000001000000 & 304 & 5 \\
\hline 374 & 0000010000000 & 304 & \\
\hline 375 & 00000010 & 316 & 0 \\
\hline 376 & 000000100 & 316 & 1 \\
\hline 377 & 0000001000 & 316 & 2 \\
\hline 378 & 00000010000 & 316 & 3 \\
\hline 379 & 000000100000 & 316 & 4 \\
\hline 380 & 0000001000000 & 316 & 5 \\
\hline 381 & 00000010000000 & 316 & 6 \\
\hline 382 & 000000010 & 328 & 0 \\
\hline 383 & 0000000100 & 328 & 1 \\
\hline 384 & 00000001000 & 328 & 2 \\
\hline 385 & 000000010000 & 328 & 3 \\
\hline 386 & 0000000100000 & 328 & 4 \\
\hline
\end{tabular}

Table 22.1. ( Continued )
\begin{tabular}{|c|c|c|c|}
\hline symbol & string & W & k \\
\hline 387 & 00000001000000 & 328 & 5 \\
\hline 388 & 000000010000000 & 328 & 6 \\
\hline 389 & 0110 & 257 & 0 \\
\hline 390 & 01100 & 257 & 1 \\
\hline 391 & 011000 & 257 & 2 \\
\hline 392 & 0110000 & 257 & 3 \\
\hline 393 & 01100000 & 257 & 4 \\
\hline 394 & 011000000 & 257 & 5 \\
\hline 395 & 0110000000 & 257 & 6 \\
\hline 396 & 00110 & 269 & 0 \\
\hline 397 & 001100 & 269 & 1 \\
\hline 398 & 0011000 & 269 & 2 \\
\hline 399 & 00110000 & 269 & 3 \\
\hline 400 & 001100000 & 269 & 4 \\
\hline 401 & 0011000000 & 269 & 5 \\
\hline 402 & 00110000000 & 269 & 6 \\
\hline 403 & 000110 & 281 & 0 \\
\hline 404 & 0001100 & 281 & 1 \\
\hline 405 & 00011000 & 281 & 2 \\
\hline 406 & 000110000 & 281 & 3 \\
\hline 407 & 0001100000 & 281 & 4 \\
\hline 408 & 00011000000 & 281 & 5 \\
\hline 409 & 000110000000 & 281 & 6 \\
\hline 410 & 0000110 & 293 & 0 \\
\hline 411 & 00001100 & 293 & 1 \\
\hline 412 & 000011000 & 293 & 2 \\
\hline 413 & 0000110000 & 293 & 3 \\
\hline 414 & 00001100000 & 293 & 4 \\
\hline 415 & 000011000000 & 293 & 5 \\
\hline 416 & 0000110000000 & 293 & 6 \\
\hline 417 & 00000110 & 305 & 0 \\
\hline 418 & 000001100 & 305 & 1 \\
\hline 419 & 0000011000 & 305 & 2 \\
\hline 420 & 00000110000 & 305 & 3 \\
\hline 421 & 000001100000 & 305 & 4 \\
\hline 422 & 0000011000000 & 305 & 5 \\
\hline 423 & 00000110000000 & 305 & 6 \\
\hline 424 & 000000110 & 317 & 0 \\
\hline 425 & 0000001100 & 317 & 1 \\
\hline 426 & 00000011000 & 317 & 2 \\
\hline 427 & 000000110000 & 317 & 3 \\
\hline 428 & 0000001100000 & 317 & 4 \\
\hline 429 & 00000011000000 & 317 & 5 \\
\hline 430 & 000000110000000 & 317 & 6 \\
\hline
\end{tabular}

Table 22.1. ( Continued )
\begin{tabular}{|c|c|c|c|}
\hline Symbol & String & w & k \\
\hline 431 & 0000000110 & 329 & 0 \\
\hline 432 & 00000001100 & 329 & 1 \\
\hline 433 & 000000011000 & 329 & 2 \\
\hline 434 & 0000000110000 & 329 & 3 \\
\hline 435 & 00000001100000 & 329 & 4 \\
\hline 436 & 000000011000000 & 329 & 5 \\
\hline 437 & 0000000110000000 & 329 & 6 \\
\hline 438 & 01110 & 258 & 0 \\
\hline 439 & 011100 & 258 & 1 \\
\hline 440 & 0111000 & 258 & 2 \\
\hline 441 & 01110000 & 258 & 3 \\
\hline 442 & 011100000 & 258 & 4 \\
\hline 443 & 0111000000 & 258 & 5 \\
\hline 444 & 01110000000 & 258 & 6 \\
\hline 445 & 001110 & 270 & 0 \\
\hline 446 & 0011100 & 270 & 1 \\
\hline 447 & 00111000 & 270 & 2 \\
\hline 448 & 001110000 & 270 & 3 \\
\hline 449 & 0011100000 & 270 & 4 \\
\hline 450 & 00111000000 & 270 & 5 \\
\hline 451 & 001110000000 & 270 & 6 \\
\hline 452 & 0001110 & 282 & 0 \\
\hline 453 & 00011100 & 282 & 1 \\
\hline 454 & 000111000 & 282 & 2 \\
\hline 455 & 0001110000 & 282 & 3 \\
\hline 456 & 00011100000 & 282 & 4 \\
\hline 457 & 000111000000 & 282 & 5 \\
\hline 458 & 0001110000000 & 282 & 6 \\
\hline 459 & 00001110 & 294 & 0 \\
\hline 460 & 000011100 & 294 & 1 \\
\hline 461 & 0000111000 & 294 & 2 \\
\hline 462 & 00001110000 & 294 & 3 \\
\hline 463 & 000011100000 & 294 & 4 \\
\hline 464 & 0000111000000 & 294 & 5 \\
\hline 465 & 00001110000000 & 294 & 6 \\
\hline 466 & 000001110 & 306 & 0 \\
\hline 467 & 0000011100 & 306 & 1 \\
\hline 468 & 00000111000 & 306 & 2 \\
\hline 469 & 000001110000 & 306 & 3 \\
\hline 470 & 0000011100000 & 306 & 4 \\
\hline 471 & 00000111000000 & 306 & 5 \\
\hline 472 & 000001110000000 & 306 & 6 \\
\hline 473 & 0000001110 & 318 & 0 \\
\hline 474 & 00000011100 & 318 & 1 \\
\hline
\end{tabular}

Table 22.1. ( Continued )
\begin{tabular}{|c|c|c|c|}
\hline symbol & String & W & \(k\) \\
\hline 475 & 000000111000 & 318 & 2 \\
\hline 476 & 0000001110000 & 318 & 3 \\
\hline 477 & 00000011100000 & 318 & 4 \\
\hline 478 & 000000111000000 & 318 & 5 \\
\hline 479 & 0000001110000000 & 318 & 6 \\
\hline 480 & 00000001110 & 330 & 0 \\
\hline 481 & 000000011100 & 330 & 1 \\
\hline 482 & 0000000111000 & 330 & 2 \\
\hline 483 & 00000001110000 & 330 & 3 \\
\hline 484 & 000000011100000 & 330 & 4 \\
\hline 485 & 0000000111000000 & 330 & 5 \\
\hline 486 & 00000001110000000 & 330 & 6 \\
\hline 487 & 011110 & 259 & 0 \\
\hline 488 & 0111100 & 259 & 1 \\
\hline 489 & 01111000 & 259 & 2 \\
\hline 490 & 011110000 & 259 & 3 \\
\hline 491 & 0111100000 & 259 & 4 \\
\hline 492 & 01111000000 & 259 & 5 \\
\hline 493 & 011110000000 & 259 & 6 \\
\hline 494 & 0011110 & 271 & 0 \\
\hline 495 & 00111100 & 271 & 1 \\
\hline 496 & 001111000 & 271 & 2 \\
\hline 497 & 0011110000 & 271 & 3 \\
\hline 498 & 00111100000 & 271 & 4 \\
\hline 499 & 001111000000 & 271 & 5 \\
\hline 500 & 0011110000000 & 271 & 6 \\
\hline 501 & 00011110 & 283 & 0 \\
\hline 502 & 000111100 & 283 & 1 \\
\hline 503 & 0001111000 & 283 & 2 \\
\hline 504 & 00011110000 & 283 & 3 \\
\hline 505 & 000111100000 & 283 & 4 \\
\hline 506 & 0001111000000 & 283 & 5 \\
\hline 507 & 00011110000000 & 283 & 6 \\
\hline 508 & 000011110 & 295 & 0 \\
\hline 509 & 0000111100 & 295 & 1 \\
\hline 510 & 00001111000 & 295 & 2 \\
\hline 511 & 000011110000 & 295 & 3 \\
\hline 512 & 0000111100000 & 295 & 4 \\
\hline 513 & 00001111000000 & 295 & 5 \\
\hline 514 & 000011110000000 & 295 & 6 \\
\hline 515 & 0000011110 & 307 & 0 \\
\hline 516 & 00000111100 & 307 & 1 \\
\hline 517 & 000001111000 & 307 & 2 \\
\hline 518 & 0000011110000 & 307 & 3 \\
\hline
\end{tabular}

Table 22.1. ( Continued )
\begin{tabular}{|c|c|c|c|}
\hline Symbol & String & W & \(k\) \\
\hline 519 & 00000111100000 & 307 & 4 \\
\hline 520 & 000001111000000 & 307 & 5 \\
\hline 521 & 0000011110000000 & 307 & 6 \\
\hline 522 & 00000011110 & 319 & 0 \\
\hline 523 & 000000111100 & 319 & 1 \\
\hline 524 & 0000001111000 & 319 & 2 \\
\hline 525 & 00000011110000 & 319 & 3 \\
\hline 526 & 000000111100000 & 319 & 4 \\
\hline 527 & 0000001111000000 & 319 & 5 \\
\hline 528 & 00000011110000000 & 319 & 6 \\
\hline 529 & 000000011110 & 331 & 0 \\
\hline 530 & 0000000111100 & 331 & 1 \\
\hline 531 & 00000001111000 & 331 & 2 \\
\hline 532 & 000000011110000 & 331 & 3 \\
\hline 533 & 0000000111100000 & 331 & 4 \\
\hline 534 & 00000001111000000 & 331 & 5 \\
\hline 535 & 000000011110000000 & 331 & 6 \\
\hline 536 & 000000001 & 7 & 128 \\
\hline 537 & 0000000011 & 7 & 129 \\
\hline 538 & 00000000111 & 7 & 130 \\
\hline 539 & 000000001111 & 7 & 131 \\
\hline 540 & 0000000011111 & 7 & 132 \\
\hline 541 & 00000000111111 & 7 & 133 \\
\hline 542 & 100000000 & 128 & 7 \\
\hline 543 & 1100000000 & 129 & 7 \\
\hline 544 & 11100000000 & 130 & 7 \\
\hline 545 & 111100000000 & 131 & 7 \\
\hline 546 & 1111100000000 & 132 & 7 \\
\hline 547 & 11111100000000 & 133 & 7 \\
\hline 548 & 1000000001 & 542 & 128 \\
\hline 549 & 10000000011 & 542 & 129 \\
\hline 550 & 100000000111 & 542 & 130 \\
\hline 551 & 1000000001111 & 542 & 131 \\
\hline 552 & 11000000001 & 543 & 128 \\
\hline 553 & 110000000011 & 543 & 129 \\
\hline 554 & 1100000000111 & 543 & 130 \\
\hline 555 & 11000000001111 & 543 & 131 \\
\hline 556 & 111000000001 & 544 & 128 \\
\hline 557 & 1110000000011 & 544 & 129 \\
\hline 558 & 11100000000111 & 544 & 130 \\
\hline 559 & 111000000001111 & 544 & 131 \\
\hline 560 & 1111000000001 & 545 & 128 \\
\hline 561 & 11110000000011 & 545 & 129 \\
\hline 562 & 111100000000111 & 545 & 130 \\
\hline
\end{tabular}

Table 22.1. ( Continued )
\begin{tabular}{|c|c|c|c|}
\hline Symbol & String & w & k \\
\hline 563 & 1111000000001111 & 545 & 131 \\
\hline 564 & 000000001 & 8 & 128 \\
\hline 565 & 00000000011 & 8 & 129 \\
\hline 566 & 000000000111 & 8 & 130 \\
\hline 567. & 0000000001111 & 8 & 131 \\
\hline 568 & 00000000011111 & 8 & 132 \\
\hline 569 & 00000000111111 & 8 & 133 \\
\hline 570 & 100000000 & 128 & 8 \\
\hline 571 & 11000000000 & 129 & 8 \\
\hline 572 & 111000000000 & 130 & 8 \\
\hline 573 & 1111000000000 & 131 & 8 \\
\hline 574 & 11111000000000 & 132 & 8 \\
\hline 575 & 111111000000000 & 133 & 8 \\
\hline 576 & 10000000001 & 570 & 128 \\
\hline 577 & 100000000011 & 570 & 129 \\
\hline 578 & 1000000000111 & 570 & 130 \\
\hline 579 & 1000000001111 & 570 & 131 \\
\hline 580 & 110000000001 & 571 & 128 \\
\hline 581 & 1100000000011 & 571 & 129 \\
\hline 582 & 11000000000111 & 571 & 130 \\
\hline 583 & 110000000001111 & 571 & 131 \\
\hline 584 & 1110000000001 & 572 & 128 \\
\hline 585 & 11100000000011 & 572 & 129 \\
\hline 586 & 111000000000111 & 572 & 130 \\
\hline 587 & 111000000001111 & 572 & 131 \\
\hline 588 & 11110000000001 & 573 & 128 \\
\hline 589 & 111100000000011 & 573 & 129 \\
\hline 590 & 1111000000000111 & 573 & 130 \\
\hline 591 & 11110000000001111 & 573 & 131 \\
\hline 592 & 00000000001 & 9 & 128 \\
\hline 593 & 000000000011 & 9 & 129 \\
\hline 594 & 0000000000111 & 9 & 130 \\
\hline 595 & 00000000001111 & 9 & 131 \\
\hline 596 & 000000000011111 & 9 & 132 \\
\hline 597 & 0000000000111111 & 9 & 133 \\
\hline 598 & 10000000000 & 128 & 9 \\
\hline 599 & 110000000000 & 129 & \\
\hline 600 & 1110000000000 & 130 & 9 \\
\hline 601 & 11110000000000 & 131 & 9 \\
\hline 602 & 111110000000000 & 132 & 9 \\
\hline 603 & 1111110000000000 & 133 & 9 \\
\hline 604 & 100000000001 & 598 & 128 \\
\hline 605 & 1000000000011 & 598 & 129 \\
\hline 606 & 1000000000111 & 598 & 130 \\
\hline
\end{tabular}

Table 22.1. ( Continued )
\begin{tabular}{lllr}
\hline Symbol & String & W & \(k\) \\
\hline 607 & 100000000001111 & 598 & 131 \\
608 & 1100000000001 & 599 & 128 \\
609 & 11000000000011 & 599 & 129 \\
610 & 110000000000111 & 599 & 130 \\
611 & 1100000000001111 & 599 & 131 \\
612 & 11100000000001 & 600 & 128 \\
613 & 111000000000011 & 600 & 129 \\
614 & 1110000000000111 & 600 & 130 \\
615 & 11100000000001111 & 600 & 131 \\
616 & 111100000000001 & 601 & 128 \\
617 & 1111000000000011 & 601 & 129 \\
618 & 11110000000000111 & 601 & 130 \\
619 & 111100000000001111 & 601 & 131 \\
620 & 000000000001 & 10 & 128 \\
621 & 0000000000011 & 10 & 129 \\
622 & 00000000000111 & 10 & 130 \\
623 & 000000000001111 & 10 & 131 \\
624 & 0000000000011111 & 10 & 132 \\
625 & 00000000000111111 & 10 & 133 \\
626 & 100000000000 & 128 & 10 \\
627 & 1100000000000 & 129 & 10 \\
628 & 11100000000000 & 130 & 10 \\
629 & 111100000000000 & 131 & 10 \\
630 & 1111100000000000 & 132 & 10 \\
631 & 11111100000000000 & 133 & 10 \\
632 & 1000000000001 & 626 & 128 \\
633 & 10000000000011 & 626 & 129 \\
634 & 100000000000111 & 626 & 130 \\
635 & 1000000000001111 & 626 & 131 \\
636 & 11000000000001 & 627 & 128 \\
637 & 110000000000011 & 627 & 129 \\
638 & 1100000000000111 & 627 & 130 \\
639 & 11000000000001111 & 627 & 131 \\
640 & 111000000000001 & 628 & 128 \\
641 & 1110000000000011 & 628 & 129 \\
642 & 11100000000000111 & 628 & 130 \\
643 & 111000000000001111 & 628 & 131 \\
644 & 1111000000000001 & 629 & 128 \\
645 & 11110000000000011 & 629 & 129 \\
646 & 1111100000000000111 & 629 & 130 \\
647 & 11110000000000011111 & 629 & 131 \\
\hline & & & \\
\hline & & & \\
\hline
\end{tabular}```


[^0]:    ${ }^{\text {a C.F. }}$ = Comprs. factor.
    T.C.F. $=$ Theort. comprs. factor.

